

Nuclear Physics with Gamma Beams at ELI-NP

P. Constantin
ELI-NP/IFIN-HH, Bucharest



Outline

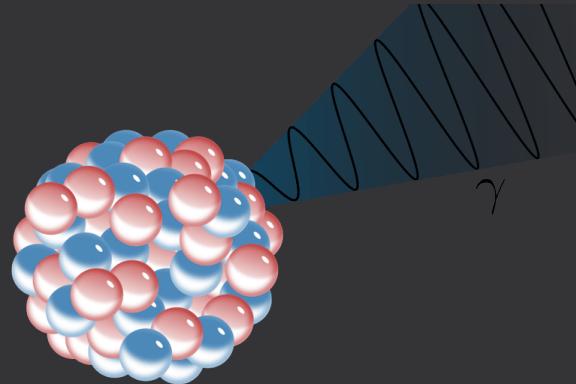
- Gamma Beam Systems: overview
- Inverse Compton Scattering Beams
- The ELI-NP Gamma Beam System
- Nuclear Physics at ELI-NP

Gamma Rays

Gamma rays: photons with $E > 100 \text{ keV}$ ($\lambda < 10\text{pm}$)

Naturally occurring in:

- nuclear gamma radiation: $E \approx 0.1 - 10 \text{ MeV}$

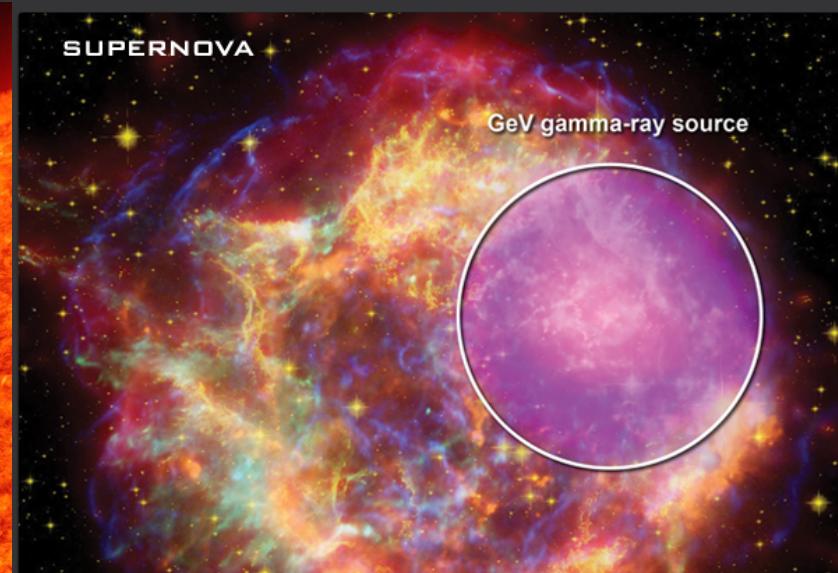
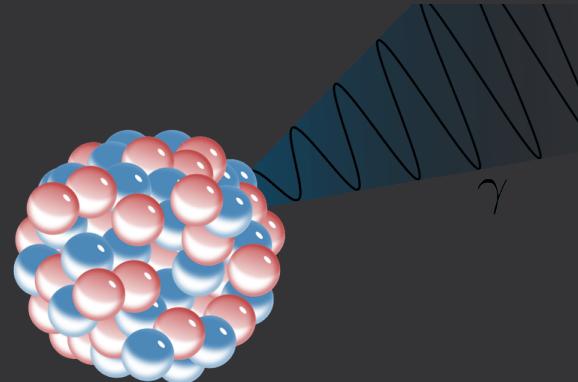


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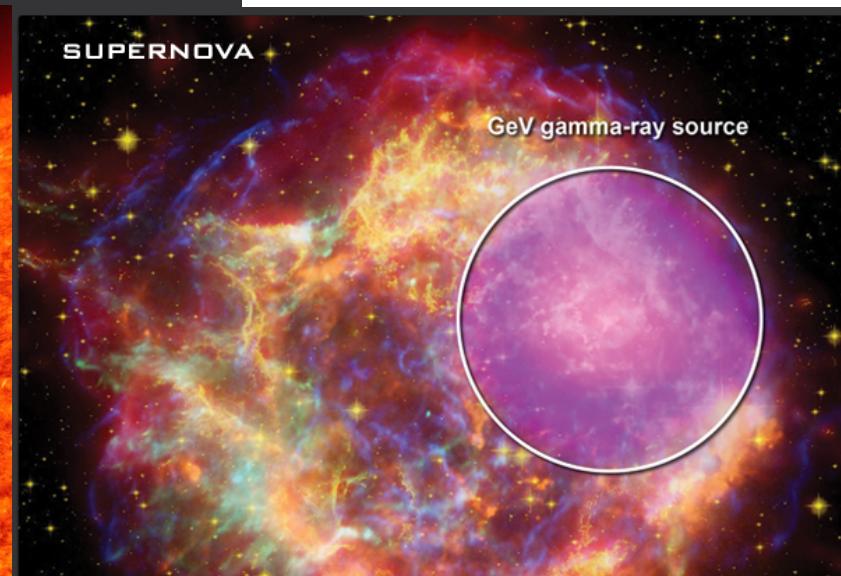
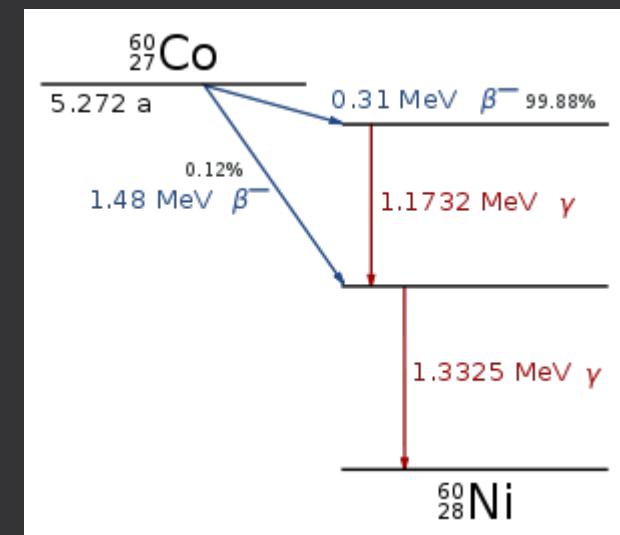
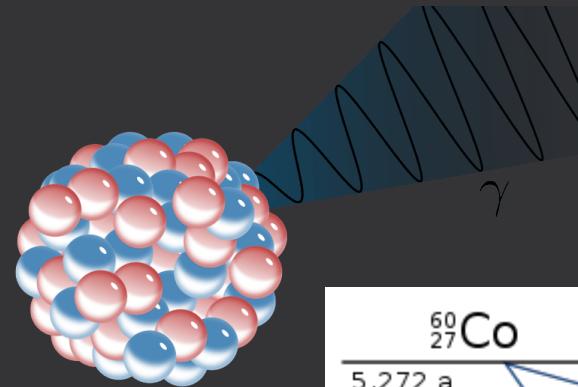
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Applications:

- medicine: nuclear imaging (^{99m}Tc in SPECT, ^{22}Na in PET), cancer treatment
- gamma-ray irradiators (^{60}Co): sterilization of food and medical products, photo-polymerization of chemical compounds
- gamma imaging sensors in many industries (^{60}Co , ^{137}Cs): mining, chemical, agriculture, etc.
- material science
- the only way to turn physicists into superheroes



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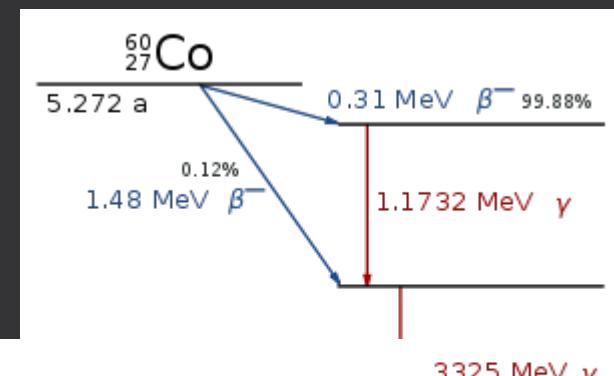
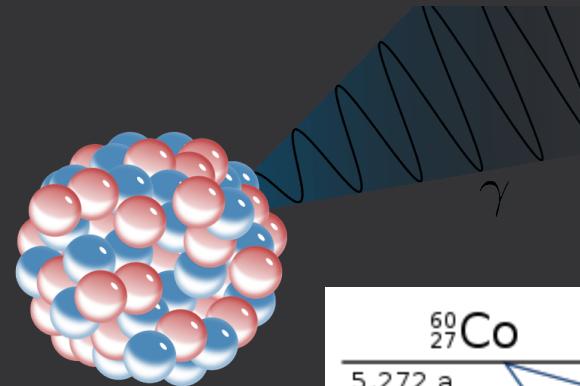
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*B. Banner et al.
Marvel Comics (1962)*



Gamma Beam Systems

Goals:

- small divergence $\Delta\theta$ (strong forward focusing)
- variable energy E (5–20 MeV) with low bandwidth (energy resolution) $BW = \Delta E/E$
- high brilliance B
- high polarization (linear/circular) desirable

$$B \equiv \frac{\text{photons}}{\text{s} \cdot \text{mrad}^2 \cdot \text{mm}^2 \cdot 0.1 \% BW}$$

Number of emitted gammas per second, unit of solid angle and transversal size within 0.1% of energy

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Candidate sources:

- 1) radioactive sources: γ emitters (^{60}Co) or β^+ emitters (^{22}Na)
- 2) nuclear reactions: (n, γ) , (p, γ) , etc.
- 3) electron bremsstrahlung
- 4) photon tagging electron bremsstrahlung
- 5) positron annihilation in-flight
- 6) Coulomb excitation
- 7) inverse Compton scattering

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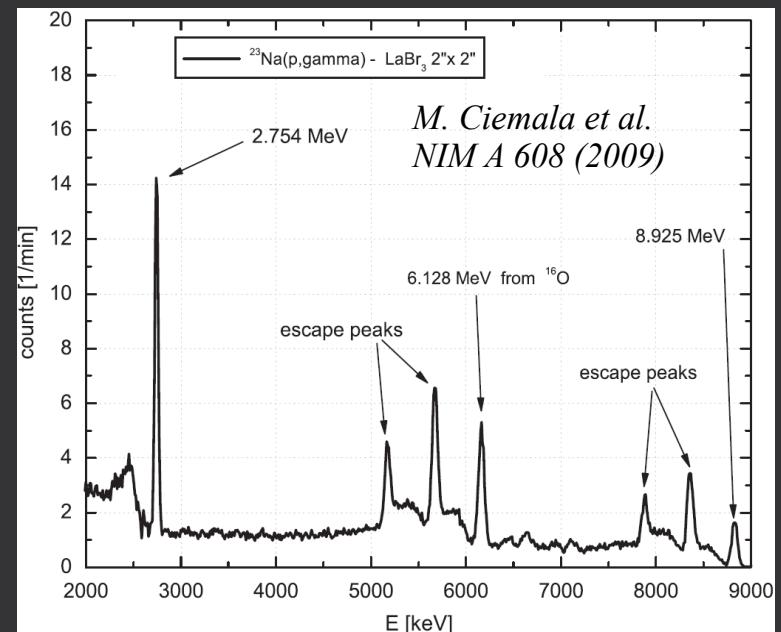
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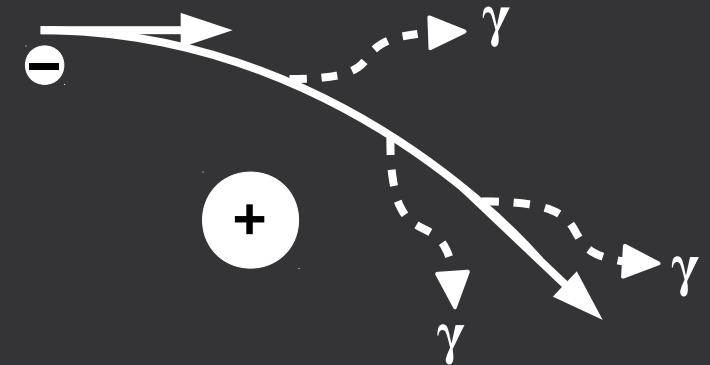
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Spectrum of $^{23}\text{Na}(p,\gamma)^{24}\text{Mg}$
at $E_r = 1.318\text{MeV}$ ($Q = 11.69\text{MeV}$)

Gamma Beam Systems: Electron Bremsstrahlung (I)

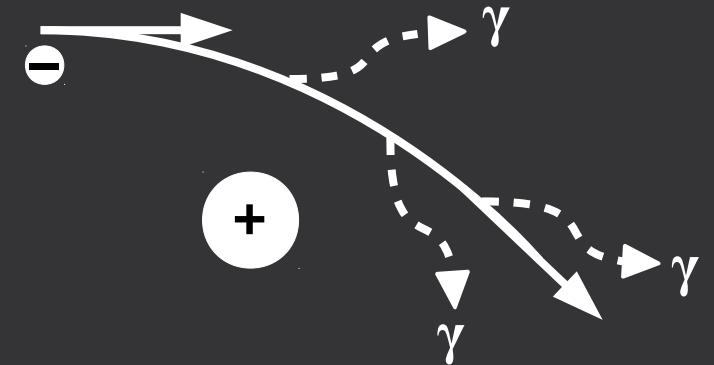
Bremsstrahlung (“braking radiation”) = electromagnetic radiation of a charged particle decelerated by another charged particle.



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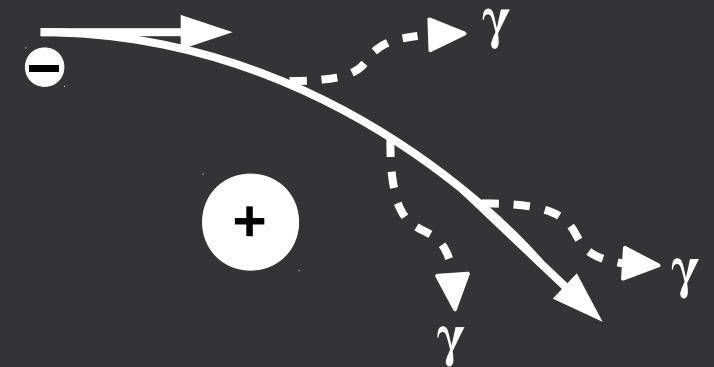
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Classical electrodynamics radiated energy: $S(E) \sim a^2$
Charge in Coulomb field: $F_C \sim -qZ/r^2 = ma \rightarrow S \sim Z^2/m^2$
Strongest radiation: **electron beams in high-Z matter**



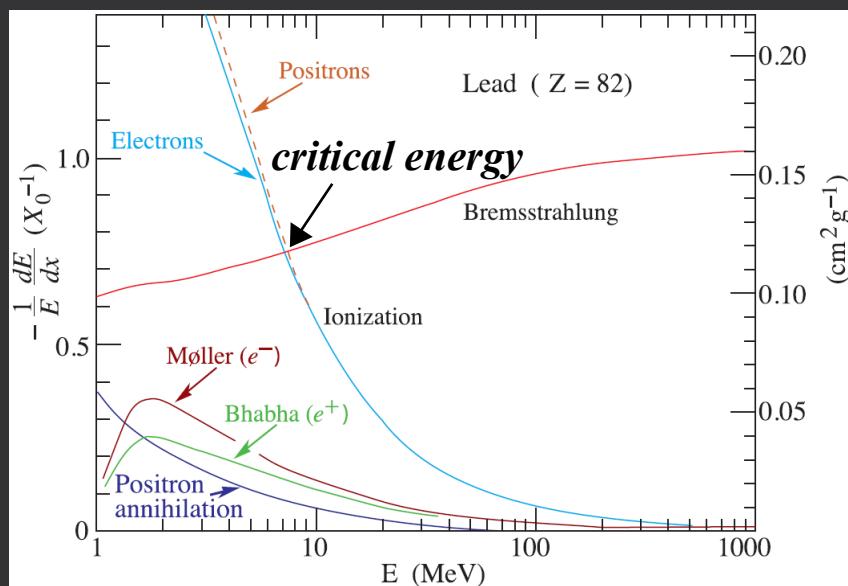
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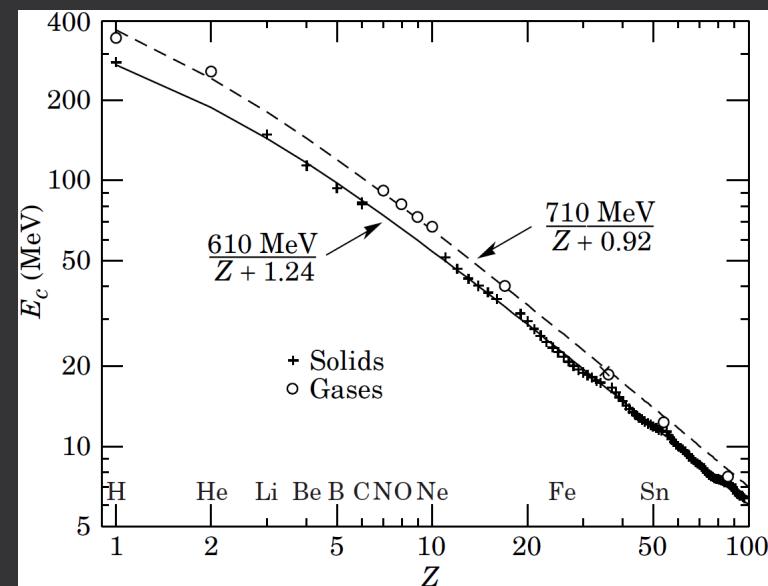


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$E > E_c \approx 700 \text{ MeV}/Z$ electrons lose energy mainly by bremsstrahlung



e^-/e^+ fractional energy loss per radiation length



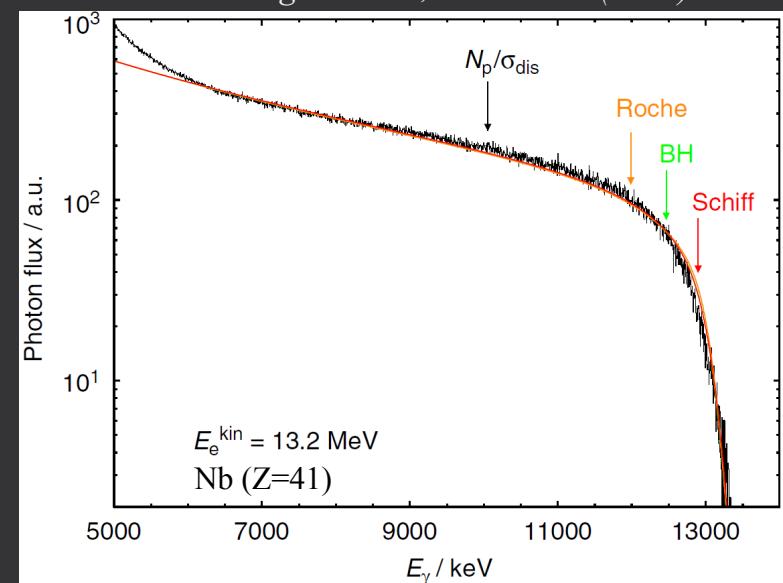
Gamma Beam Systems: Electron Bremsstrahlung (II)

Bethe-Heitler cross-section:

- high electron energy E_{kin} approximation:

$$\frac{d\sigma}{dy} \approx \frac{A}{X_0 N_A E_{kin}} \left(\frac{4}{3y} - \frac{4}{3} + y \right) \quad y \equiv \frac{E_\gamma}{E_{kin}} = \frac{\hbar\omega}{E_{kin}}$$

R. Schwengner et al., NIM A 555 (2005)



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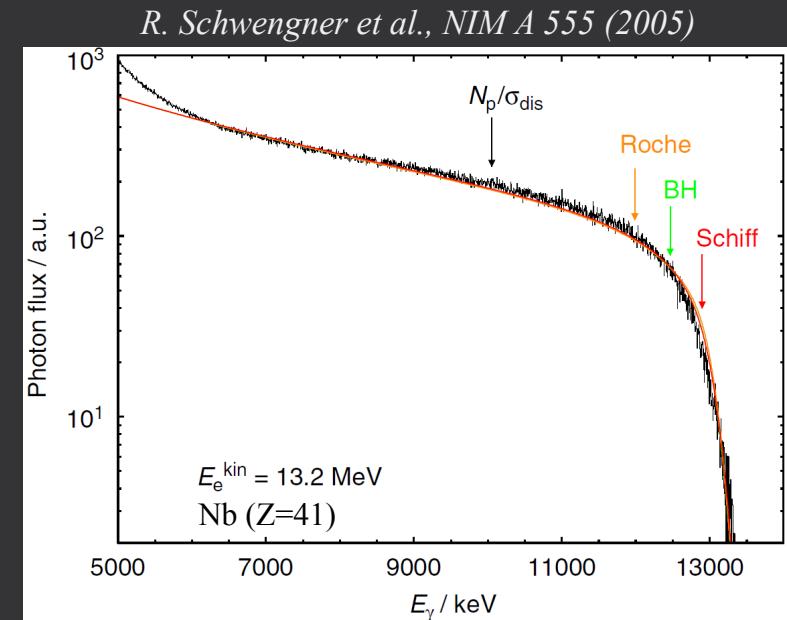
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→ large background from low energy gammas $\sim 1/E_\gamma$



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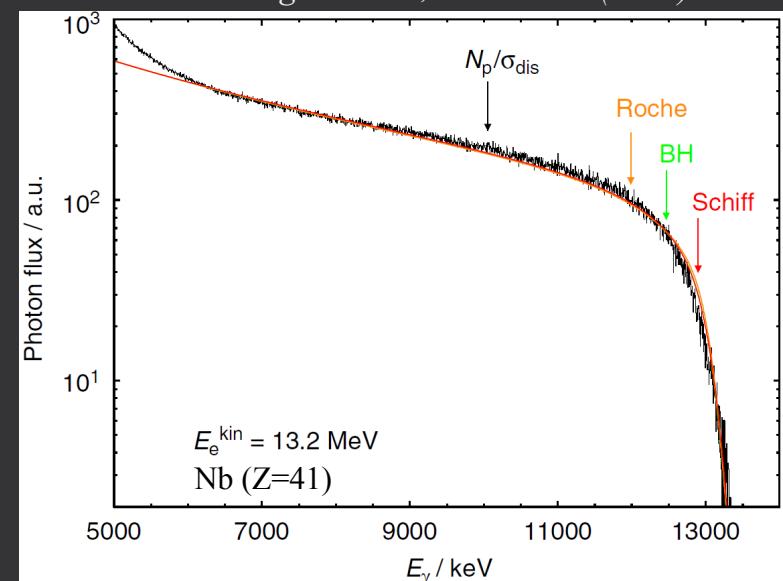
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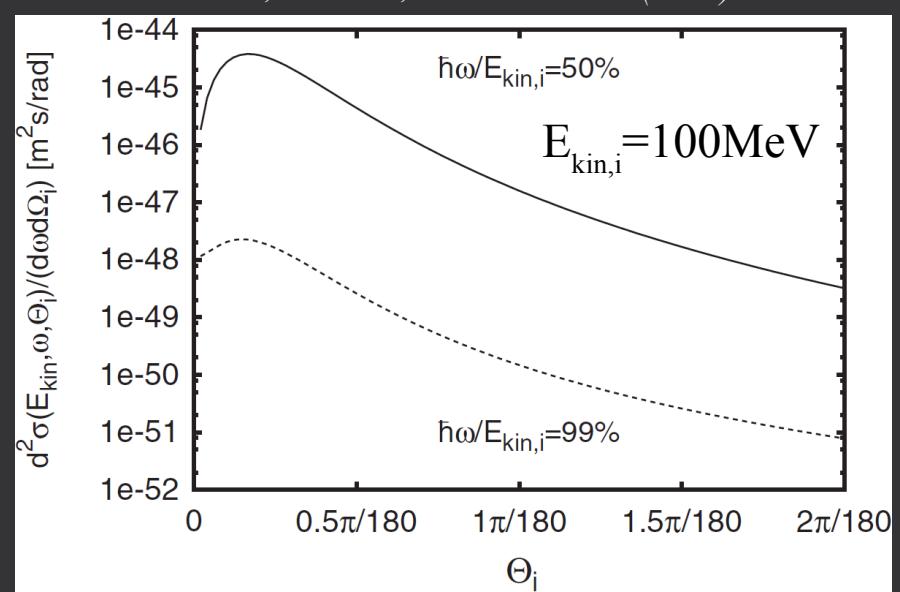
→ weak forward focusing

→ no (E_γ, θ) correlation: no improvement by collimation

R. Schwengner et al., NIM A 555 (2005)



C. Köhn, U. Ebert, Atmos.Res. 135 (2014)



Gamma Beam Systems: Electron Bremsstrahlung (II)

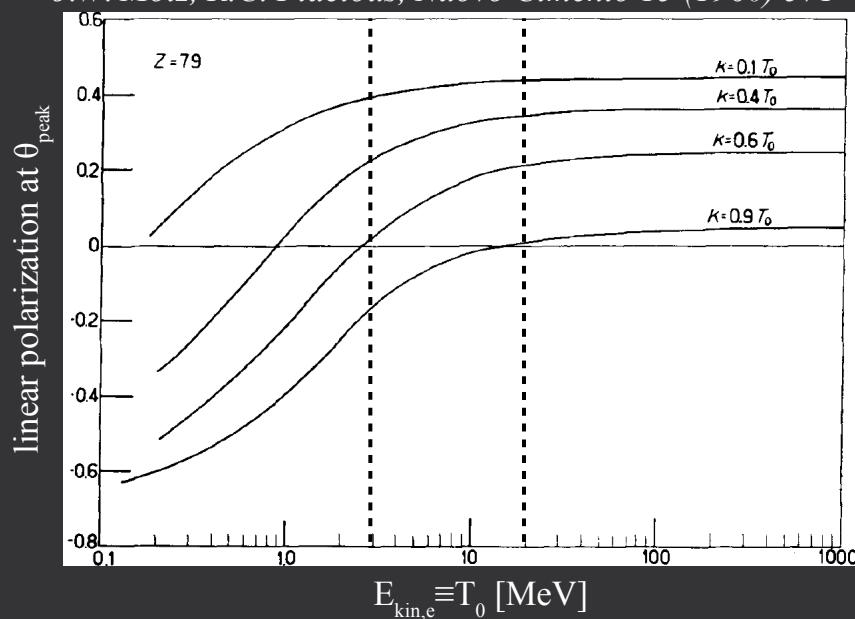
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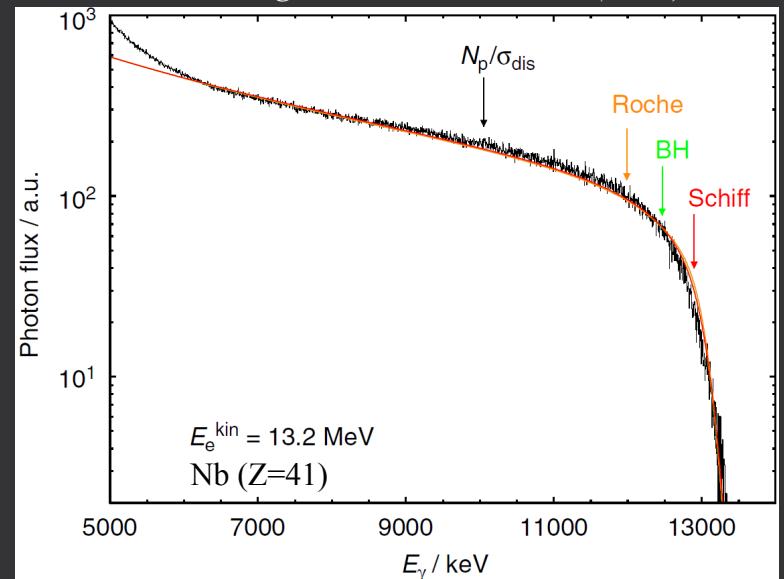
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- far from high resolution (monochromatic) spectrum
 - large background from low energy gammas $\sim 1/E_\gamma$
 - weak forward focusing
 - no (E_γ, θ) correlation: no improvement by collimation
 - small degree of linear polarization
- relativistic electrons: peak γ linear pol. at $\theta_{peak} \approx m_e c^2 / E_e$

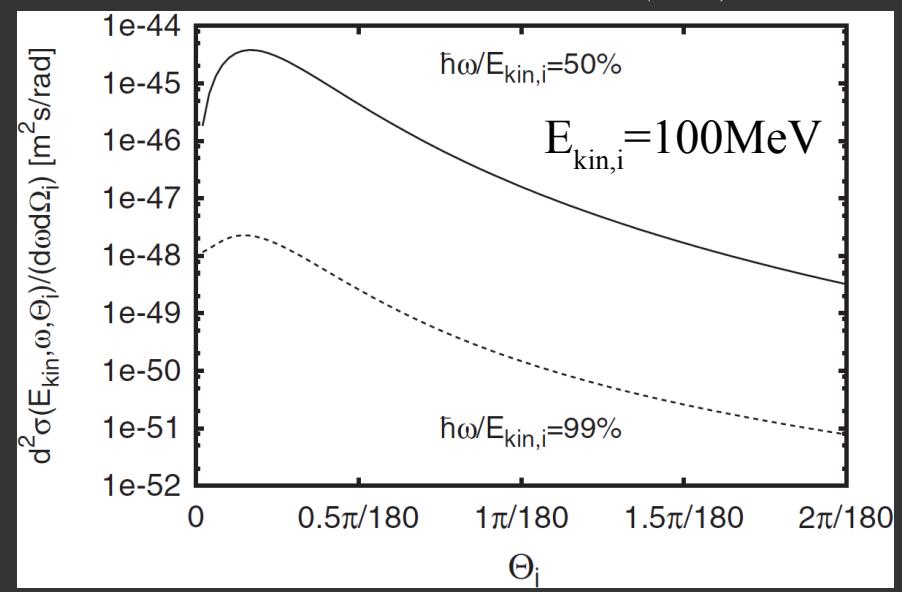
J.W. Motz, R.C. Placious, Nuovo Cimento 15 (1960) 571



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Gamma Beam Systems: Electron Bremsstrahlung (III)

Spectra measured with bremsstrahlung gamma systems need to be deconvoluted:

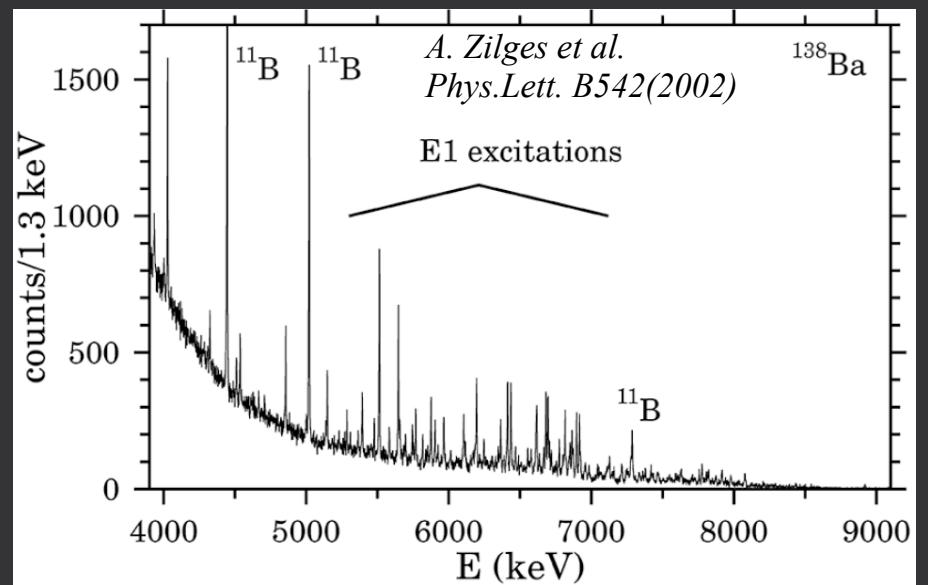
$$Y(E_m) = \int_{E_{th}}^{E_m} W(E_m, E) \sigma(E) dE$$

E_m = end-point energy

$Y(E_m)$ = measured yield

$W(E_m, E)$ = bremsstrahlung spectrum

$\sigma(E)$ = reaction cross-section



$^{138}\text{Ba}(\gamma, \gamma')$ spectrum: E1 transitions from $J^\pi=1^-$ to g.s.

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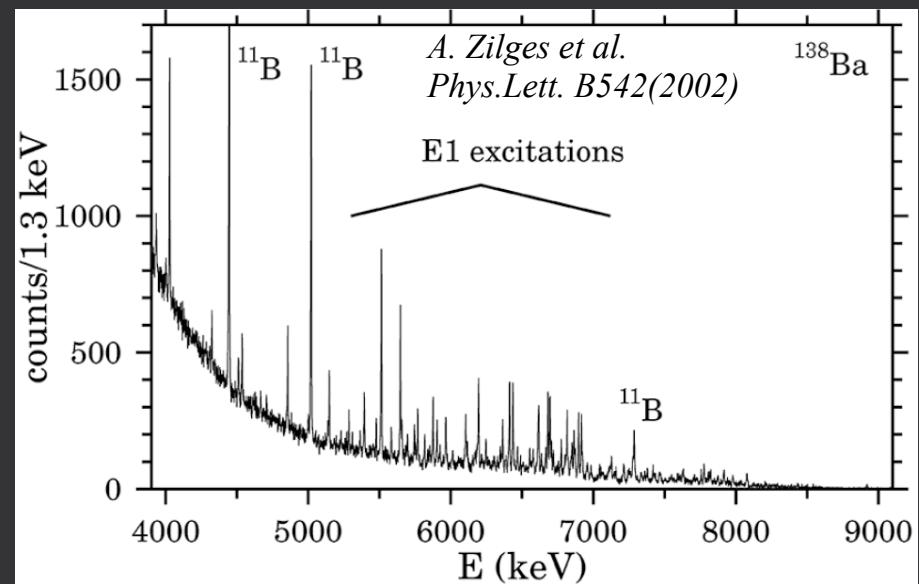
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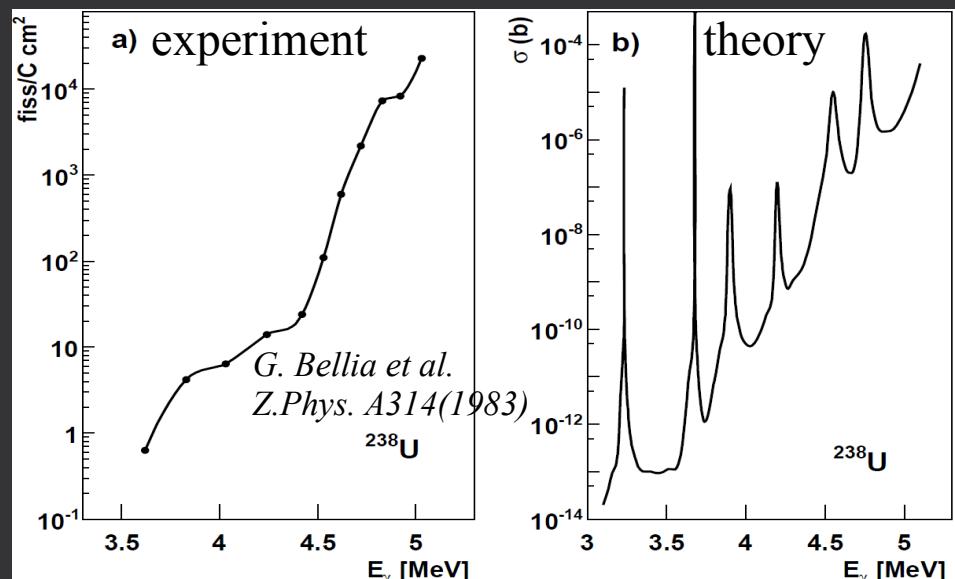
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→ energy resolutions $\sim 200\text{keV}$



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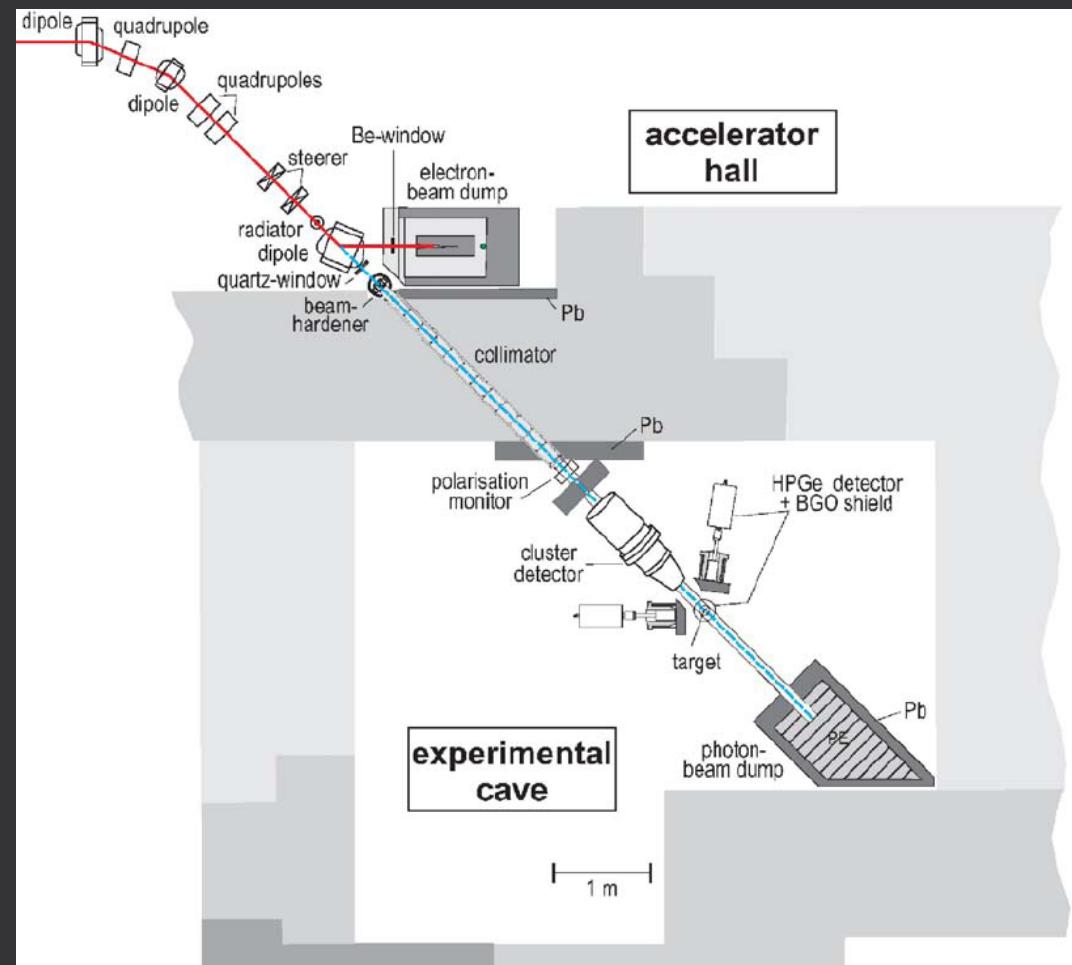


^{238}U photofission: experiment vs. theory

Gamma Beam Systems: Electron Bremsstrahlung (IV)

ELBE (Electron Linear accelerator of high Brilliance and low Emittance), Germany

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Electron beam:

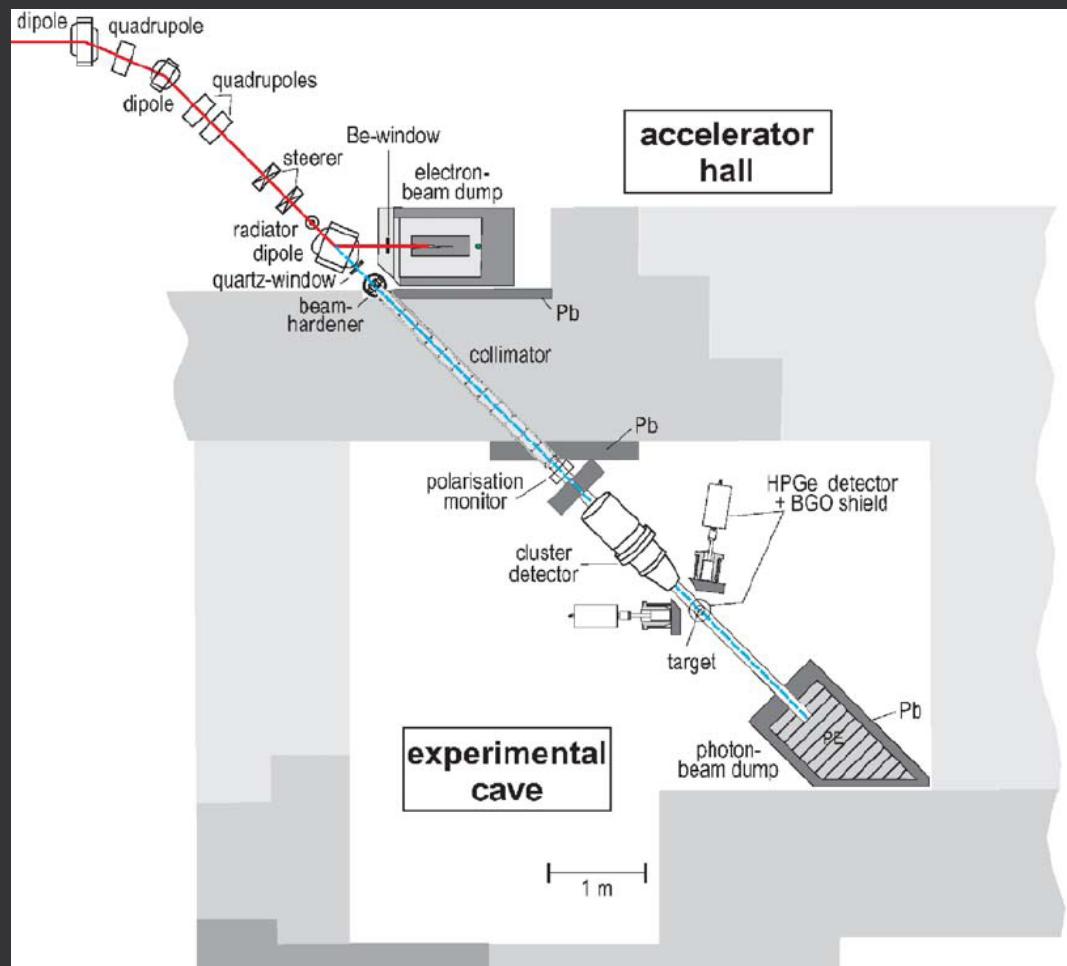
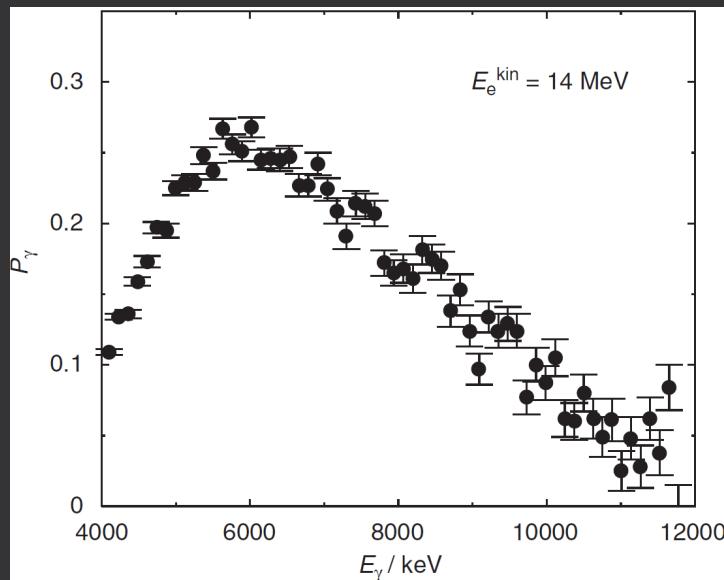
$E_{\text{max}} = 20 \text{ MeV}$, $I_{\text{max}} = 1 \text{ mA}$

Gamma beam:

Intensity $\sim 10^{10} \text{ g/s/keV/cm}^2$

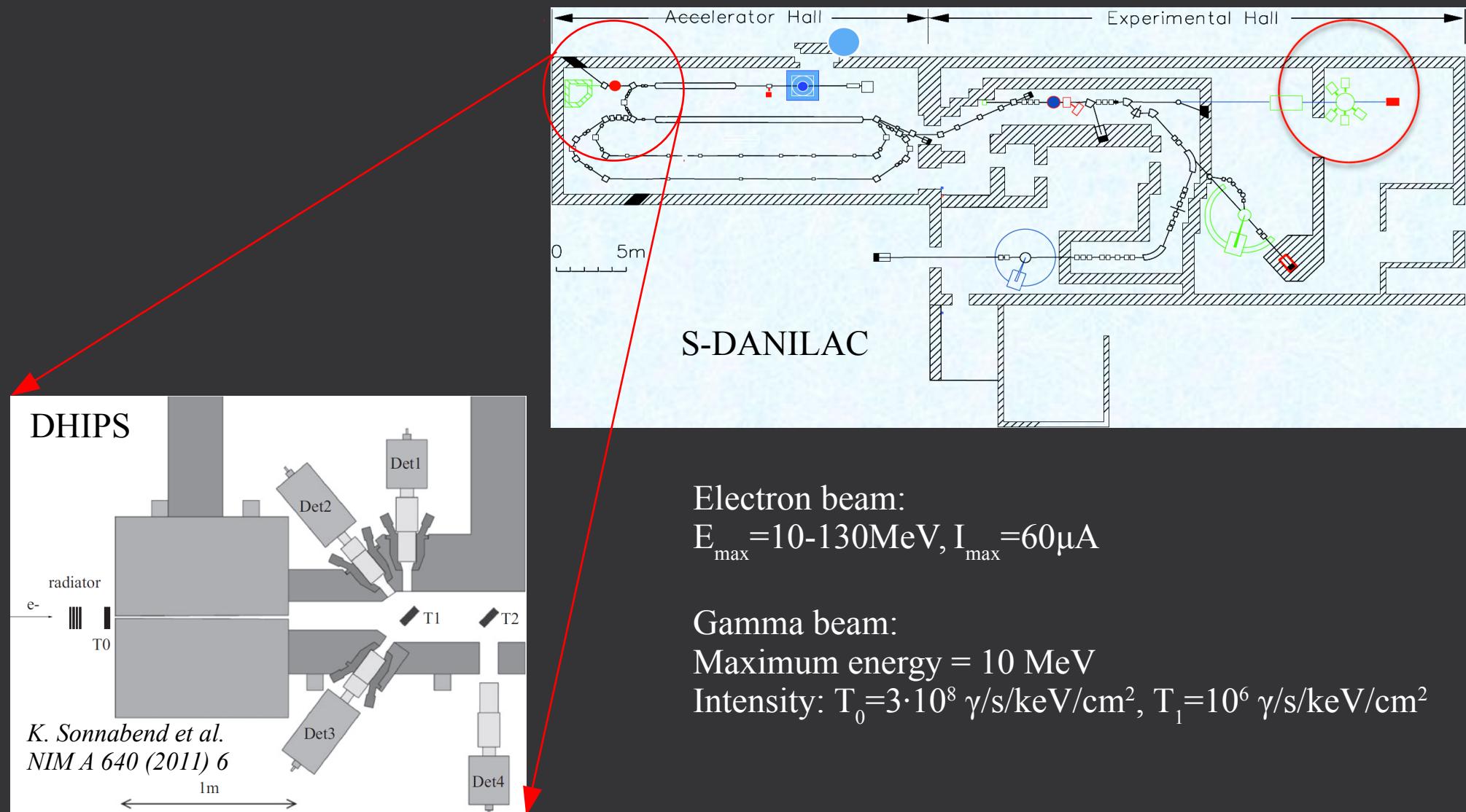
Divergence $\sim 5 \text{ mrad}$ after colimator

Linear polarization $\sim 5\text{-}25\%$



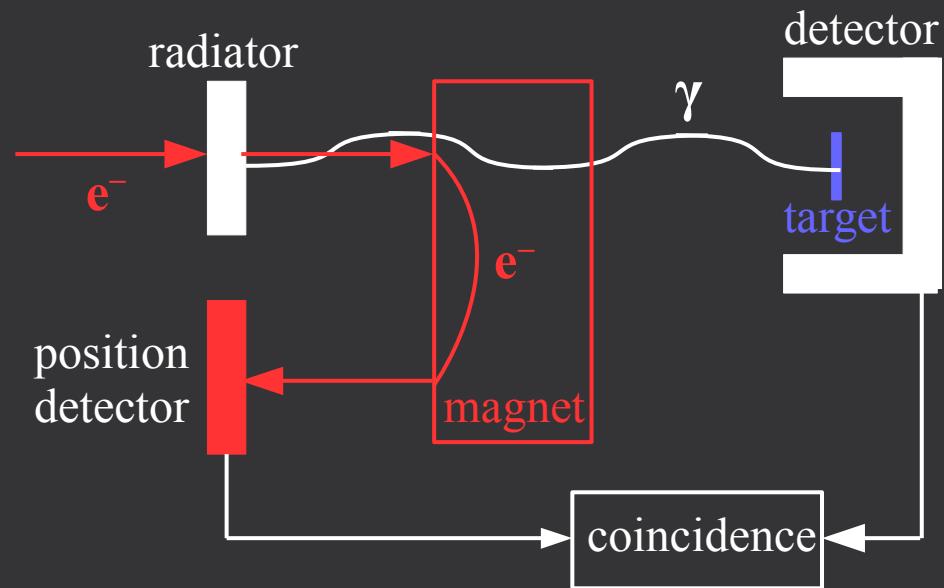
Gamma Beam Systems: Electron Bremsstrahlung (V)

DHIPS (Darmstadt High Intensity Photon Setup) @ **S-DANILAC**
(Superconducting Darmstadt electron LINear ACcelerator)



Gamma Beam Systems: Photon Tagging

- 1) bremsstrahlung with thin radiator/convertor
→ at most $1\gamma/e^-$
- 2) measure energy of scattered e^- with
→ zero degree spectrometer
- 3) $\gamma - e^-$ coincidence: $E_\gamma = E_0 - E_e$
(E_γ measured event-by-event)

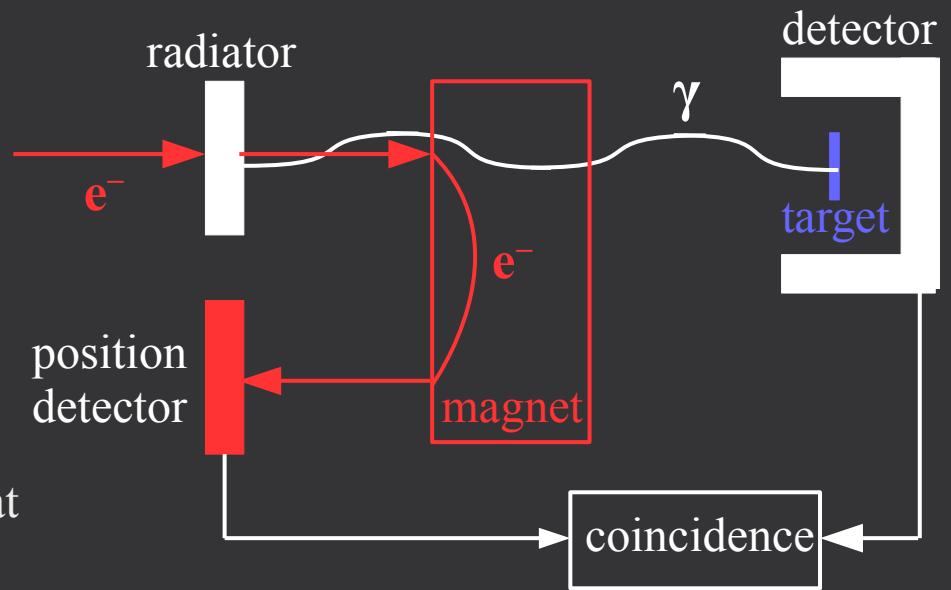


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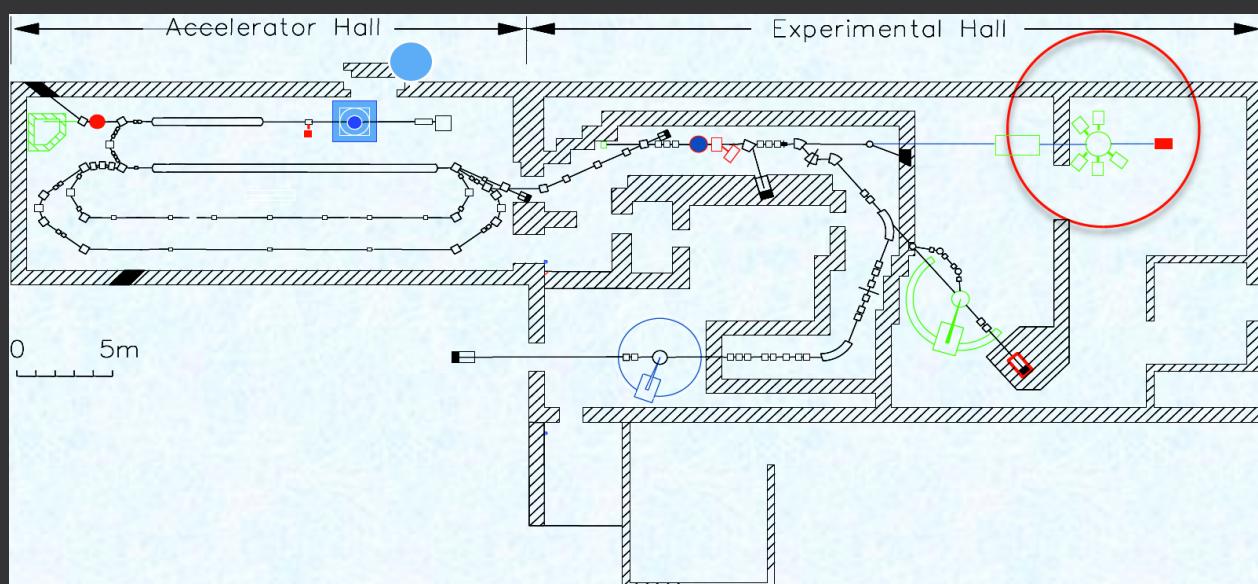
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NEPTUN @ S-DANILAC:

- $E_\gamma = 6-20\text{MeV}$
- high energy resolution: $\Delta E_\gamma = 35\text{keV}$ ($\Delta E_e = 25\text{keV}$) at $E_\gamma = 10\text{MeV}$
- low gamma intensity: $5 \cdot 10^4 \gamma/\text{s/keV}$ (low primary beam intensity, large coincidence time window $\sim 2\mu\text{s}$)
- final γ spectrum has the same bremsstrahlung shape



NEPTUN @ S-DANILAC

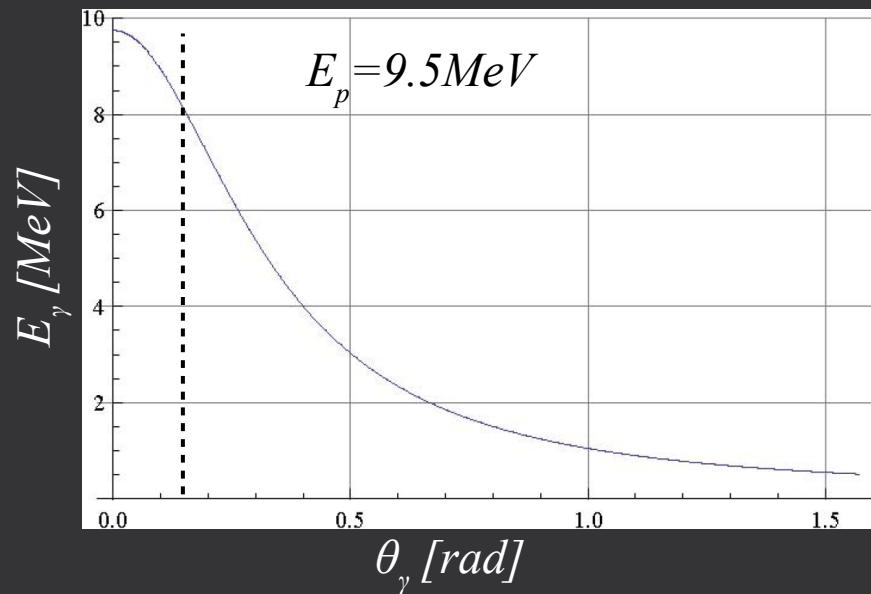


Gamma Beam Systems: Positron In-flight Annihilation (I)

Gamma produced by **annihilation** of a relativistic positron ($\gamma = E_p/m \gg 1$) on an electron at rest ($E_e = m$):

$$E_\gamma(\theta_\gamma) = \frac{m}{1 - \frac{p_p}{E_p + m} \cos(\theta_\gamma)}$$

$E_p = 9.5\text{MeV}$: $\theta_\gamma < 0.15\text{rad} \rightarrow E_\gamma = 8\text{-}10\text{MeV}$



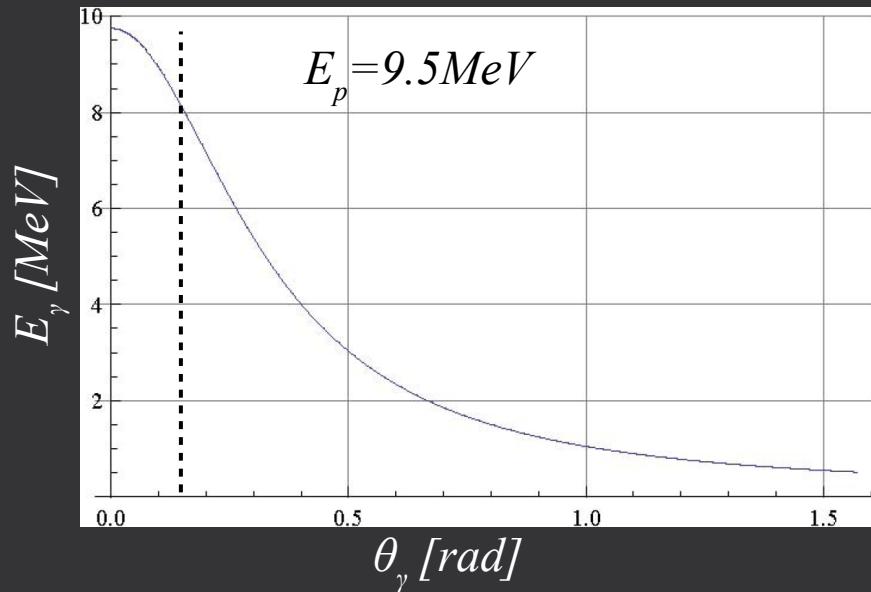
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- focused forward in cone $\Delta\theta \approx 1/\gamma$: small divergence
- energy range $\Delta E \approx E_{\gamma, \text{max}}/2\gamma$: good resolution

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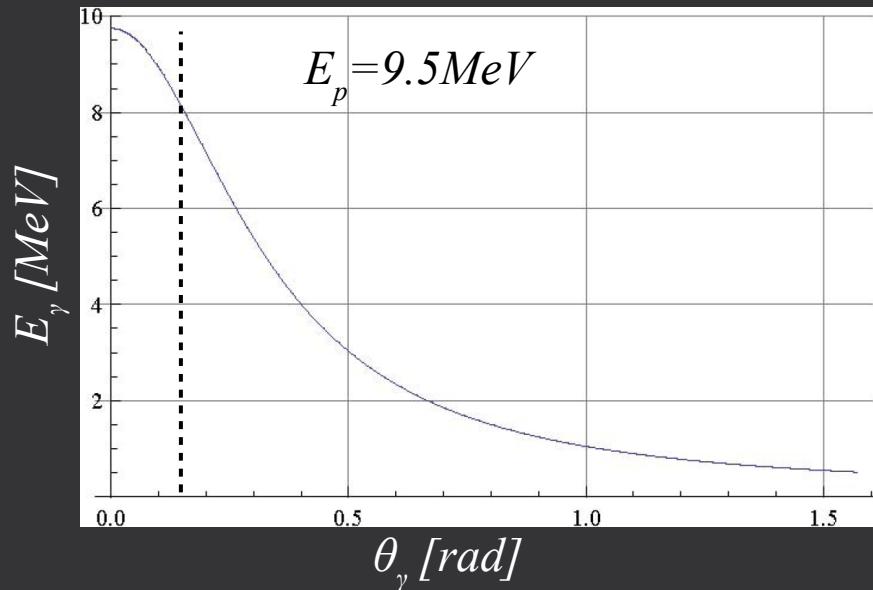
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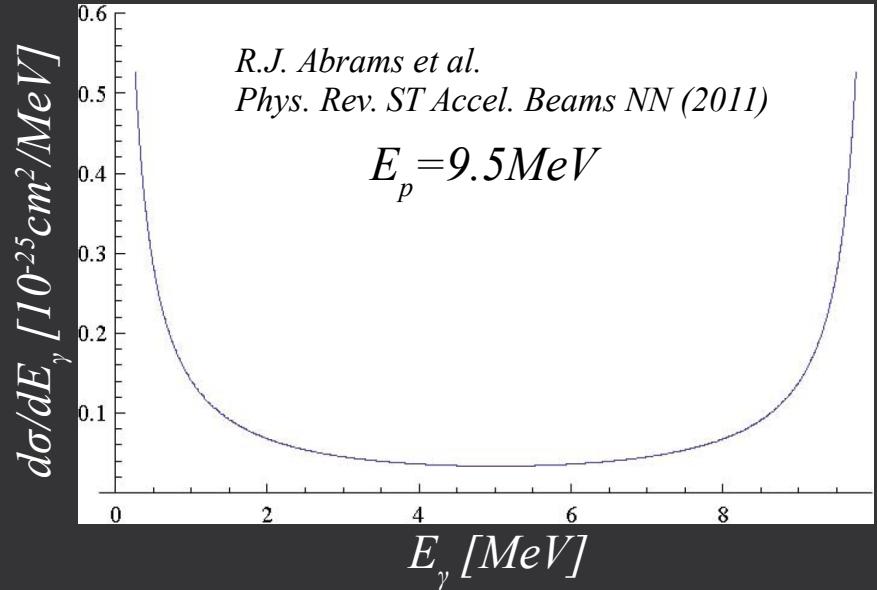
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$$\sigma_\gamma \approx 4\pi r_e^2 \frac{\log(1+2\gamma)}{1+2\gamma} \quad \text{where } r_e = 2.818 \cdot 10^{-13} \text{ cm is the classical electron radius}$$

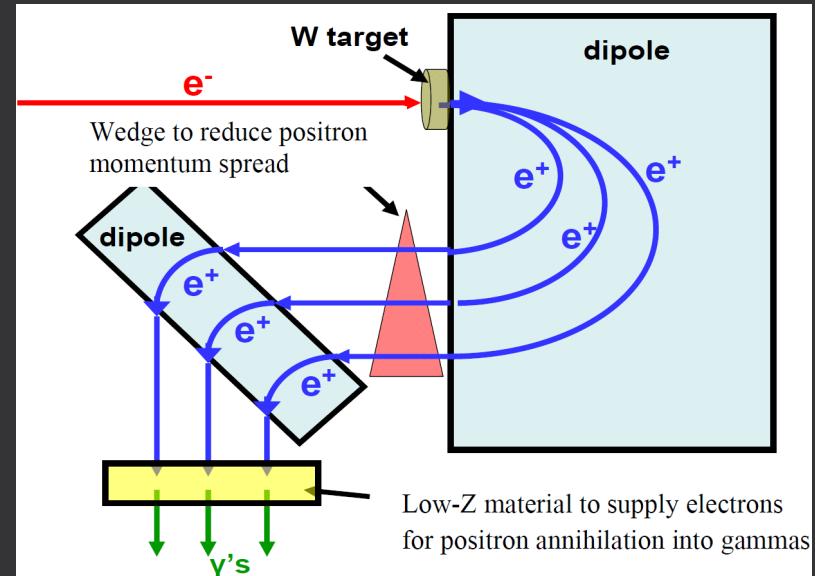
$\sigma_\gamma \approx 83 \text{ mb}$ at $E_p = 9.5 \text{ MeV}$



Gamma Beam Systems: Positron In-flight Annihilation (II)

Another improvement of the bremsstrahlung method:

- 1) convert primary e^- beam to e^+ beam:
separate e^+ from bremsstrahlung $\gamma \rightarrow e^+e^-$ (target+magnet)
- 2) prepare secondary e^+ beam:
reduce energy and angular spread (degrader+magnets)
- 3) annihilate e^+ beam to final γ beam: radiator

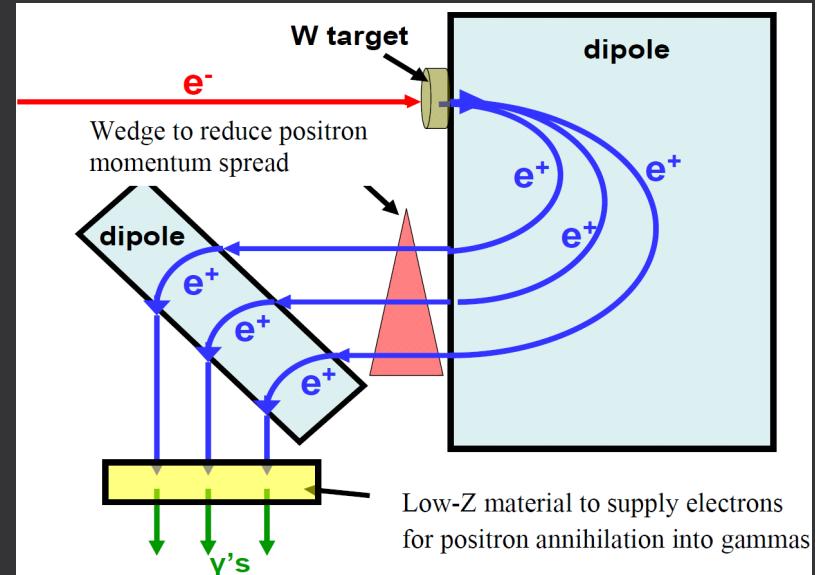


R.J. Abrams et al., Phys. Rev. ST Accel. Beams NN (2011)

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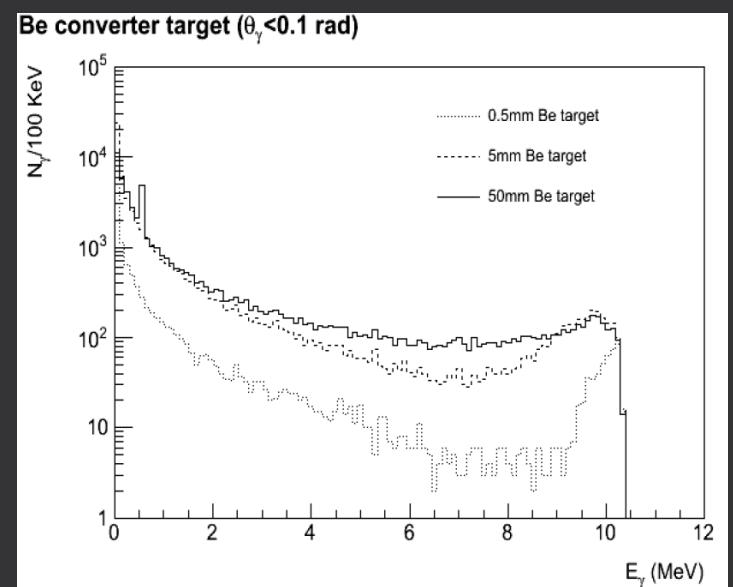
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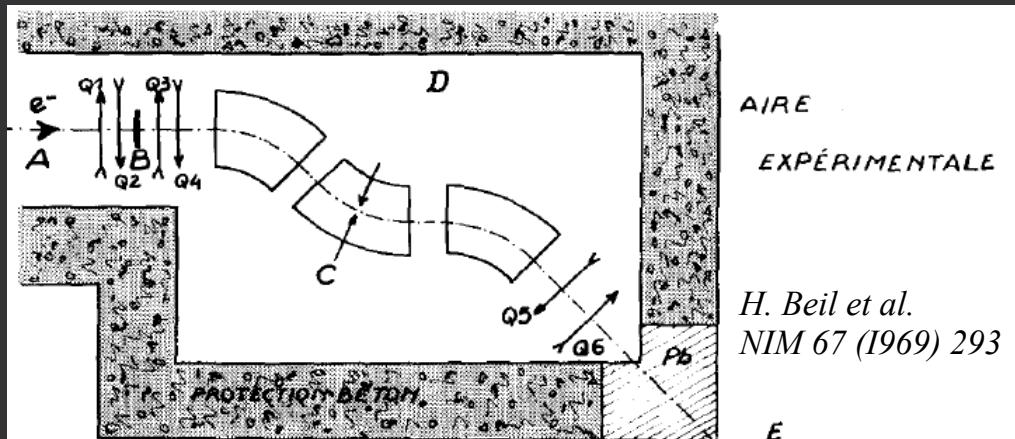
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- background gammas from bremsstrahlung still present
→ deconvolution, lower resolution, shielding
- signal gammas from annihilation form a high-energy peak
→ target specific processes
- high intensities are possible:
 $10^{15} e^-/s$ primary beam at 75 MeV → $\sim 10^{10} \gamma/s$ in 8-10 MeV

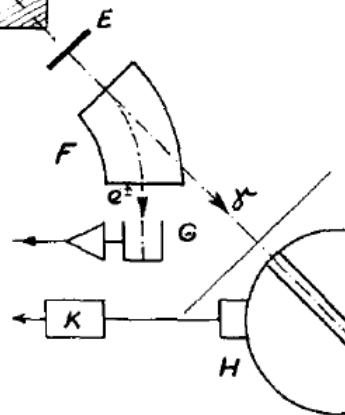


Gamma Beam Systems: Positron In-flight Annihilation (III)

Saclay, France



- A: primary e^- beam
- B: high-Z target (Pb)
- C: collimator
- D: monochromating magnet syst.
- E: low-Z radiator (Li)
- F: deflection magnet
- G: Faraday cup
- H: neutron detector



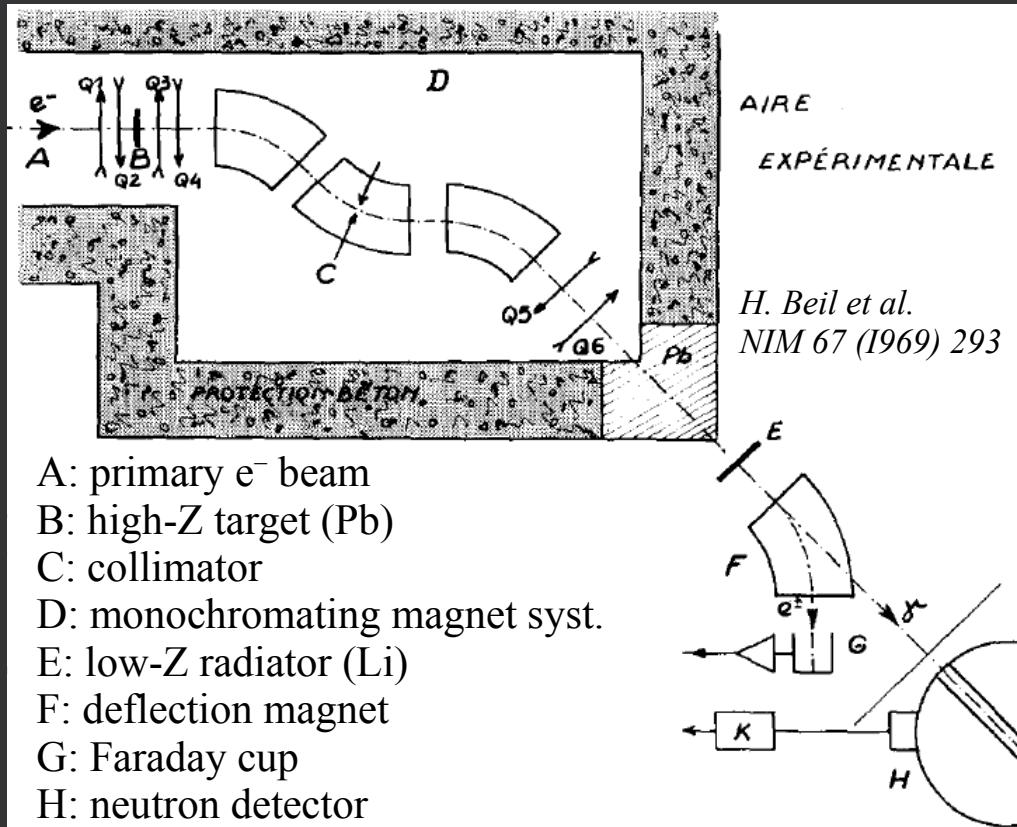
Primary electron beam: $E = 45\text{MeV}$

Final gamma beam: $E = 5\text{-}40\text{MeV}$

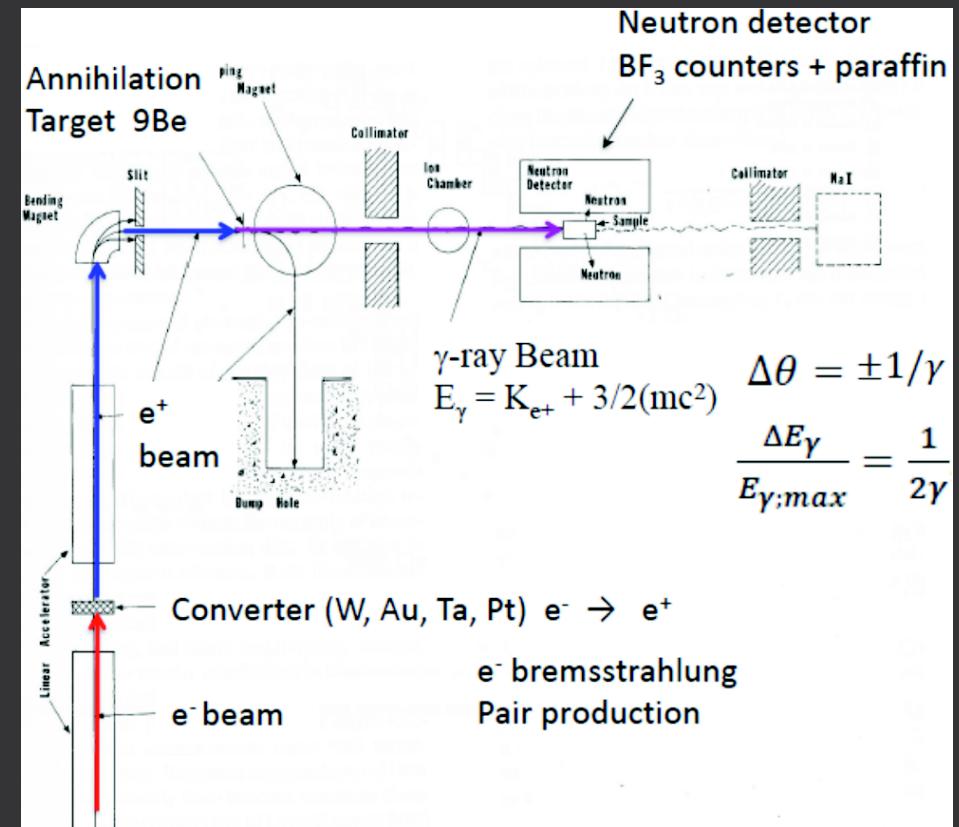
$$\Delta E_\gamma = 140\text{keV} \text{ at } E_\gamma = 10\text{MeV}$$

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Saclay, France



Lawrence Livermore Natl. Lab., USA



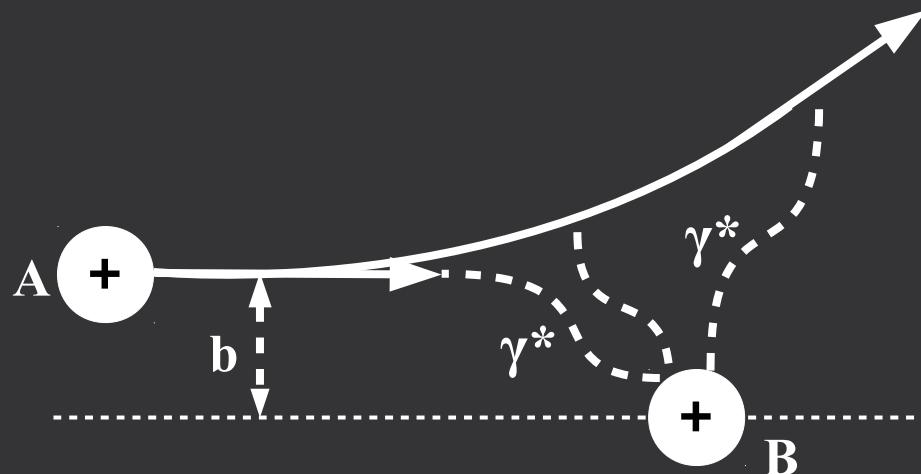
Primary electron beam: $E = 45\text{MeV}$

Final gamma beam: $E = 5\text{-}40\text{MeV}$

$$\Delta E_\gamma = 140\text{keV} \text{ at } E_\gamma = 10\text{MeV}$$

Gamma Beam Systems: Coulomb Excitation (I)

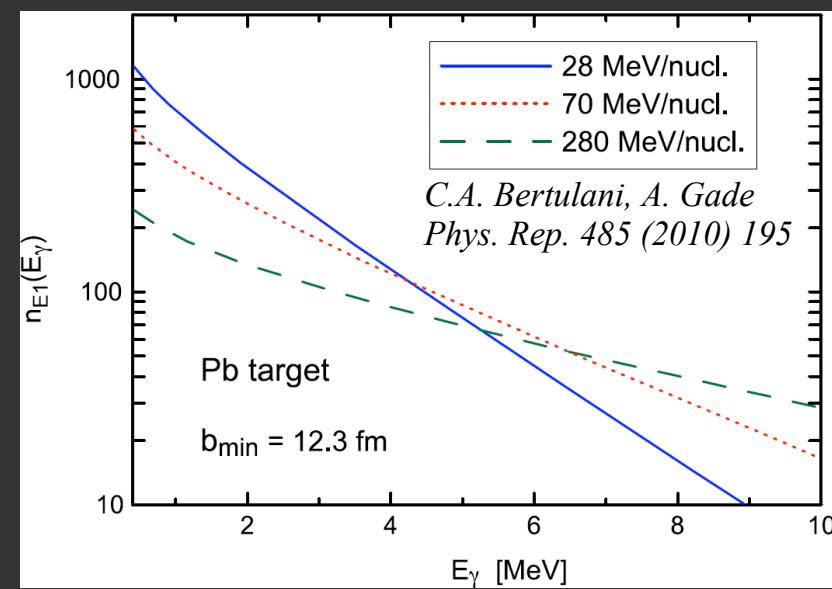
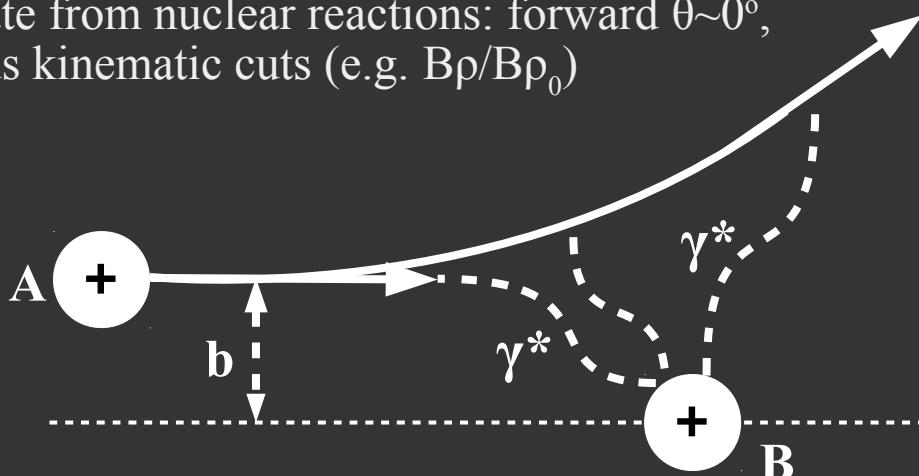
$E_{\text{beam}} < B_C$: standard method to study low-lying collective modes.
Peripheral ($b > R_A + R_B$) ion collisions via virtual photon exchange.



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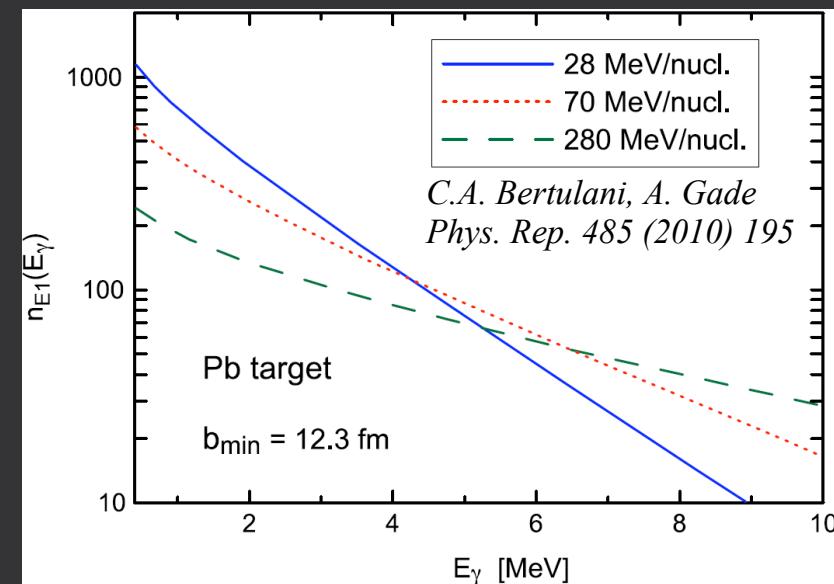
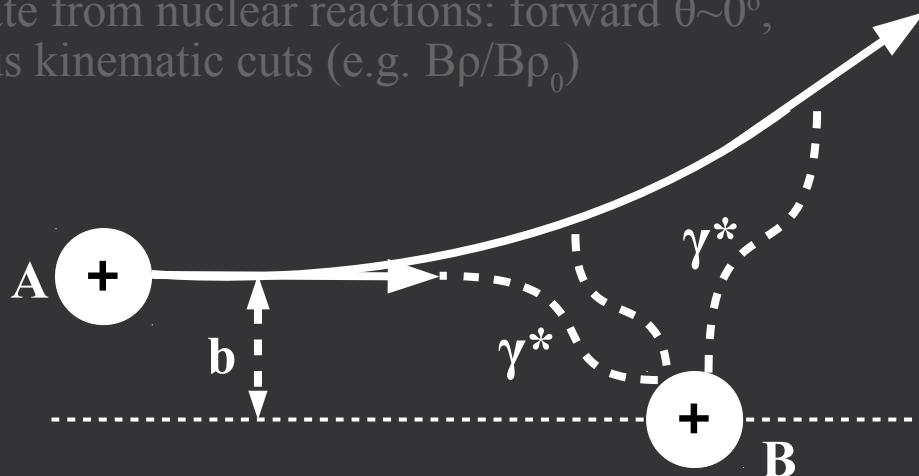
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- inelastic ($p,p'\gamma$) or ($\alpha,\alpha'\gamma$)
 - ✓ E1 component is singled out as Coulomb excitation dominant at $\theta \sim 0^\circ$
 - ✓ other components (M1) are difficult to separate from nuclear reactions
- inverse kinematics heavy ions
 - ✓ used for photo-fission studies (small sensitivity on $\langle E_\gamma^* \rangle$)
 - ✓ probability of electromagnetic reaction increases with Z_A , Z_B and E_{beam}
 - ✓ kinematic boost of reaction products: higher energy resolution for both KE and (A,Z)
- radioactive isotope beams
 - ✓ replace primary stable beam with secondary radioactive isotope beam

Gamma Beam Systems: Coulomb Excitation (II)

SOFIA @ GSI:

– ^{238}U beam at 750MeV/n on U and Pb targets → $E_{\gamma^*} < 25\text{MeV}$, $\sigma_{\text{EM}} \approx 2\text{b}$ ($\sigma_{\text{reac}} \approx 13.4\text{b}$)

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ΔE - $B\beta$ -TOF measurement:

Active target (ionization chamber): $\Delta E \sim Z^2$

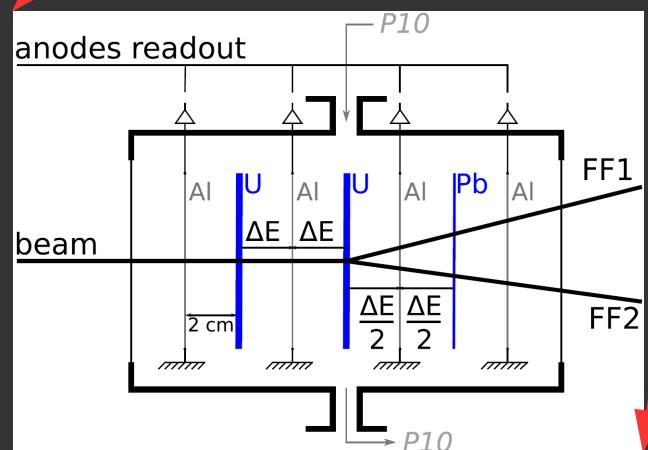
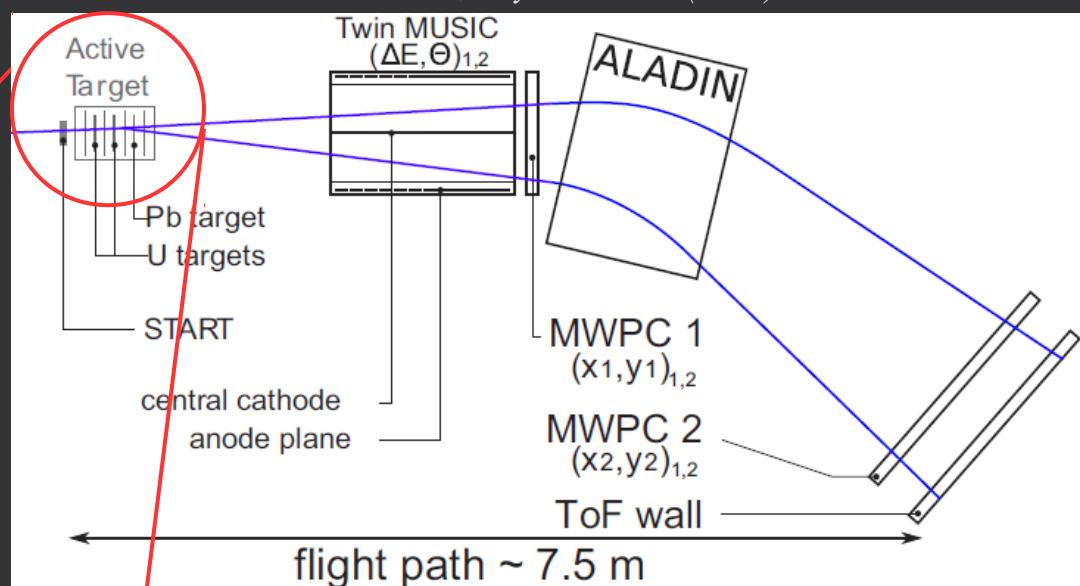
MUSIC(Multiple Sampling Ionization Chambers): $\Delta E \sim Z^2$ (higher resolution)

MWPC (MultiWire Proportional Chamber): (x,y) position for $B\beta$

ALADIN: large acceptance magnet

Scintillator wall: TOF

E. Pellereau et al., Phys.Rev. C95 (2017) 054603



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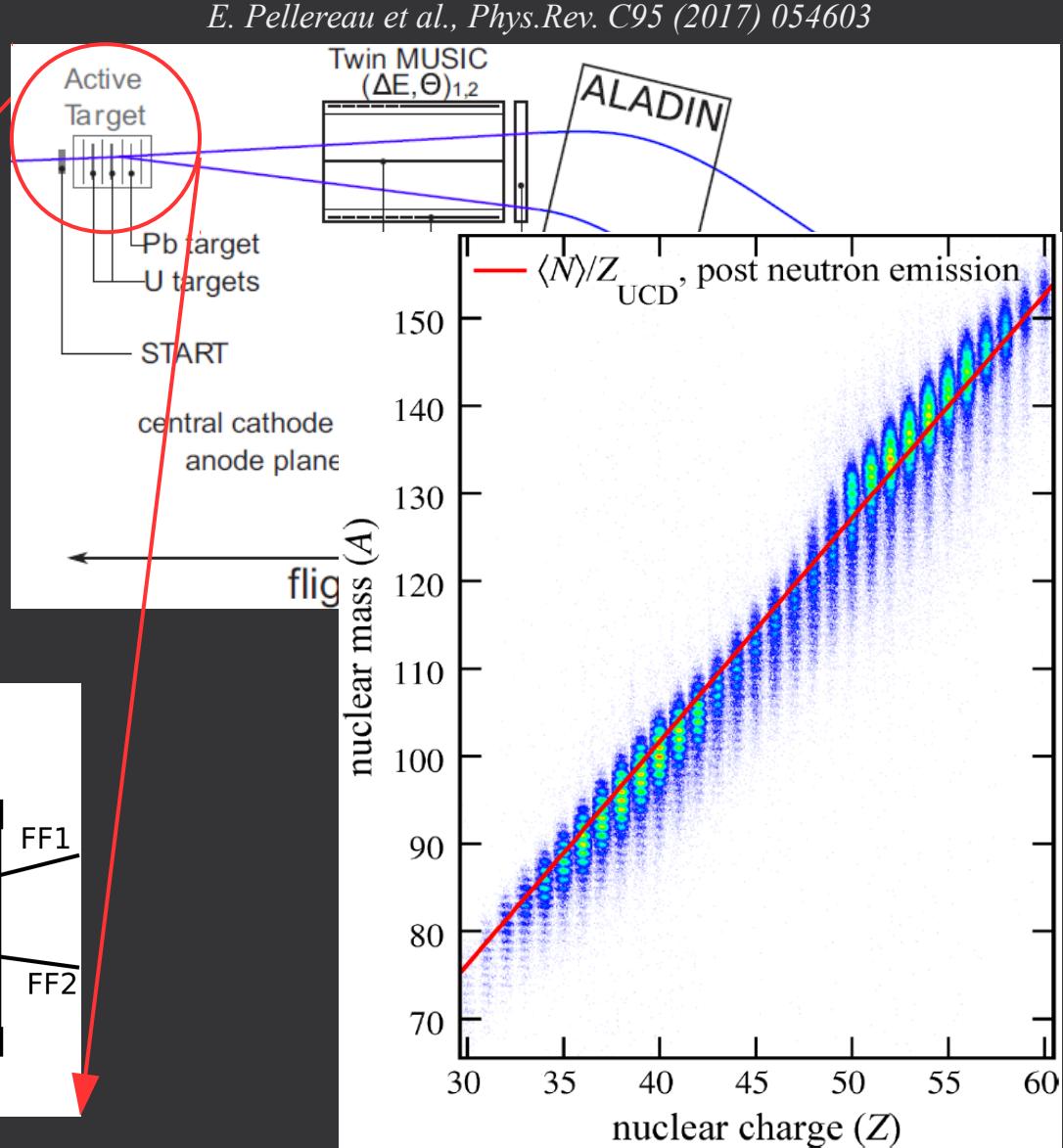
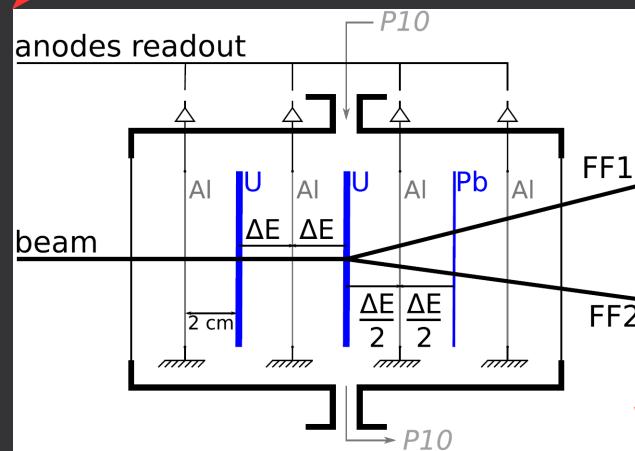
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Gamma Beam Systems: Summary

- Bremsstrahlung:
 - ✓ simplest method to get high γ flux
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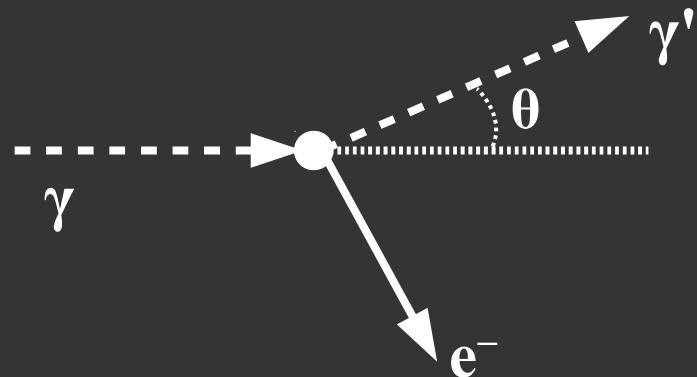
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→ Inverse Compton Scattering (ICS) systems are the most promising alternative

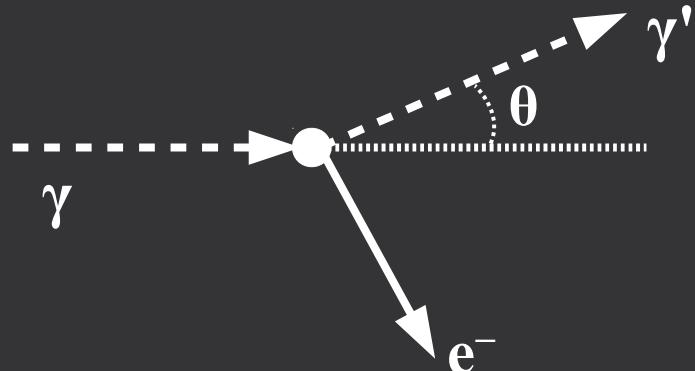
Compton Scattering: Kinematics

Photon scattering of an *electron at rest*



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4-momentum conservation: $P_\gamma + P_e = P'_\gamma + P'_e$

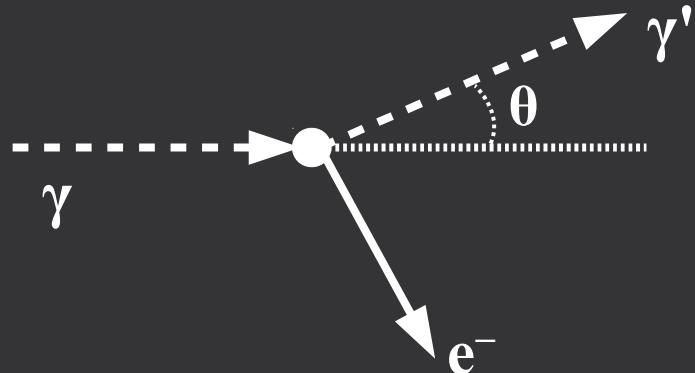
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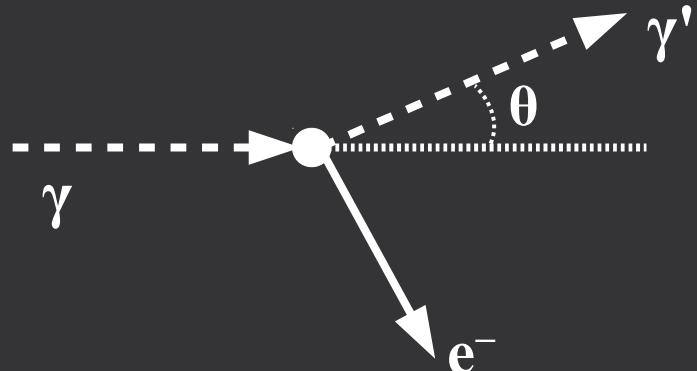
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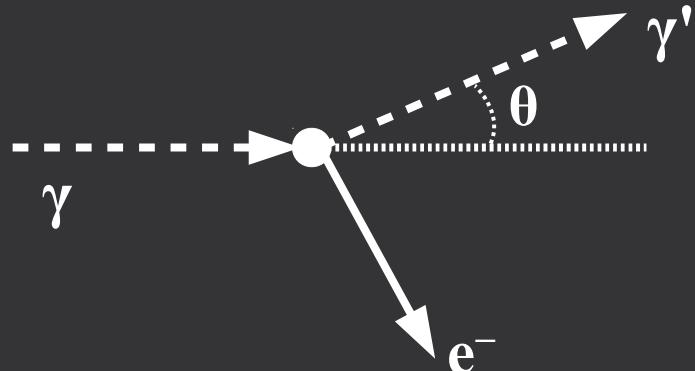
$$-m_e^2 c^2 = 0 - m_e^2 c^2 + 0 + 2 \left(-\frac{\epsilon}{c} m_e c \right) - 2 \left(-\frac{\epsilon'}{c} m_e c \right) - 2 \left(-\frac{\epsilon \epsilon'}{c^2} + \frac{\epsilon \epsilon'}{c^2} \vec{n} \cdot \vec{n}' \right)$$

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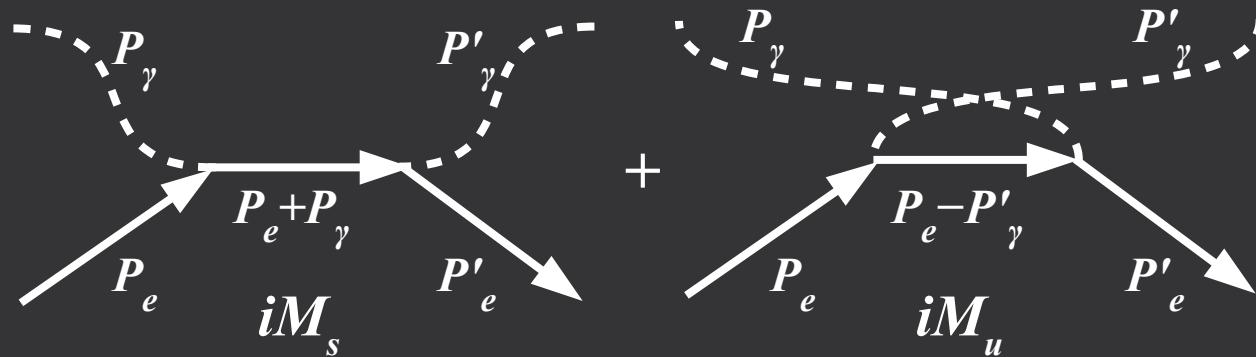
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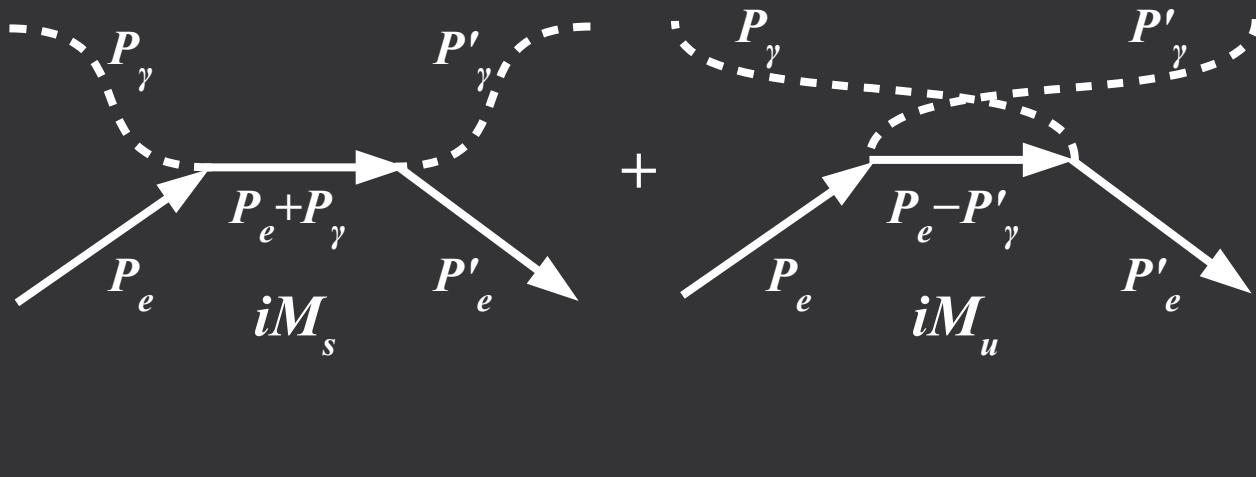
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Feynman diagrams at tree level:



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Dimensionless variables:

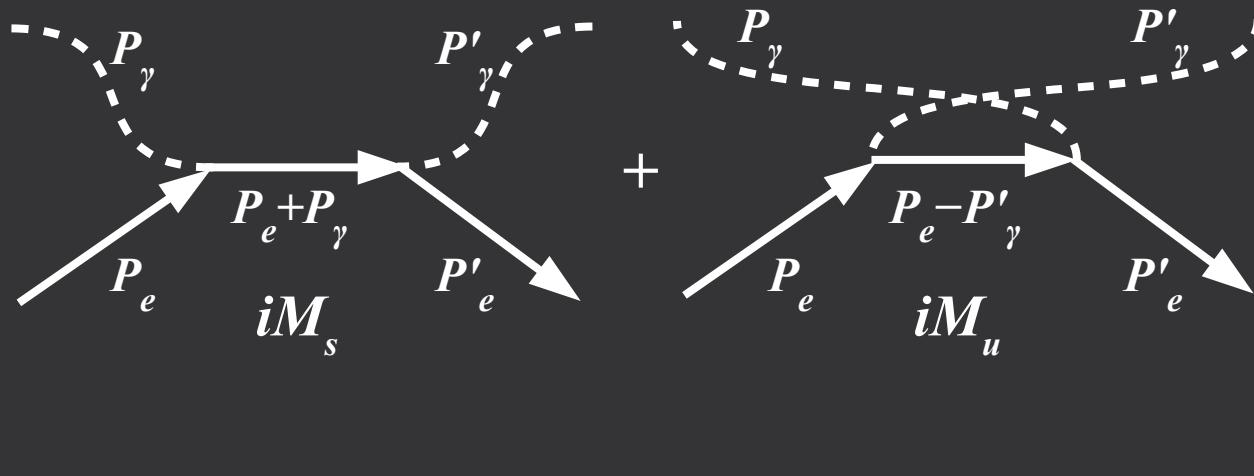
$$x \equiv +(s - m^2)/m^2 = 2\bar{p}_e \cdot \bar{p}_\gamma / m^2$$

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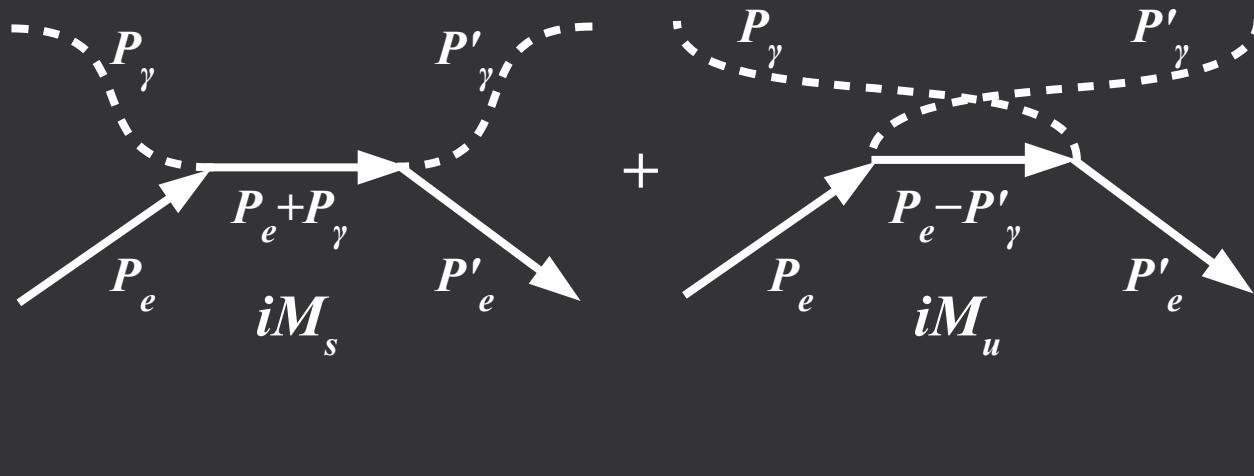
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Scattering probability (integrated over spins ξ, ξ' and polarizations λ, λ'):

$$|M|^2 = \frac{1}{4} \sum_{\xi, \xi'=1}^2 \sum_{\lambda, \lambda'} |M_s + M_u|^2 = 8e^4 \left[\left(\frac{1}{x} - \frac{1}{y} \right)^2 + \left(\frac{1}{x} - \frac{1}{y} \right) + \frac{1}{4} \left(\frac{x}{y} + \frac{y}{x} \right) \right]$$

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$$d\sigma = \frac{(2\pi)^4}{4 p_e p_\gamma} \cdot |M|^2 \cdot \underbrace{\delta^4(P_e + P_\gamma - P'_e - P'_\gamma)}_{\text{final state phase space factor}} \frac{d^3 p'_e}{(2\pi)^3 2E'_e} \frac{d^3 p'_\gamma}{(2\pi)^3 2E'_\gamma} = \frac{\pi r_e^2}{e^4} |M|^2 \frac{dy}{x^2}$$

classical electron radius: $r_e \equiv \frac{\hbar \alpha}{m_e c} \approx 2.82 \text{ fm}$

For full calculation: L.D. Landau and E.M. Lifshitz "Quantum Electrodynamics"

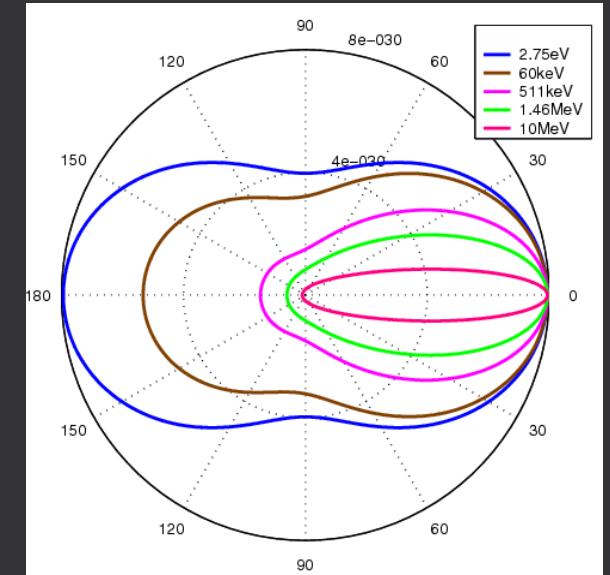
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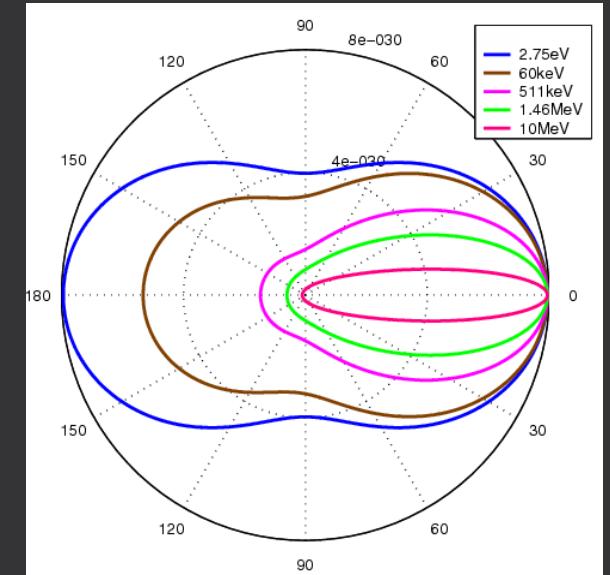
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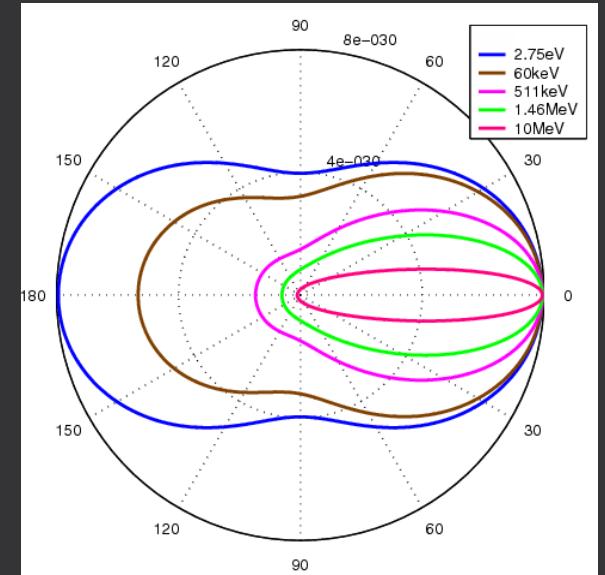
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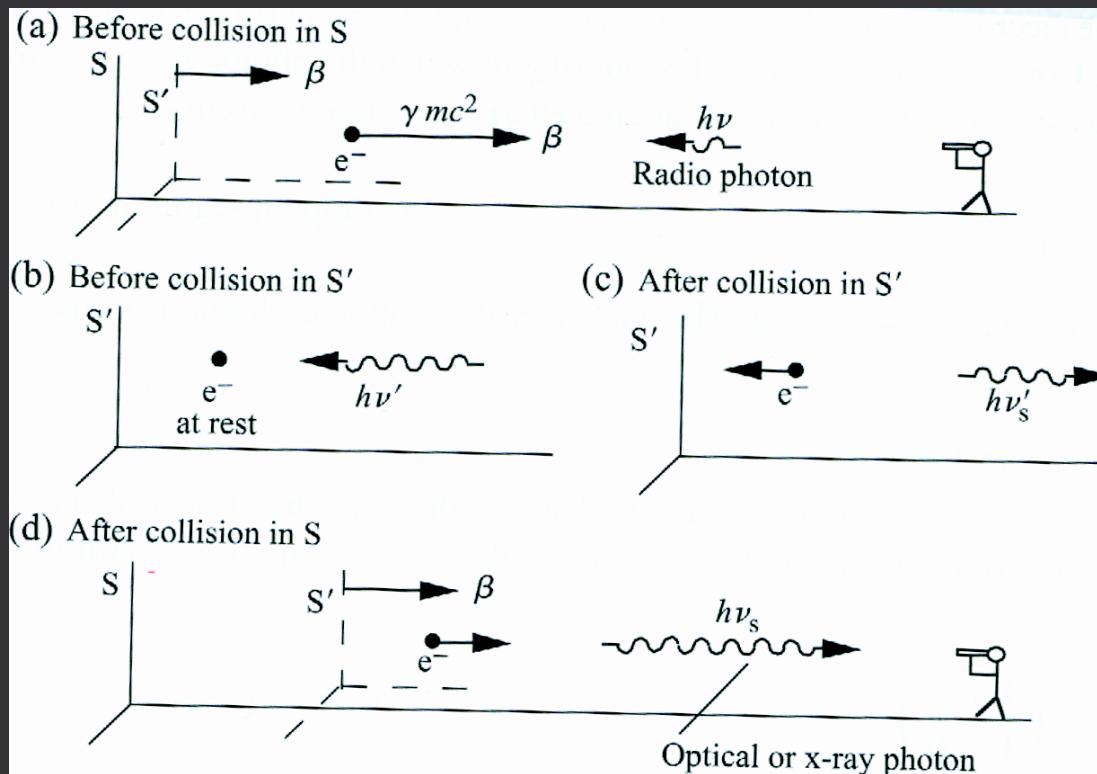
Final photon Stokes vector $\bar{\xi}' = (\xi'_x, \xi'_y, \xi'_z)$ has a more complicated dependence on the initial photon Stokes vector $\bar{\xi} = (\xi_x, \xi_y, \xi_z)$, but **at high energies polarization is almost entirely transferred!**

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Inverse Compton Scattering (ICS): Compton scattering of a low energy laser photon (\sim eV) on an ultra-relativistic electron (hundreds MeV).

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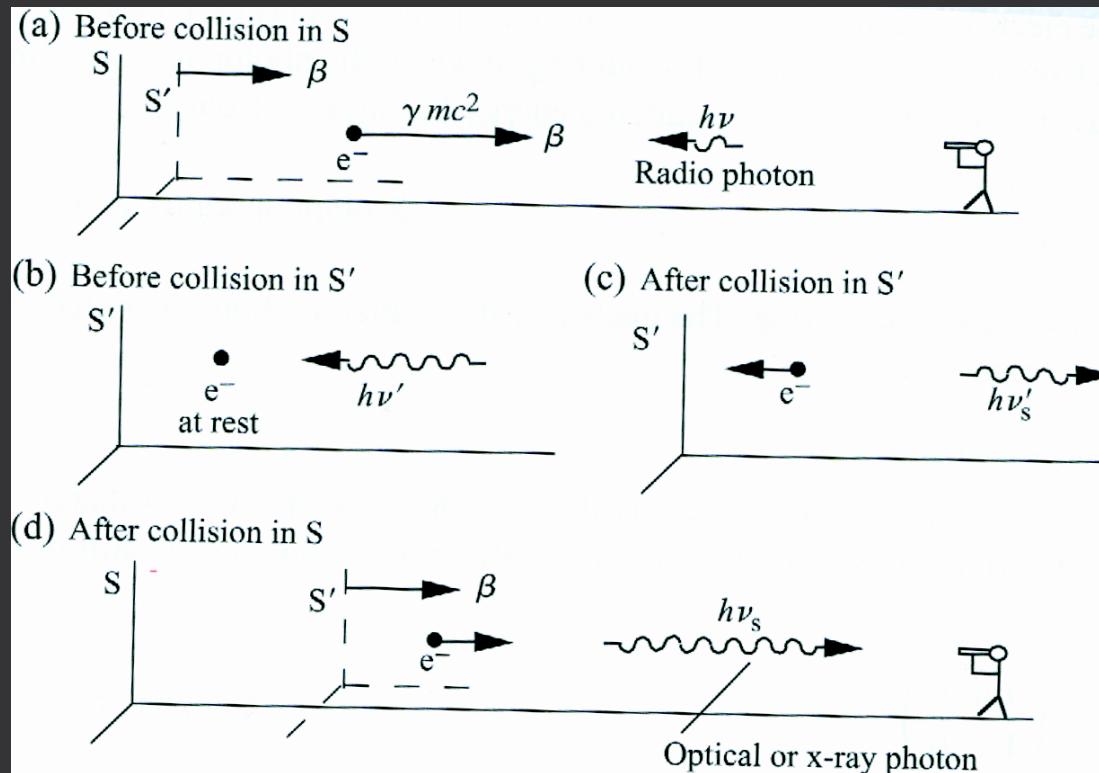
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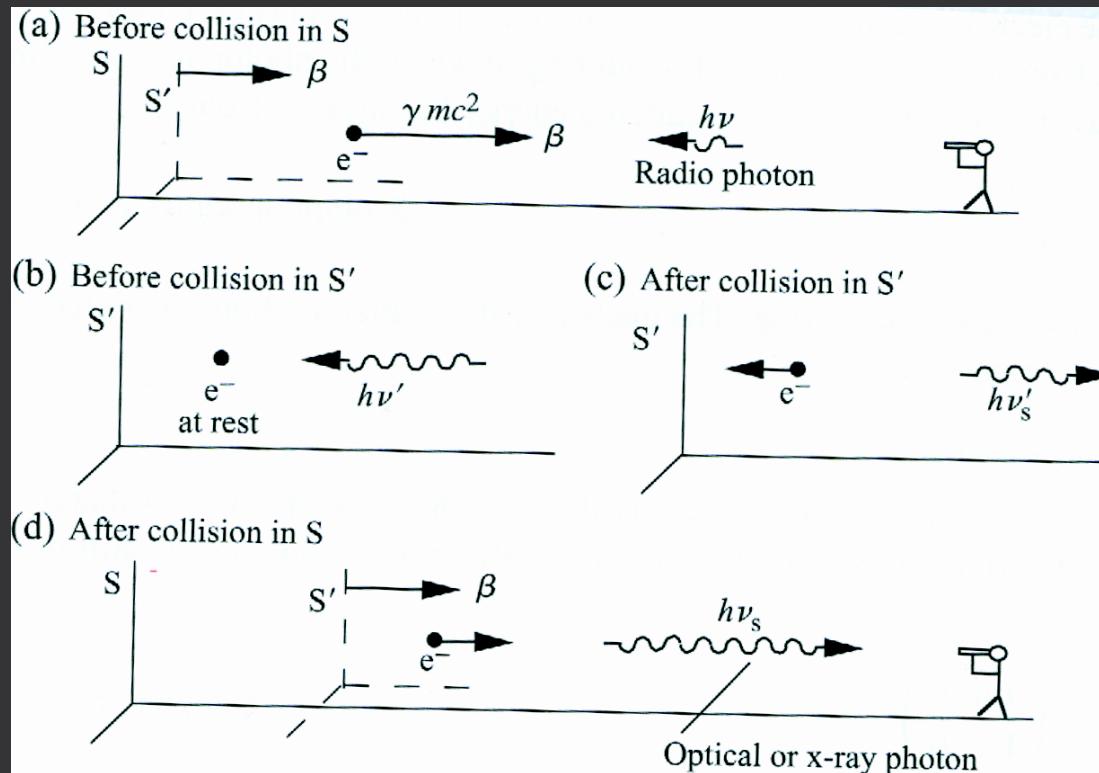
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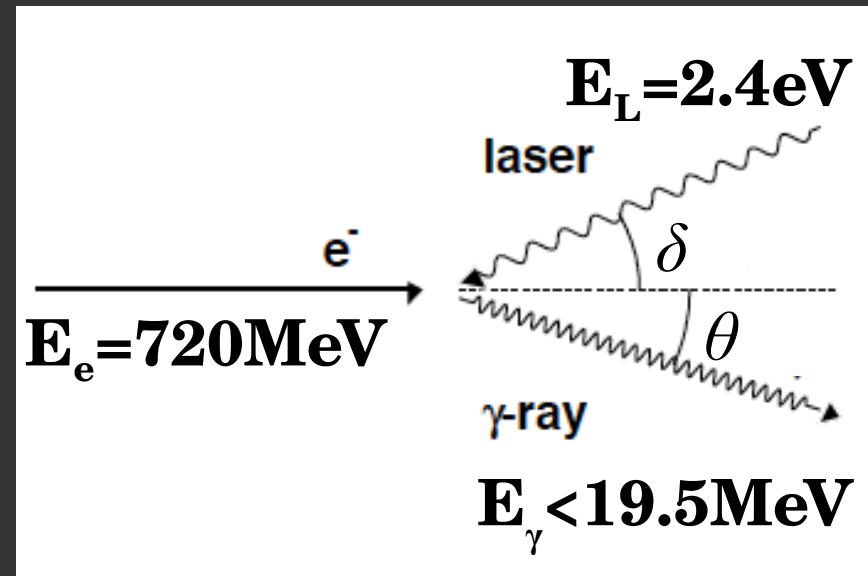
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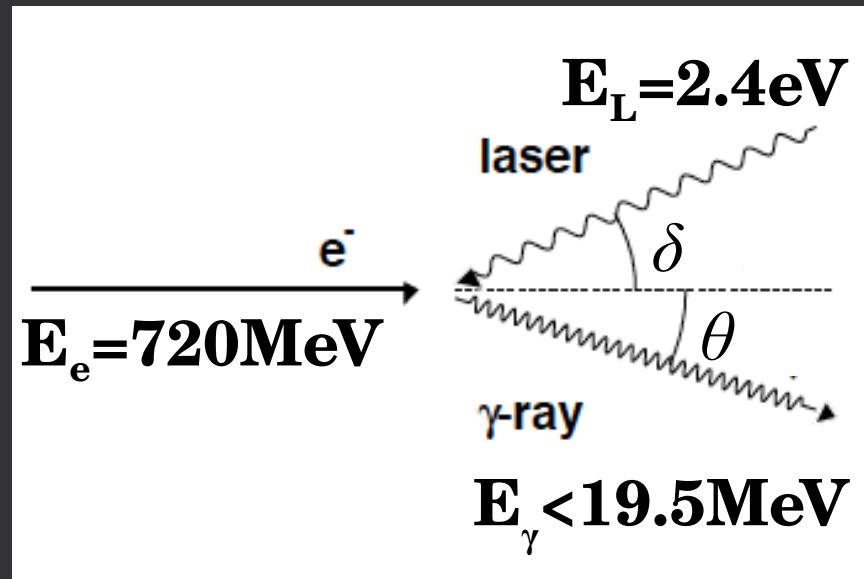
$$\epsilon' \approx \gamma^2 (1+\beta)^2 \epsilon \approx 4 \gamma^2 \epsilon$$

Example: $\epsilon = 2.4\text{eV}$, $E_e = 720\text{MeV}$, $\gamma = 1410 \rightarrow \epsilon' \approx 19\text{MeV}$

Inverse Compton Scattering at ELI-NP



Inverse Compton Scattering at ELI-NP



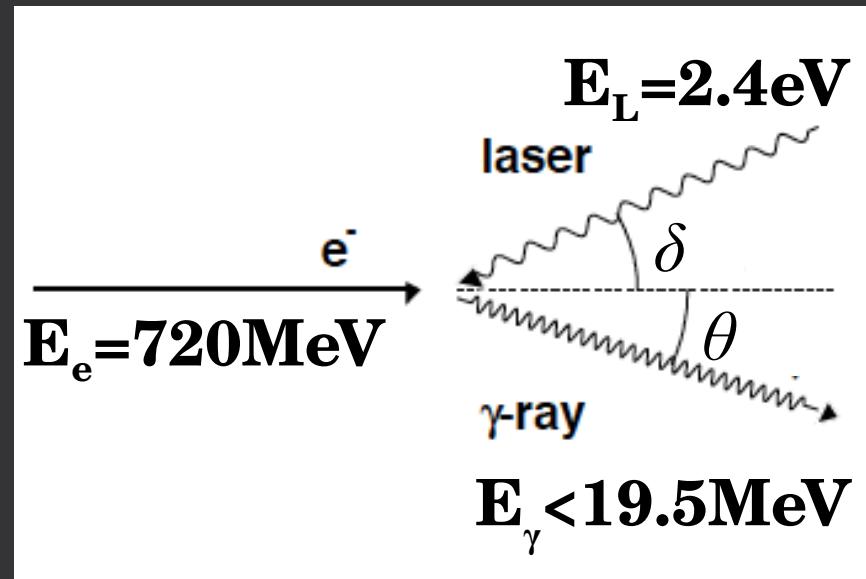
O. Adriani et al., arXiv:1407.3669 (2014)

$$E_\gamma = 2 \gamma_e^2 E_L \frac{1 + \cos \delta}{1 + \frac{a_0^2}{2} + \frac{\delta^2}{4} + (\gamma_e \Theta)^2} (1 - \Delta)$$

Δ = electron recoil term $< 3\%$

$a_0 \equiv 2.15 \frac{\lambda_L}{W_0} \sqrt{\frac{U}{\sigma_t}}$ = laser parameter (dimensionless amplitude of the vector potential associated to the laser e.m. field)

Inverse Compton Scattering at ELI-NP



Typical laser parameters:

- angle $\delta \approx 7^\circ \rightarrow 1 + \cos \delta \approx 2 + 10^{-6}$, $\delta^2/4 \approx 0.004$
- wavelength $\lambda_L = 0.5\mu\text{m}$, focal spot $w_0 = 25\mu\text{m}$, pulse energy $U = 0.5\text{J}$, pulse time $\sigma_t = 1.5\text{ps} \rightarrow a_0^2 \approx 2.5 \cdot 10^{-3}$

O. Adriani et al., arXiv:1407.3669 (2014)

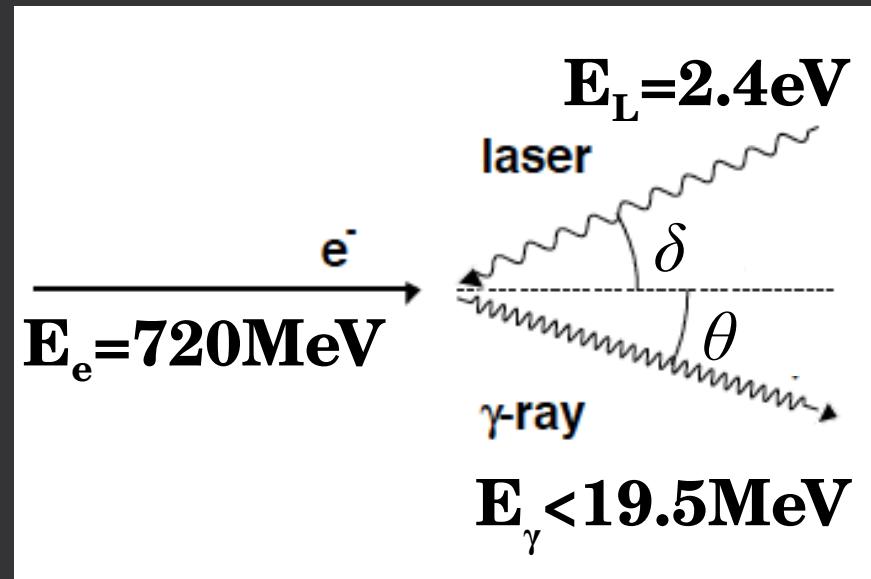
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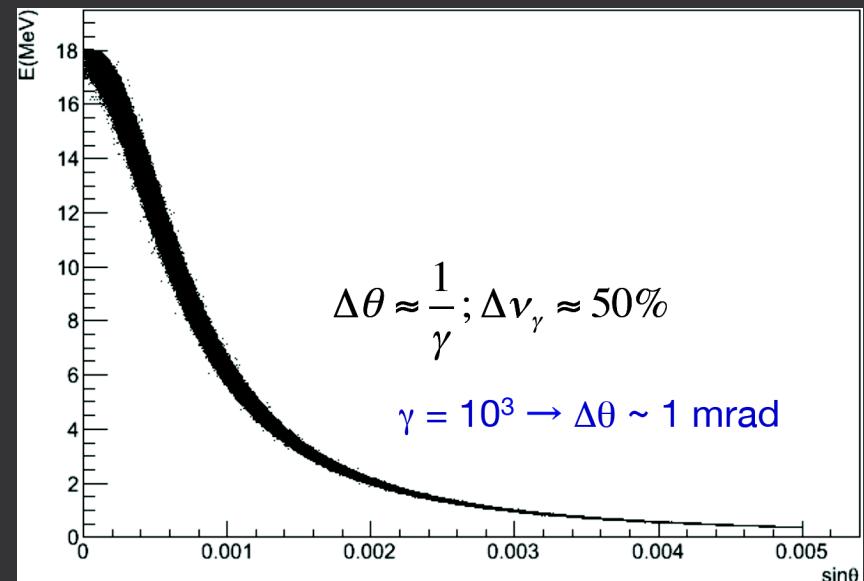
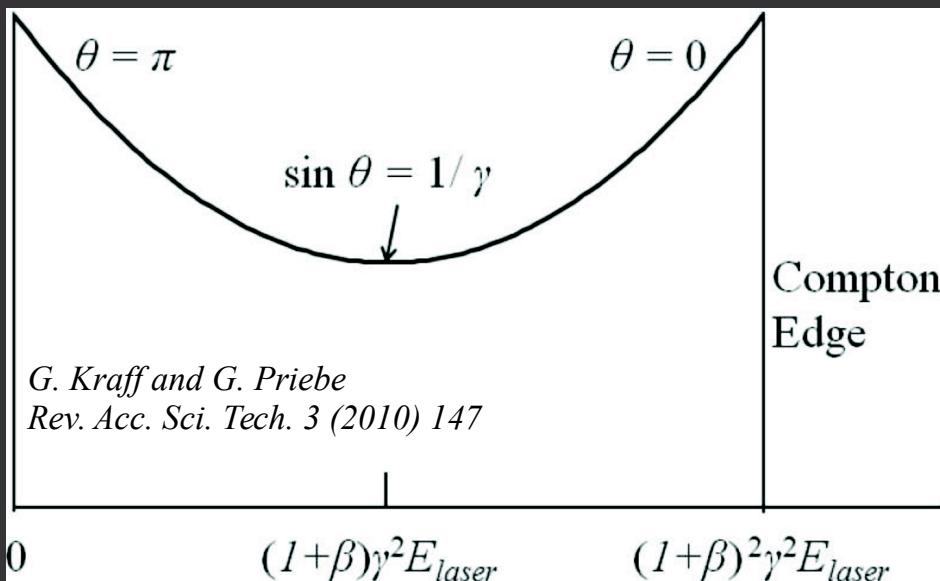
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Maximum energy E_γ^{\max} set by varying the electron beam kinetic energy T_e :

$$E_\gamma^{\max} \approx 9.55 \text{ eV} \cdot \gamma_e^2, \quad \gamma_e = 1 + T_e/mc^2$$

Minimum γ energy set by collimation, using the strong (E, θ) correlation

Inverse Compton Scattering at ELI-NP

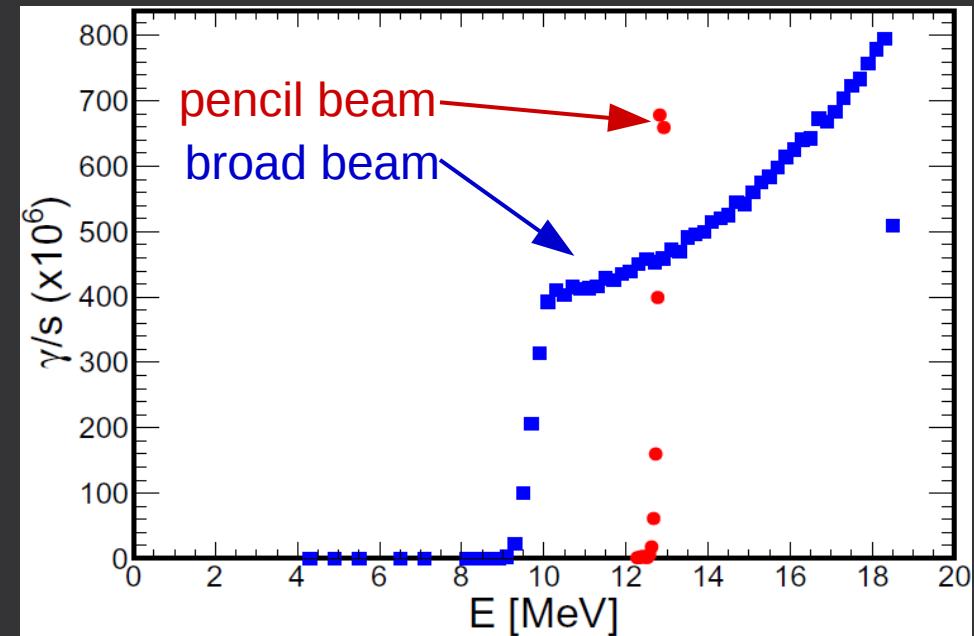
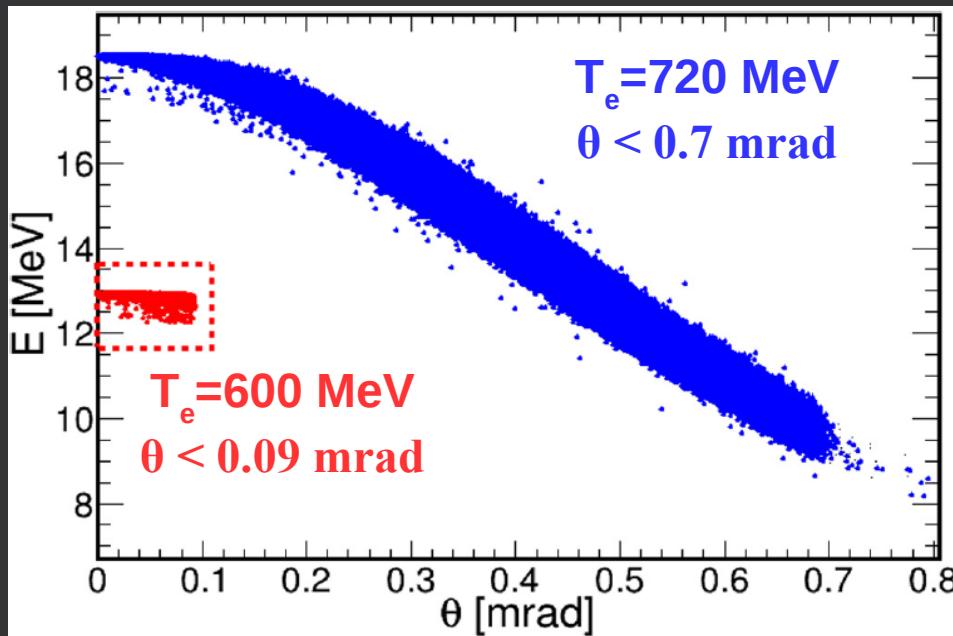
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Inverse Compton Scattering at ELI-NP

Energy resolution:

$$\left(\frac{\Delta E_\gamma}{E_\gamma} \right)^2 \approx (\gamma_e \theta_{col})^2 + 4 \left(\frac{\Delta \gamma_e}{\gamma_e} \right)^2 + \left(\frac{\Delta \nu_L}{\nu_L} \right)^2 + \left(\frac{\epsilon_n}{\sigma} \right)^2$$

$\overbrace{\quad\quad\quad}$ collimate $\overbrace{\quad\quad\quad}$ electron $\overbrace{\quad\quad\quad}$ laser $\overbrace{\quad\quad\quad}$ collision
 $\sim 10^{-5}\text{rad}$ energy spread band width point
 $\sim 0.1\%$ $\sim 0.1\%$

$\epsilon_n \approx 0.4 \text{ mm}\cdot\text{mrad}$ (rms normalized transverse emittance); σ = collision spot size

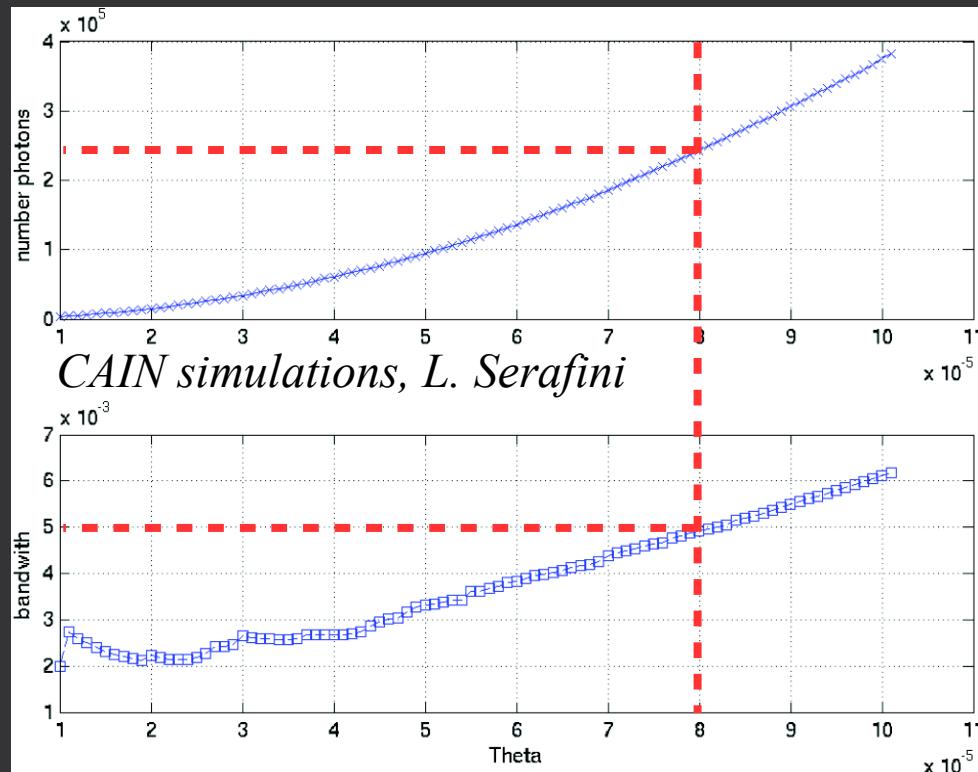
Inverse Compton Scattering at ELI-NP

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$\overbrace{\quad\quad\quad}$ collimate $\sim 10^{-5}\text{rad}$	$\overbrace{\quad\quad\quad}$ electron energy spread $\sim 0.1\%$	$\overbrace{\quad\quad\quad}$ laser band width $\sim 0.1\%$	$\overbrace{\quad\quad\quad}$ collision point
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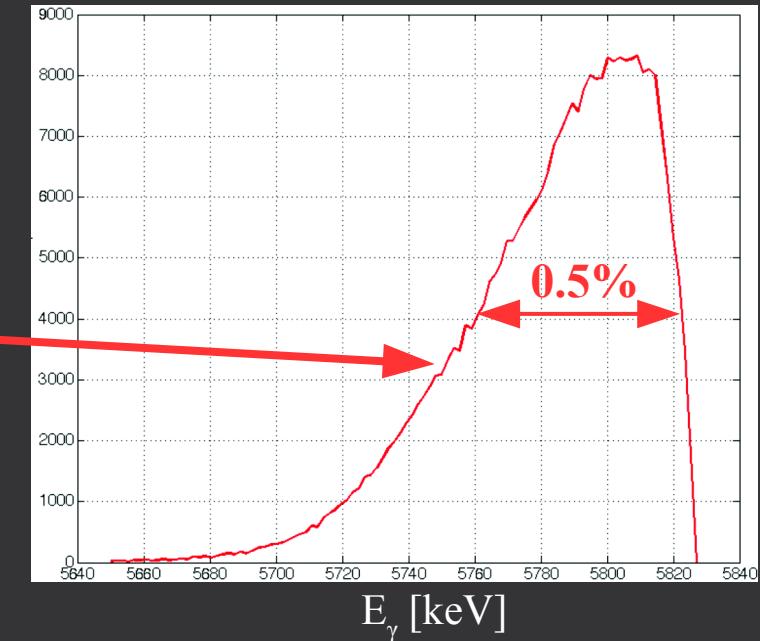
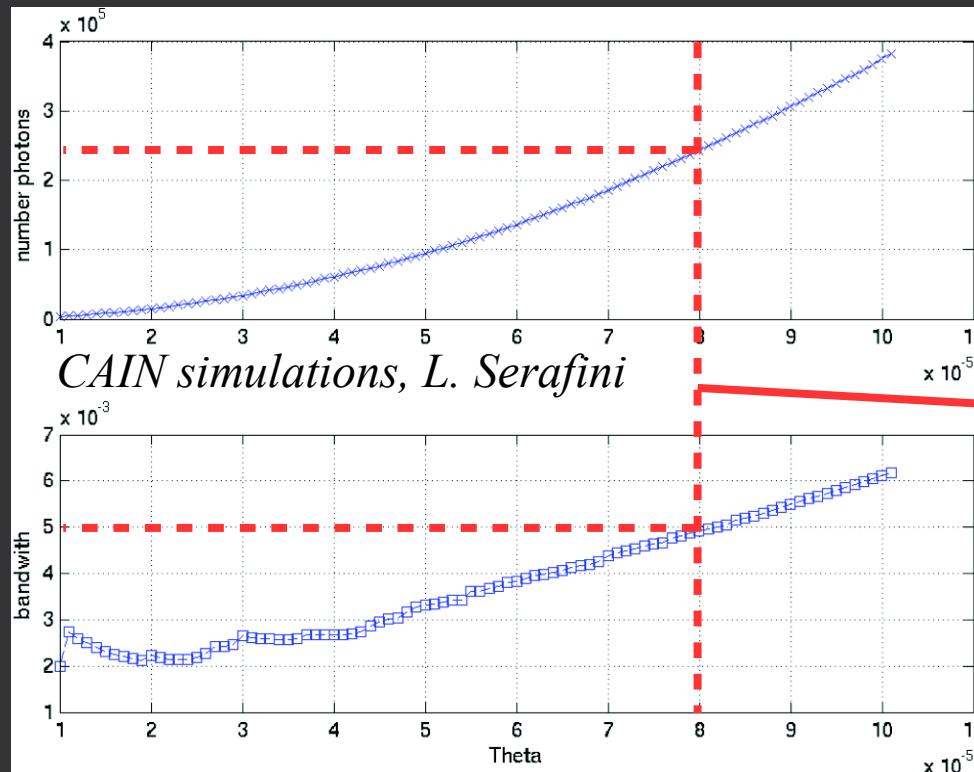
collimate
 $\sim 10^{-5}$ rad

electron
 energy
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laser
 band
 width
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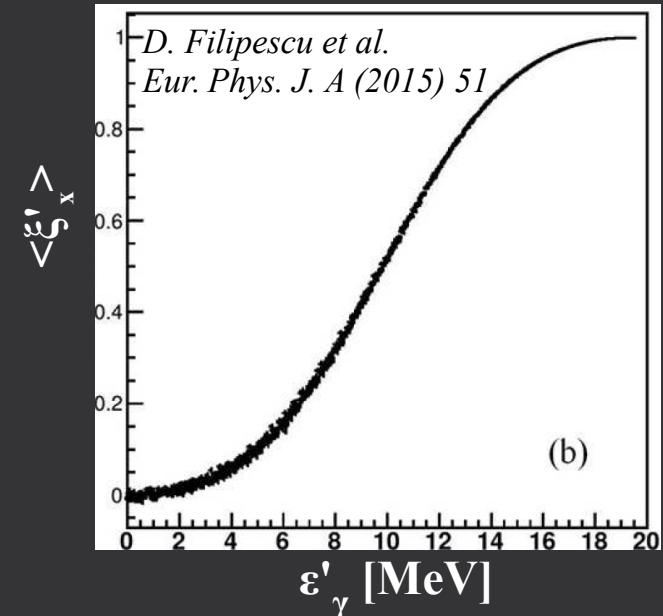
Trade-offs can be made between beam focusing, energy resolution and beam intensity.

Inverse Compton Scattering at ELI-NP

$$P_\gamma \approx \left(1 - \frac{3}{2}\Delta^2\right) \left(1 - \frac{\gamma^2 \theta^2}{2}\right) \Rightarrow P_\gamma > 0.995 P_{laser}$$

outgoing photon $\langle \xi'_x \rangle$ for
an incoming photon with $\epsilon = 2.4\text{eV}$
and 100% linear polarization along x
and an incoming electron with $E_e = 720\text{MeV}$ along z
 \rightarrow **polarization > 99%** for forward scattered γ at $\epsilon'_\gamma \approx 19\text{MeV}$

Laser beam polarization is transferred to the gamma beam (no need for polarized electron beam).
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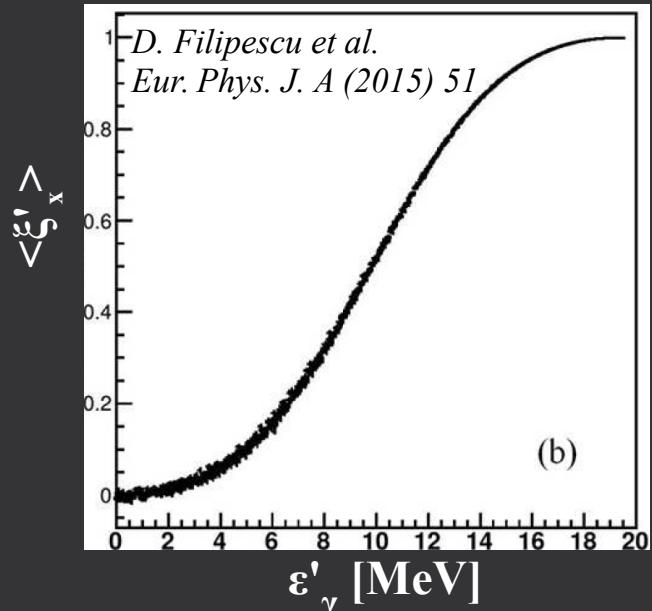
$$\text{Luminosity: } L = \frac{N_L N_e f}{4\pi \sigma^2} = \frac{1.3 \cdot 10^{18} \cdot 1.6 \cdot 10^9 \cdot 3200 \text{s}^{-1}}{4\pi (15 \mu\text{m})^2} = 2.5 \cdot 10^{35} \text{cm}^{-2} \text{s}^{-1}$$

f = bunch crossing frequency σ = collision spot size

$$\sigma_{Thomson} = \frac{8\pi}{3} r_e^2 = 0.67 b \Rightarrow N_\gamma = L \cdot \sigma \approx 10^{11} \text{s}^{-1}$$

At LHC: $L \approx 10^{34} \text{cm}^{-2} \text{s}^{-1}$. Spectral luminosity ($L/\Delta E$), spectral density ($N_\gamma/\Delta E$), brilliance B

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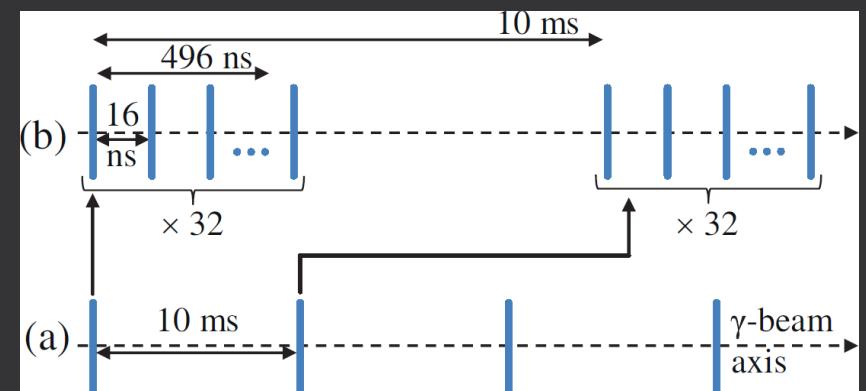
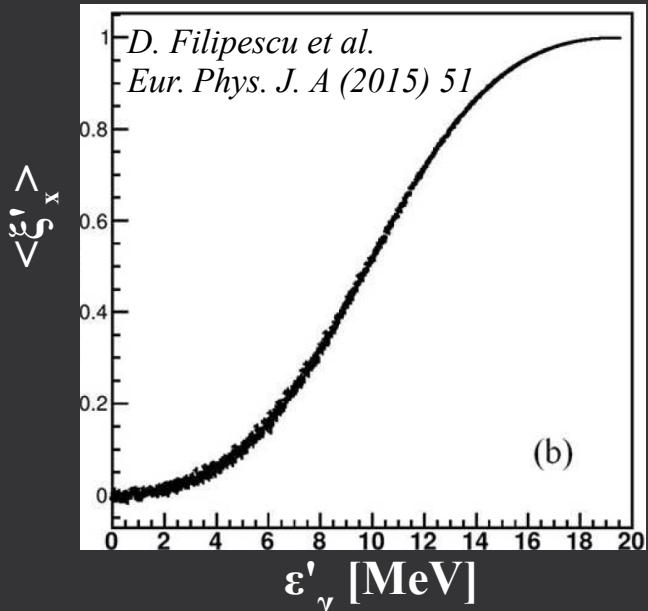
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Time structure of the beam:

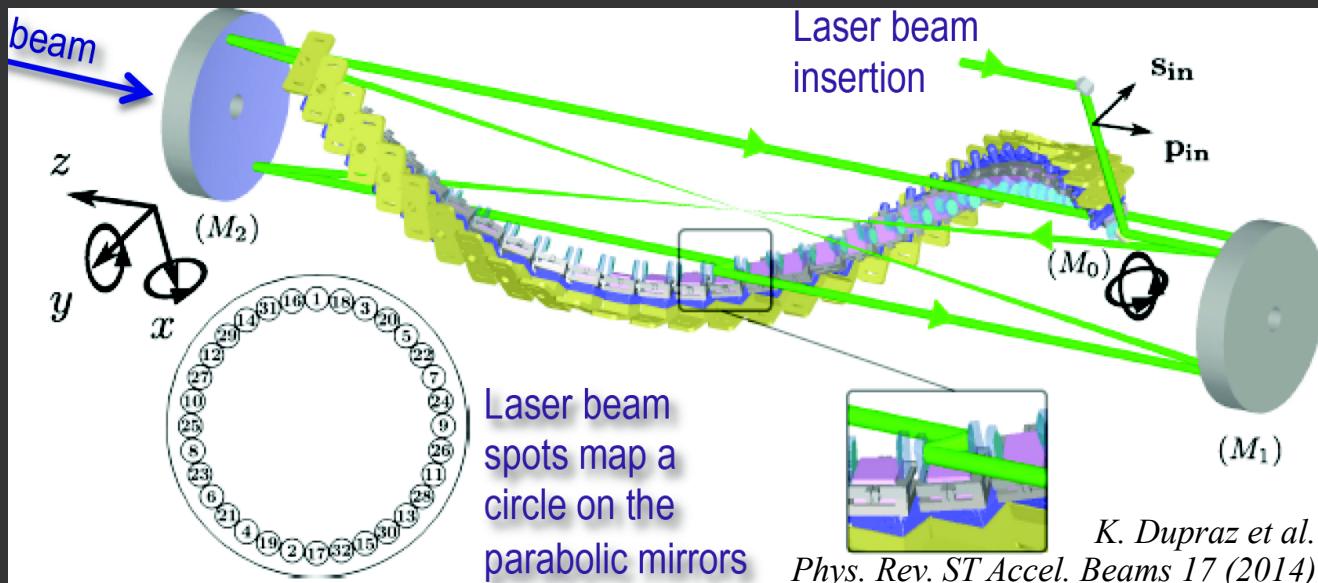
- macro-bunch frequency = 100Hz
- macro-bunch structure = 32 bunches of 1-2ps at 16ns apart \rightarrow duration = $0.5\mu\text{s}$
- due to special collision technique

Laser beam polarization is transferred to the gamma beam (no need for polarized electron beam).
 Small corrections exist: $P_\gamma \approx 99\%$



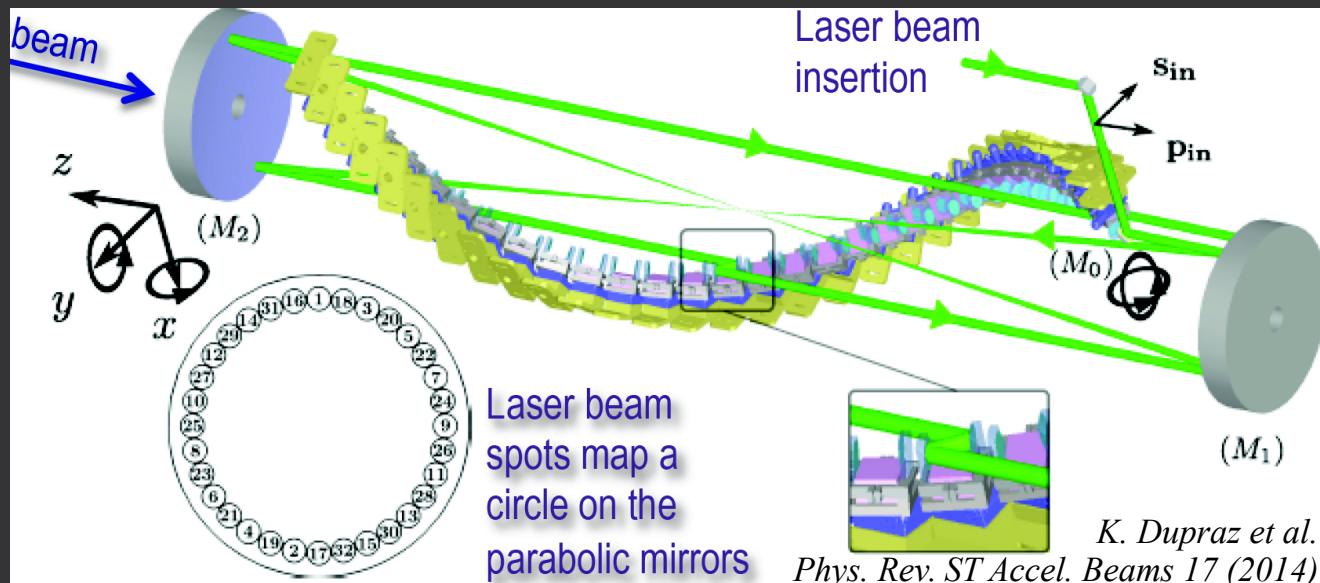
ELI-NP Gamma Beam Systems

laser rep. rate 100Hz → “dragon-shaped” **laser recirculation system at IP**



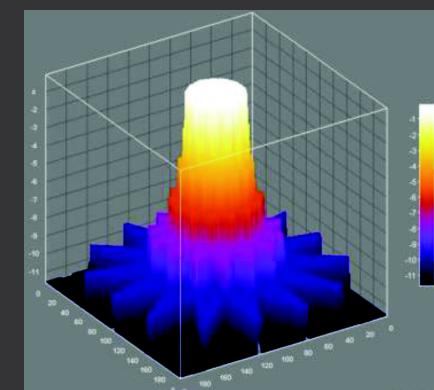
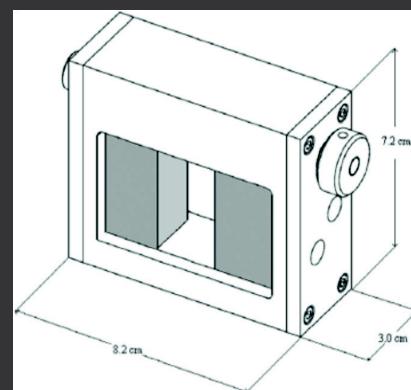
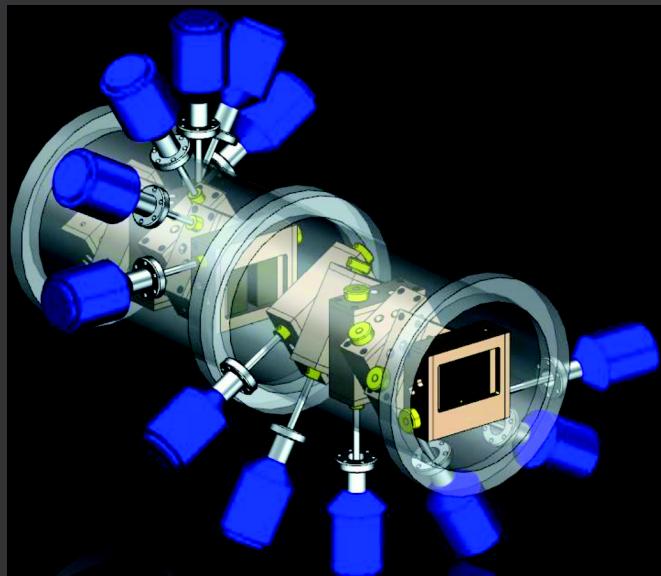
ELI-NP Gamma Beam Systems

laser rep. rate 100Hz → “dragon-shaped” **laser recirculation system at IP**



Gamma beam collimation system:

- low gamma transmission: tungsten 2cm thick
- adjustable aperture (BW): continuously in 1-20mm
- avoid beam contamination (radiation): 14 slits at 25.7°



Inverse Compton Scattering at ELI-NP

Photon inverse scattering on ultra-relativistic electrons:

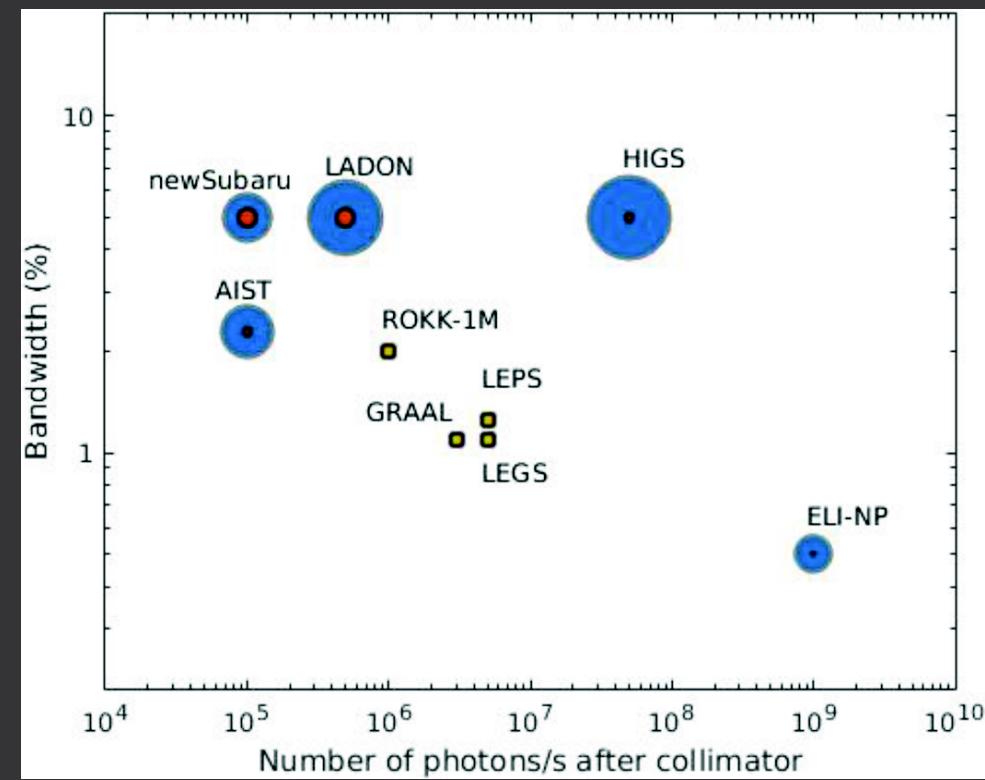
- most powerful frequency amplifier: eV → MeV
 - high energy resolution: ~0.5% (but 0.3% reachable)
 - strong forward focusing: divergence ~ 0.1 mrad
 - strong (E, θ) correlation: hardening via collimation
 - almost complete linear polarization: >99%
 - high intensity 10^{12} γ/s, spectral density 10^5 γ/s/eV, brilliance 10^{20} - 10^{23} γ/(s·mrad²·mm²·0.1%BW)
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Energy (MeV)	0.2 – 19.5
Spectral Density (ph/s·eV)	$> 0.5 \cdot 10^4$
Bandwidth rms (%)	≤ 0.5
# photons per pulse within FWHM bdw.	$\sim 10^5$
# photons/s within FWHM bdw.	$10^8 – 10^9$
Source rms size (μm)	10 – 30
Source rms divergence (μrad)	25 – 200
Peak brilliance ($N_{ph}/sec \cdot mm^2 \cdot mrad^2 \cdot 0.1\%$)	$10^{20} – 10^{23}$
Radiation pulse length rms (ps)	0.7 – 1.5
Linear polarization (%)	> 95
Macro repetition rate (Hz)	100
# pulses per macropulse	32
Pulse-to-pulse separation (nsec)	16



Inverse Compton Scattering at HIGS

H.R. Weller et al., Prog. Part. Nucl. Phys. 62 (2009) 257

Parameters of major Compton gamma source facilities around the world

Project name	LADON ^a	LEGS	ROKK-1M ^b	GRAAL	LEPS	HI γ S ^c
Location	Frascati Italy	Brookhaven US	Novosibirsk Russia	Grenoble France	Harima Japan	Durham US
Storage ring	Adone	NSLS	VEPP-4M	ESRF	SPring-8	Duke-SR
Electron energy (GeV)	1.5	2.5–2.8	1.4–6.0	6	8	0.24–1.2
Laser energy (eV)	2.45	2.41–4.68	1.17–4.68	2.41–3.53	2.41–4.68	1.17–6.53
γ -beam energy (MeV)	5–80	110–450	100–1600	550–1500	1500–2400	1–100 (158) ^d
Energy selection	Internal tagging	External tagging	(Int or Ext?) tagging	Internal tagging	Internal tagging	Collimation
γ -energy resolution (FWHM)						
ΔE (MeV)	2–4	5	10–20	16	30	0.008–8.5
$\frac{\Delta E}{E}$ (%)	5	1.1	1–3	1.1	1.25	0.8–10
E-beam current (A)	0.1	0.2	0.1	0.2	0.1–0.2	0.01–0.1
Max on-target flux (γ /s)	5×10^5	5×10^6	10^6	3×10^6	5×10^6	10^4 – 5×10^8
Max total flux (γ /s)						10^6 – 3×10^9 ^e
Years of operation	1978–1993	1987–2006	1993–	1995–	1998–	1996–

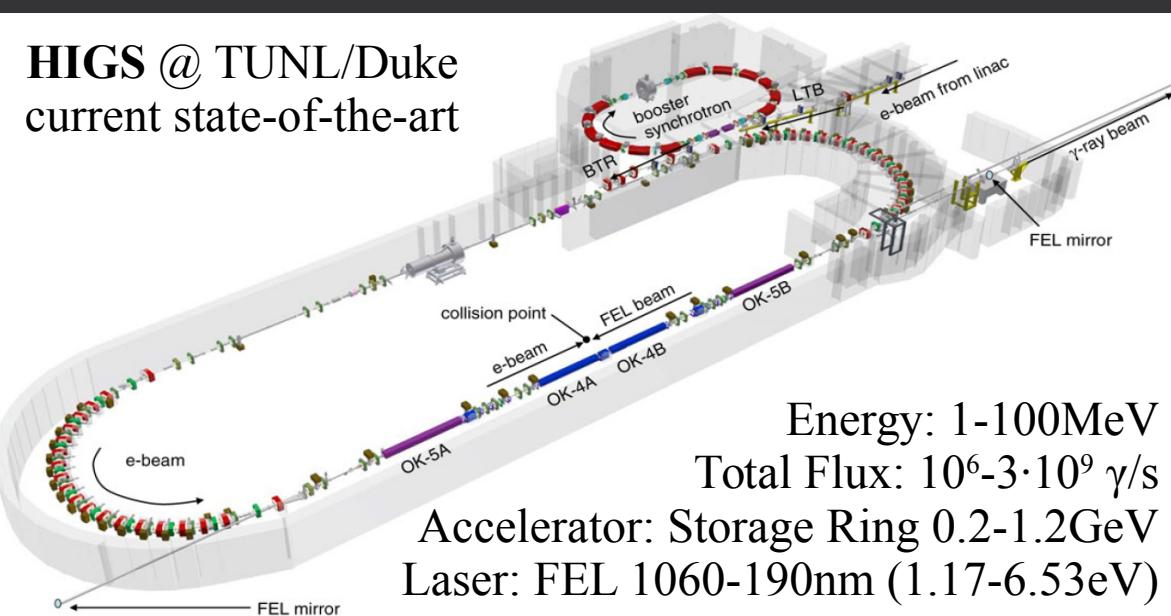
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HIGS @ TUNL/Duke
current state-of-the-art

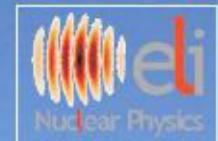


	SD γ /s/eV	BW %	spot	bunch cross.	P %
HIGS	10^2	3	cm	MHz	99
ELI-NP	10^4	0.5	mm	kHz	99

Vast research program:
 – NRF (^{138}Ba , ^{88}Sr , ^{92}Zr , ^{94}Mo , ^{40}Ar)
 – nuclear astrophysics
 – γ - $^3\text{He}/^4\text{He}$ photodisintegration
 – national security applications



Extreme Light Infrastructure - Nuclear Physics (ELI-NP) - Phase I



www.eli-np.ro

Project co-financed by the European Regional Development Fund



Thank you!

"The content of this document does not necessarily represent the official position
of the European Union or of the Government of Romania"

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