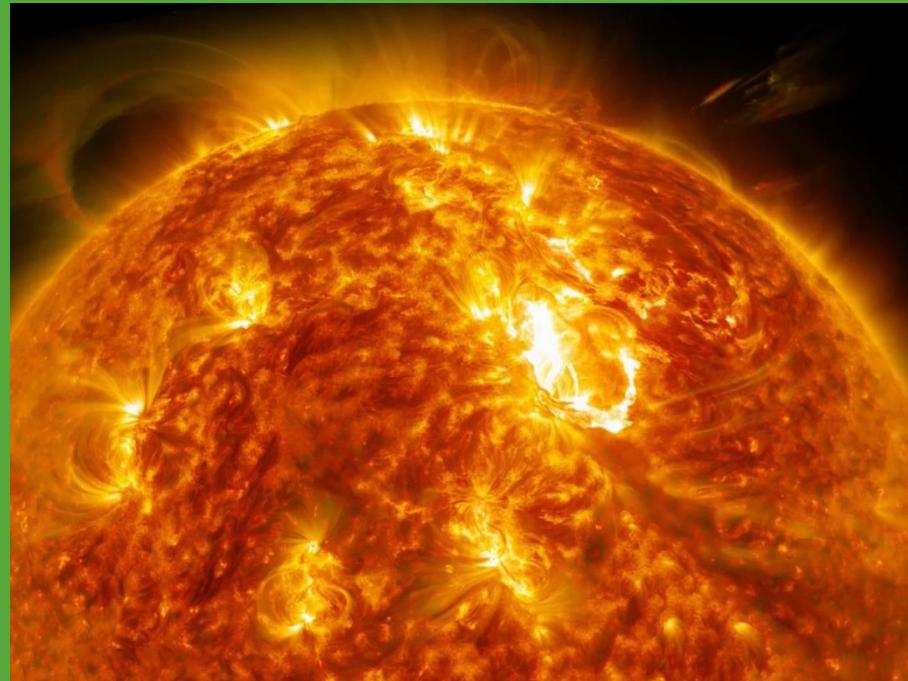
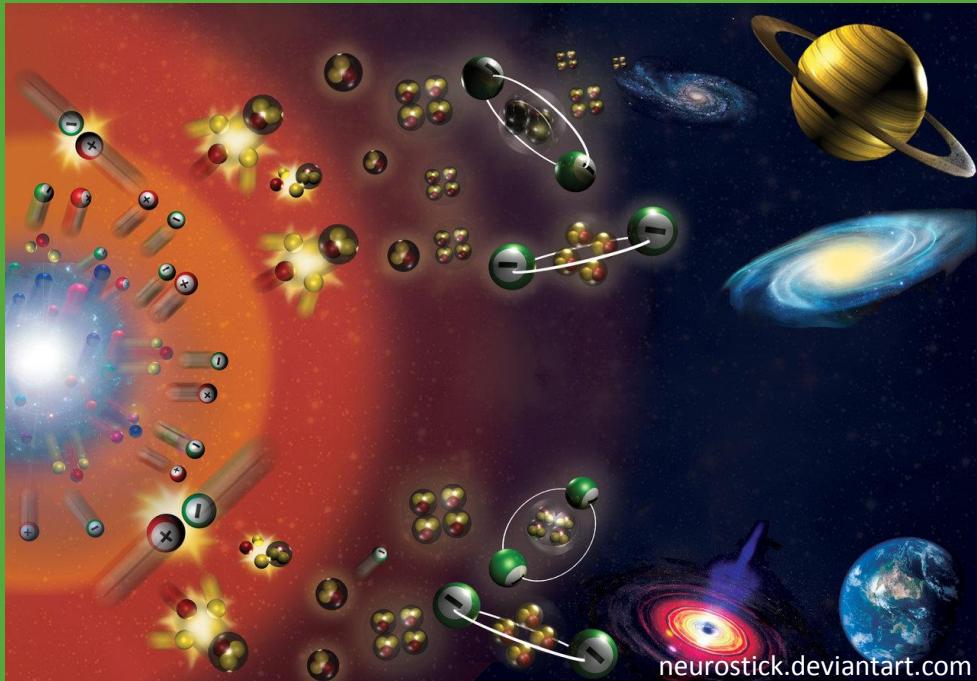


# Experimental low energy nuclear astrophysics



**Helmholtz International Summer School**

"NUCLEAR THEORY AND ASTROPHYSICAL APPLICATIONS"

Dubna, Russia, July 10 – 21, 2017

Tamás Szűcs

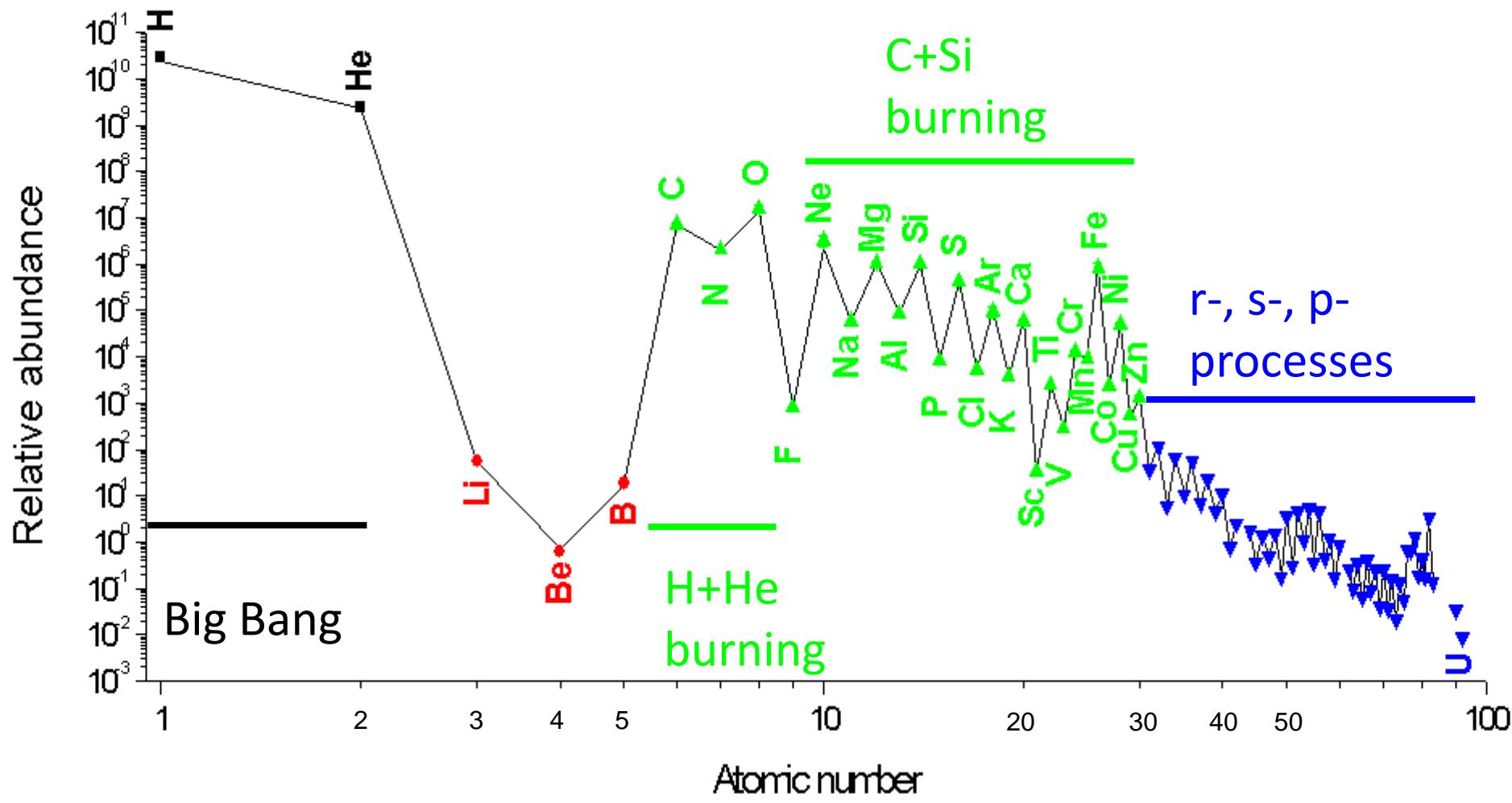


# Experimental nuclear astrophysics

- Nuclear reactions building up the material of our universe
- Charged particle induced reaction
  - Thermal movement
  - Coulomb barrier
  - Typical energy region
  - Extrapolation
- Laboratory background in the detector
  - Sources
  - Reduction techniques
  - Importance of the underground measurements

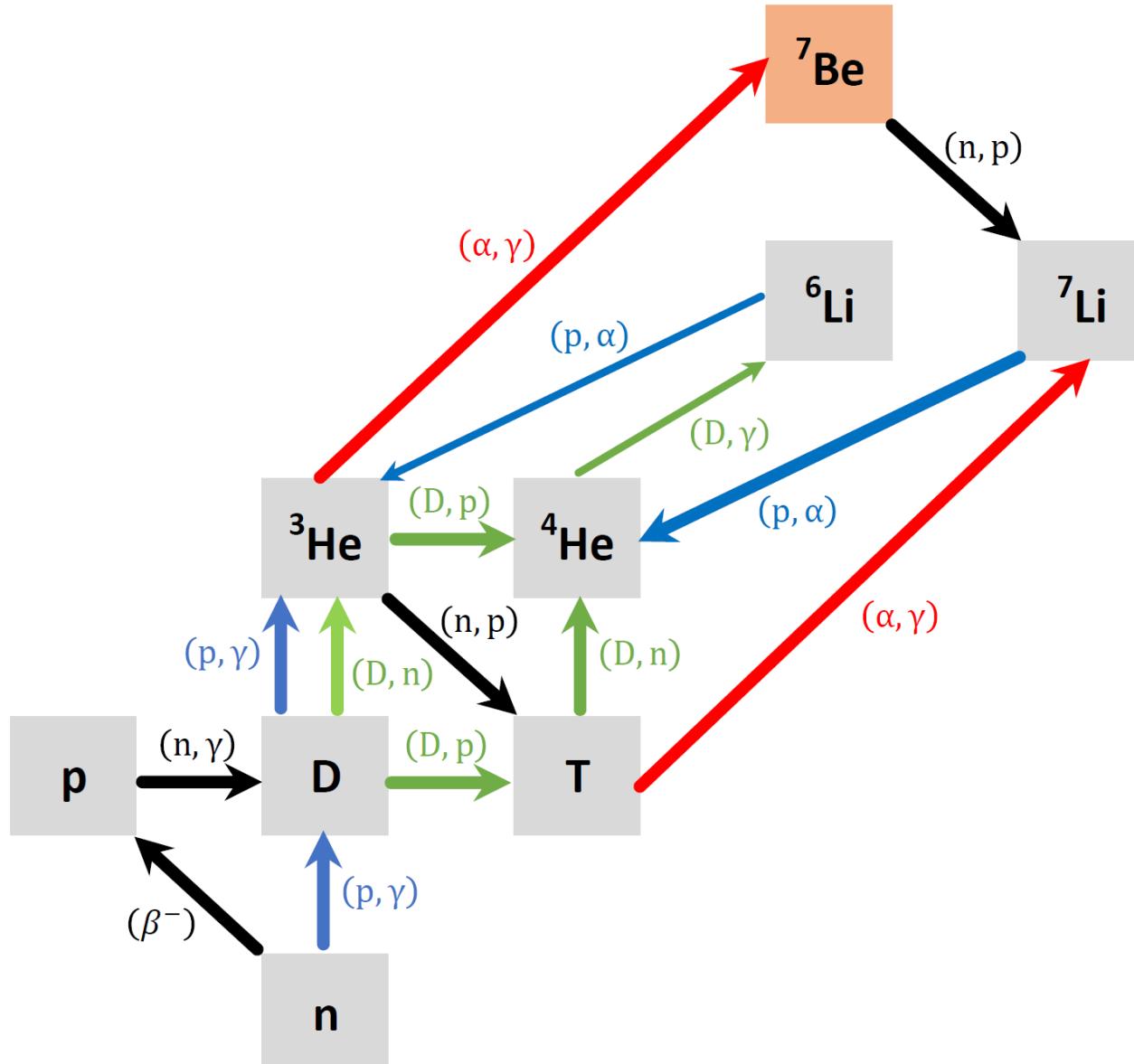


# Origin of the chemical elements

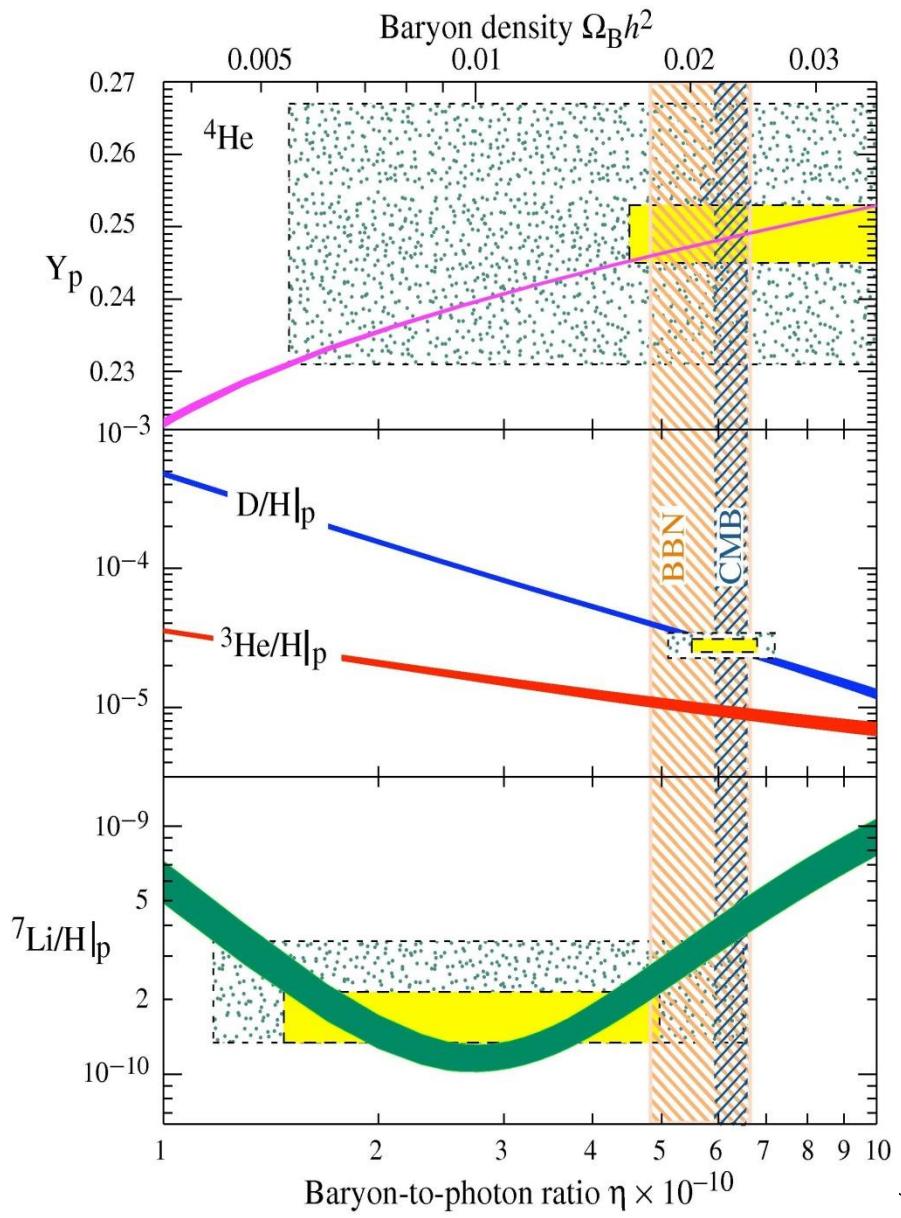
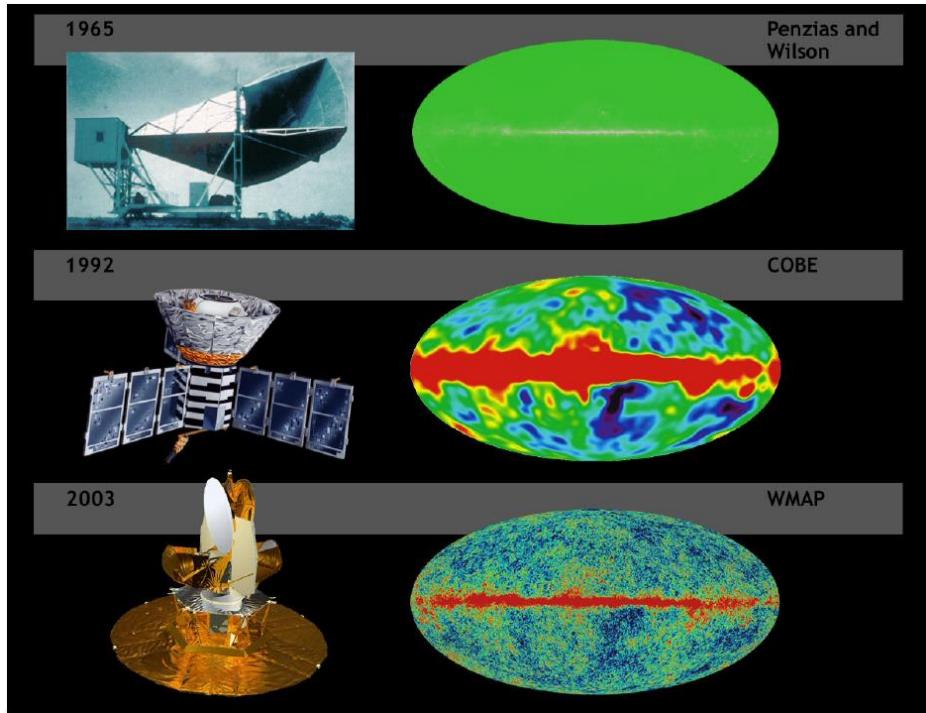


Charged particle induced reactions

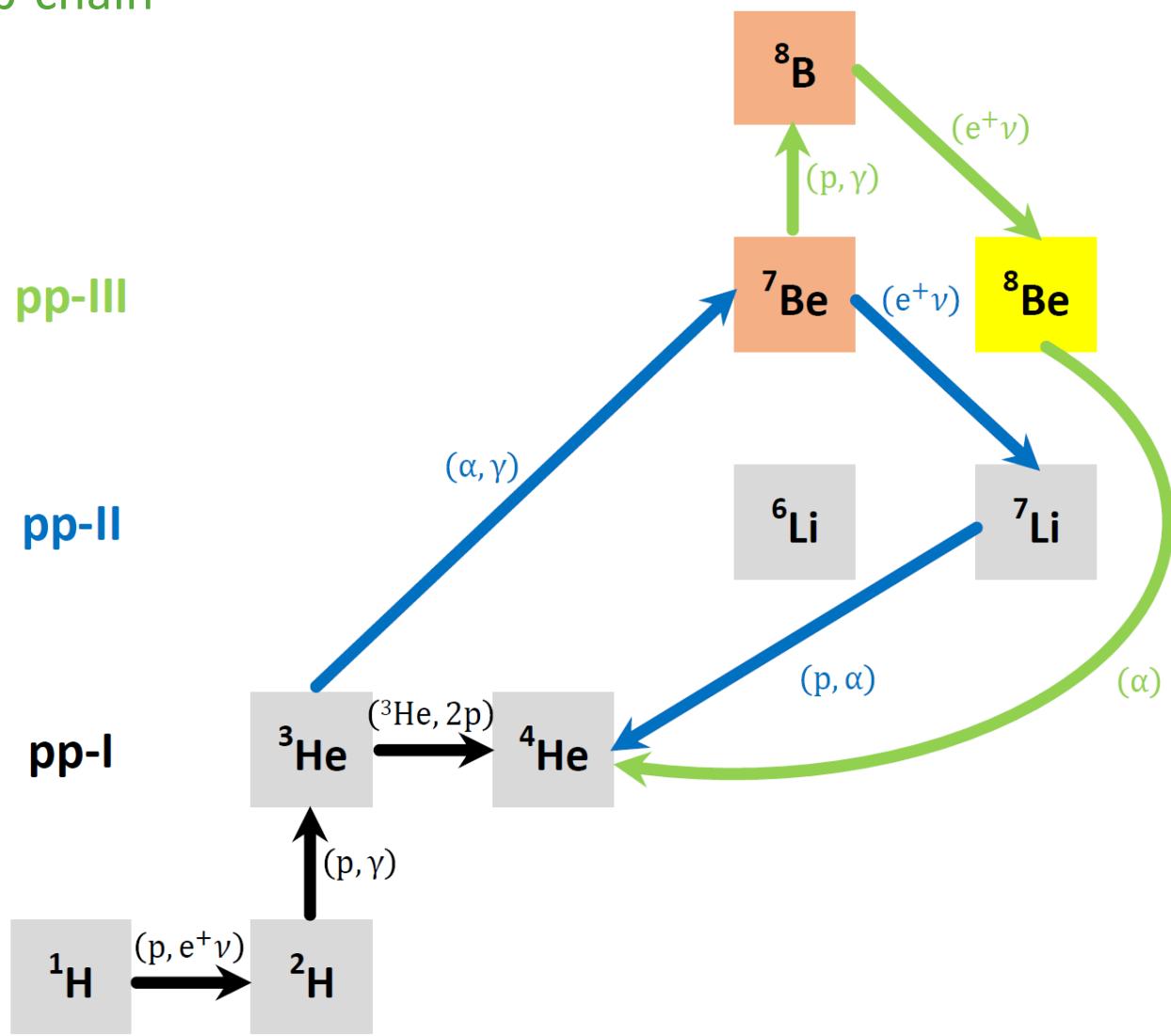
# Big Bang Nucleosynthesis



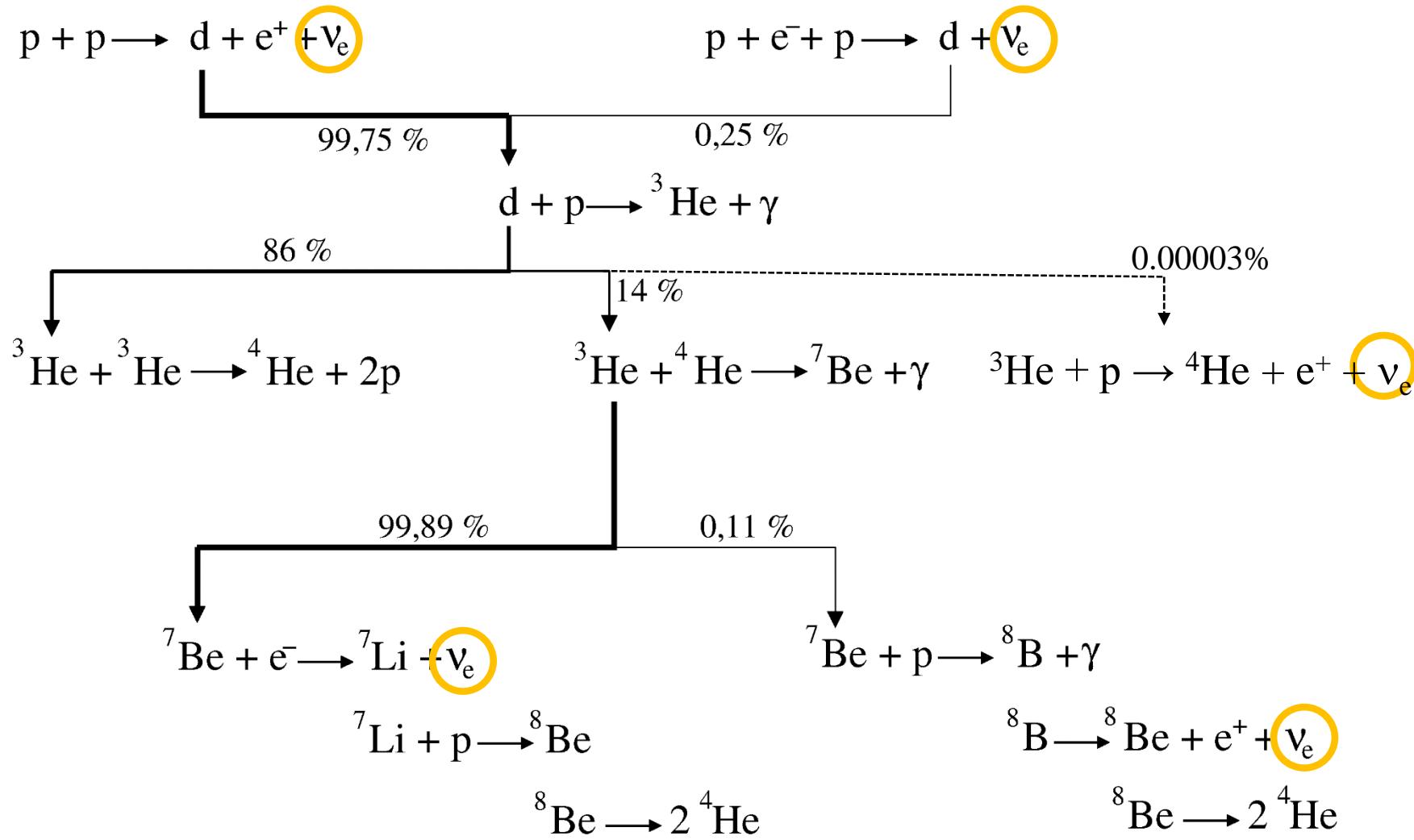
# The Li problem



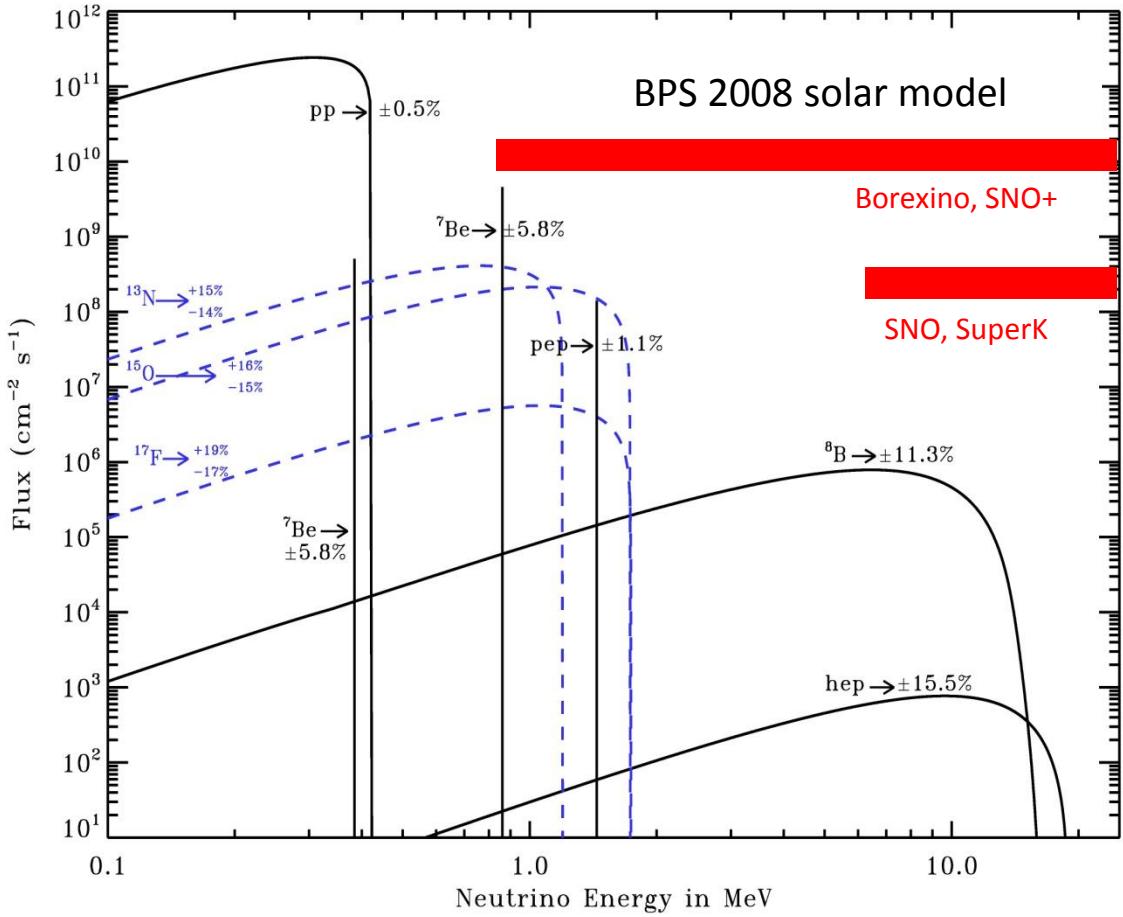
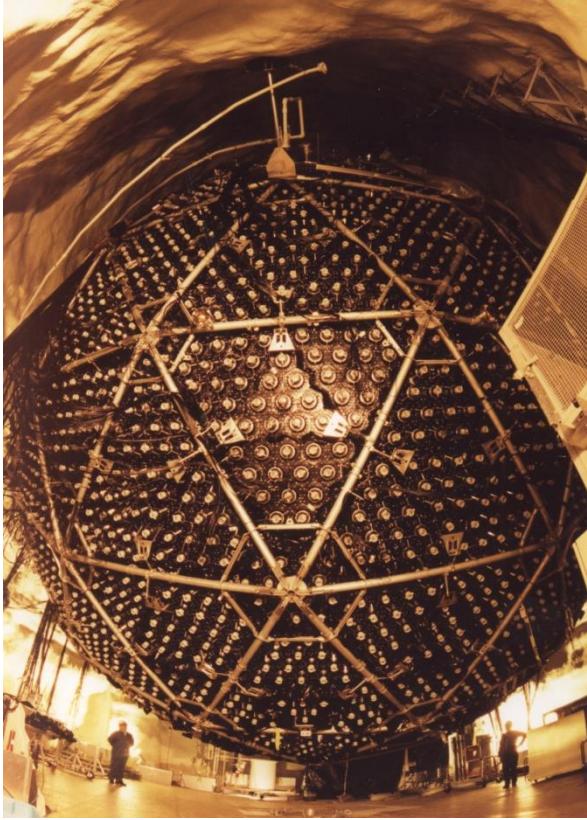
# Solar pp-chain



# Solar neutrino problem



# An age of precision for solar neutrinos from the pp-chain



Nuclear data must match the precision of  $\nu$ -astronomy:

Water-Cherenkov detectors, assuming large neutrino mixing angle:

**2% precision**

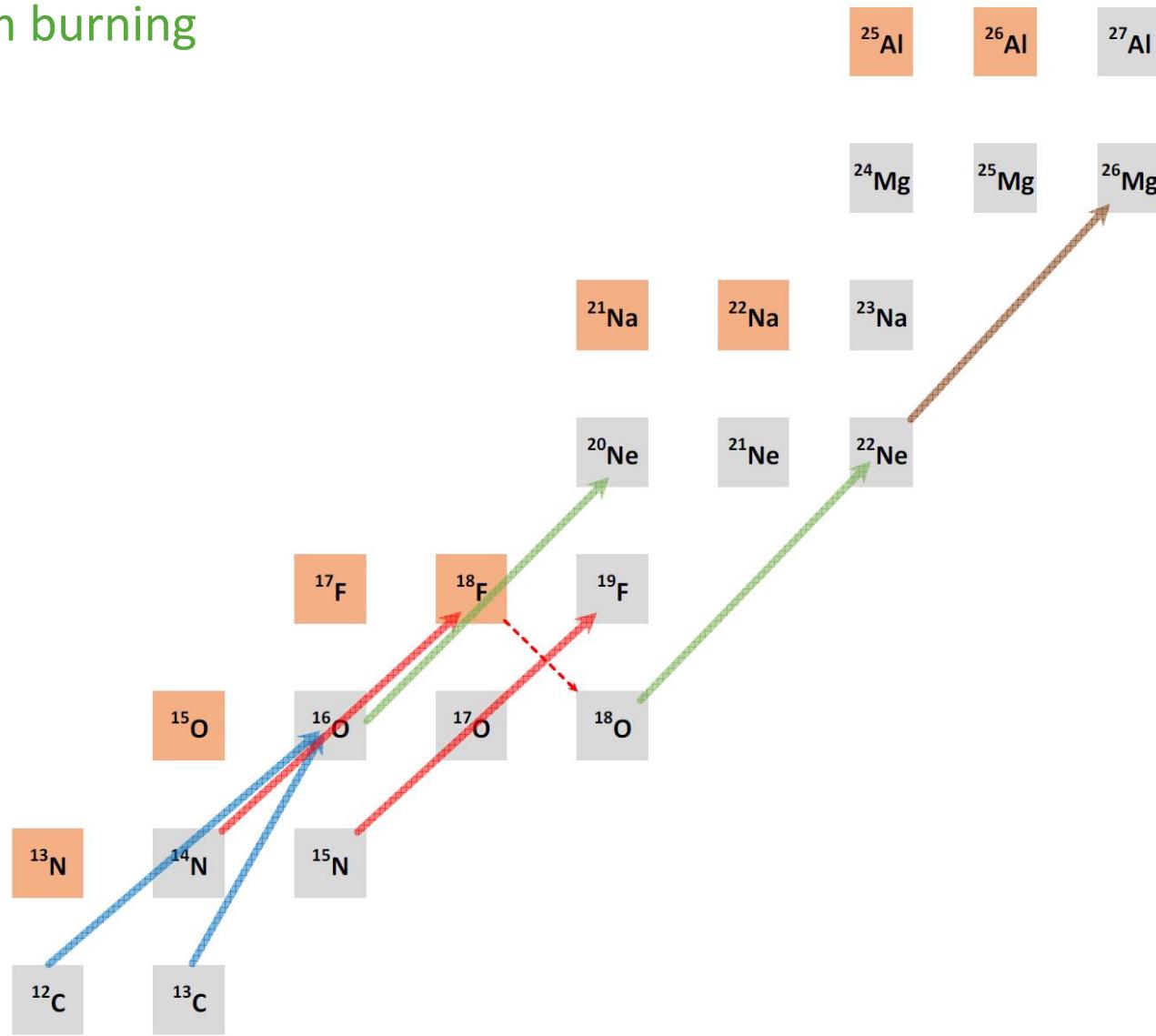
for solar  $^8\text{B}$  neutrino flux (SNO, SuperK) [B. Aharmim et al., PRC 87, 025501 (2013)]

**5% precision**

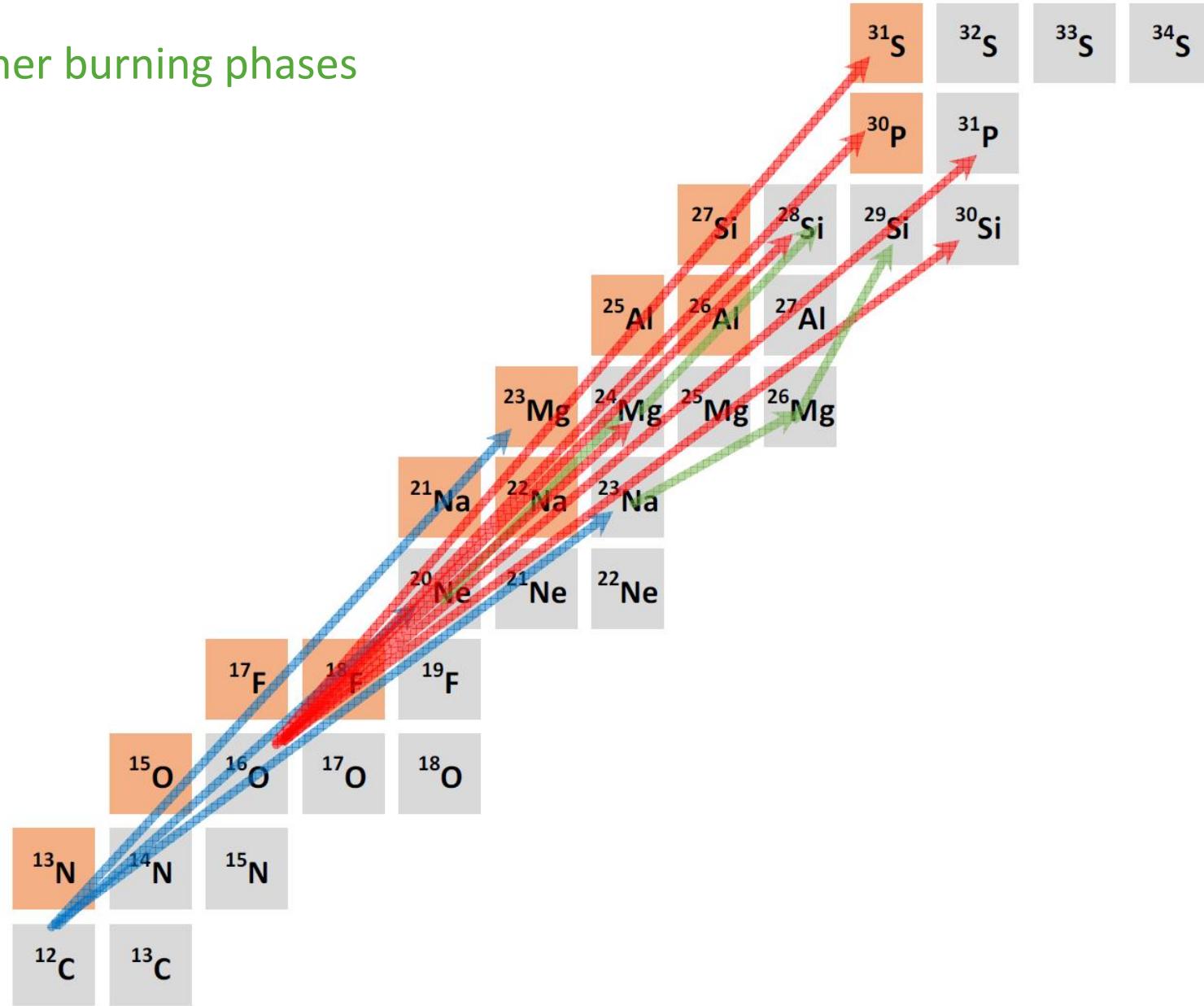
for solar  $^7\text{Be}$  neutrino flux (Borexino) [G. Bellini et al., PRD 89, 112007 (2014)]



# Helium burning



## Other burning phases

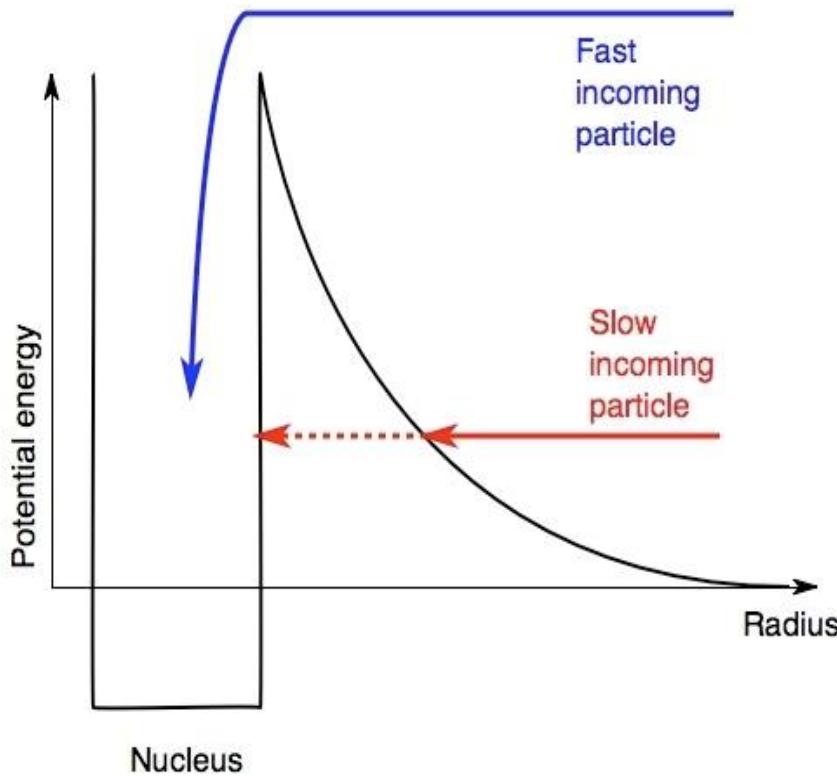


# Experimental nuclear astrophysics

- Nuclear reactions building up the material of our universe
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# Nuclear reaction cross section ( $\sigma$ ) for charged particles



Typical Coulomb barrier height :  $\sim$  MeV

Typical temperature  $k_B * T \sim$  keV

→ The energy dependence of the cross section is dominated by the tunneling probability.

Tunneling probability  
(for relative angular momentum  $l=0$ ):

$$\propto \exp\left[-Z_1 Z_2 \alpha \sqrt{\frac{\mu}{E}}\right]$$

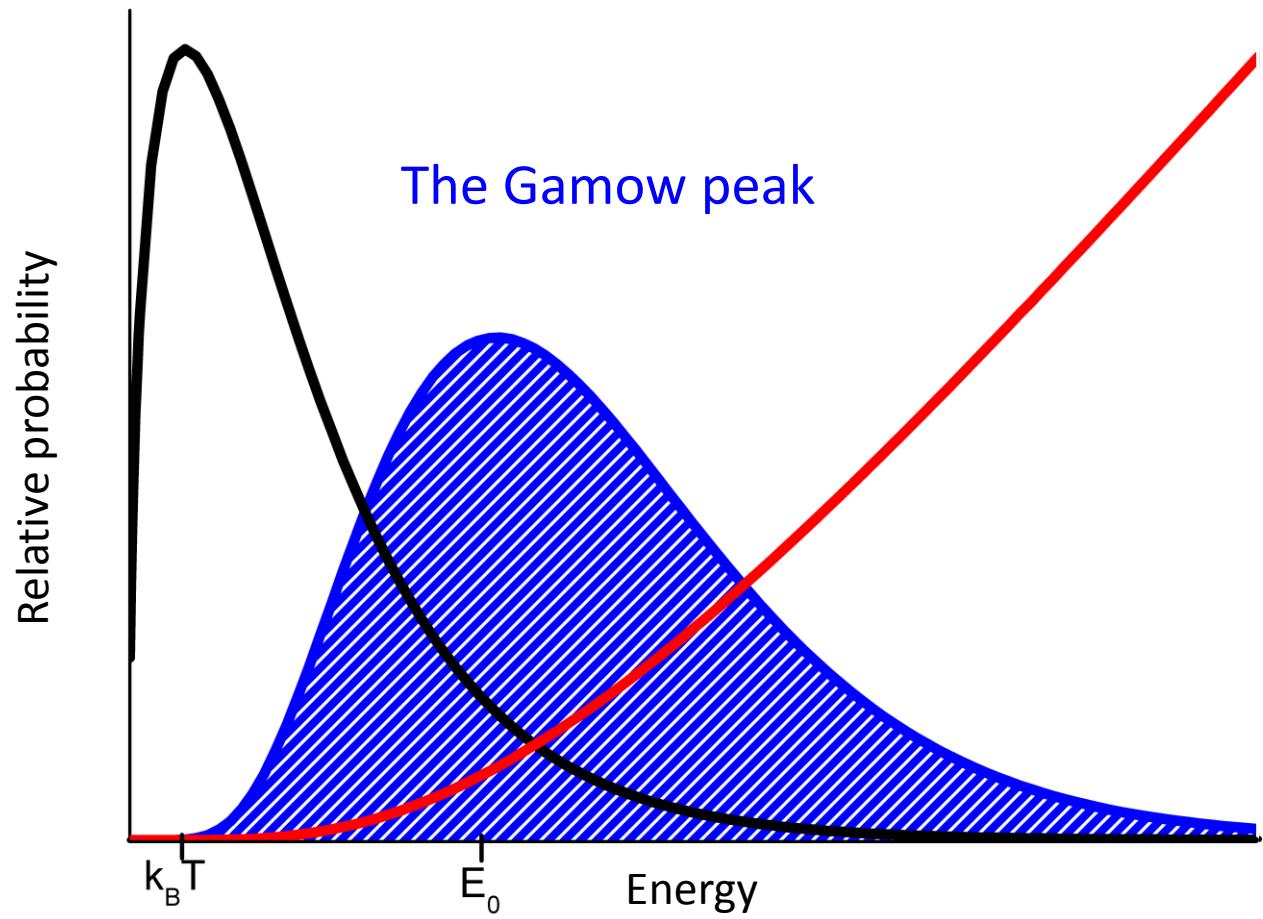
Thermal neutron capture:  $\sim 1$  barn

Charged-particle capture at astrophysical energies:  $\sigma \sim 1$  nanobarn!!  
→ “NANO - ASTROPHYSICS”



# How much is the astrophysically relevant energy?

Maxwell-Boltzmann  
velocity distribution



Tunneling probability  
(for zero relative angular  
momentum):

$$\propto \exp\left[-Z_1 Z_2 \alpha \sqrt{\frac{\mu}{E}}\right]$$

# The Gamow peak, some examples

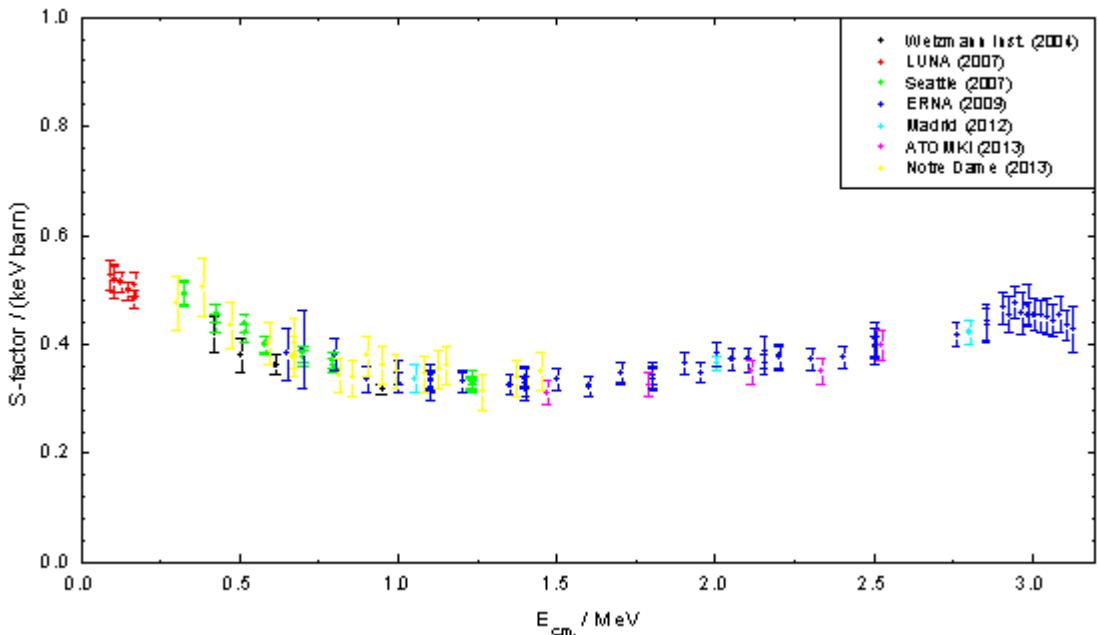
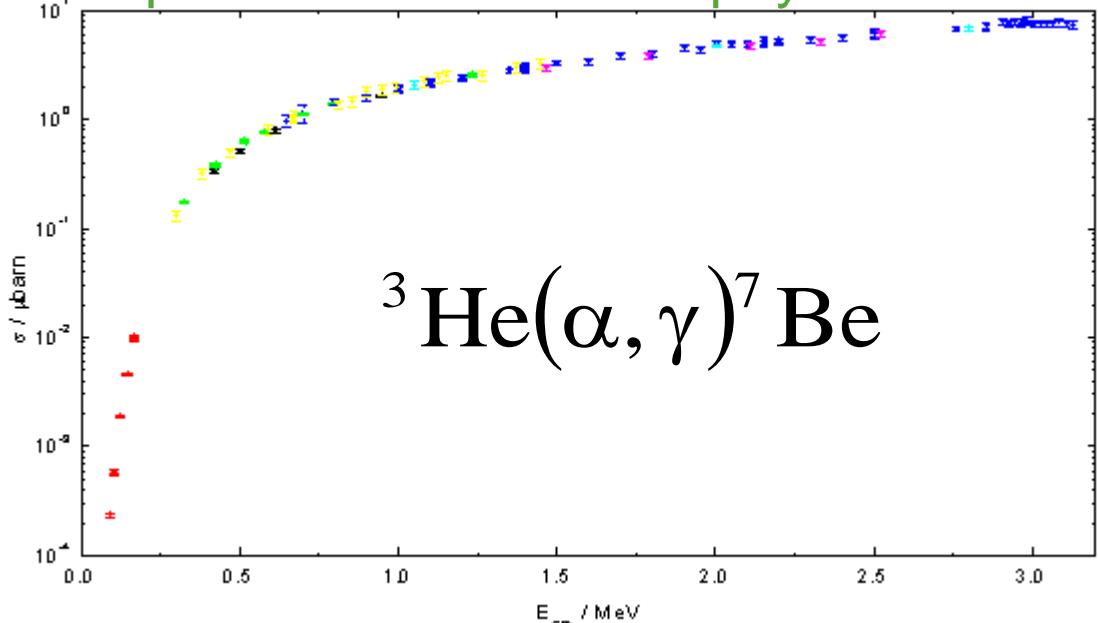
Scenario	Reaction	$E_G$ [keV]	$\sigma$ [barn]	Detected events/hour
Sun (16 MK)	$^3\text{He}(\alpha,\gamma)^7\text{Be}$	23	$10^{-17}$	$10^{-9}$
	$^{14}\text{N}(p,\gamma)^{15}\text{O}$	28	$10^{-19}$	$10^{-11}$
AGB stars (80 MK)	$^{14}\text{N}(p,\gamma)^{15}\text{O}$	81	$10^{-12}$	$10^{-4}$
Big bang (300 MK)	$^3\text{He}(\alpha,\gamma)^7\text{Be}$	160	$10^{-9}$	$10^{-1}$
	$^2\text{H}(\alpha,\gamma)^6\text{Li}$	96	$10^{-11}$	$10^{-3}$

1 barn=  $10^{-24}$  cm<sup>2</sup>; assume  $10^{16}$  h<sup>-1</sup> beam,  $10^{18}$  at/cm<sup>2</sup> target,  $10^{-2}$  detection efficiency

→ Extrapolations seem to be necessary.



# Extrapolation and the astrophysical S-factor



$$\sigma(E) \equiv \frac{1}{E} e^{-2\pi\eta} S(E)$$

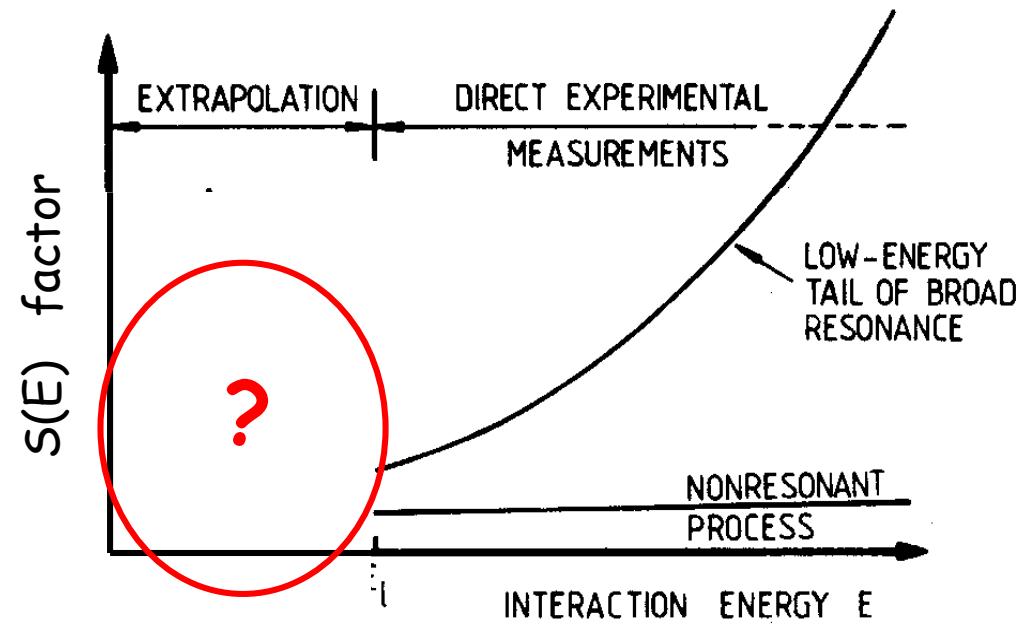
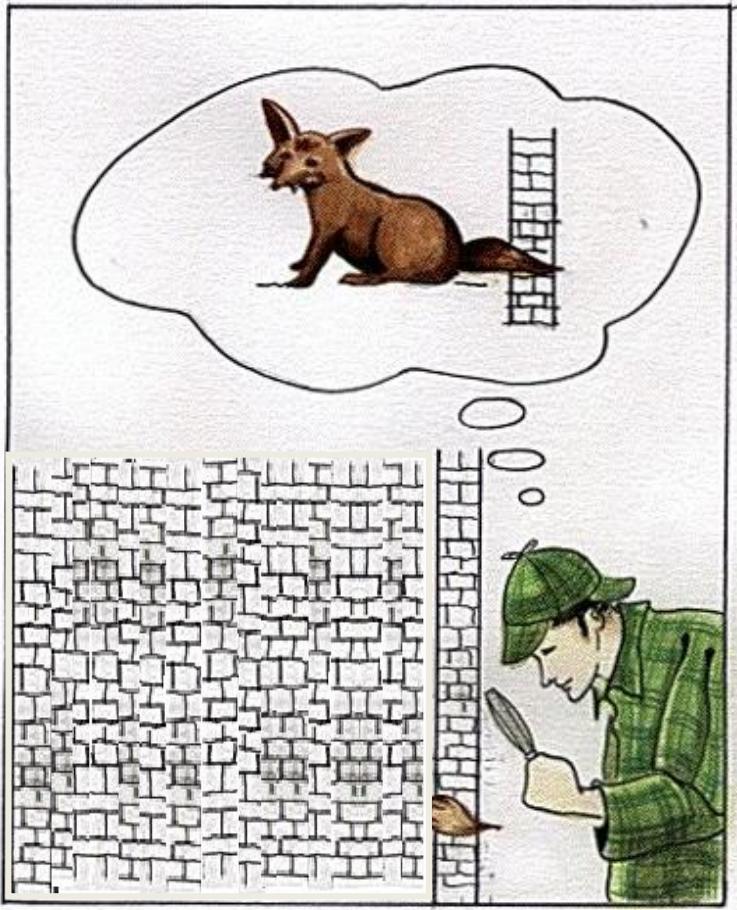
Geometrical  
cross section

s-wave Coulomb  
Barrier transmission

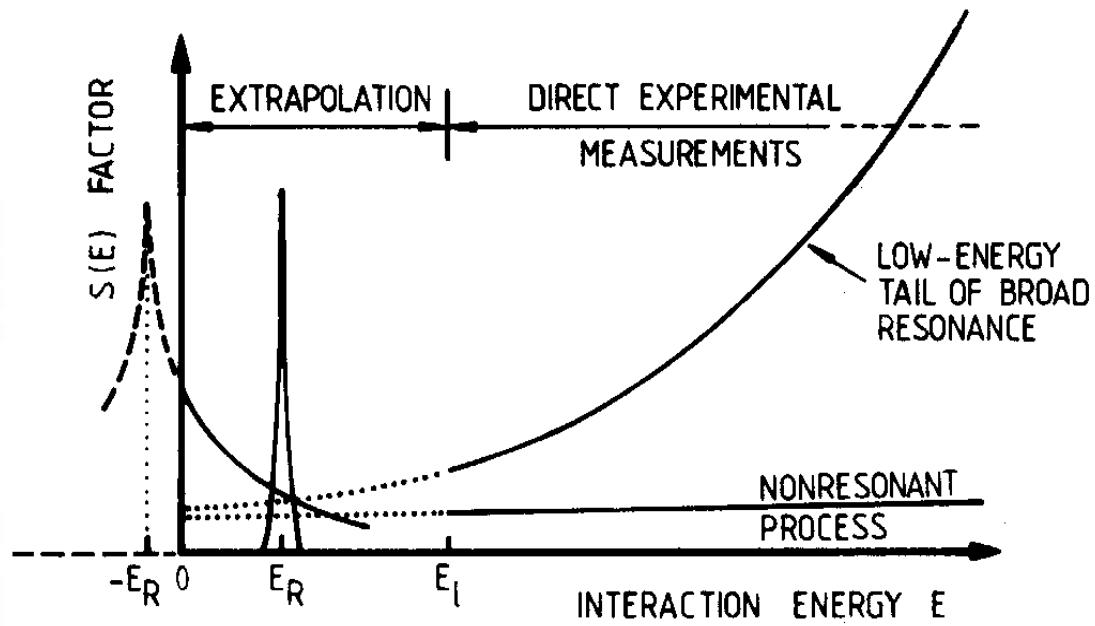
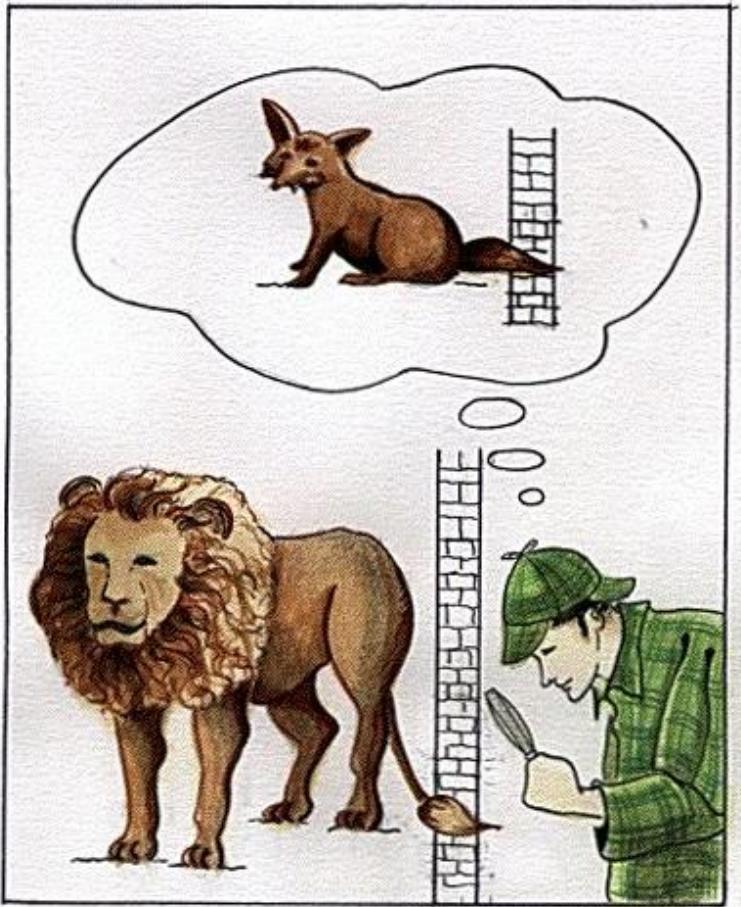
$$2\pi\eta \equiv Z_1 Z_2 \alpha \sqrt{\frac{\mu}{E}}$$



# Advantages of extrapolation



# And the drawbacks...



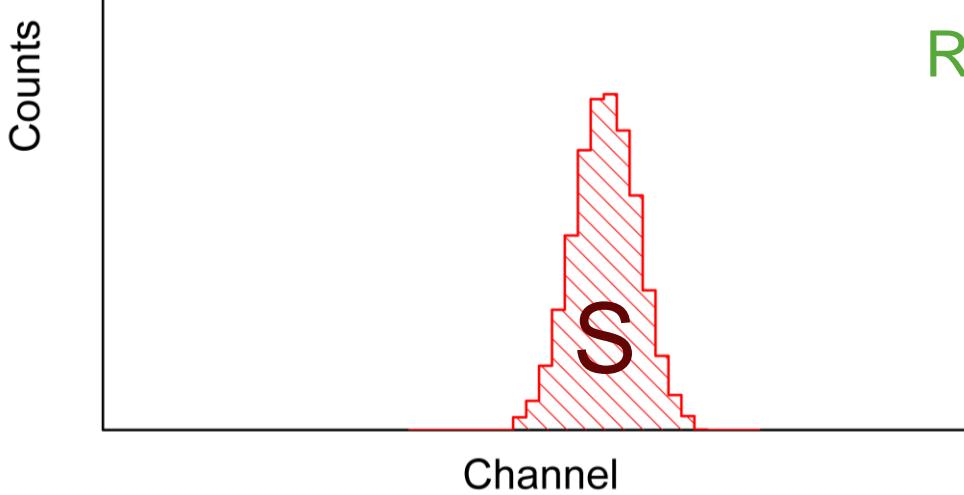
**It is mandatory to measure  
as close to the relevant  
energy region as possible**

# Experimental nuclear astrophysics

- Nuclear reactions building up the material of our universe
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- Laboratory background in the detector
  - Sources
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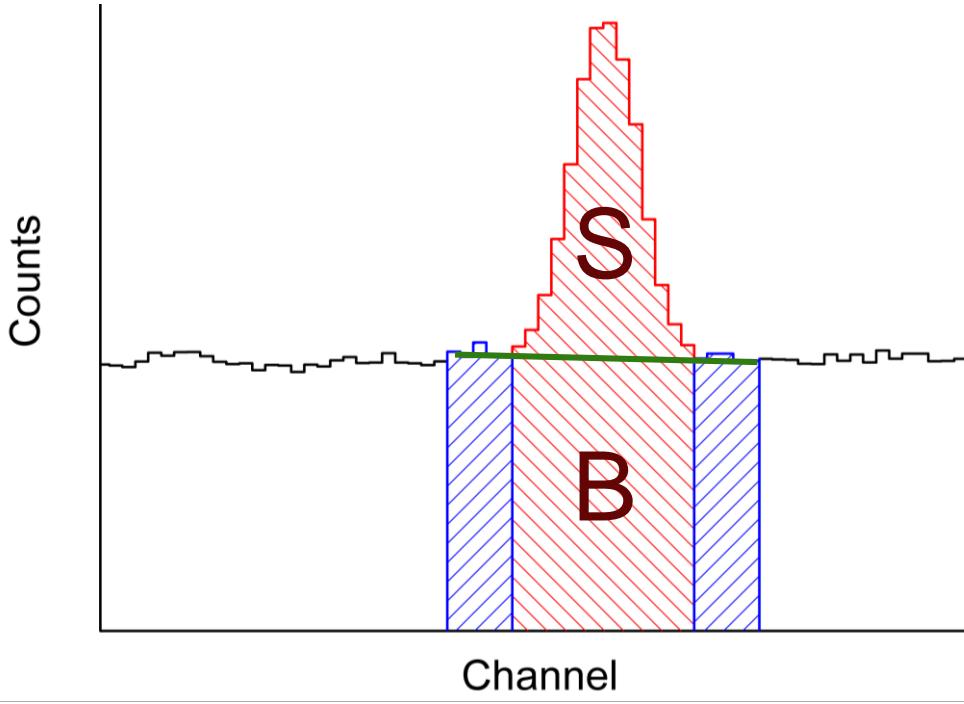


## Typical signal



Relative error of the peak area:

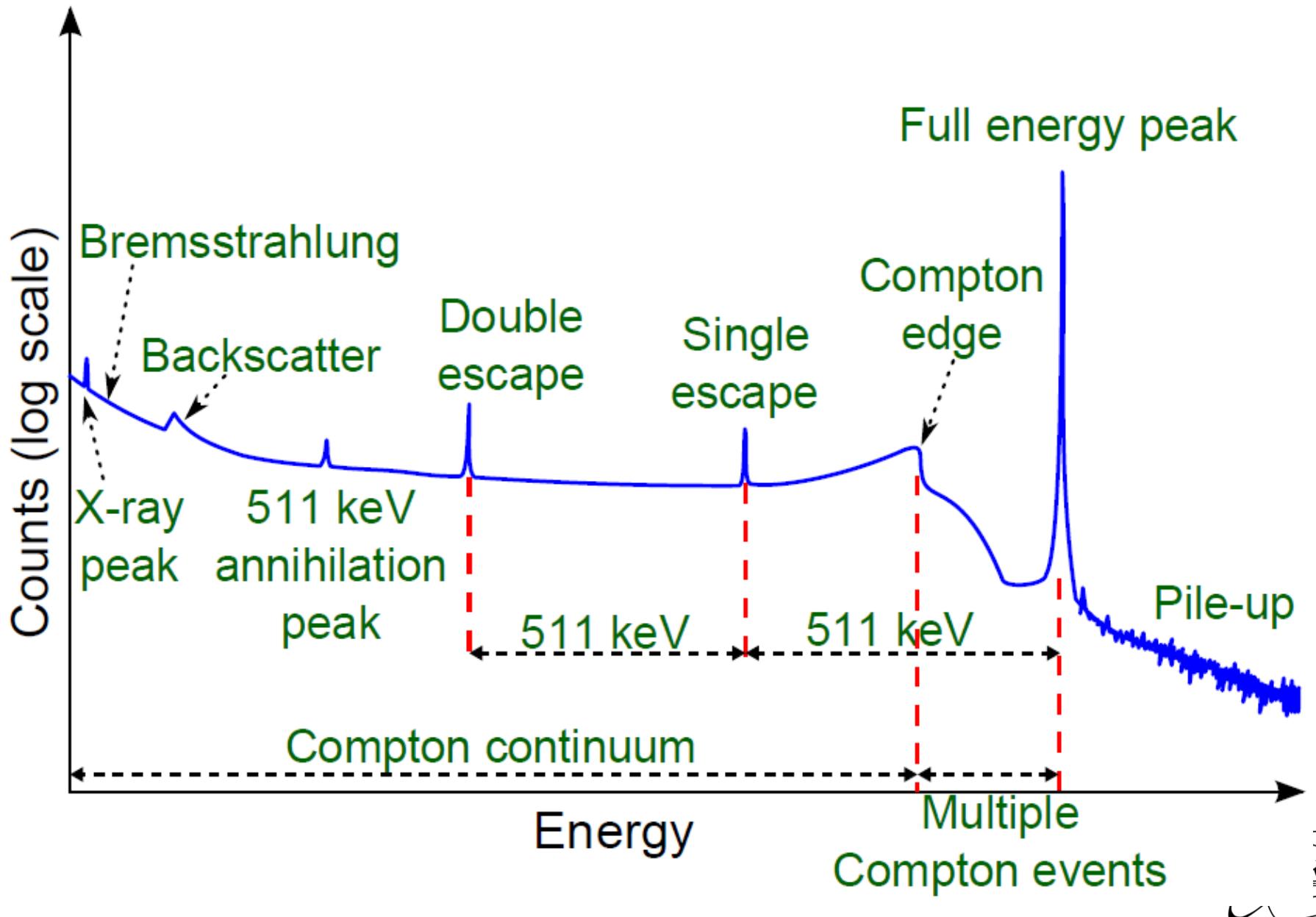
$$\frac{k\sqrt{S}}{S} = k\sqrt{\frac{1}{S}}$$



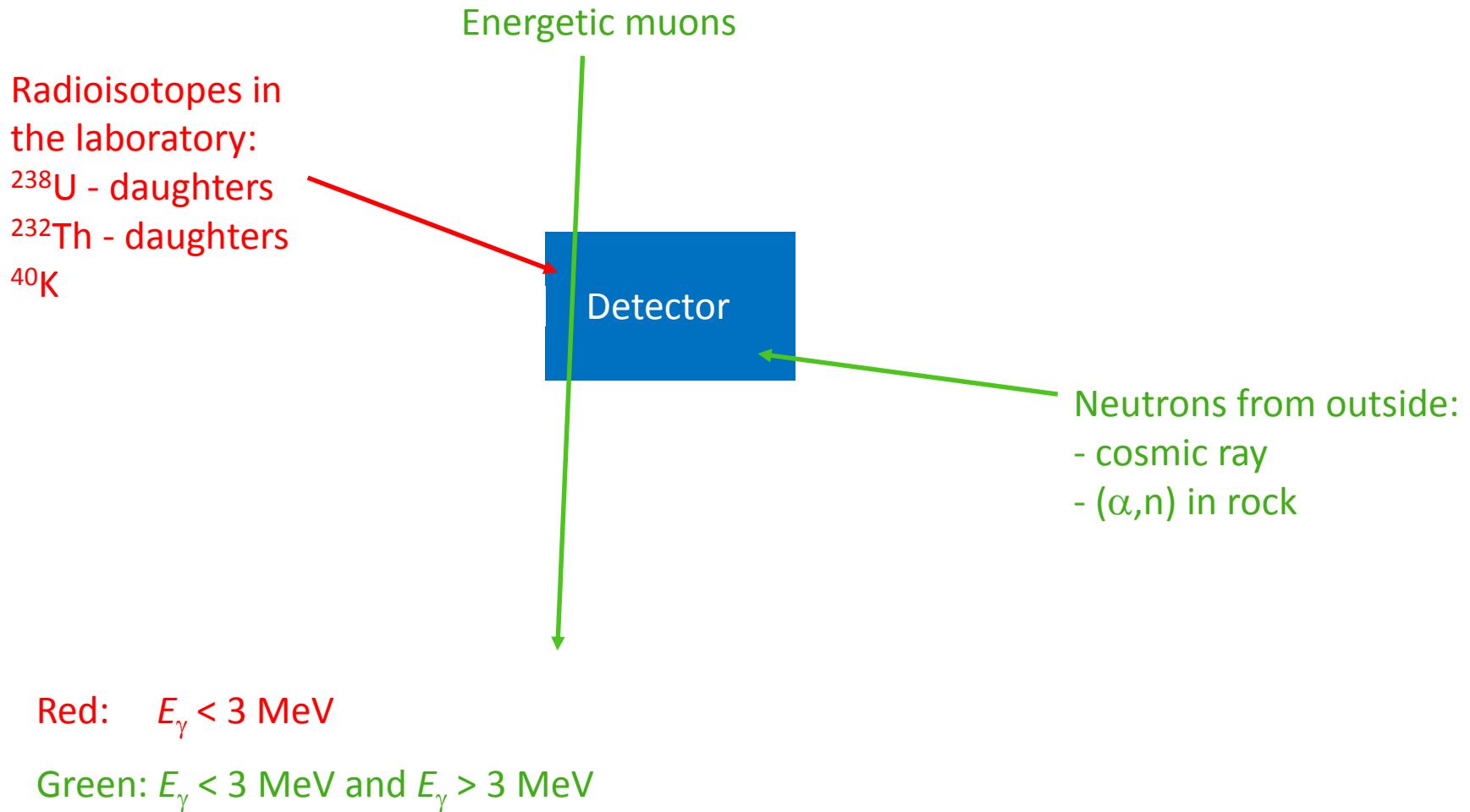
$$\frac{k\sqrt{S + 2B}}{S} = k\sqrt{\frac{1}{S} + \frac{2B}{S^2}}$$



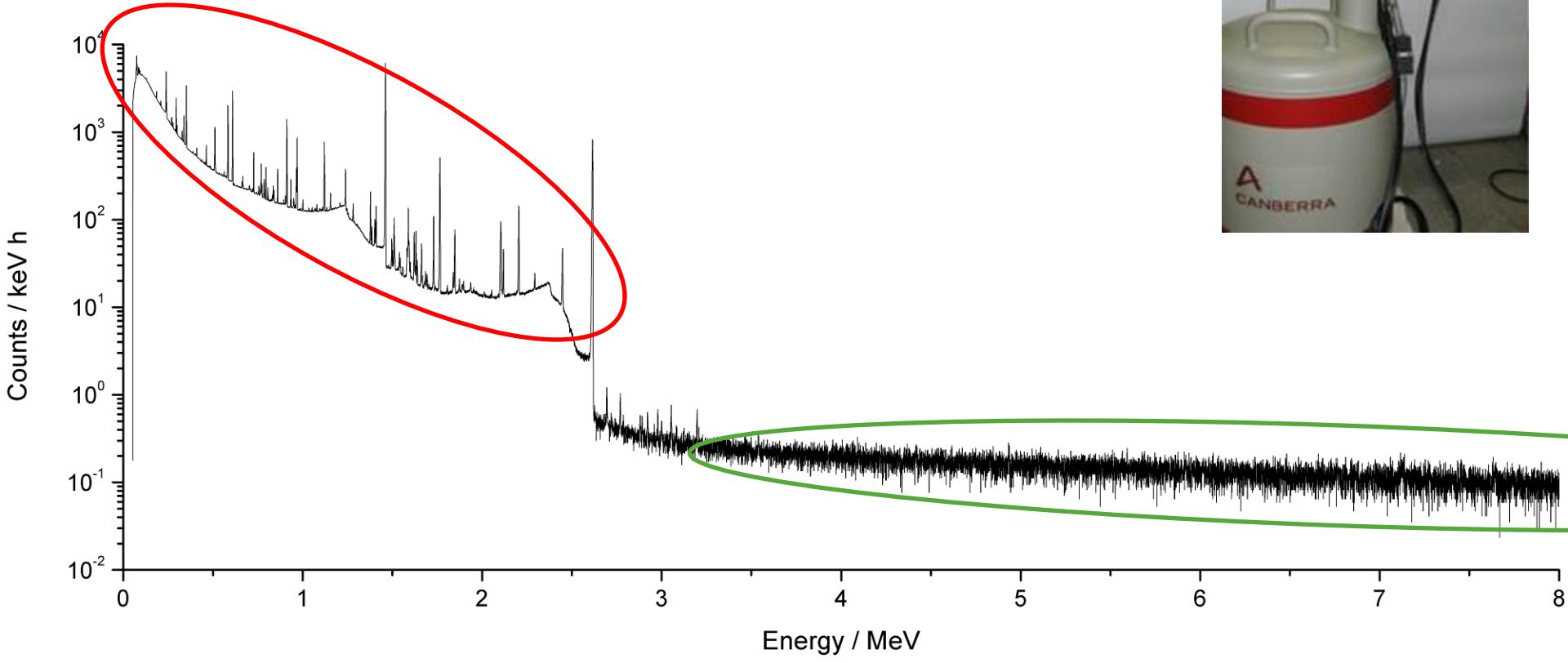
# HPGe detector response for monoenergetic gamma-rays



# What contributes to the laboratory background?

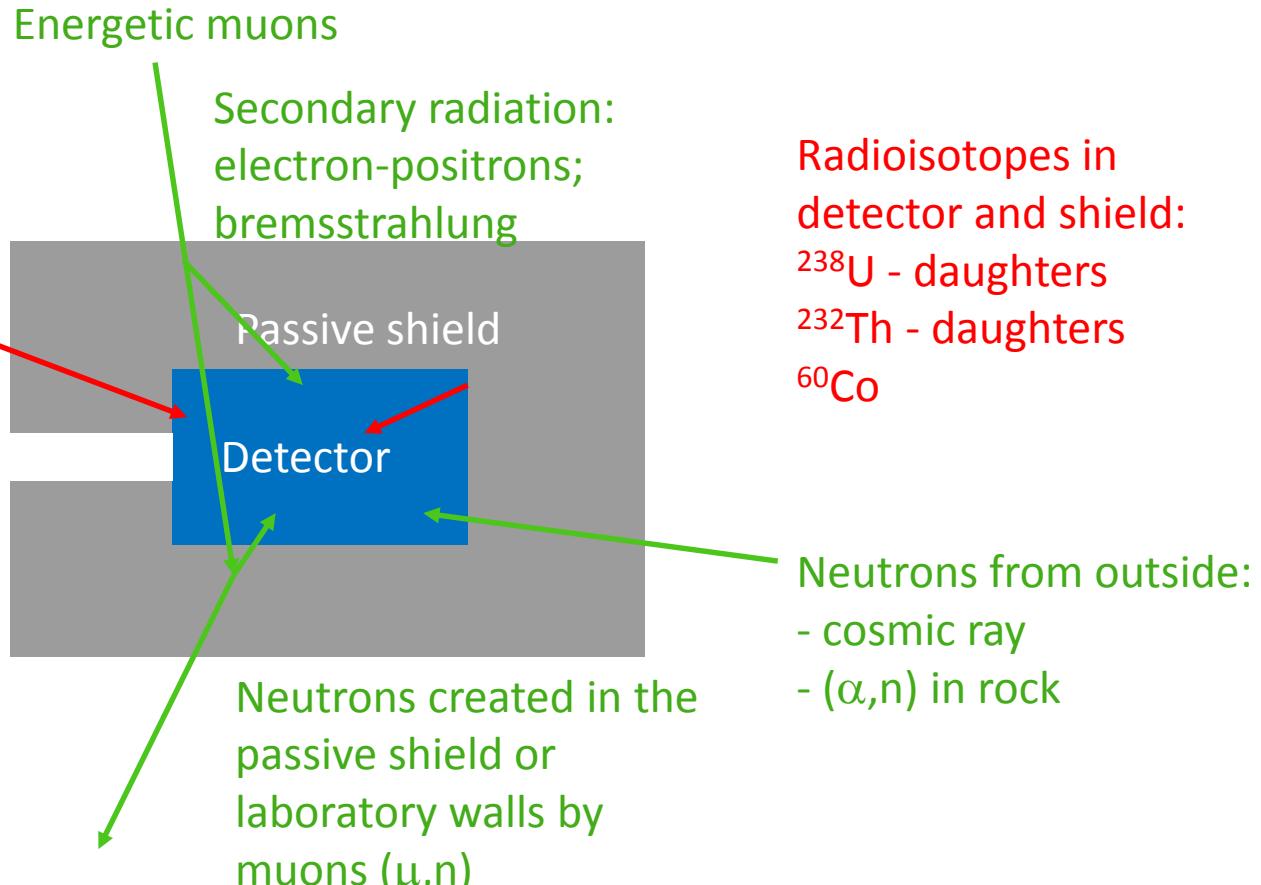


# Laboratory background at the Earth's surface



# What contributes to the laboratory background?

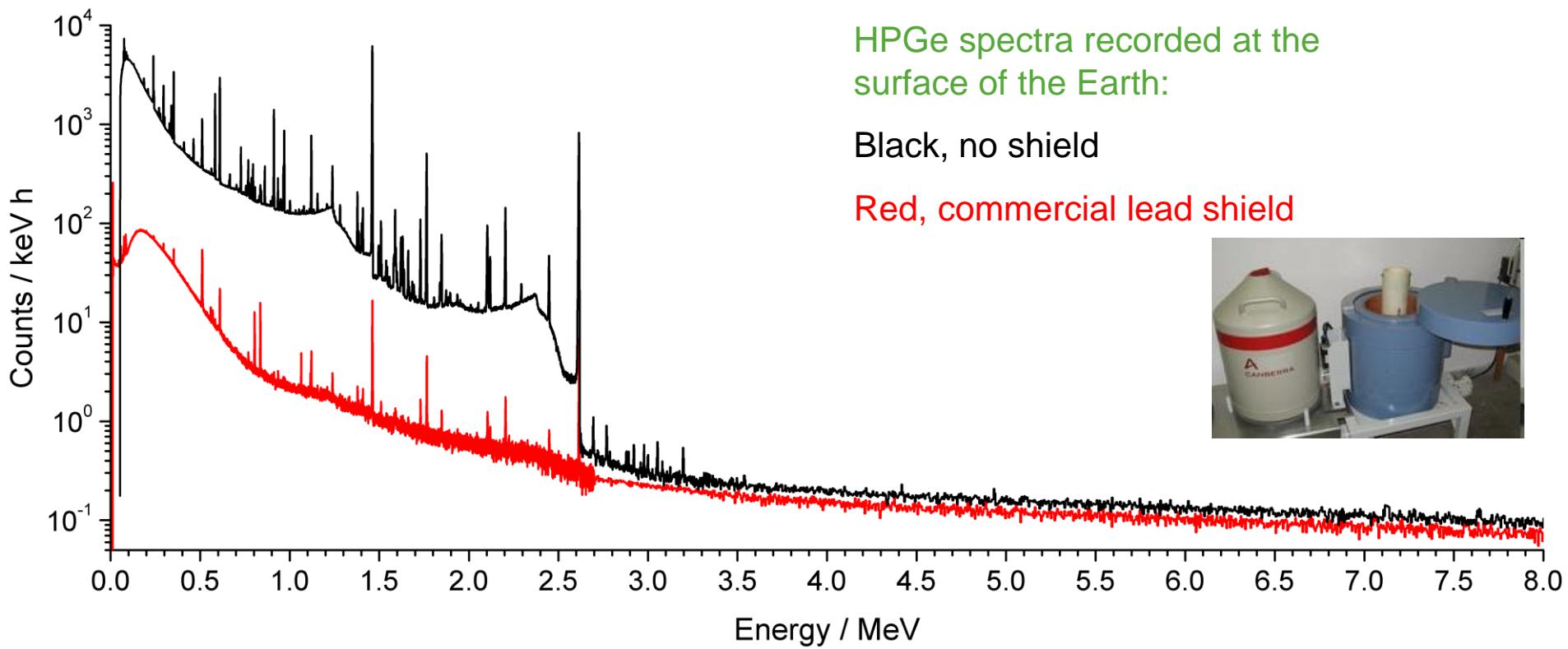
Radioisotopes in the laboratory:  
 $^{238}\text{U}$  - daughters  
 $^{232}\text{Th}$  - daughters  
 $^{40}\text{K}$



Red:  $E_\gamma < 3 \text{ MeV}$

Green:  $E_\gamma < 3 \text{ MeV}$  and  $E_\gamma > 3 \text{ MeV}$

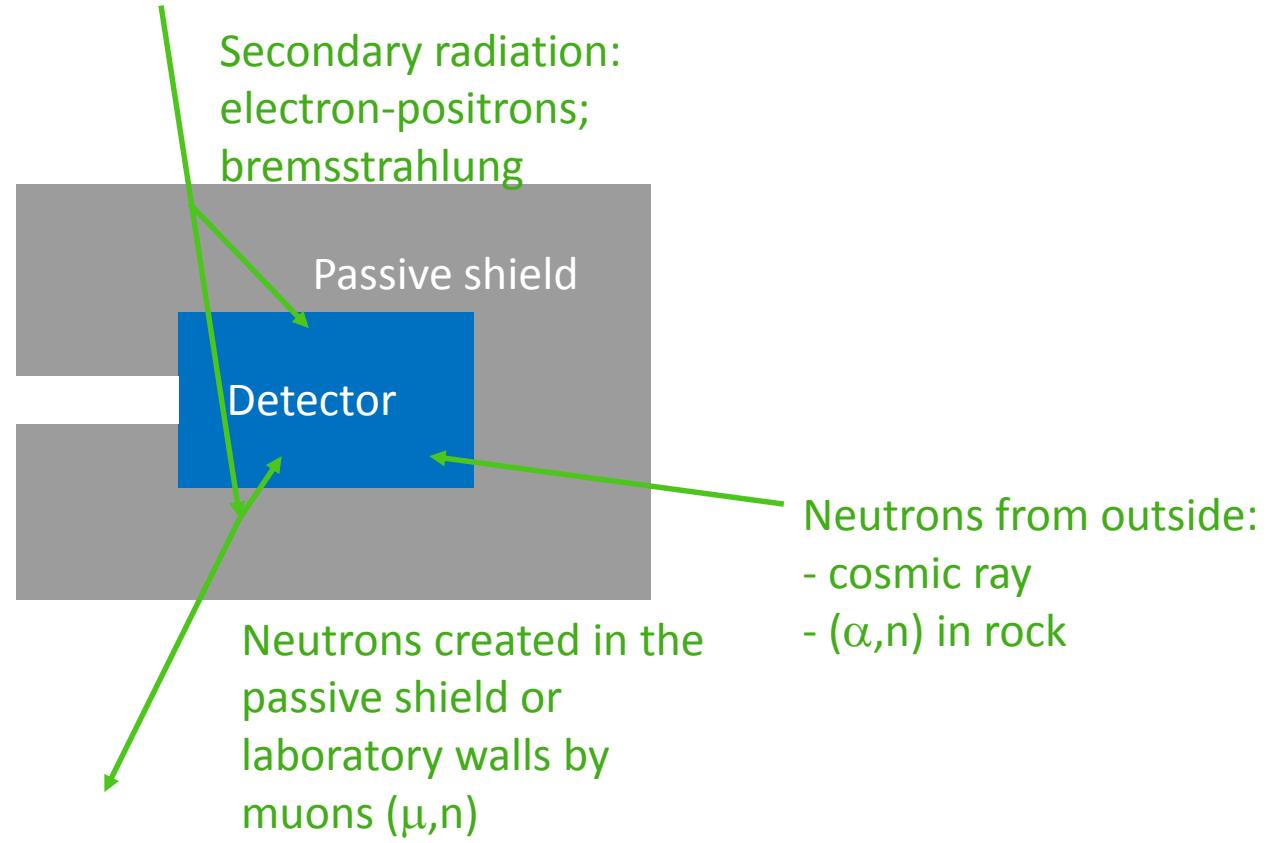
# Laboratory background at the Earth's surface using passive shield



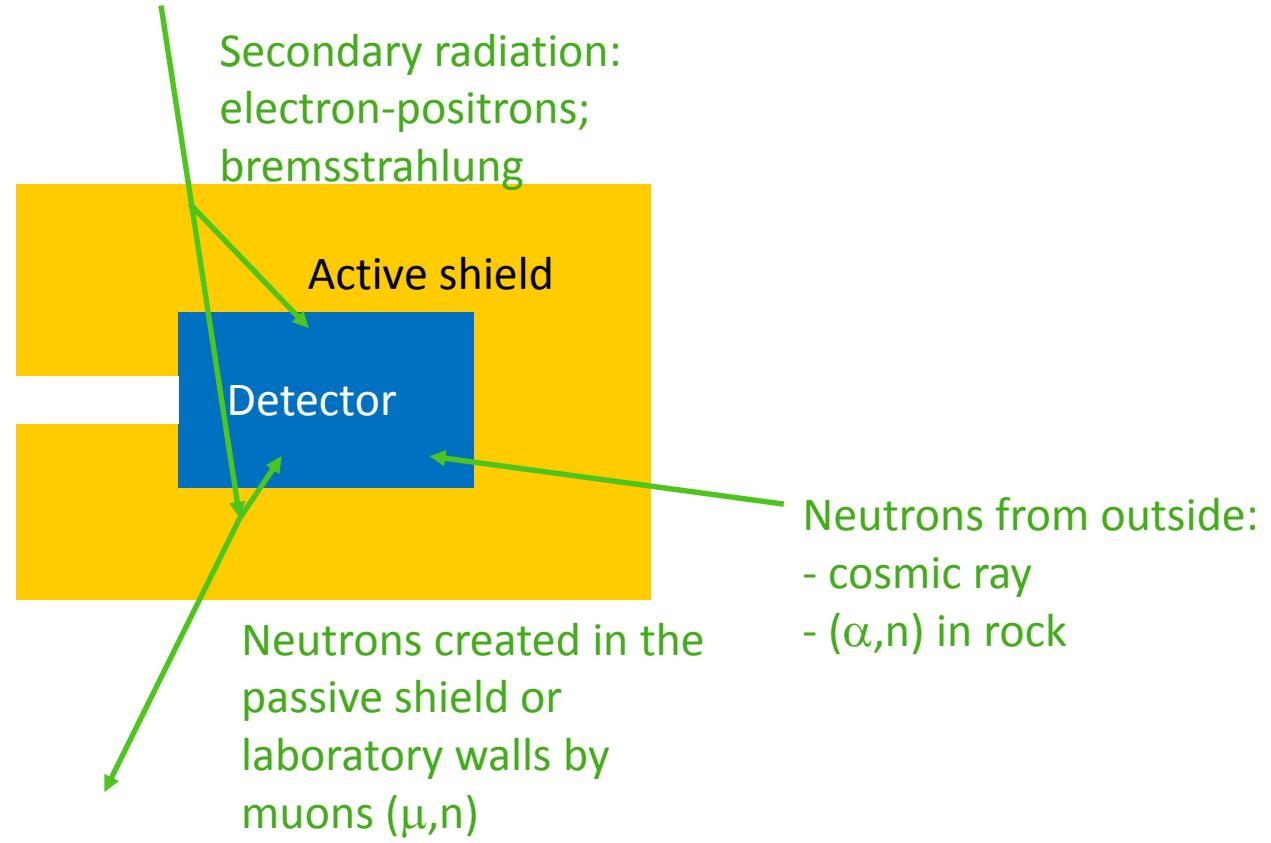
Factor of 20 – 80 reduction at  $E_\gamma < 3$  MeV

Lead does not do much at  $E_\gamma > 3$  MeV.

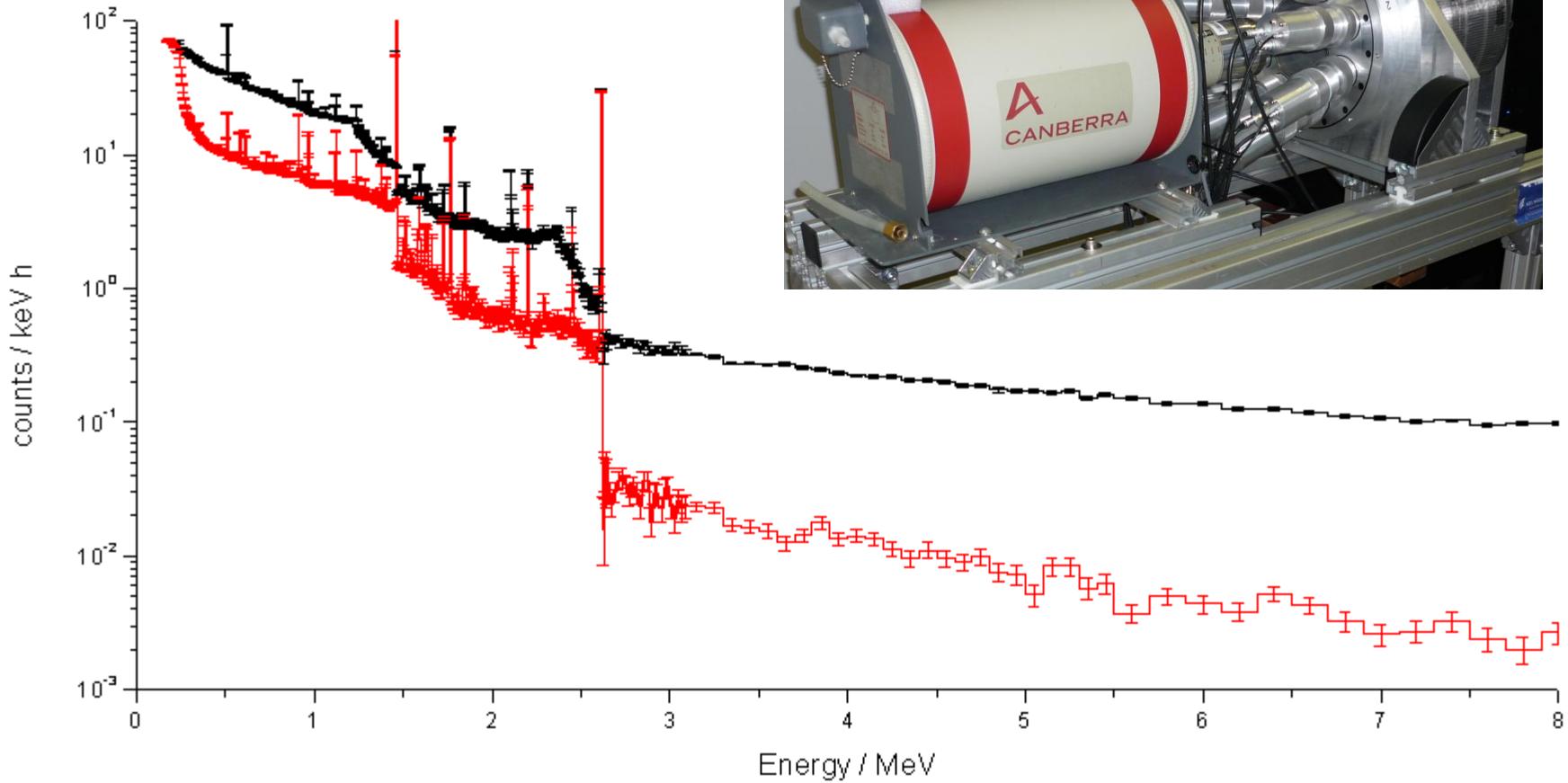
# What contributes to the laboratory background?



# What contributes to the laboratory background?



# Laboratory background at the Earth's surface using active shielding



Factor of 3 – 4 reduction at  $E_\gamma < 3$  MeV

Factor of 10 – 1000 reduction at  $E_\gamma > 3$  MeV

Is it not enough?

# Is it enough?

Scenario	Reaction	$E_G[\text{keV}]$	$\sigma [\text{barn}]$	Detected events/hour
AGB stars (80 MK)	$^{14}\text{N}(\text{p},\gamma)^{15}\text{O}$	81	$10^{-12}$	$10^{-4}$

1 barn =  $10^{-24} \text{ cm}^2$ ; assume  $10^{16} \text{ h}^{-1}$  beam,  $10^{18} \text{ at/cm}^2$  target,  $10^{-2}$  detection efficiency

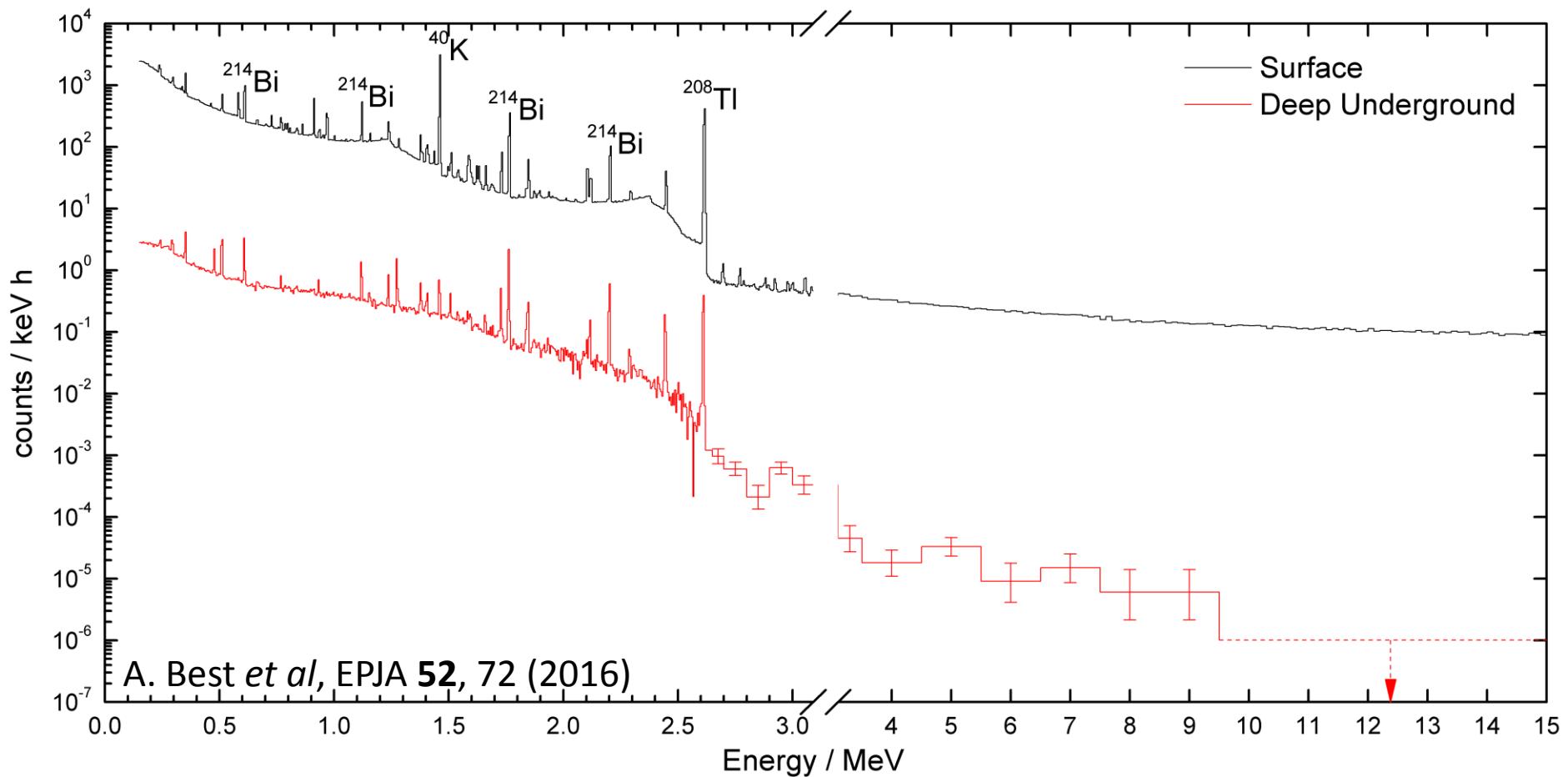
Without background, for 10% precision one need 100 counts. With this count rare it would take 115 years. **This is practically impossible.**

BUT approach as close as possible: Consider 100 times higher rate. ( $10^{-2}$  event/h)

	Background count rate (event / hour)	Time needed to reach 10% precision (years)
Without background	0	<b>1.1</b>
Typical overground settings with active shield	$2 \cdot 10^{-2}$	5.7



# Laboratory background at deep underground



Factor of 100 – 1000 reduction at  $E_\gamma < 3$  MeV

Factor of 1000 – 10000 reduction at  $E_\gamma > 3$  MeV

Above 10 MeV practically empty background!



## Why to go underground, an example

Scenario	Reaction	$E_G$ [keV]	$\sigma$ [barn]	Detected events/hour
AGB stars (80 MK)	$^{14}\text{N}(\text{p},\gamma)^{15}\text{O}$	81	$10^{-12}$	$10^{-4}$

1 barn=  $10^{-24}$  cm<sup>2</sup>; assume  $10^{16}$  h<sup>-1</sup> beam,  $10^{18}$  at/cm<sup>2</sup> target,  $10^{-2}$  detection efficiency

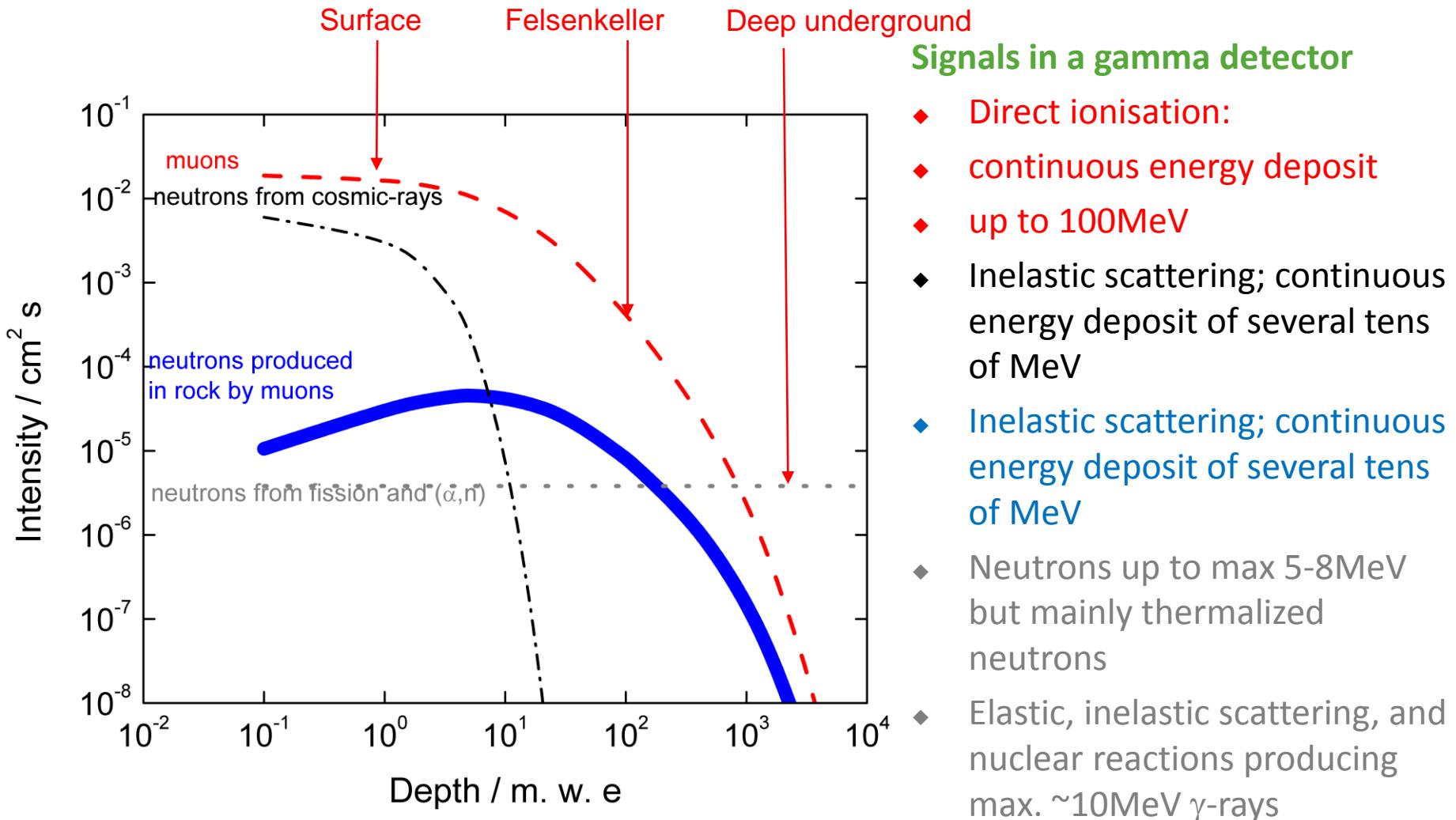
Without background, for 10% precision one need 100 counts. With this count rare it would take 115 years. **This is practically impossible.**

BUT approach as close as possible: Consider 100 times higher rate. ( $10^{-2}$  event/h)

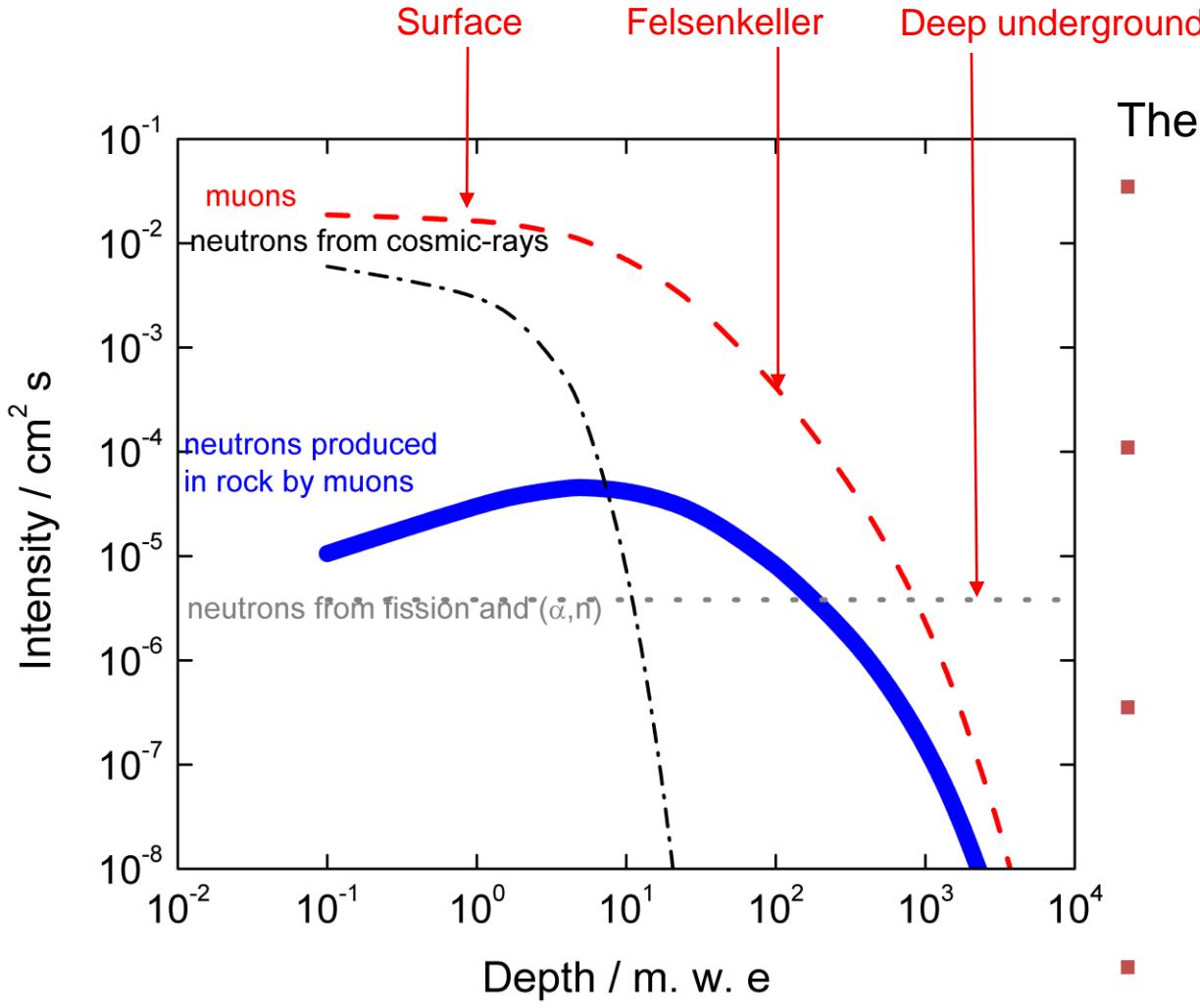
	Background count rate (event / hour)	Time needed to reach 10% precision (years)
Without background	0	<b>1.1</b>
Typical overground settings with active shield	$2 \cdot 10^{-2}$	5.7
Deep underground	$4 \cdot 10^{-4}$	<b>1.2</b>



# Attenuation of the laboratory background underground



# Attenuation of the laboratory background underground

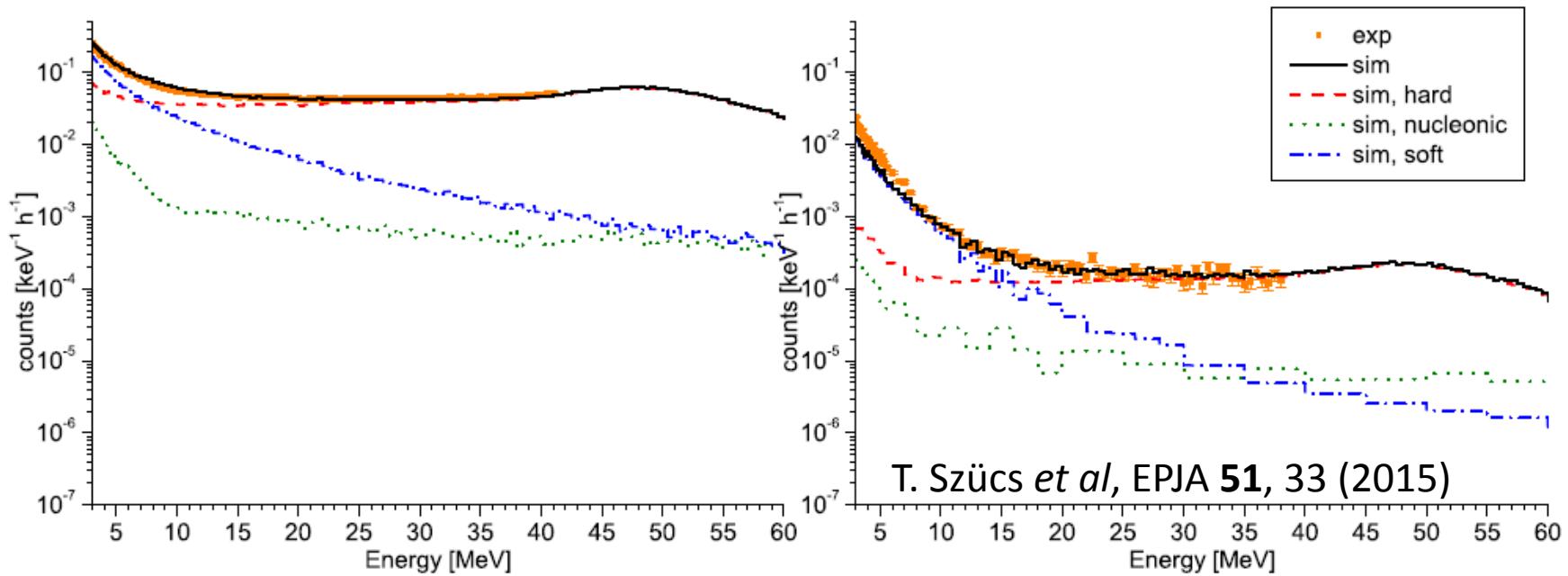


The issues are:

- Energy loss of passing muons in the detector  
→ **Active shield**
- Interaction of cosmic-ray nucleons in the detector  
→ **10m rock**
- $(\alpha, n)$  neutrons from natural radioactivity in the walls  
→ **Passive shield**
- Neutrons generated by muons  
→ **500m rock**



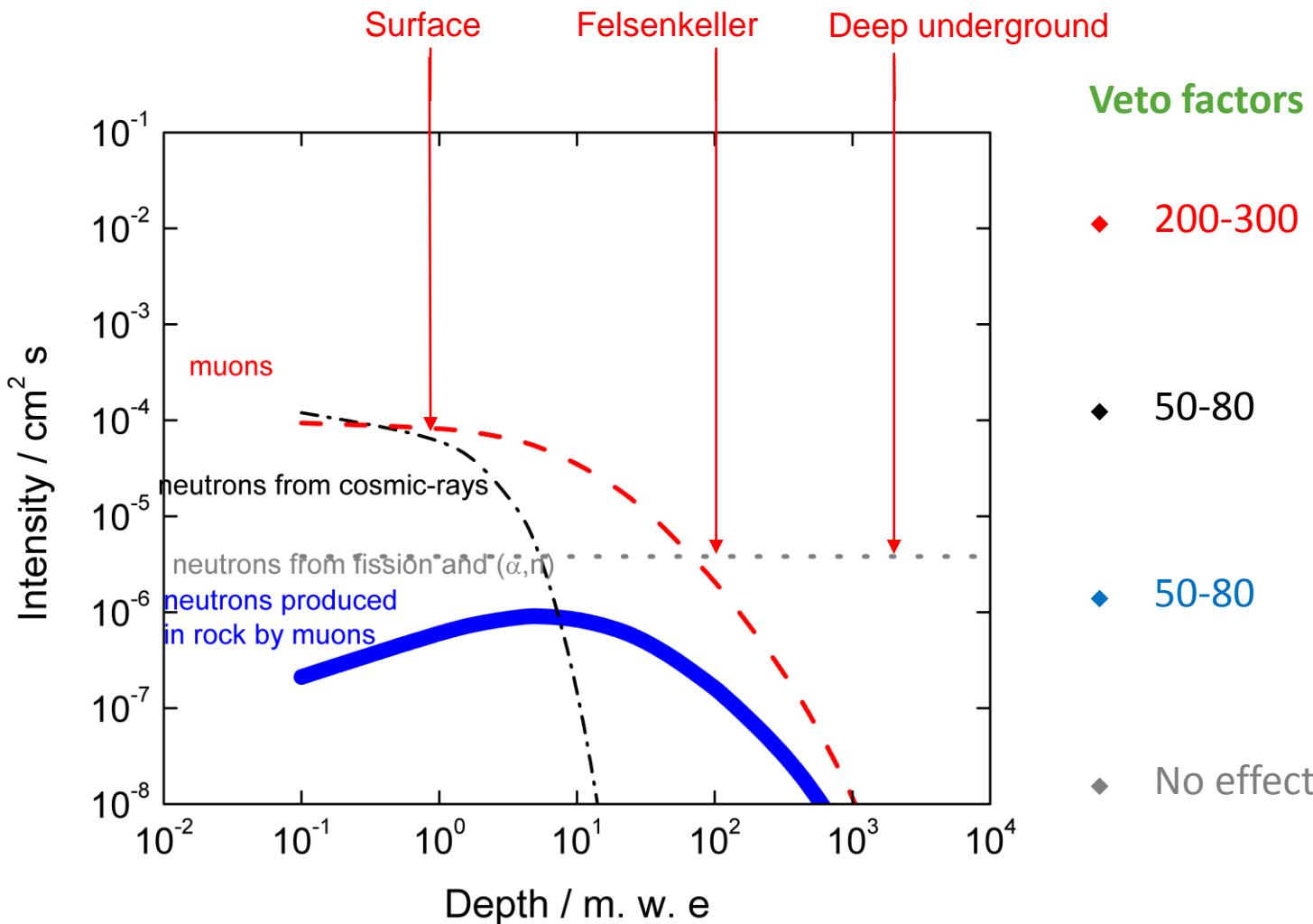
# GEANT4 simulation of the signal of the cosmic-ray components in HPGe detectors



- Overground the soft component dominates below 10 MeV
- This component becomes negligible if a 15 cm thick lead shield is applied



# What if active shielding is applied?

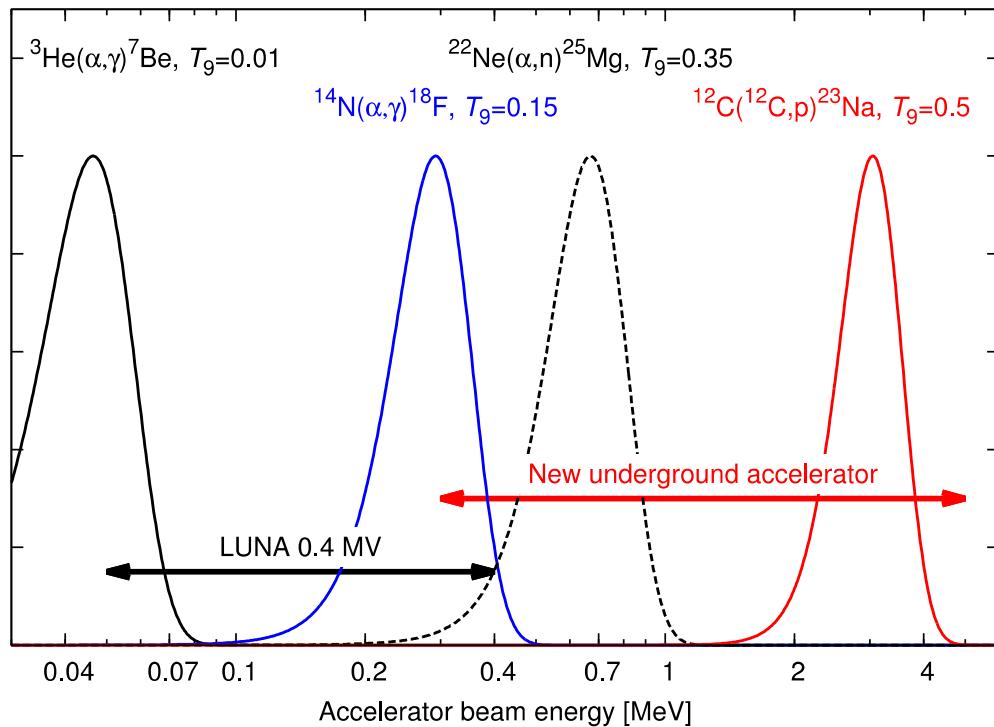


# Need for higher-energy underground accelerator

NuPECC Long Range Plan 2010-2020:

"An immediate, pressing issue is to select and construct the next generation of underground accelerator facilities. (...) There are a number of proposals being developed in Europe and it is vital that construction of one or more facilities starts as soon as possible."

Gamow peak for selected stable-ion reactions:



LUNA 0.4 MV

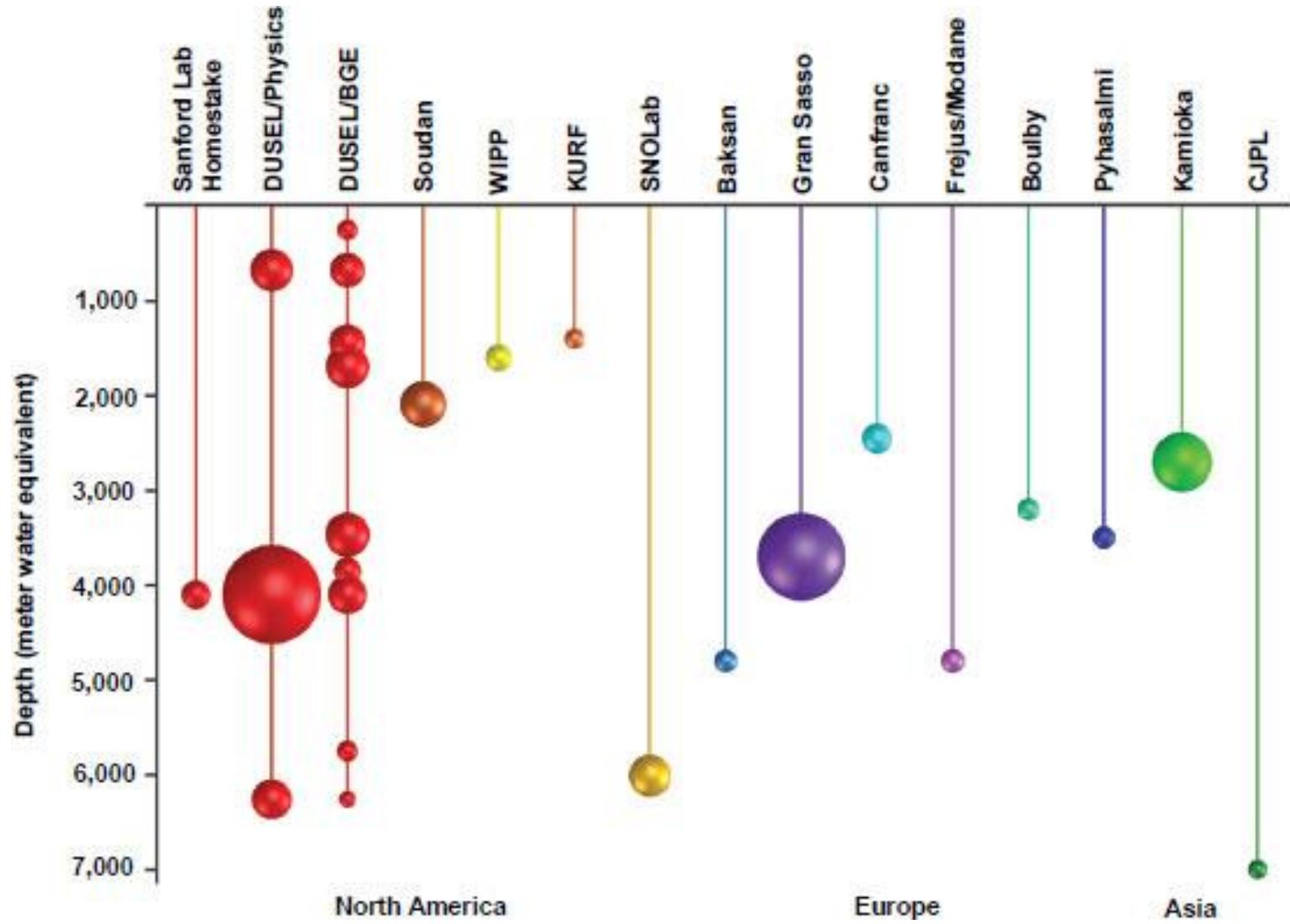
- Solar fusion
- Big-Bang nucleosynthesis
- Hydrogen burning

New underground accelerator

- Solar fusion
- Big-Bang nucleosynthesis
- Helium burning
- Carbon burning
- ${}^{44}\text{Ti}$  production and destruction



# Deep underground laboratories all around the world



# Background, in a typical HPGe detector in the Felsenkeller (45 m)

- Combination of active veto and 45m of rock shielding gives a factor of 500 background reduction
- Final value close to deep-underground background  
T. Szűcs *et al*, EPJA **48**, 8 (2012)

