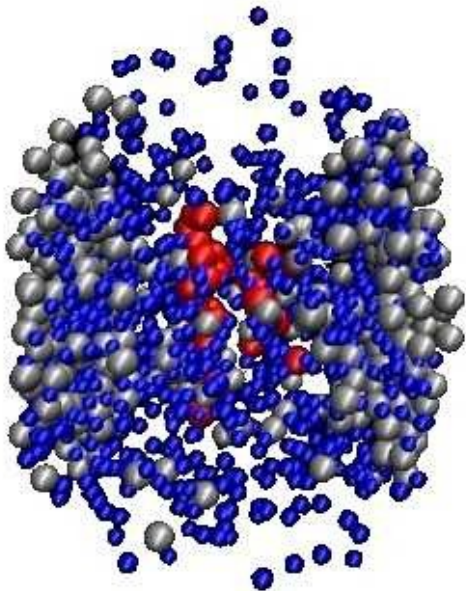


Directed flow in asymmetric HI collisions and the inverse Landau-Pomeranchuk-Migdal effect

V. Voronyuk (JINR)

Simulations of HIC for NICA energies

Dubna
10-12 April 2017



From SIS to LHC: from hadrons to partons

The goal: to study of the phase transition from hadronic to partonic matter and properties of the Quark-Gluon-Plasma from a microscopic origin

→ need a consistent non-equilibrium transport model

- with explicit parton-parton interactions (i.e. between quarks and gluons)
- explicit phase transition from hadronic to partonic degrees of freedom
- IQCD EoS for partonic phase (‘cross over’ at $\mu_q=0$)
- Transport theory for strongly interacting systems: off-shell Kadanoff-Baym equations for the Green-functions $S_h^<(x,p)$ in phase-space representation for the partonic and hadronic phase



→ Parton-Hadron-String-Dynamics (PHSD)

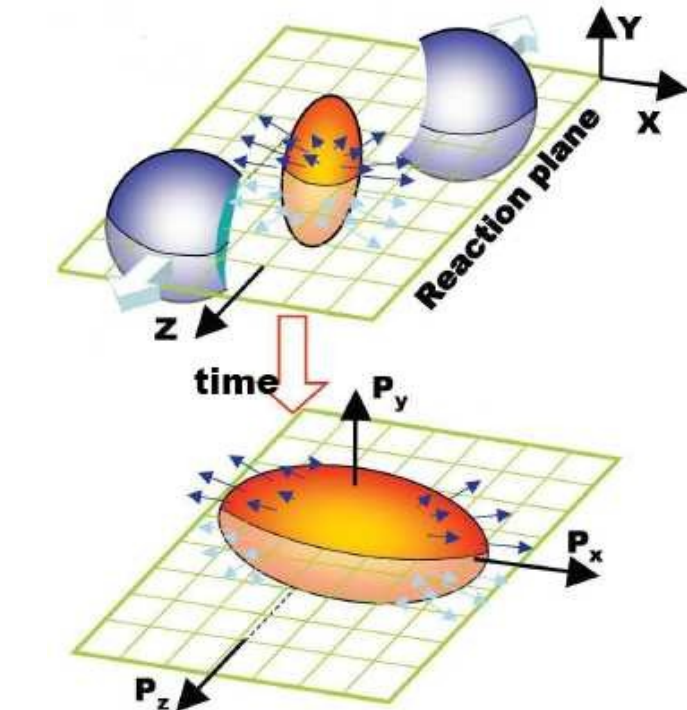
QGP phase described by

Dynamical QuasiParticle Model
(DQPM)

W. Cassing, E. Bratkovskaya, PRC 78 (2008) 034919;
NPA831 (2009) 215;
W. Cassing, EPJ ST 168 (2009) 3

A. Peshier, W. Cassing, PRL 94 (2005) 172301;
Cassing, NPA 791 (2007) 365; NPA 793 (2007)

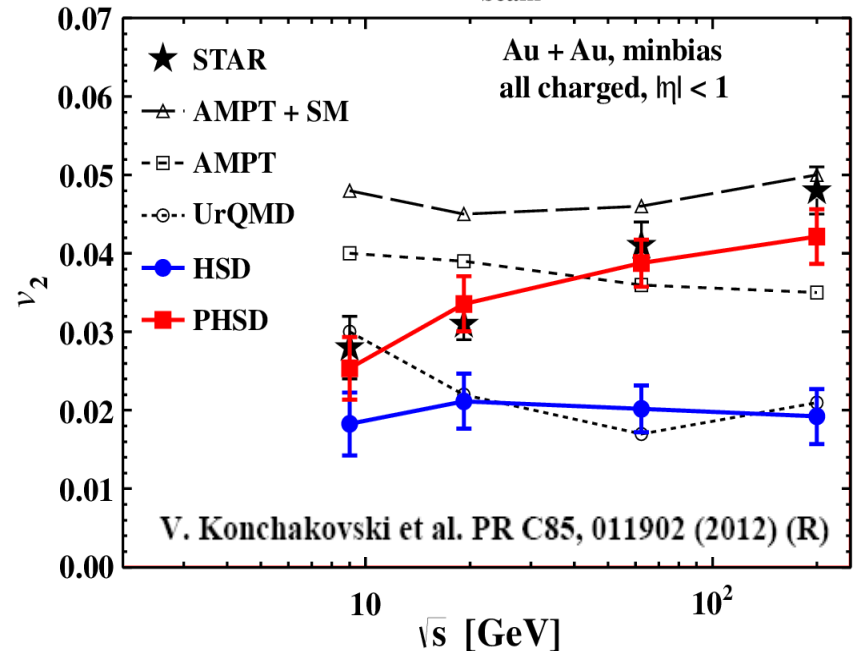
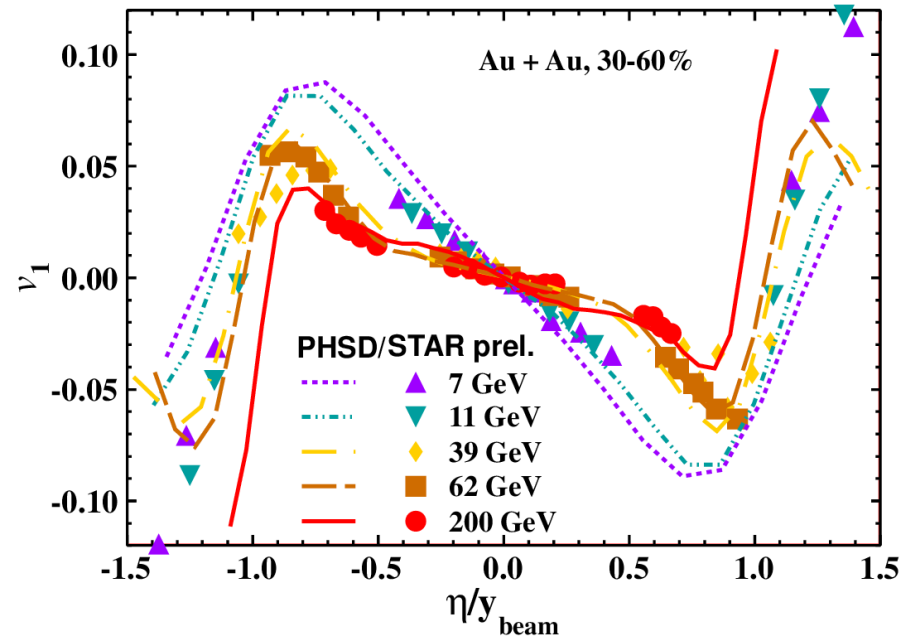
Collective flow



$$\frac{dN}{d\varphi} \propto \left(1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\varphi - \psi_n)] \right)$$

$$v_n = \left\langle \cos n(\varphi - \psi_n) \right\rangle, \quad n = 1, 2, 3, \dots$$

$$v_1 = \left\langle \frac{p_x}{p_T} \right\rangle, \quad v_2 = \left\langle \frac{p_x^2 - p_y^2}{p_x^2 + p_y^2} \right\rangle$$



The growth of the elliptic flow is not reproduced by purely string-hadron and simplified partonic models

Transport model with electromagnetic field

Generalized on-shell transport equations in the presence of **electromagnetic fields** can be obtained formally by the substitution:

$$\left\{ \frac{\partial}{\partial t} + \left(\frac{\vec{p}}{p_0} + \vec{\nabla}_{\vec{p}} U \right) \vec{\nabla}_{\vec{r}} - \left(\vec{\nabla}_{\vec{r}} U - e\vec{E} - e\vec{v} \times \vec{B} \right) \vec{\nabla}_{\vec{p}} \right\} f(\vec{r}, \vec{p}, t) = I_{coll}(f, f_1, \dots, f_N)$$

$$\dot{\vec{r}} \rightarrow \frac{\vec{p}}{p_0} + \vec{\nabla}_{\vec{p}} U,$$

$$\dot{\vec{p}} \rightarrow -\vec{\nabla}_{\vec{r}} U + e\vec{E} + e\vec{v} \times \vec{B}$$

$$U \sim \text{Re}(\Sigma^{ret})/2p_0$$

A general solution of the wave equations is as follows

$$\vec{A}(\vec{r}, t) = \frac{1}{4\pi} \int \frac{\vec{j}(\vec{r}', t') \delta(t - t' - |\vec{r} - \vec{r}'|/c)}{|\vec{r} - \vec{r}'|} d^3 r' dt'$$

$$\Phi(\vec{r}, t) = \frac{1}{4\pi} \int \frac{\rho(\vec{r}', t') \delta(t - t' - |\vec{r} - \vec{r}'|/c)}{|\vec{r} - \vec{r}'|} d^3 r' dt'$$

$$\text{div } \mathbf{B} = 0$$

$$\text{div } \mathbf{E} = 4\pi\rho$$

$$\text{rot } \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t} \quad \text{rot } \mathbf{B} = \frac{\partial \mathbf{E}}{\partial t} + \frac{4\pi}{c} \mathbf{j}$$

$$\left\{ \begin{array}{l} \vec{B} = \vec{\nabla} \times \vec{A} \\ \vec{E} = -\vec{\nabla} \Phi - \frac{\partial \vec{A}}{\partial t} \end{array} \right.$$

For point-like particle

$$\rho(\vec{r}, t) = e \delta(\vec{r} - \vec{r}(t)); \quad \vec{j}(\vec{r}, t) = e \vec{v}(t) \delta(\vec{r} - \vec{r}(t))$$

$$e\mathbf{B}(t, \mathbf{r}) = \frac{e^2}{4\pi} \sum_n Z_n(\mathbf{R}_n) \frac{1 - v_n^2}{[R_n^2 - (\mathbf{R}_n \times \mathbf{v}_n)^2]^{3/2}} \mathbf{v}_n \times \mathbf{R}_n$$

$$e\mathbf{E}(t, \mathbf{r}) = \frac{e^2}{4\pi} \sum_n Z_n(\mathbf{R}_n) \frac{1 - v_n^2}{[R_n^2 - (\mathbf{R}_n \times \mathbf{v}_n)^2]^{3/2}} \mathbf{R}_n$$

$$b \rightarrow 0$$

$$v \rightarrow 0$$

high energy
symmetry

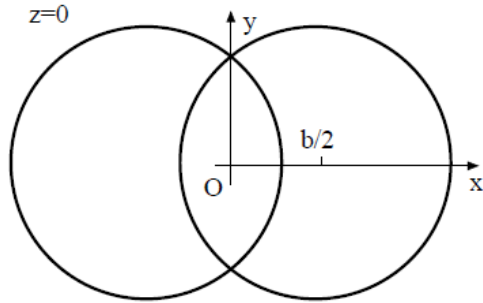
$$e\mathbf{B}, e\mathbf{E} \rightarrow 0$$

$$e\mathbf{B} \rightarrow 0, e\mathbf{E} \neq 0$$

$e\mathbf{B}$ transverse
only $eB_y \neq 0$

Liénard-Wiechert potential

Beam energy dependence of eB_y



Lienard-Wiebert potential

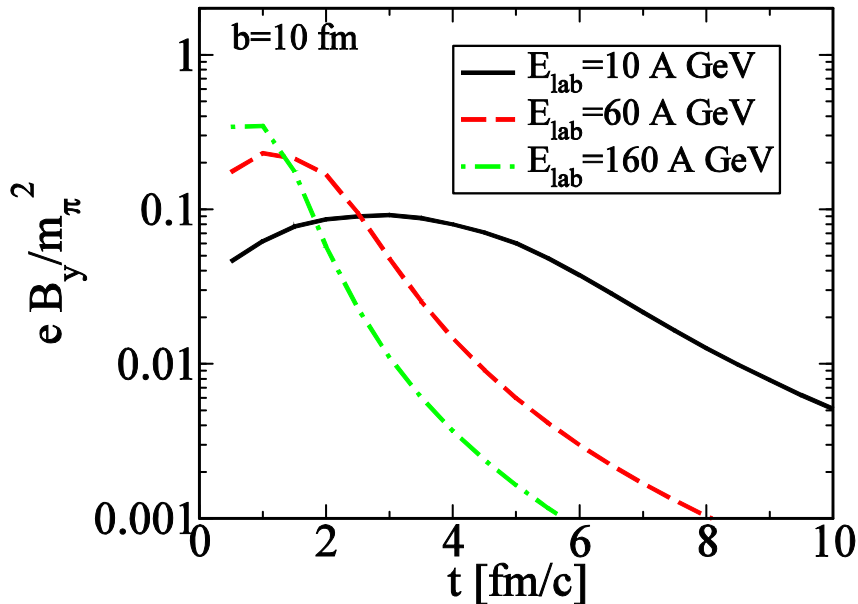
$$e\vec{B}(t, \vec{x}_0) = \alpha_{EM} \sum_n Z_n \frac{1 - v_n^2}{(R_n - \vec{R}_n \vec{v}_n)^3} [\vec{v}_n \times \vec{R}_n],$$

$$\vec{R}_n = \vec{x}_n - \vec{x}_0$$

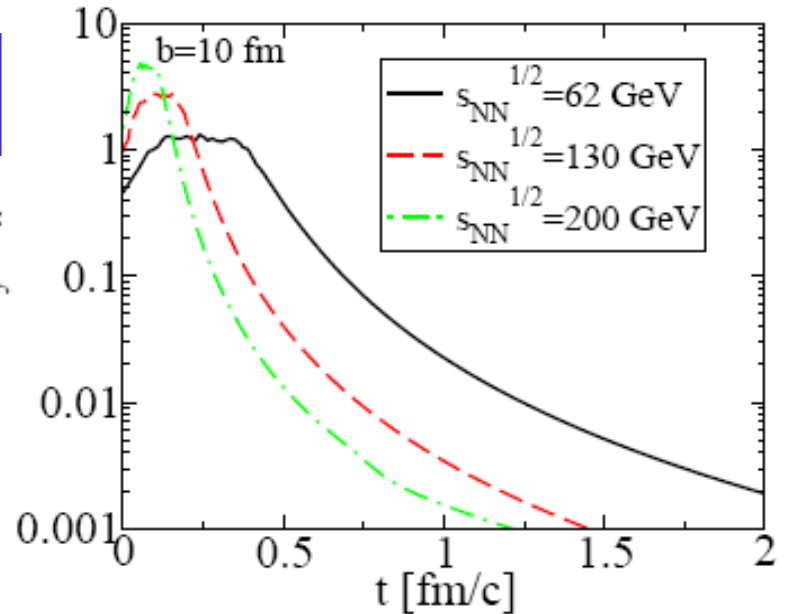
retardation condition

$$|\vec{x}_0 - \vec{x}_n(t')| + t' = t.$$

$$m_\pi^2 \approx 10^{18} \text{ Gauss}^2$$



eB_y



Comparison of magnetic fields



The Earth's magnetic field 0.6 Gauss

A common, hand-held magnet 100 Gauss



The strongest steady magnetic fields achieved so far in the laboratory 4.5×10^5 Gauss

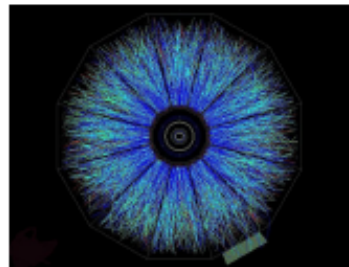
The strongest man-made fields ever achieved, if only briefly 10^7 Gauss



Typical surface, polar magnetic fields of radio pulsars 10^{13} Gauss

Surface field of Magnetars 10^{15} Gauss

<http://solomon.as.utexas.edu/~duncan/magnetar.html>



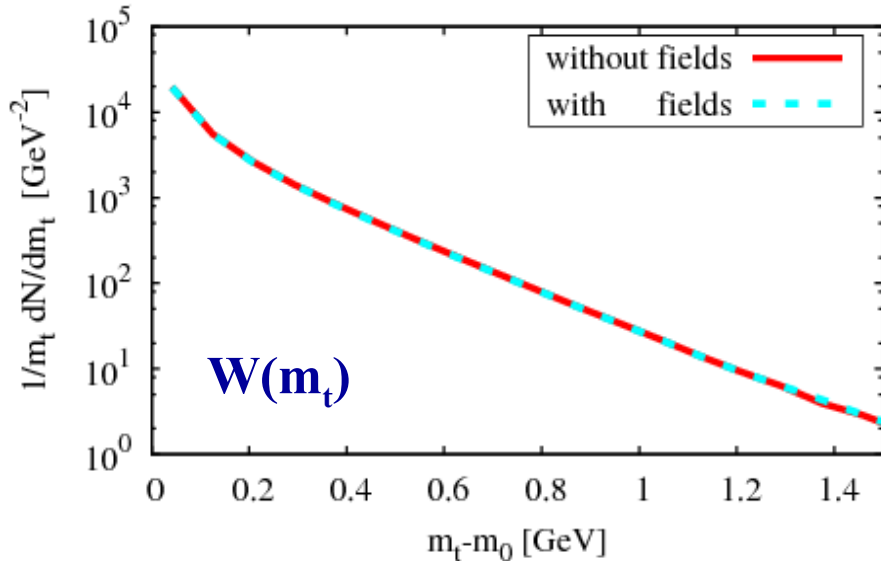
At BNL we beat them all!

Off central Gold-Gold Collisions at 100 GeV per nucleon

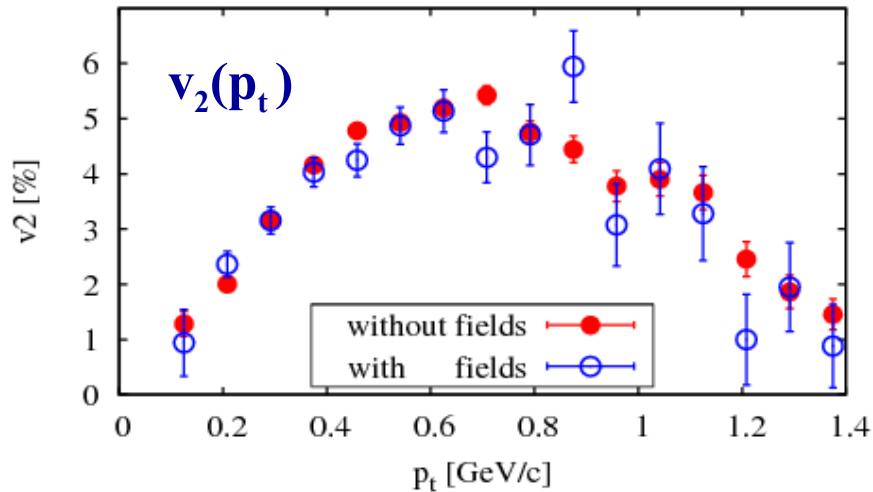
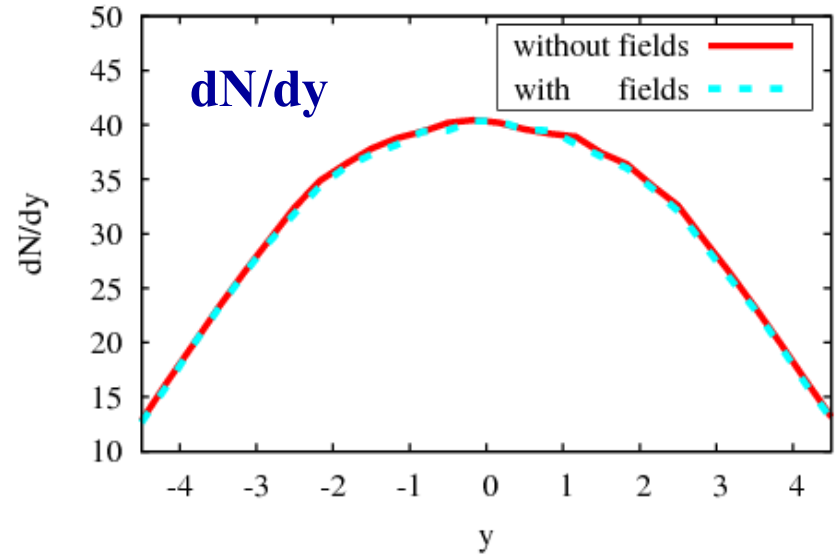
$$e B(\tau = 0.2 \text{ fm}) = 10^3 \sim 10^4 \text{ MeV}^2 \sim 10^{17} \text{ Gauss}$$

Observable

AuAu, $\sqrt{s_{NN}} = 200$ GeV, $b = 11$ fm



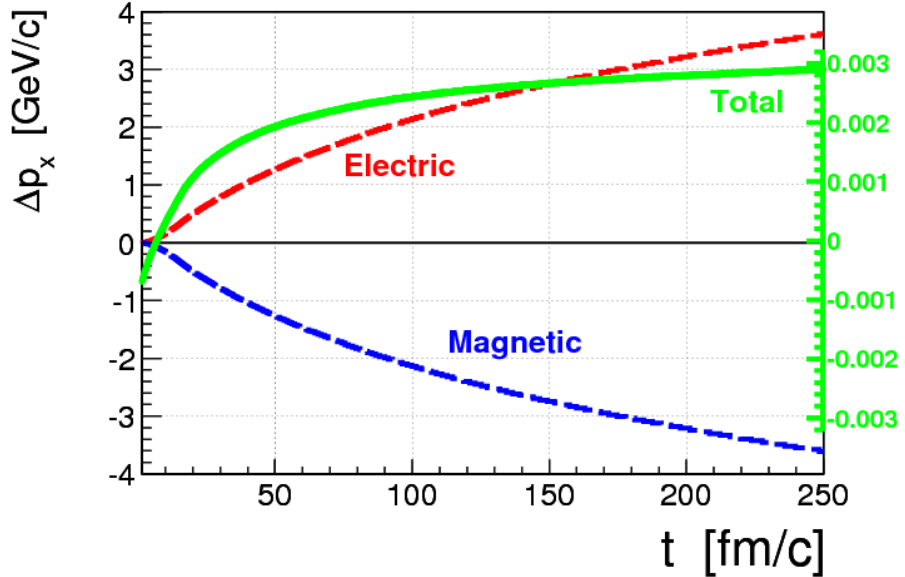
AuAu, $\sqrt{s_{NN}} = 200$ GeV, $b = 11$ fm



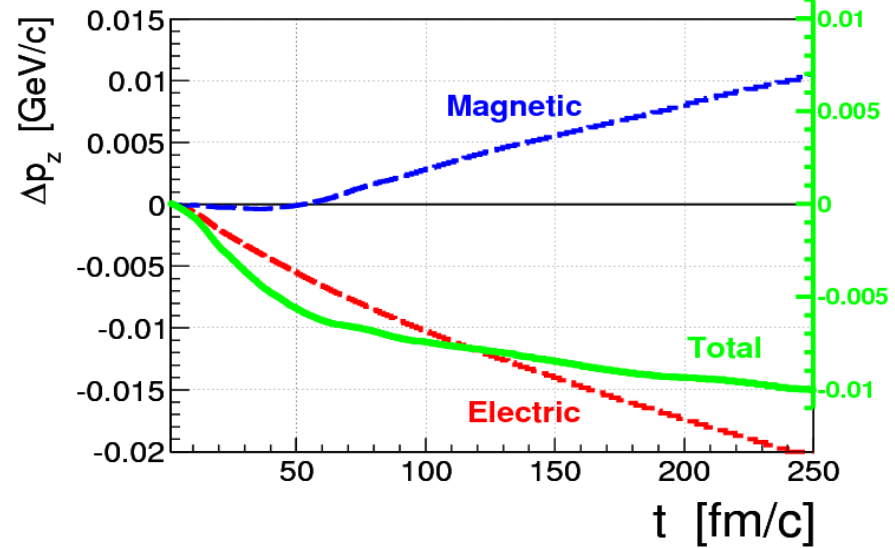
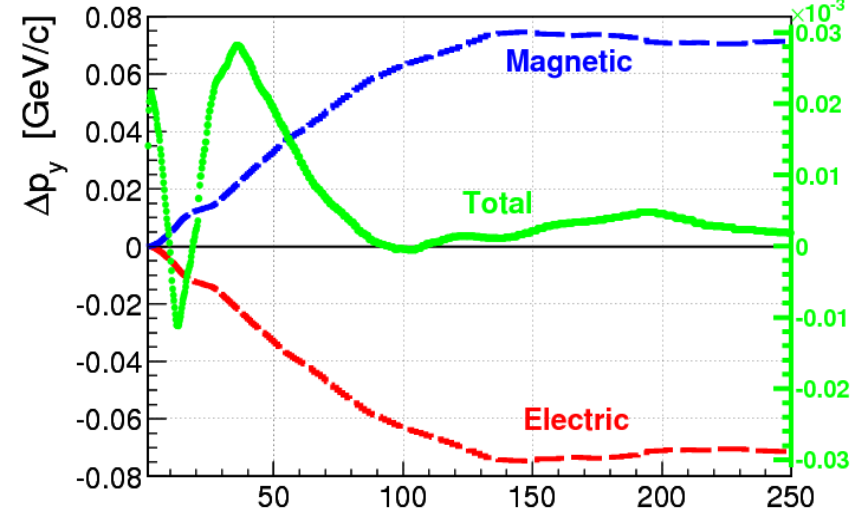
No electromagnetic field effects on global observables in symmetric nuclear collisions !

Compensation of electric and magnetic forces

AuAu 200GeV, b=10fm



AuAu 200GeV, b=10fm



$$\dot{\vec{p}} \rightarrow e\vec{E} + e\vec{v} \times \vec{B}$$

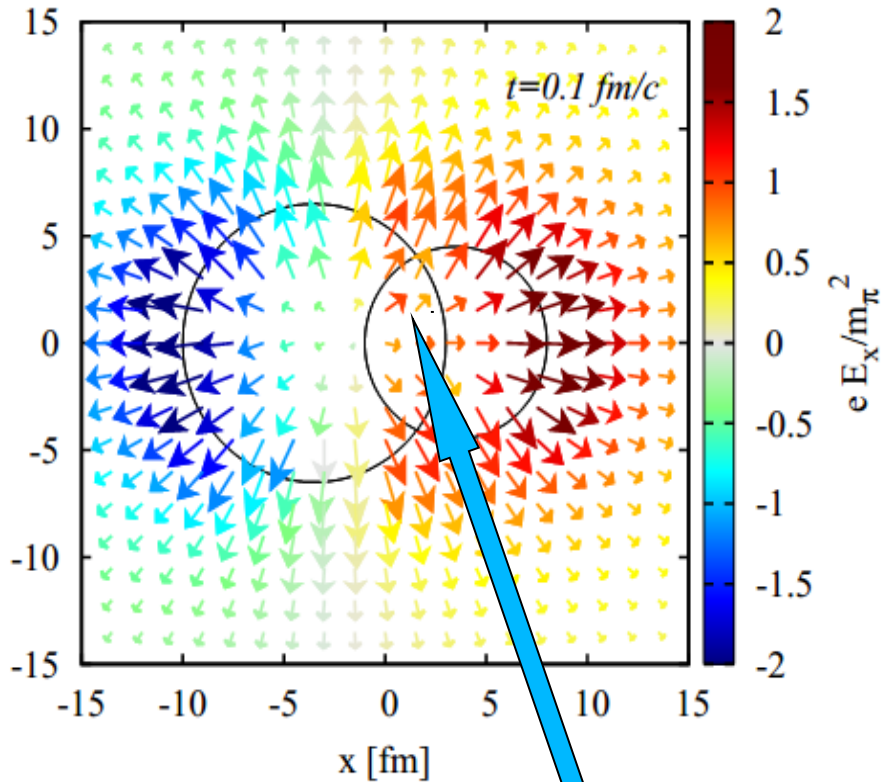
$$\Delta\vec{p} = \sum_i \langle \delta\vec{p} \rangle_i \quad \text{for } p_z > 0$$

Transverse momentum increments Δp due to electric and magnetic fields compensate each other !

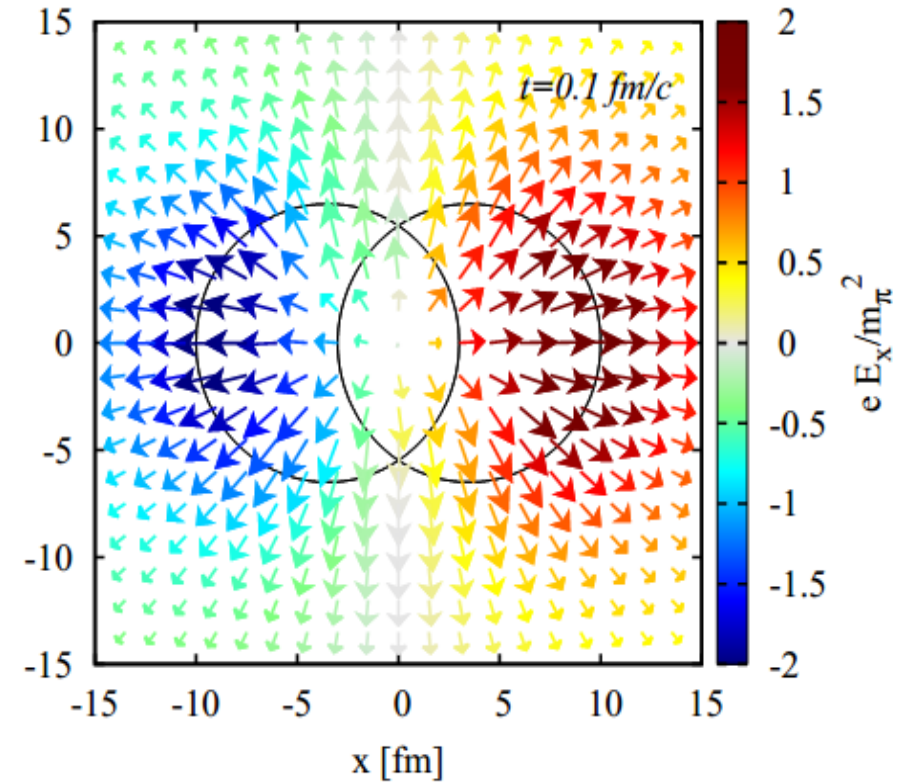
$$eE = -e \frac{\partial A}{\partial t} \sim -e \frac{\partial A}{\partial x} \frac{dx}{dt} \sim -eBv$$

Electric field E_x in asymmetric collisions

Cu+Au (200 GeV)



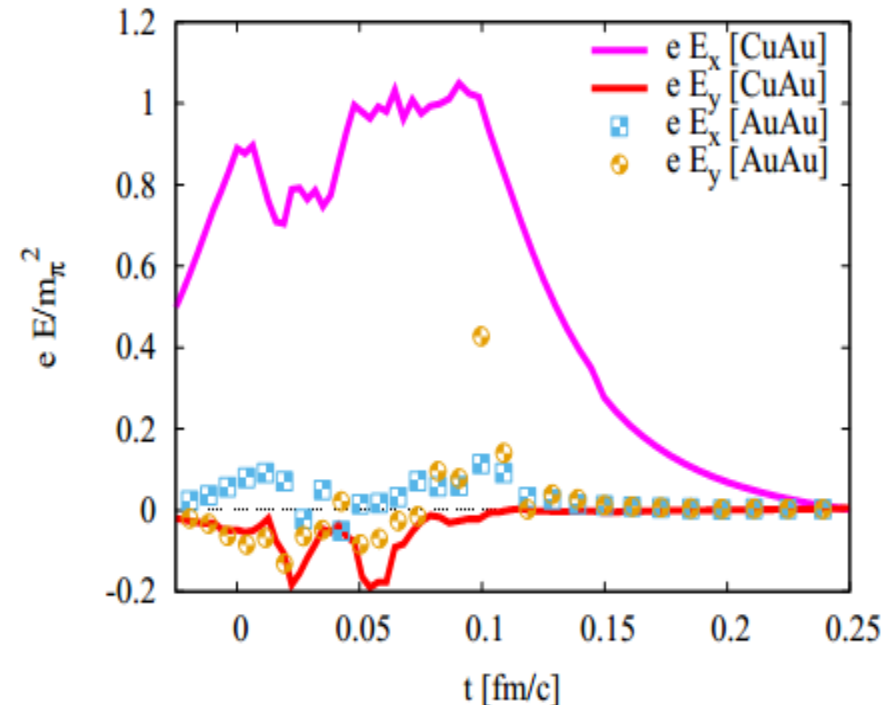
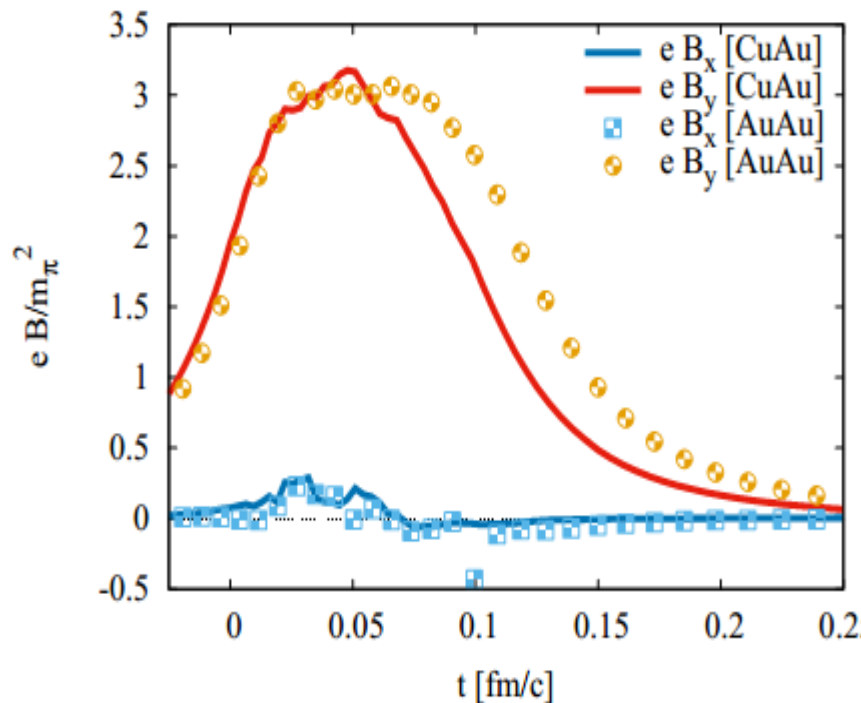
Au+Au (200 GeV)



In the overlapping region of **asymmetric** peripheral collisions a finite electric current appears to be directed from the heavy nuclei to light one.

Fields in symmetric and asymmetric systems

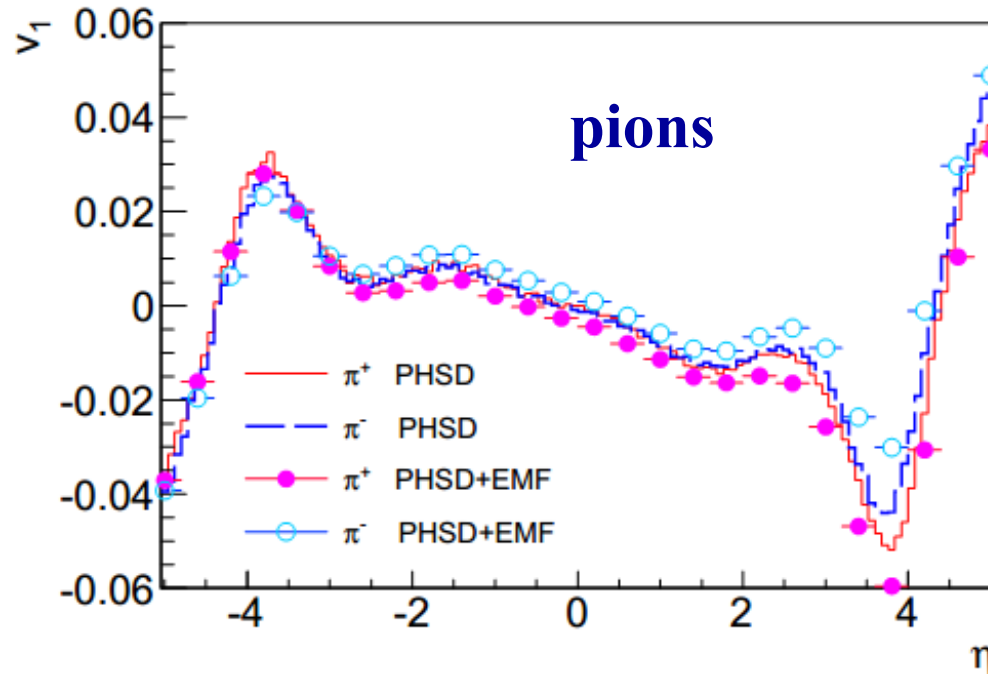
Au+Cu/Au ($\sqrt{s}=200$ GeV)



Time dependence of magnetic and electric fields in the center of overlapping region: creation of the non-compensated electric field E_x in asymmetric Cu+Au collisions and almost vanishing E_x , E_y components in the symmetric case.

Charge-dependent v_1 distributions in PHSD

Cu+Au ($\sqrt{s}= 200$ GeV)

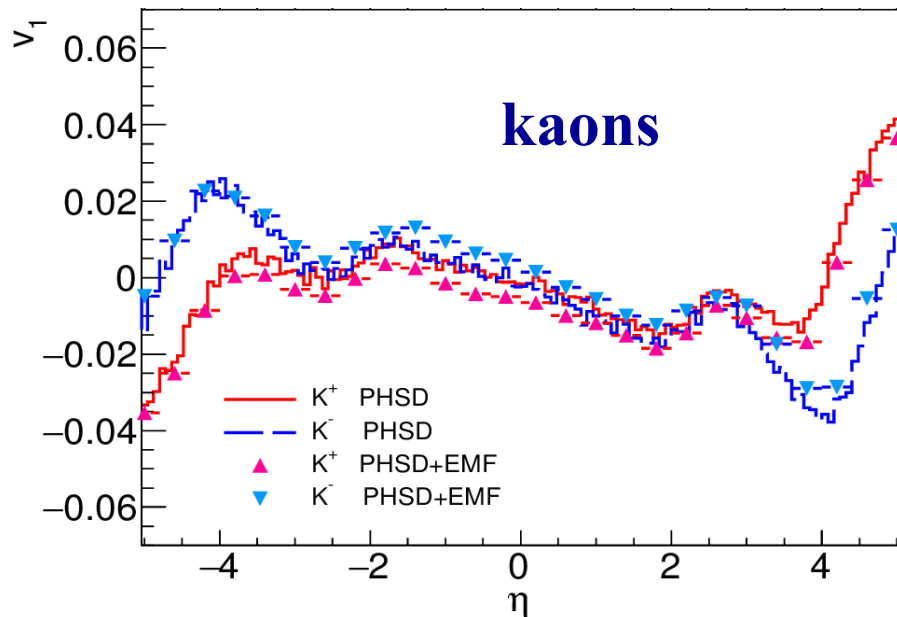


$$v_1(\eta) = \langle \cos(\phi - \phi_{RP}) \rangle = \left\langle \frac{p_x}{\sqrt{p_x^2 + p_y^2}} \right\rangle$$

$$N_{ev} = 10^6$$

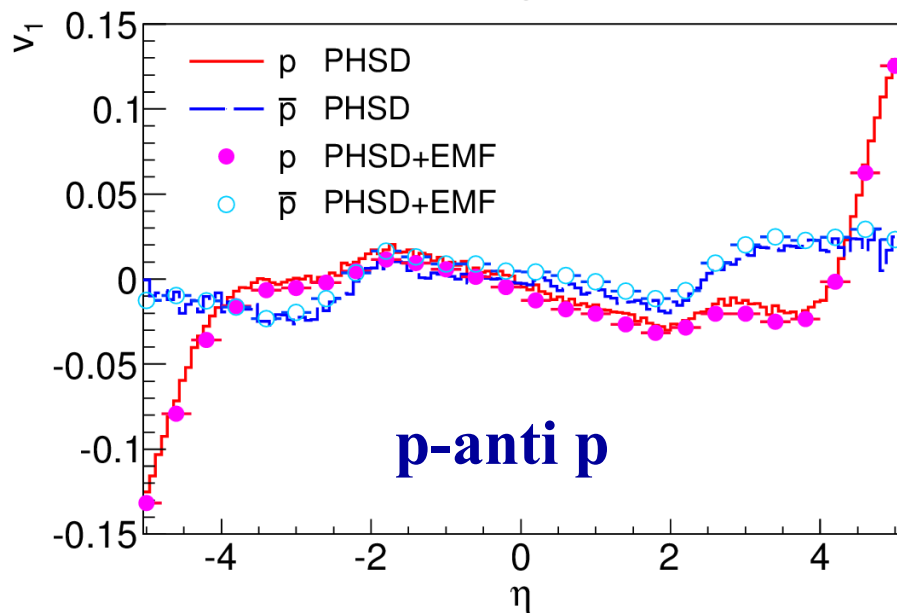
Distributions for the same hadron masses
but opposite electric charges **are splitted**
and this can be observed !

η -distributions of v_1 at RHIC



Cu+Au (200 GeV)

Kaon pseudorapidity spectra look like that for pions but not as for protons-antiprotons



V.Voronyuk et al.,
Phys. Rev. C90,
064903 (2014)

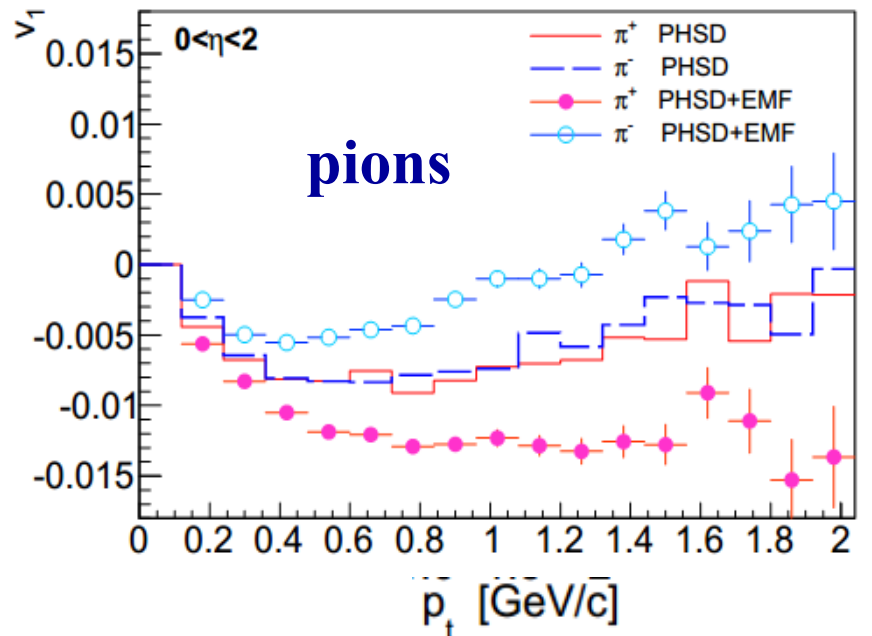
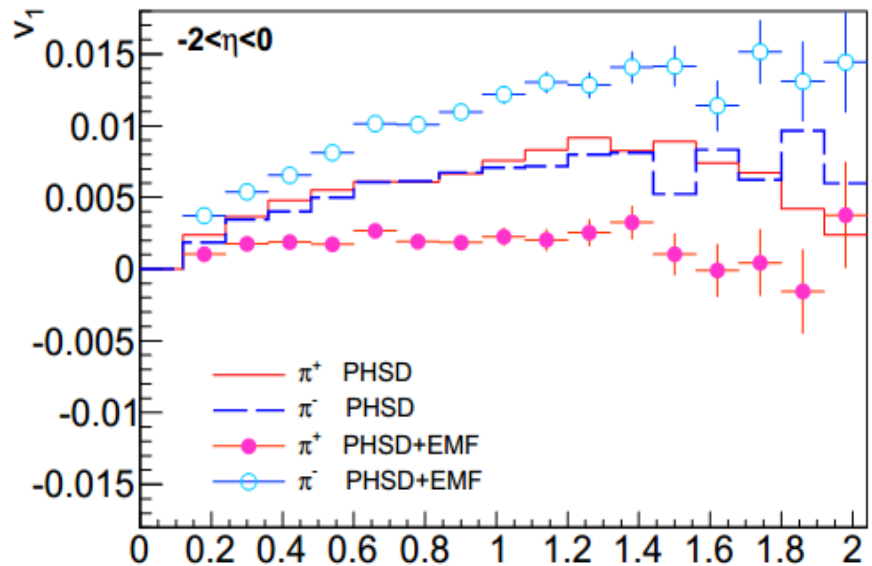
p_t distributions of v_1 at RHIC

Cu+Au ($\sqrt{s}=200$ GeV)

The transverse momentum v_1 distributions of +/- pions are different in the Cu- and Au-sites. The shape of spectra differs in forward and backward semispheres

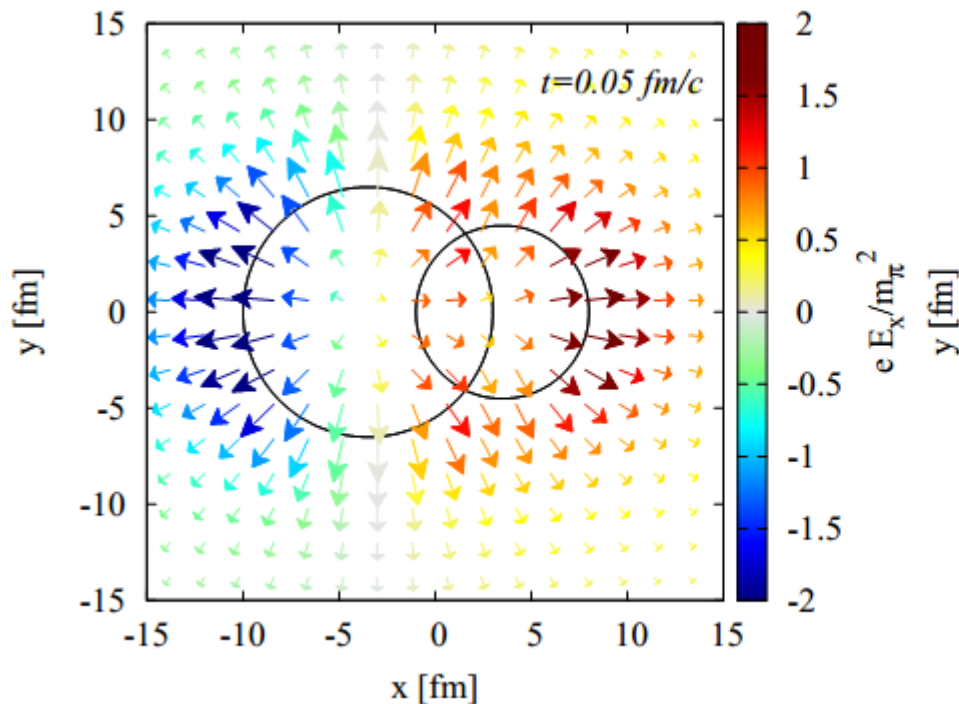
The difference between $v_1(p_T)$ for π^+ and π^- is prominent and getting larger with the p_T increase

Distributions for the same hadron masses but opposite electric charges **are splitted** and this can be observed !



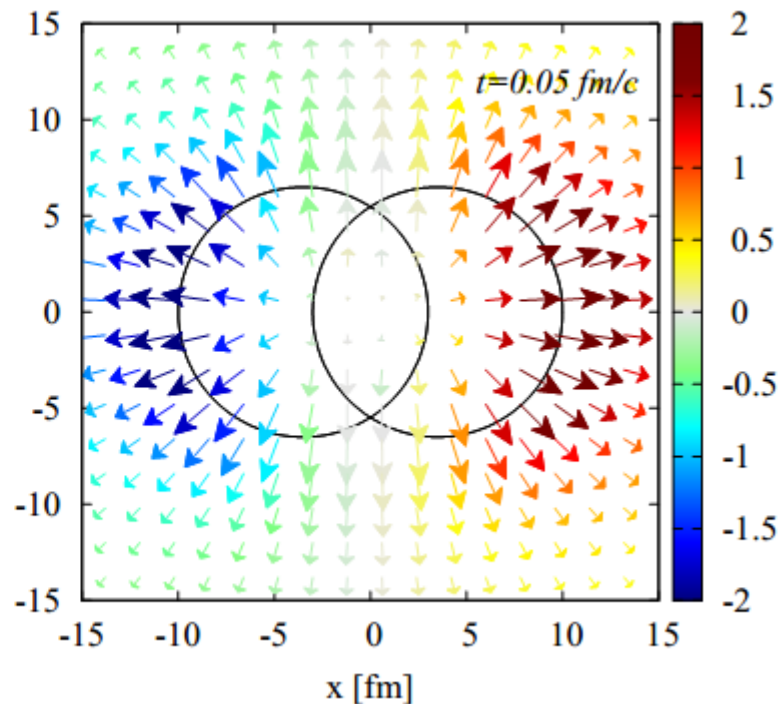
Charge-dependent v_1 distributions at NICA

Cu+Au ($\sqrt{s}=9$ GeV)



Electric field is directed from Cu to Au nucleus

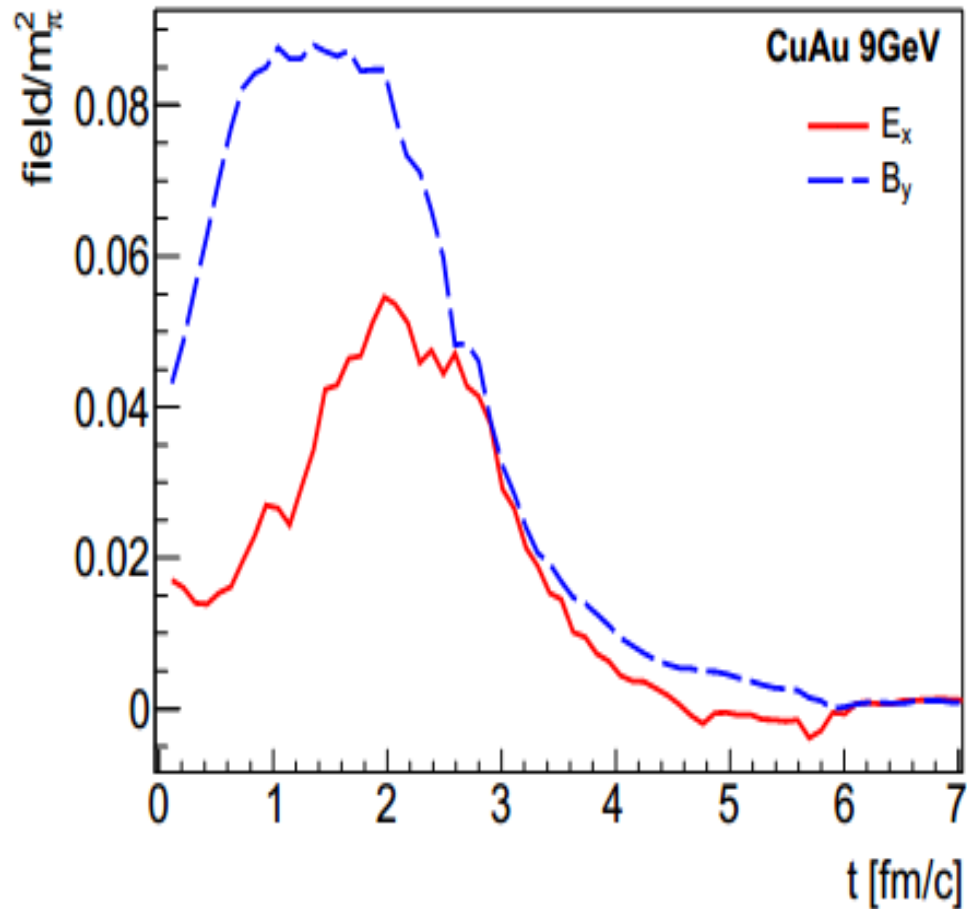
Au+Au ($\sqrt{s}=9$ GeV)



No field in the overlapping region of Au+Au collisions

Charge-dependent v_1 distributions at NICA

Cu+Au (9 GeV)



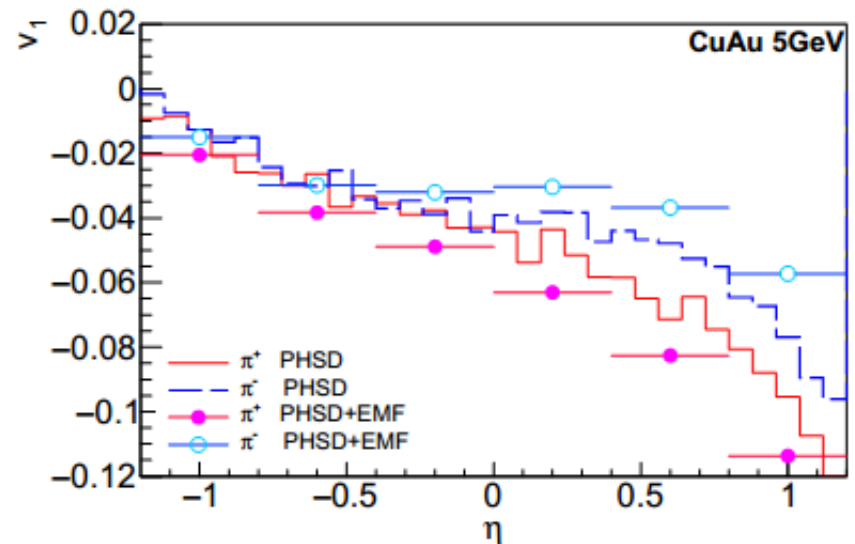
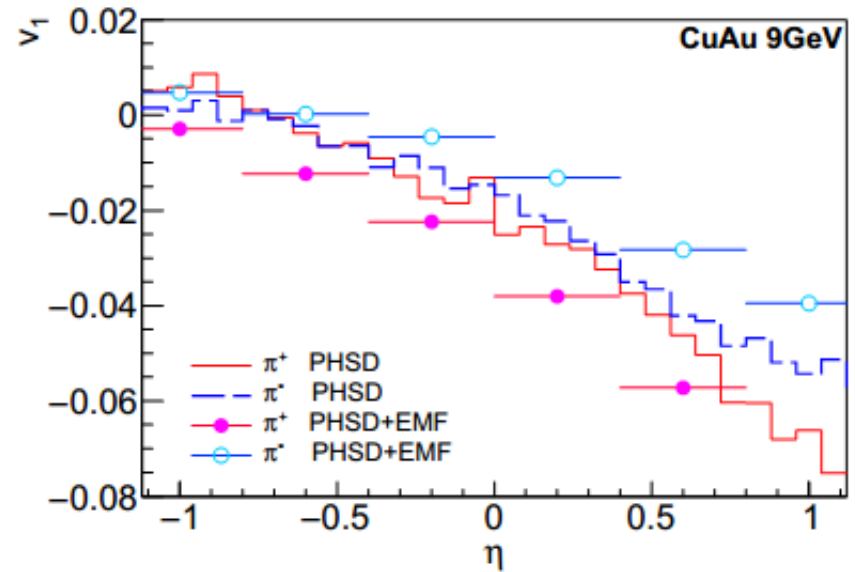
Field evolution in the center of overlapping region

Charge-dependent v_1 distributions at NICA

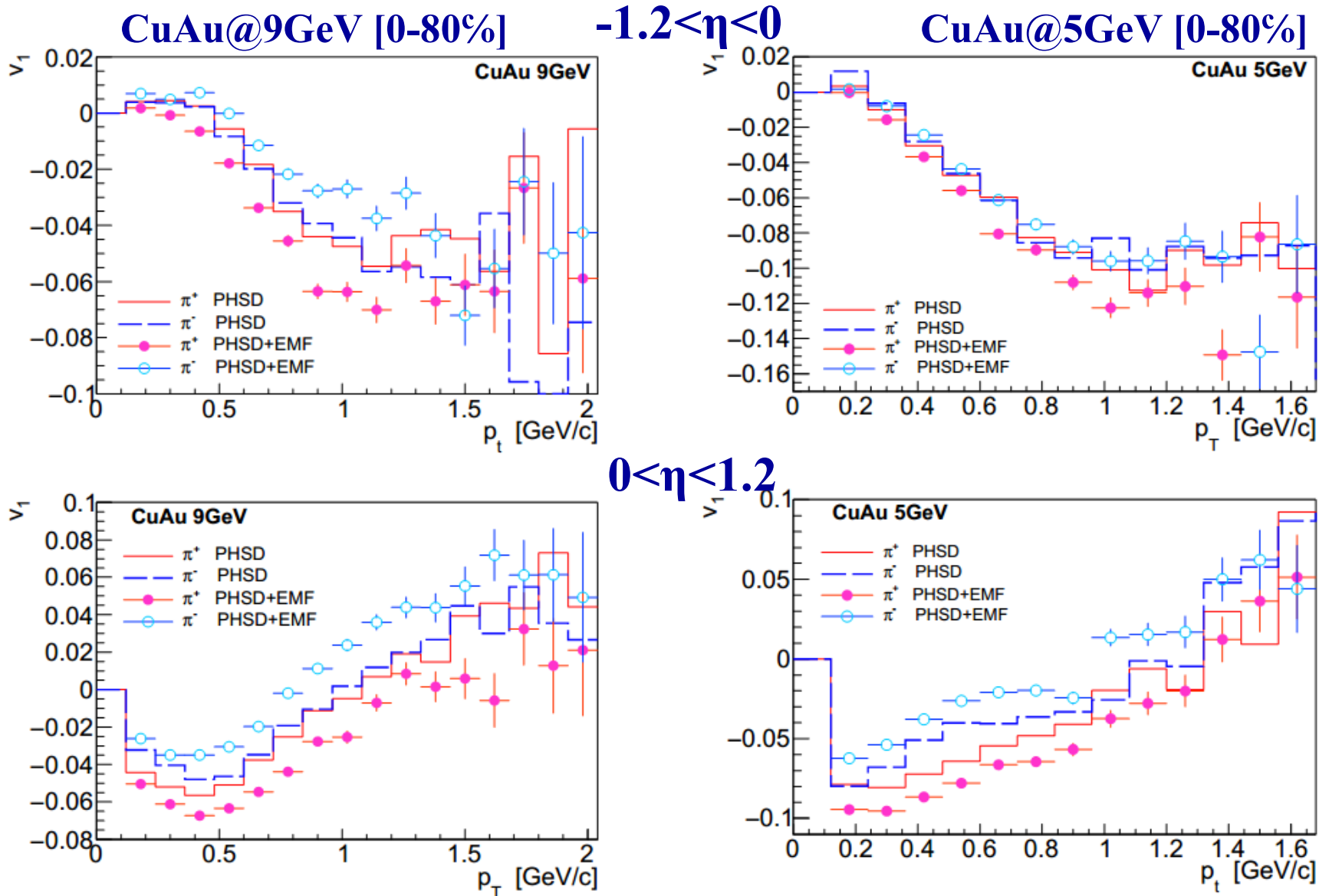
In the presence of the electromagnetic force the splitting of π^+ and π^- is clearly seen \Rightarrow A signal of the strong electric strength is realized in heavy-ion collisions

TPC: $\eta < 1.2$ $p_T > 0.15$ GeV/c

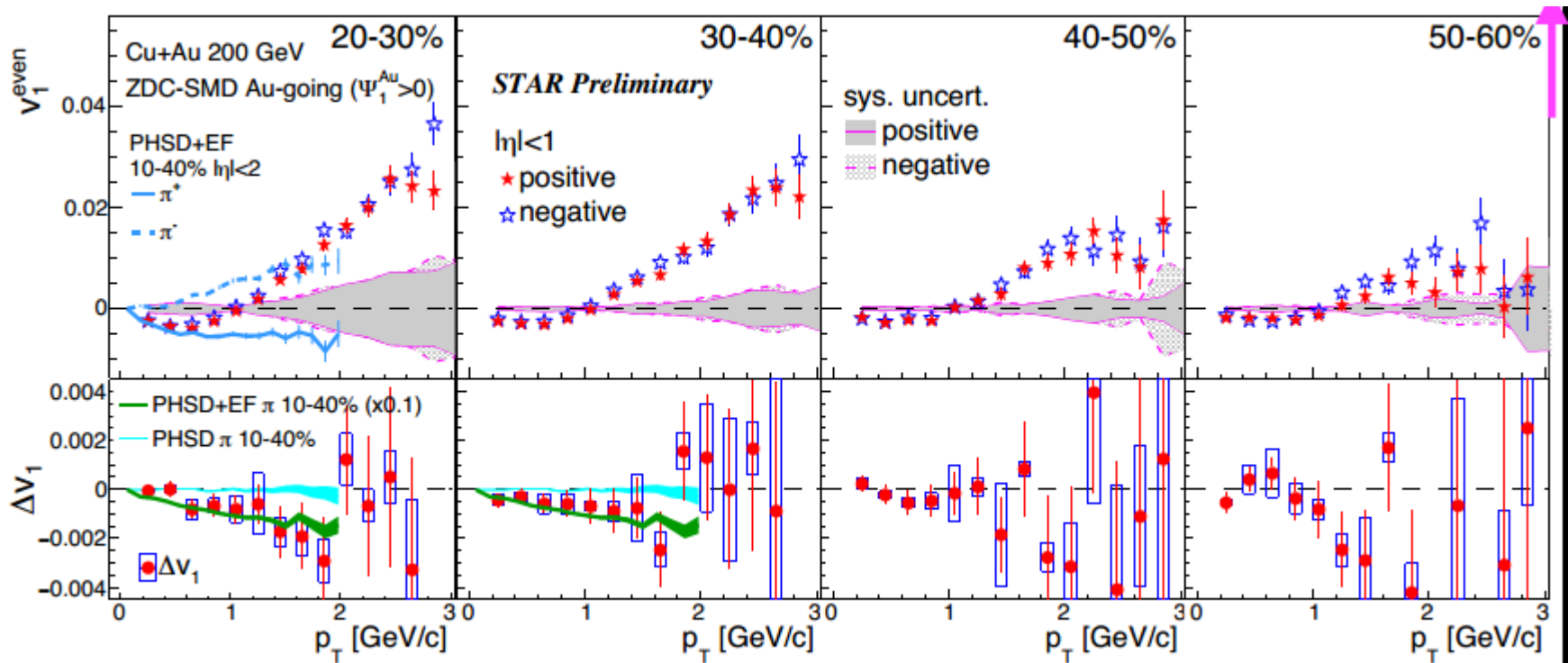
V.Toneev, O.Rogachevsky, V.Voronyk,
Contribution to NICA WP (EPJA, 2015)



Charge-dependent p_T distributions at NICA



Comparison to STAR data (QM2015-T.Niida)



$\Delta v_1 = v_1(h^+) - v_1(h^-)$, and $v_1 \sim 1\%$, $\Delta v_1 < 0.2\%$

- Δv_1 looks to be negative in $p_T < 2$ GeV/c,
- similar p_T dependence to PHSD model (PRC90.064903), but smaller by a factor of 10

Finite Δv_1 indicates the **existence of E-field**

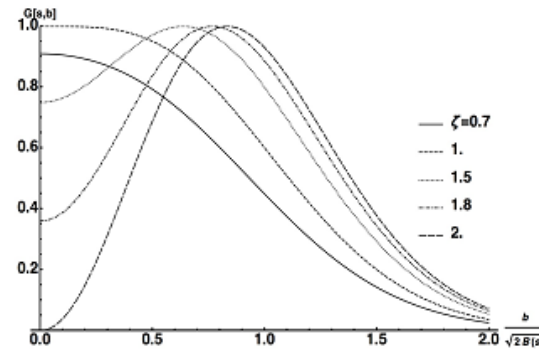
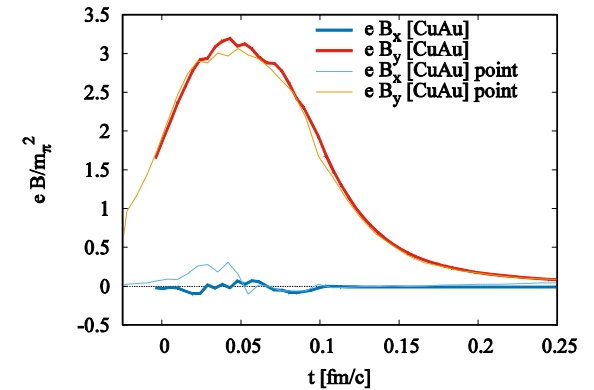
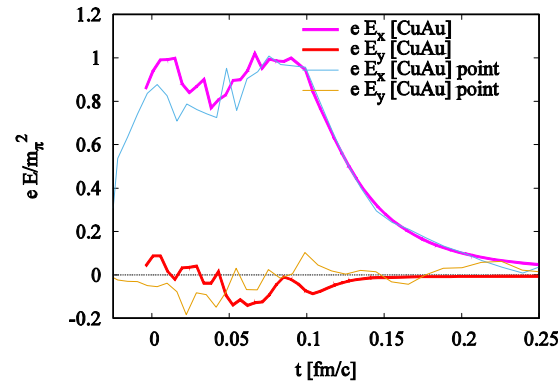
v_1 splitting -- an electric field puzzle ?

Coulom singularity.
Point-like and ball-like
charges (PHSD) ?

Transition to the
hollowed toroid-like
proton shape (analysis
of elastic pp scattering) ?

Electric σ and chiral σ_χ
magnetic conductivity ?
(arXiv:1602.02223)

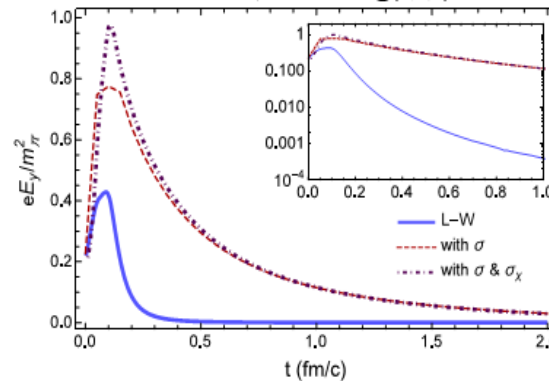
Cu+Au(200) $b=7\text{fm}$ (1,0,0)



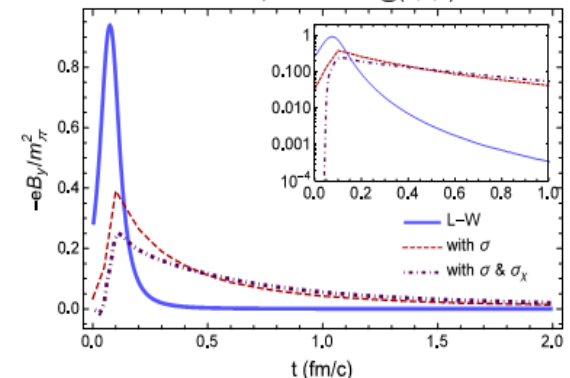
pp
ISR
LHC
black disc

I.M. Dremin,
arXiv:1605.08216

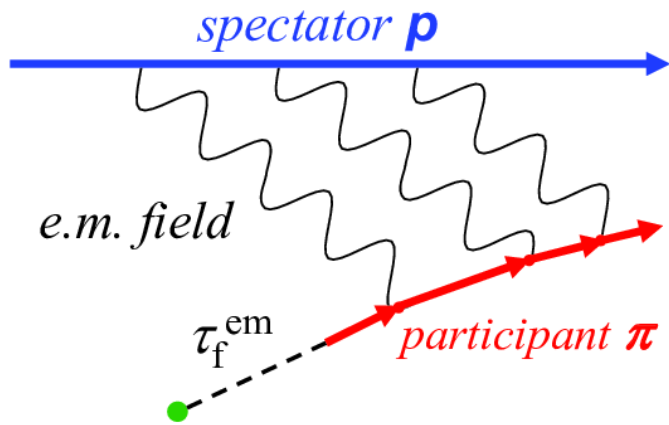
Au+Au $\sqrt{s}=200\text{GeV}$ @(0,6,0)



Au+Au $\sqrt{s}=200\text{GeV}$ @(0,6,0)



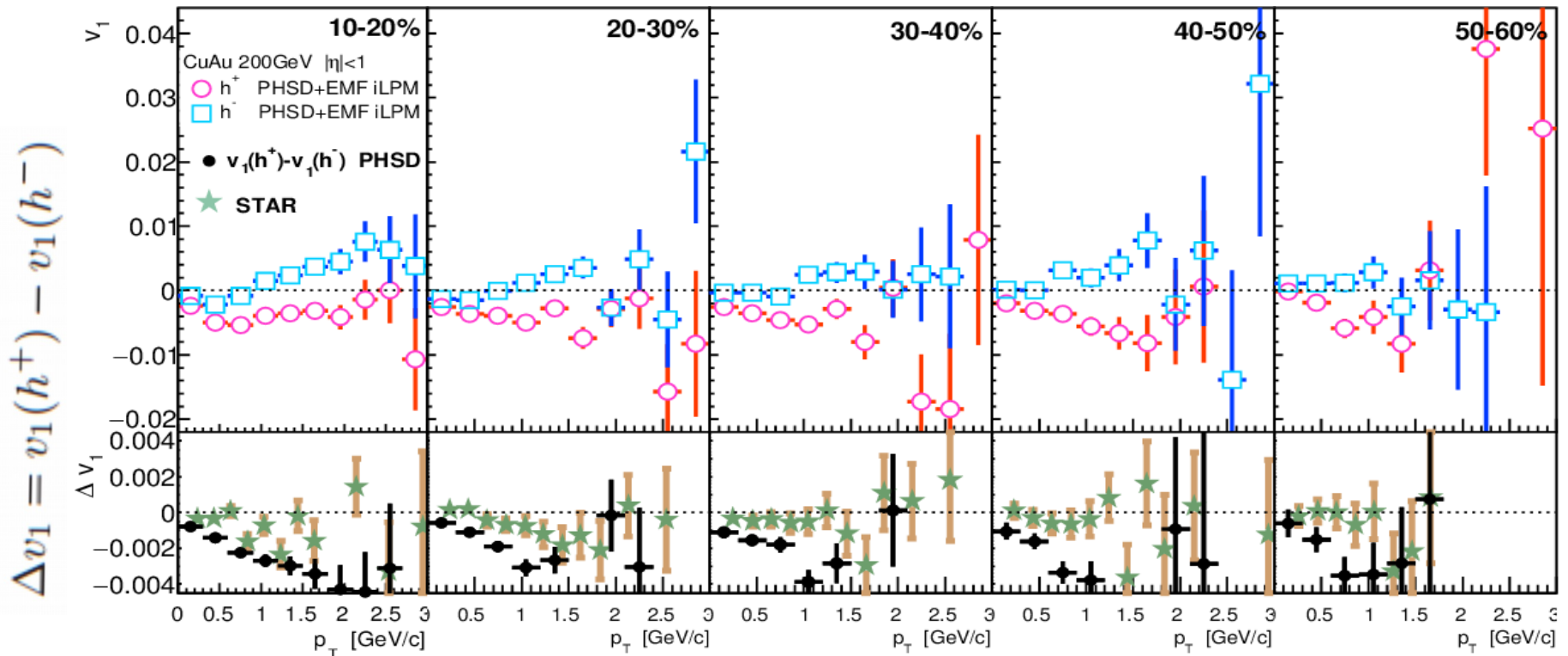
Inverse Landau-Pomeranchuk-Migdal effect



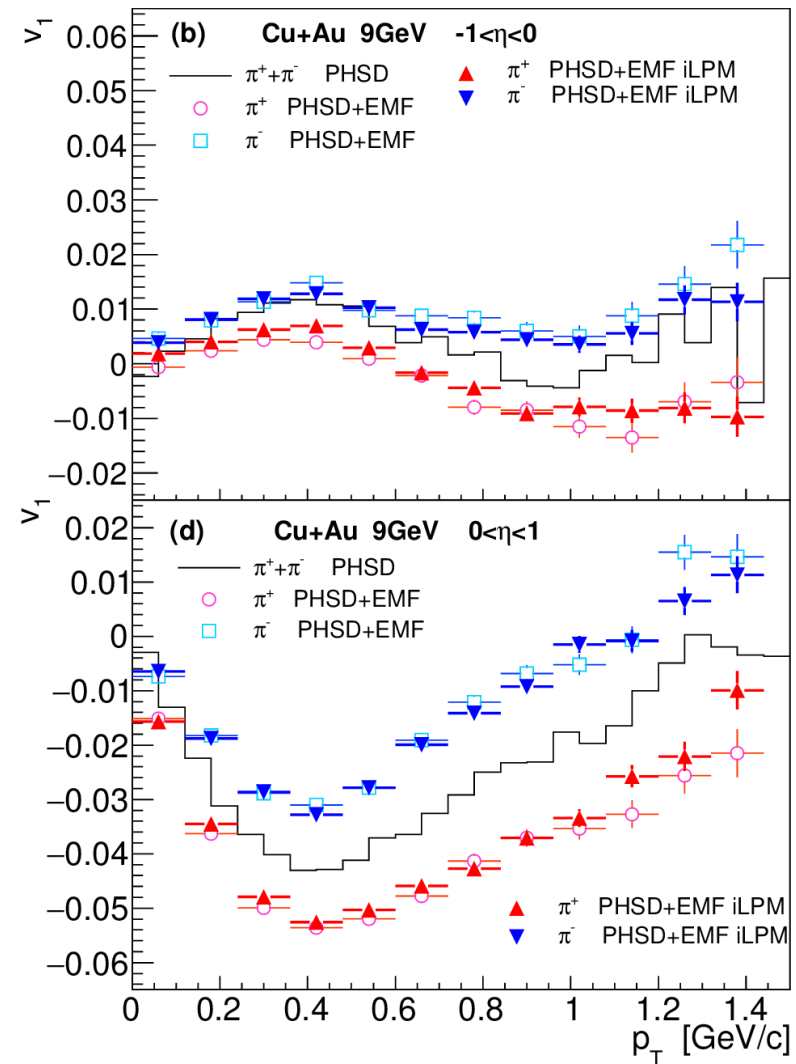
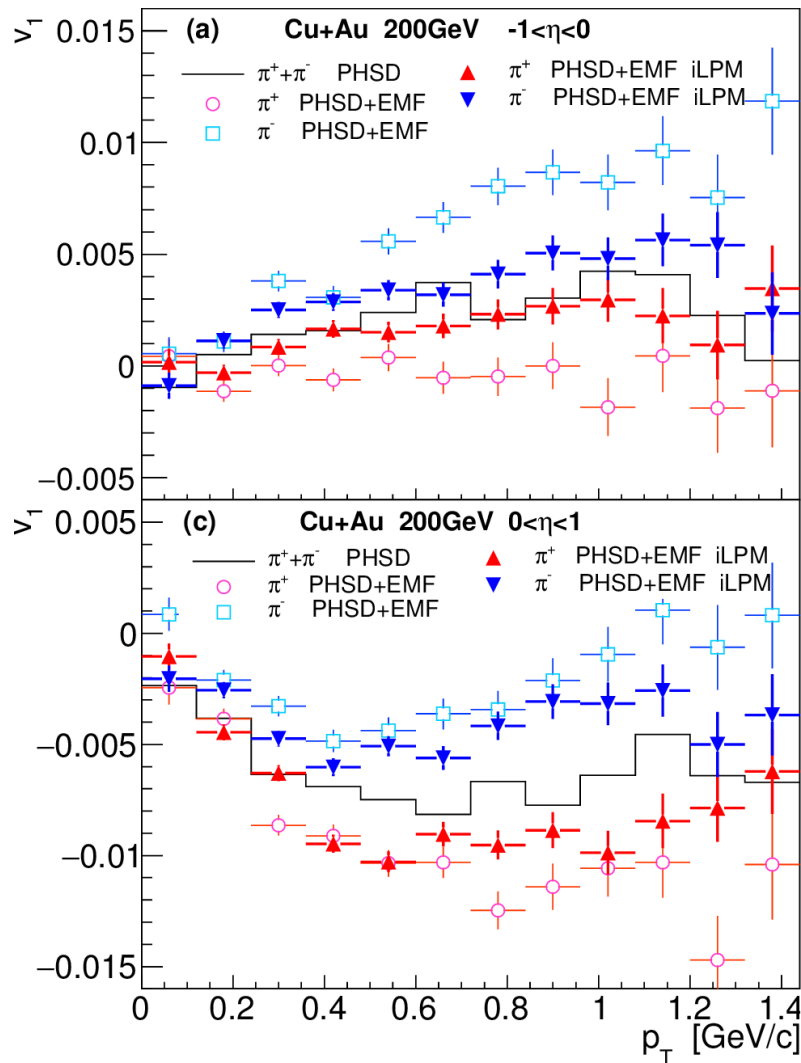
$$\tau_f^{\text{em}} = (1/10) \tau_f \quad \tau_f = \tau_0 E/m_t$$

Electric charge does not feel
the EM field only during
very short time τ_f^{em}

PhysRev C95 034911 (2017)



Inverse Landau-Pomeranchuk-Migdal effect



For NICA the magnitude of flow is much high + iLPM effect is suppressed.

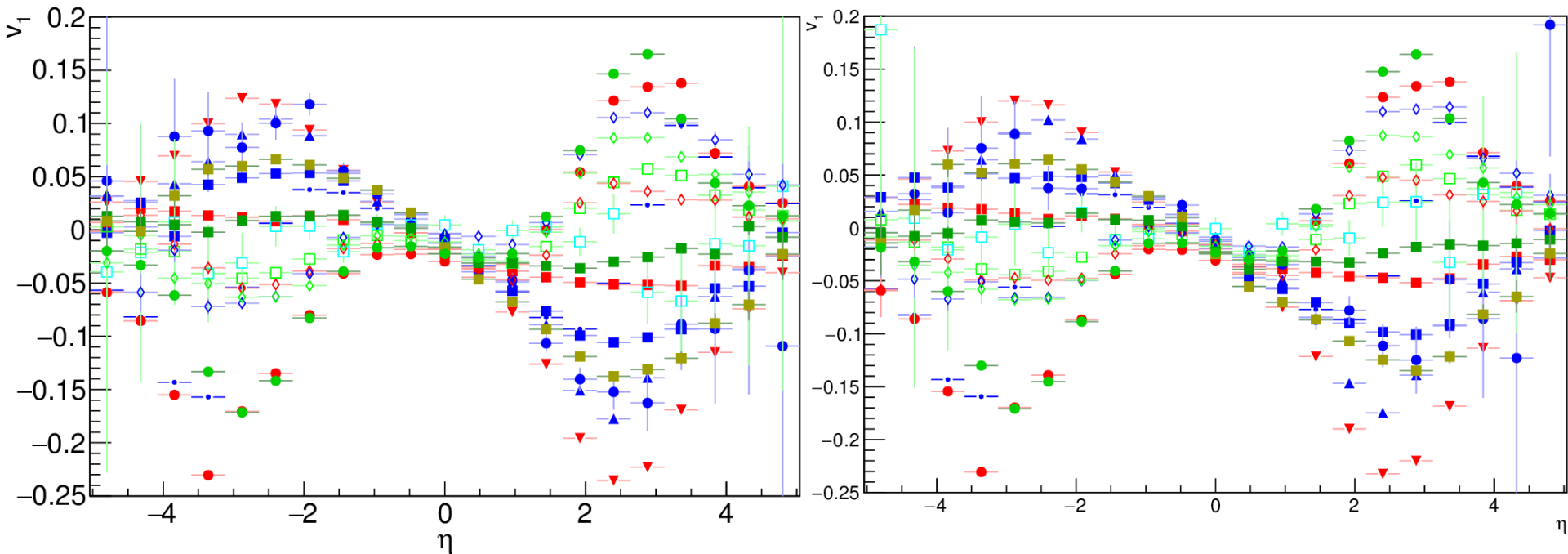
HSD+EMF

vs

PHSD+EMF ?

Is it any splitting for charged partons?

AuAu 9GeV [20-30%] (3.5M events)

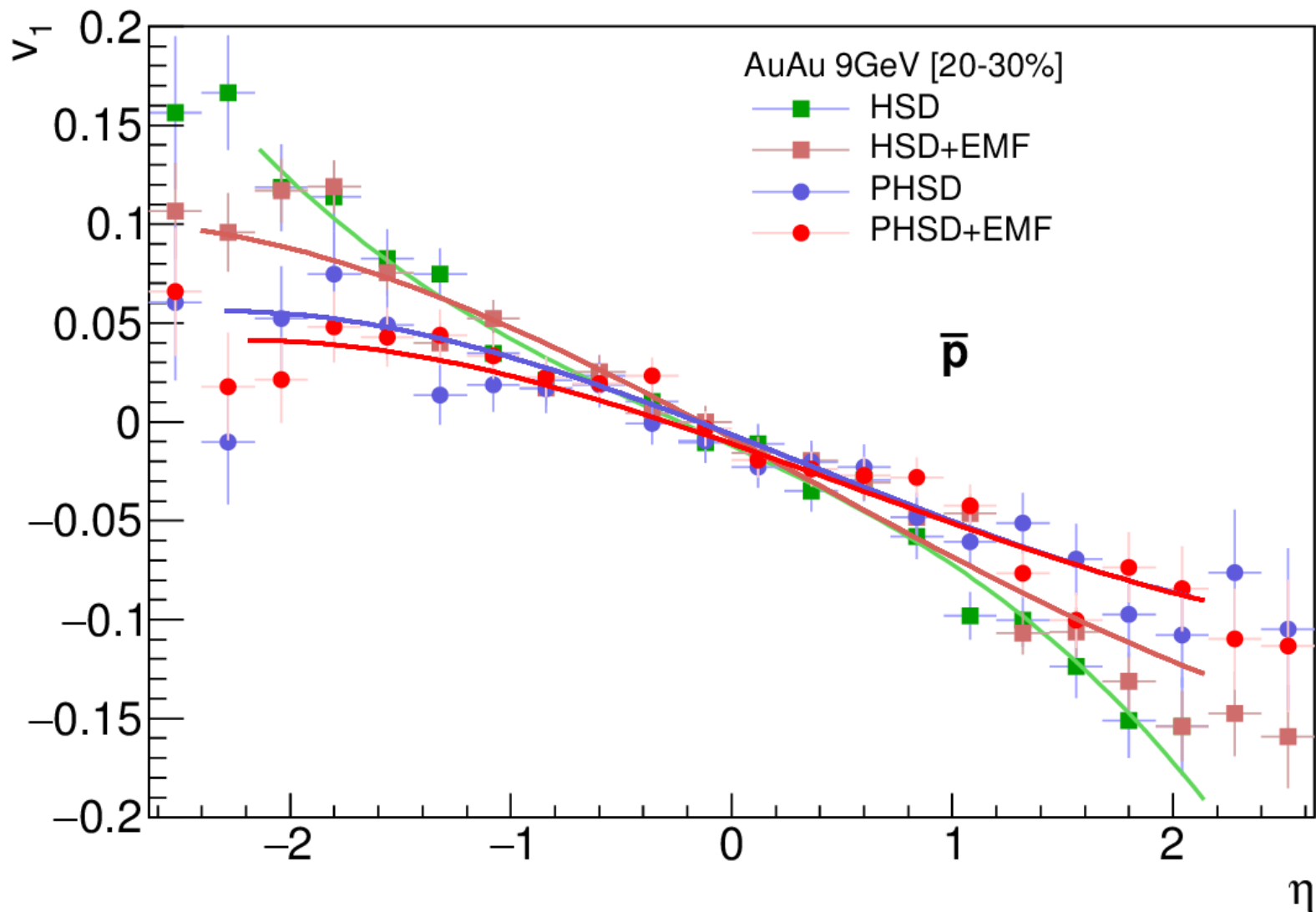


Red – positive Blue – negative Green – neutral

HSD+EMF

vs

PHSD+EMF ?



No visible difference at 9GeV.

Conclusions

- The microscopic PHSD approach is generalized to **include the creation of electromagnetic (EM) field** in heavy-ion collisions, its propagation and influence on the quasiparticle transport. Temporal and spacial distributions of EM fields are investigated.
- It turned out that that global characteristics are **practically insensitive to EM effects** for collisions of symmetric nuclei. The solution of this puzzle has been found: It is not due too a short interaction time but follows from **the compensation effect** between electric and magnetic components of the Lorentz force.
- It has been found that for **asymmetric colliding systems** - like Cu+Au - the directed flow **is sensitive** to the inclusion of the EM fields resulting in charge-dependent distributions. Observation of charge-dependent splitting of the $v_1(\eta, p_t)$ would evidence on the creation of strong EM fields in HIC.
- PHSD model results compared with the first STAR data at 200 GeV **overestimate** the measured directed flow splitting Δv_1 by the factor of about 10. The **inverse Landau-Pomeranchuk-Migdal effect** which suppresses the influence of the created electric field on the charge motion during a rather short initial part of the particle formation time allows one to reconcile the model results with the experiment.
- New experiments at **lower** energies (the lowest RHIC and NICA energies) are very needed.

**Many thanks to V. Toneev, E. Kolomeitsev and
W. Cassing**

***Thank you for
your attention***