

Spatial variations of the electron-to-proton mass ratio: bounds obtained from high-resolution radio spectra of molecular clouds in the Milky Way

S. A. Levshakov

**Dept. Theoretical Astrophysics
A.F. Ioffe Physical-Technical Institute
St. Petersburg**

Contents

- **Short Introduction**
- **Part I. What is known**
- **Part II. What is new**
- **Conclusions**

Atomic & Molecular Discrete Spectra

allow to

probe variability of

$$\alpha = e^2/(hc) \quad \mu = m_e/m_p$$

through

relativistic corrections to
atomic energy, $\omega \propto (\alpha Z)^2 R$

and

corrections for the finite
nuclear mass, $\omega \propto \mu R$

*less important
for atoms*

*important for
molecules*

Z – atomic number
R – Rydberg constant

fine-structure levels:

$$\frac{\Delta\omega}{\omega} = 2\frac{\Delta\alpha}{\alpha}$$

molecular rotational transitions:

$$\frac{\Delta\omega}{\omega} = \frac{\Delta\mu}{\mu}$$

atomic levels, in general:

$$\omega' = \omega + q\mathbf{x} + \dots$$

$$\frac{\Delta\omega}{\omega} = 2Q\frac{\Delta\alpha}{\alpha}$$

$$\Delta\alpha = \alpha' - \alpha$$
$$\Delta\mu = \mu' - \mu$$

either spatial
or temporal
differences

$$\mathbf{x} = (\alpha' / \alpha)^2 - 1$$

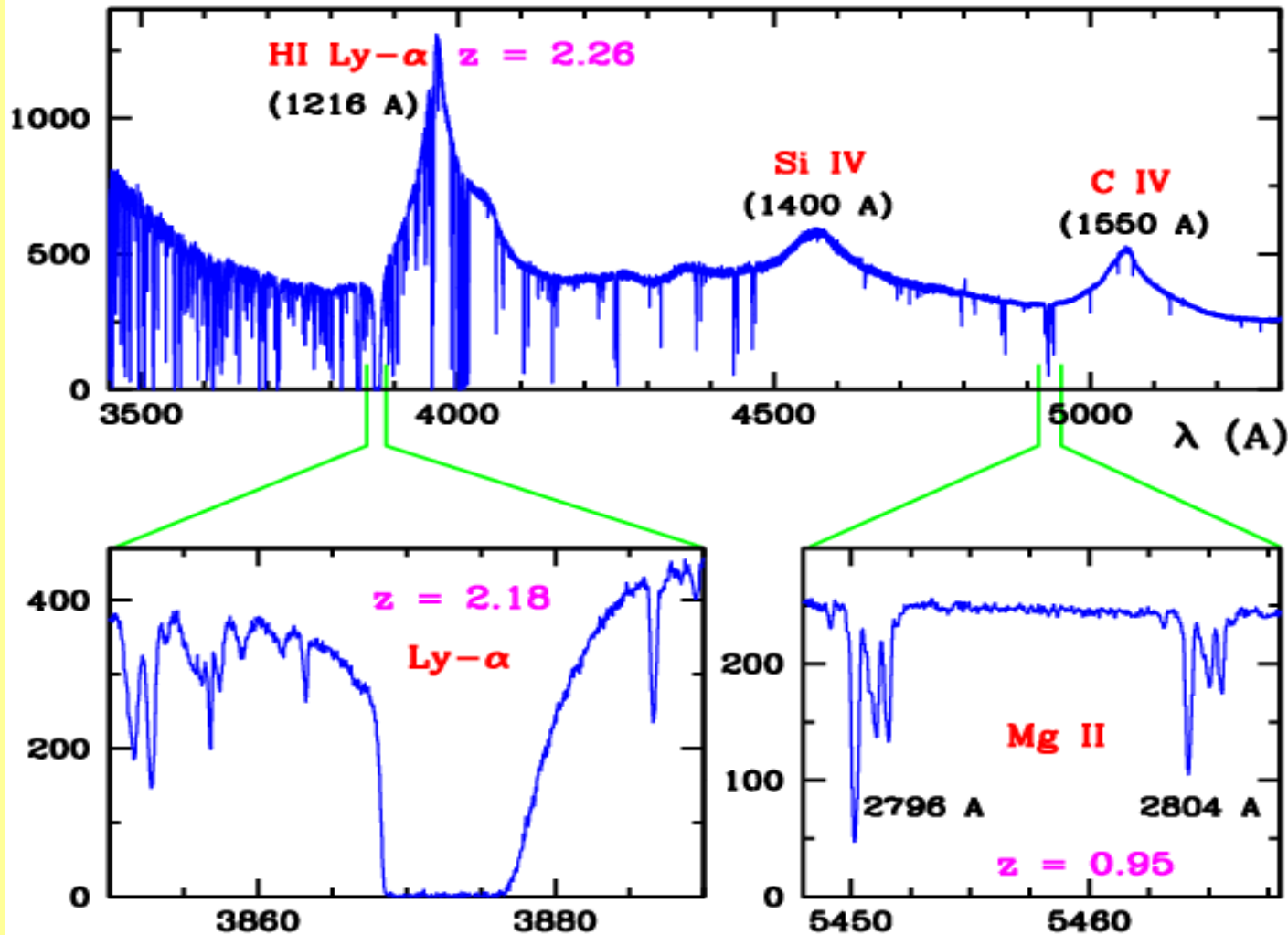
$$Q = q/\omega$$

dimensionless
sensitivity coefficient

$$q\text{-factor } [\text{cm}^{-1}]$$

individual for
each atomic
transition

Part I. Cosmological Temporal Variations



Quasar spectra

VLT/UVES

Redshift:

$$z = (\lambda - \lambda_0) / \lambda_0$$

$z \sim 2 \rightarrow$

$\Delta t \sim 10^{10}$ yr

Single ion $\Delta\alpha/\alpha$ measurements

FeII

2600

2586

2382

2374

2344

1608

$Q \sim 0.04$

$Q \sim -0.02$

$\Delta Q \sim 0.06$

$$\frac{\Delta\alpha}{\alpha} = \frac{1}{2} \frac{z_1 - z_2}{(Q_2 - Q_1)(1+z)} = \frac{\Delta v}{2c \Delta Q}$$

FeI

2967

3021

2484

3441

3720

3861

$Q \sim 0.08$

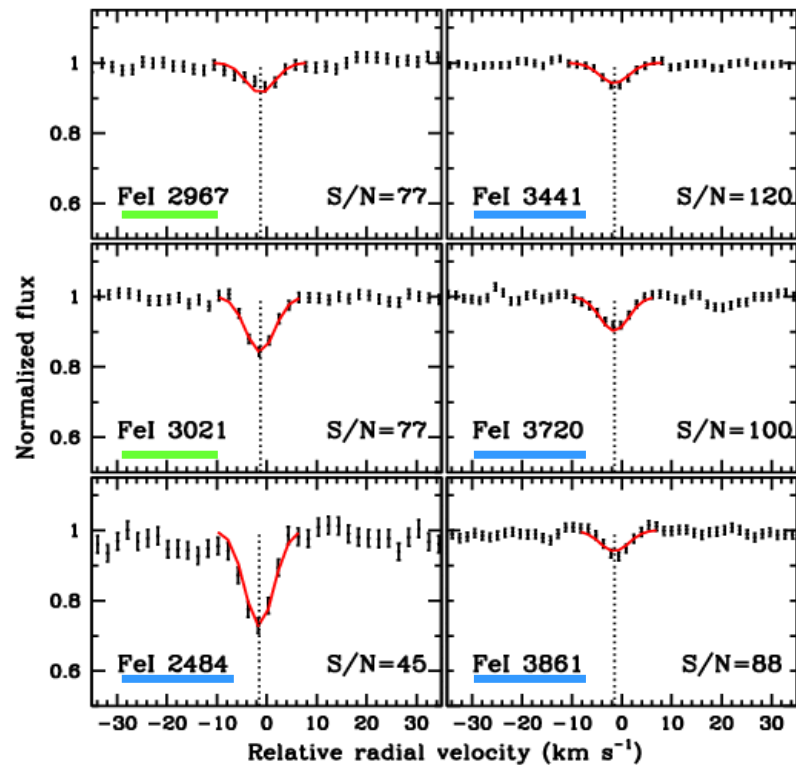
$Q \sim 0.03$

$\Delta Q \sim 0.05$

QSO HE 0001-2340

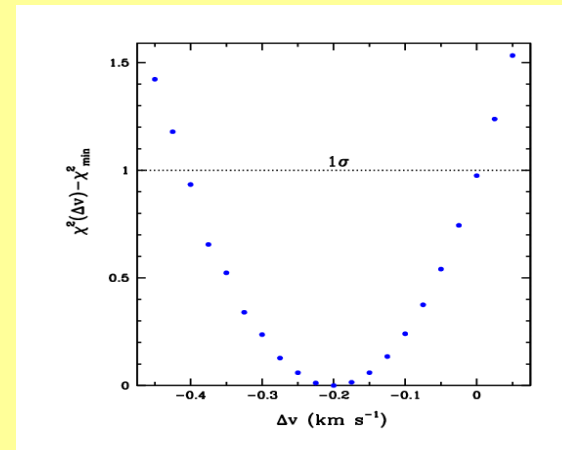
neutral iron FeI resonance
transitions at $z=0.45$

Doppler width ≤ 1 km/s (!)
Simple one-component profiles



— $Q \approx 0.08$

— $Q \approx 0.03$



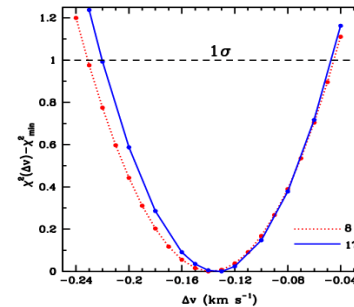
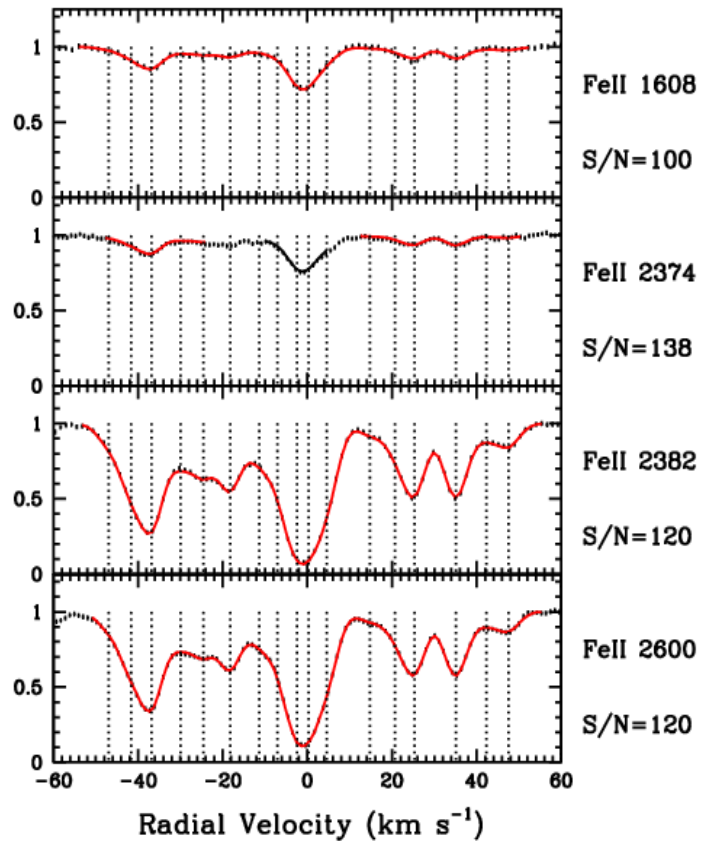
$$\Delta v = -200 \pm 200 \text{ m/s}$$

$$\Delta\alpha/\alpha = 7 \pm 7 \text{ ppm}$$

Q 1101-264

the highest resolution spectrum, FWHM = 3.8 km/s

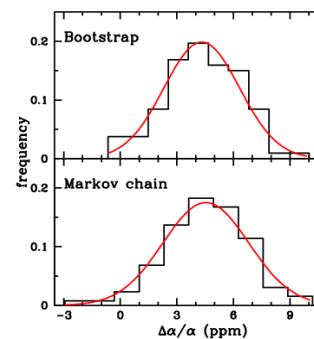
FeII resonance transitions at z=1.84



Current estimate:

$$\Delta v = -130 \pm 90 \text{ m/s}$$

$$\Delta\alpha/\alpha = 4.0 \pm 2.8 \text{ ppm}$$



brightest QSO HE 0515-4414

FeII resonance transitions
at z=1.15

34 FeII pairs {1608,X}

X =

2344

2374

2586

Current estimate:

- 1) updated sensitivity coefficients (Porsev et al.'07)
- 2) Accounting for correlations between different pairs {1608,X}

$$\Delta\alpha/\alpha = -0.12 \pm 1.79 \text{ ppm}$$

The **most stringent** limit: $|\Delta\alpha/\alpha| < 2 \text{ ppm}$

Calibration uncertainty of $\sim 50 \text{ m/s}$ translates
into the error in $\Delta\alpha/\alpha$ of $\sim 2 \text{ ppm}$

cf. pixel size $\sim 2\text{-}3 \text{ km/s}$

Conclusions (Part I)

No cosmological temporal variations of α at the level of **2 ppm** have been found

(same for μ)

Part II. Spatial Variations (search for scalar fields)

Chameleon-like scalar field models:

dependence of masses and
coupling constants on
environmental matter density

$$\alpha = \alpha(\rho)$$

$$\mu = \mu(\rho)$$

ρ - ambient matter density

$$\rho_{\text{lab}} / \rho_{\text{ISM}} \sim 10^{14} - 10^{16}$$

Khoury & Weltman'04

Bax et al.'04

Feldman et al.'06

Olive & Pospelov'08

Ammonia Method to probe m_e/m_p

vibrational, and rotational
intervals in molecular spectra

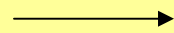
$$E_{\text{vib}} : E_{\text{rot}} \sim \mu^{1/2} : \mu$$



$$\Delta\omega_{\text{vib}} / \omega_{\text{vib}} = 0.5 \Delta\mu/\mu$$

$$\Delta\omega_{\text{rot}} / \omega_{\text{rot}} = 1.0 \Delta\mu/\mu$$

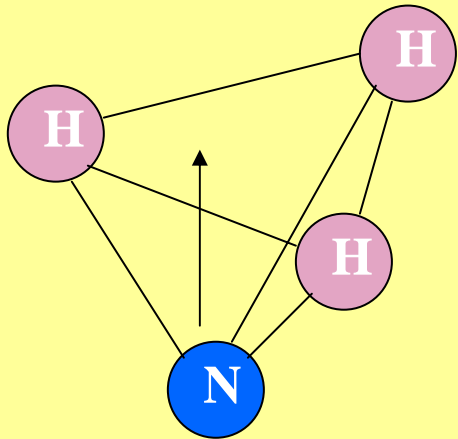
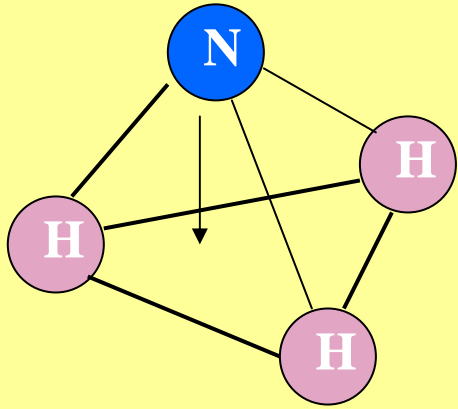
the inversion vibrational
transition in ammonia,
 NH_3 , $\omega_{\text{inv}} = 23.7 \text{ GHz}$



$$\Delta\omega_{\text{inv}} / \omega_{\text{inv}} = 4.5 \Delta\mu/\mu$$

Flambaum & Kozlov'07

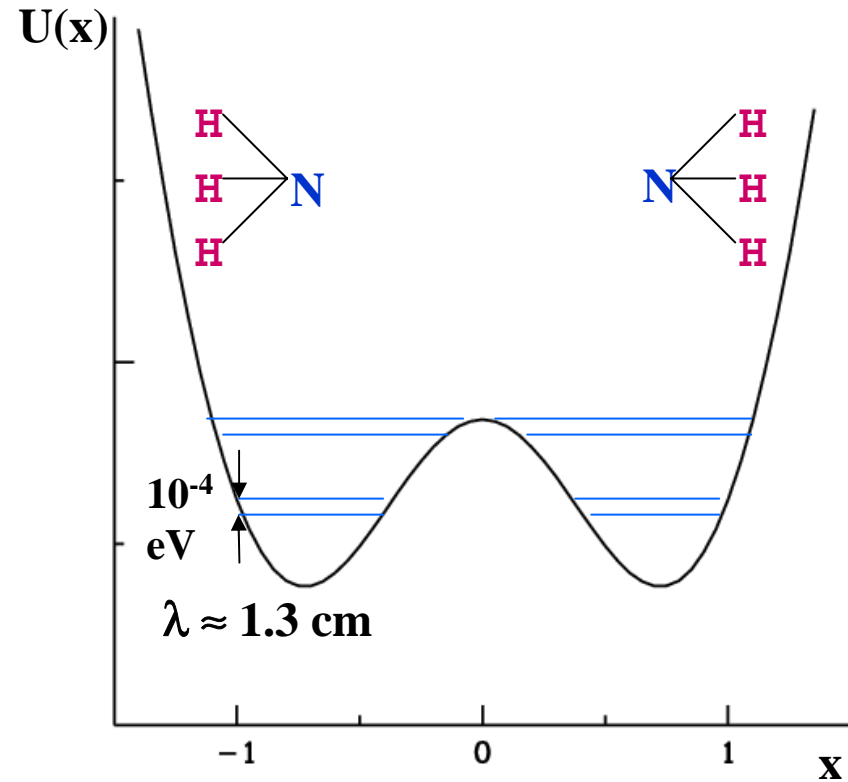
$$Q_{\text{inv}} / Q_{\text{vib}} = 9$$



Quantum mechanical tunneling

$$\omega_{\text{inv}} \sim \exp(-S)$$

the action $S \sim \mu^{-1/2}$



double-well potential of the inversion vibrational mode of NH_3

By comparing the observed inversion frequency of NH_3 with a rotational frequency of another molecule arising *co-spatially* with ammonia, a limit on the spatial variation of $\Delta\mu/\mu$ can be obtained :

$$\Delta\mu/\mu = 0.3(V_{\text{rot}} - V_{\text{inv}})/c \equiv 0.3 \Delta V / c$$

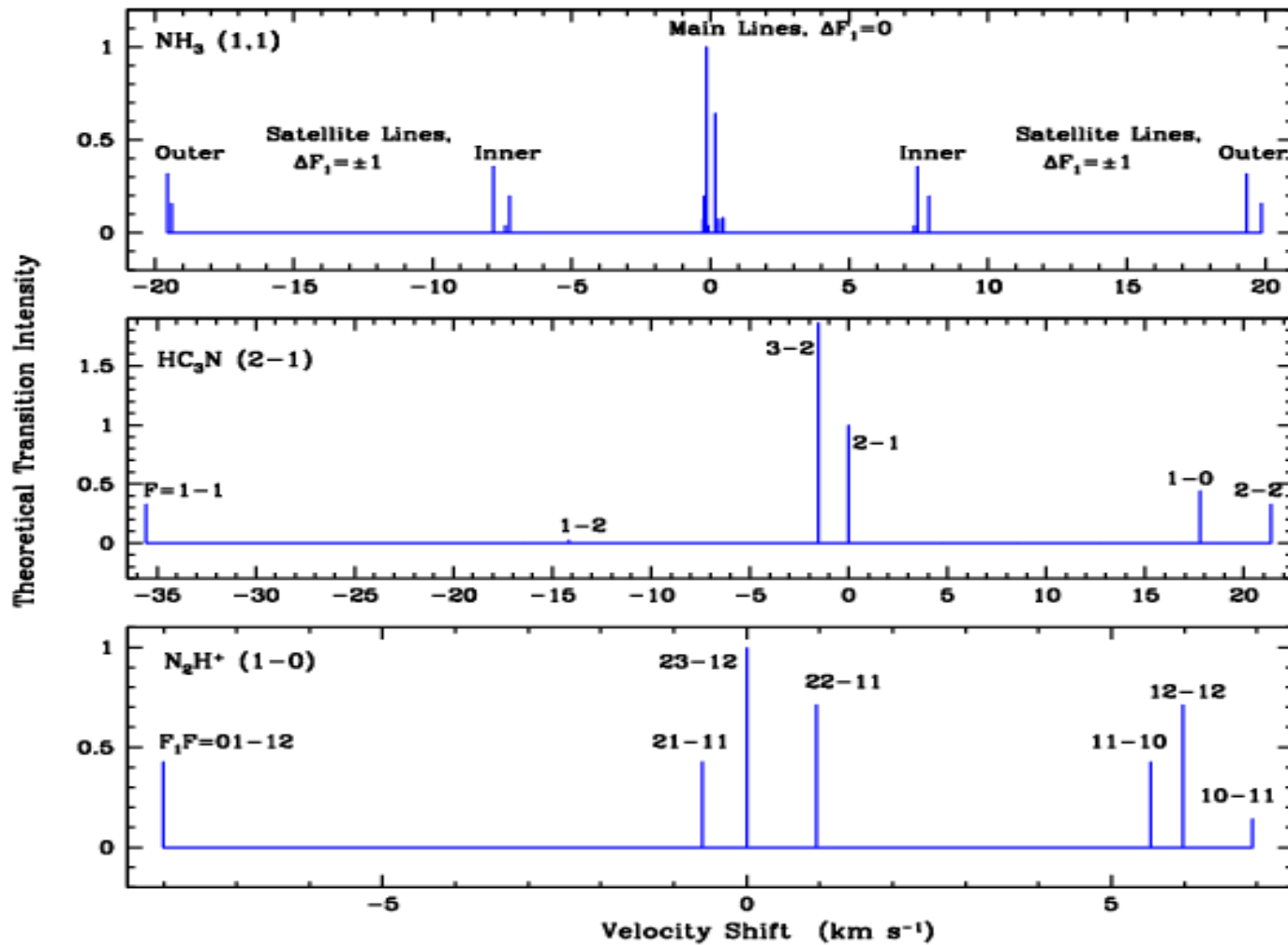
$$\Delta V = \Delta V_{\text{noise}} + \Delta V_{\mu}$$

$$\overline{\Delta V}_{\text{noise}} = 0$$

$$\overline{\Delta V} = \overline{\Delta V}_{\mu}$$

$$\text{Var}(\Delta V) = \text{Var}(\Delta V_{\text{noise}}) + \text{Var}(\Delta V_{\mu})$$

Hyper-fine splittings in NH_3 , HC_3N & N_2H^+



23 GHz

18 GHz

93 GHz

Dense molecular clouds, $n_{\text{H}} \geq 10^4 \text{ cm}^{-3}$, $T_{\text{kin}} \sim 10\text{K}$

**High-mass clumps, $M \geq 100M_{\text{solar}}$,
Infrared Dark Clouds (IRDCs)**

Low-mass cores, $M \leq 10M_{\text{solar}}$

**Protostellar cores
containing IR sources**

**Starless cores
(prestellar cores)**

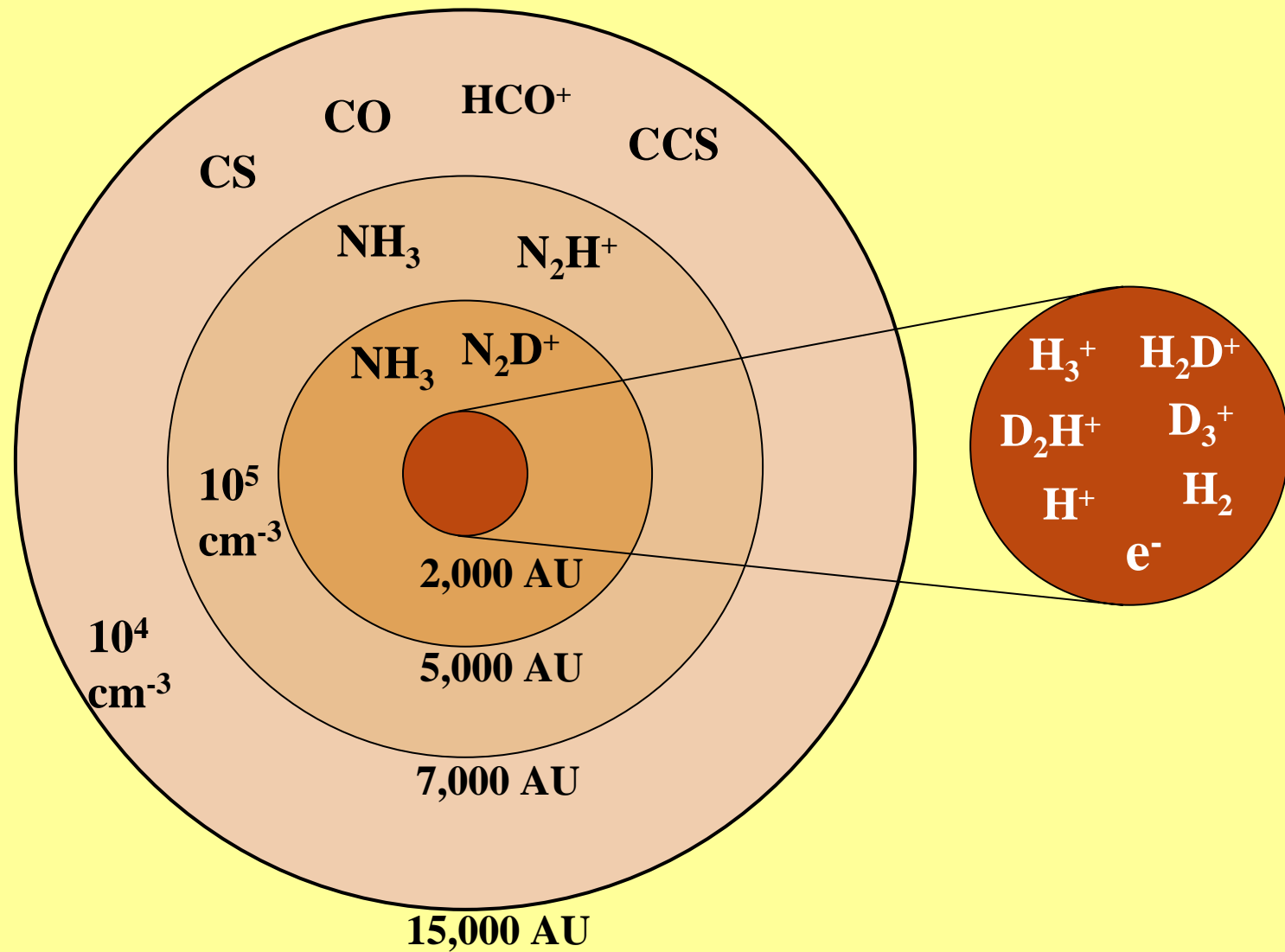
**Dynamically stable
against grav contraction**

$n_{\text{H}} \leq 10^5 \text{ cm}^{-3}$

Unstable

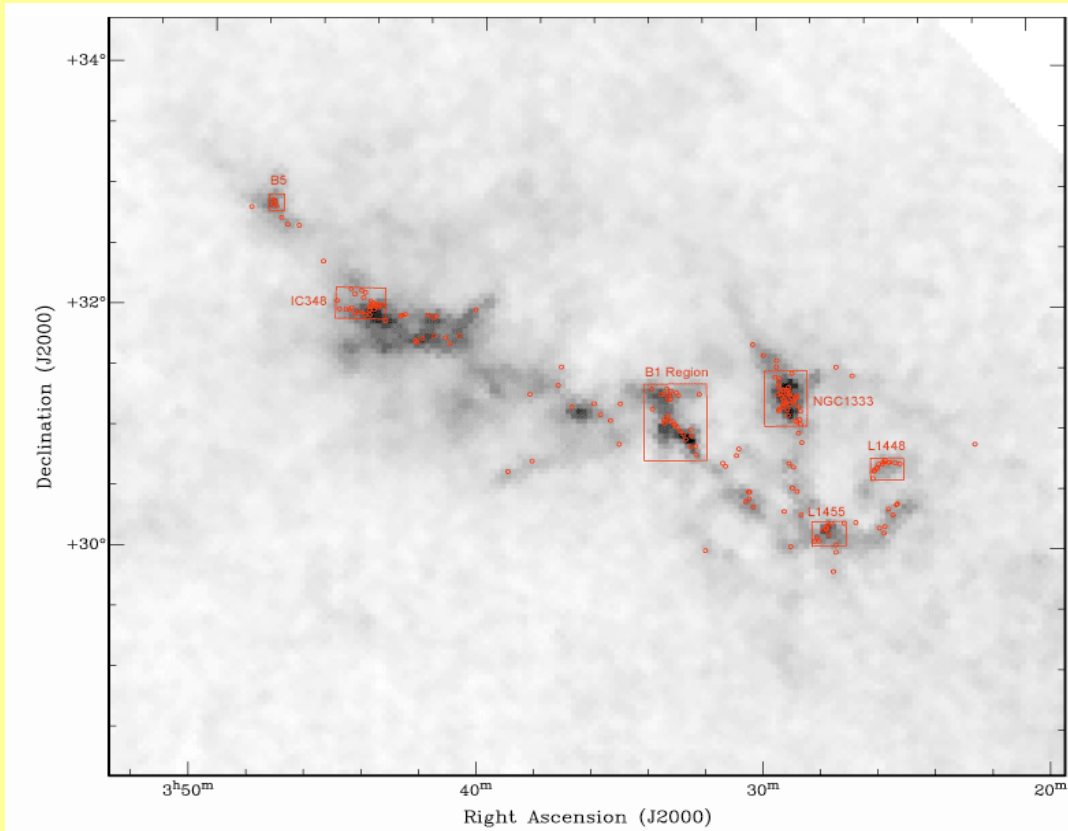
$n_{\text{H}} > 10^5 \text{ cm}^{-3}$

Molecular differentiation within a low-mass core



Preliminary obtained results

(Levshakov, Molaro, Kozlov 2008, astro-ph/0808.0583)



Perseus molecular cloud

$$D \approx 260 \text{ pc}$$

$$6 \times 2^\circ \text{ or } 27 \times 9 \text{ pc}$$

$$M \sim 10^4 M_{\text{solar}}$$

$$n_{\text{H}} \sim 100 \text{ cm}^{-3}$$

Perseus molecular cores

Rosolowsky et al. 2008

ammonia spectral atlas of **193** molecular
cores in the Perseus cloud

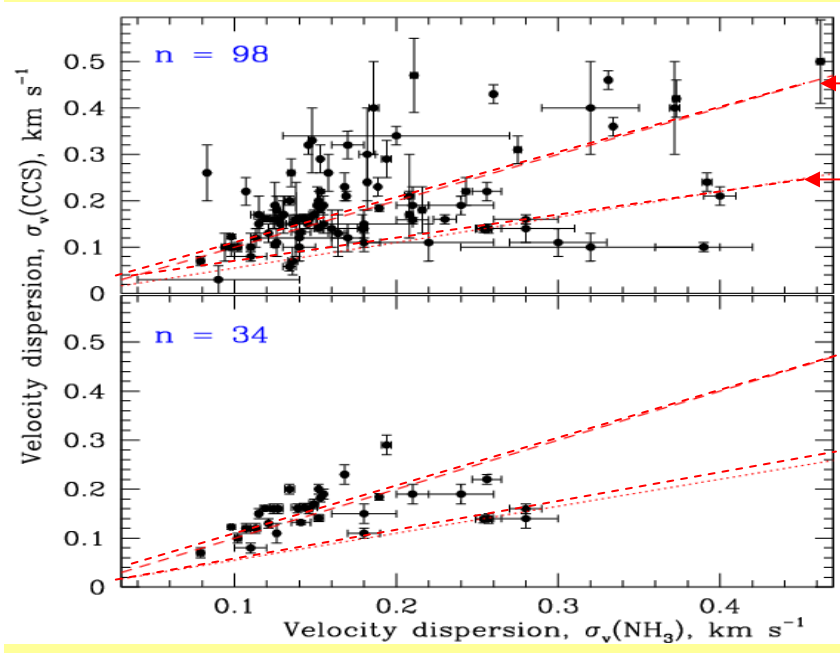
Observations: 100-m Green Bank Telescope (GBT)

GBT beam size at 23 GHz is FWHM = 31arcsec (0.04 pc)



Spectral resolution = 24 m/s (!)

Single-pointing, simultaneous observations of
NH₃ and CCS lines

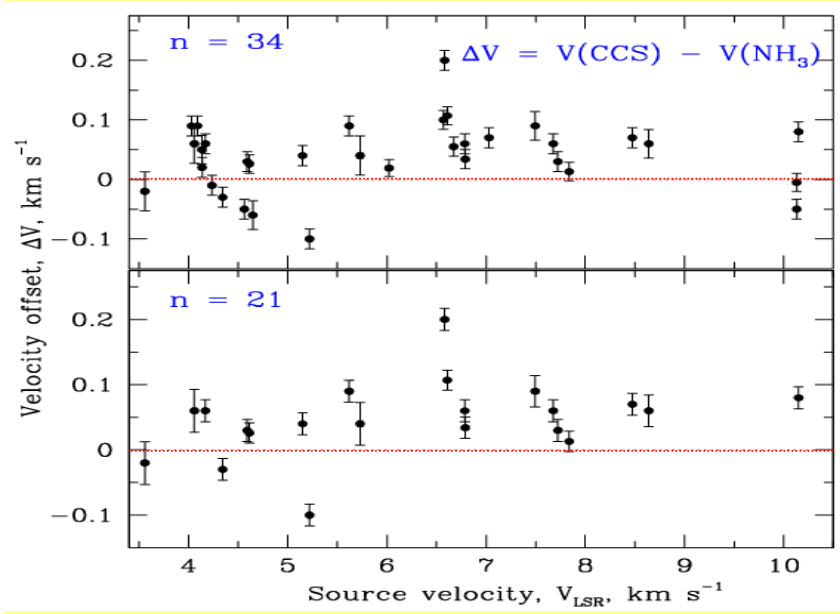


pure turbulent broadening, $\sigma(\text{CCS}) = \sigma(\text{NH}_3)$

pure thermal, $\sigma(\text{CCS}) = 0.55\sigma(\text{NH}_3)$

symmetric profiles

CCS vs NH₃



$$\Delta V_{n=98} = 44 \pm 13 \text{ m/s}$$

$$\Delta V_{n=34} = 39 \pm 10 \text{ m/s}$$

$$\Delta V_{n=21} = 52 \pm 7 \text{ m/s} \rightarrow$$

$$\Delta\mu/\mu = (5.2 \pm 0.7) \times 10^{-8}$$

Pipe Nebula

Rathborne et al. 2008

46 molecular cores in Pipe Nebula

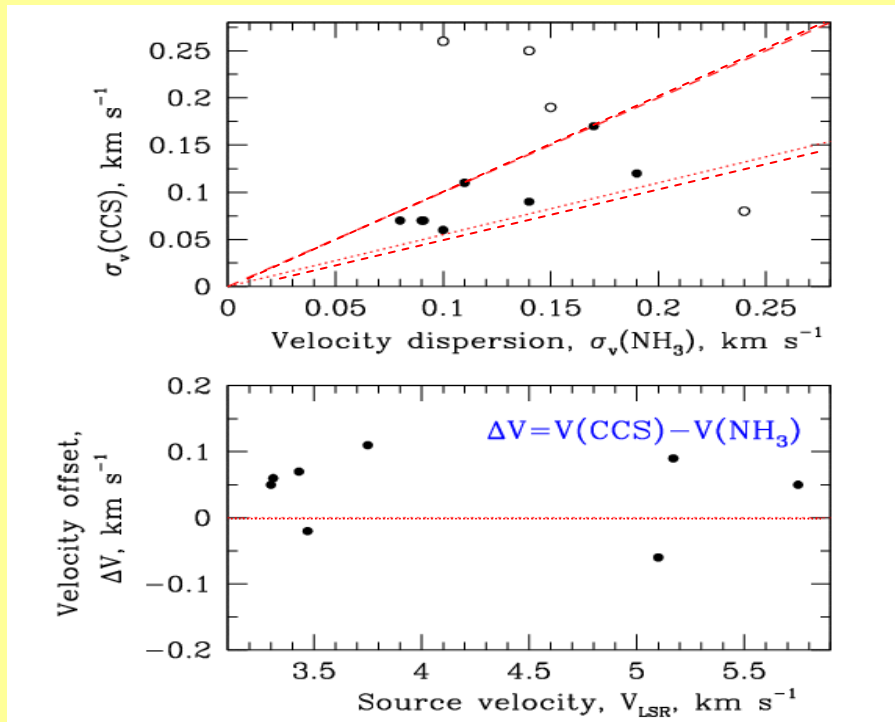
Observations: **100-m Green Bank Telescope (GBT)**

GBT beam size at 23 GHz is FWHM = 30arcsec (0.02 pc)

Spectral resolution = 23 m/s (!)

**Single-pointing, simultaneous observations of
NH₃ and CCS lines**

CCS vs NH₃



$$\Delta V_{n=8} = 69 \pm 11 \text{ m/s}$$

New results

(Astron.Astrophys., astro-ph/0911.3732)

Nov 24-28,
2008

32m MEDICINA
(Bologna) Italy



NH_3 & HC_3N

Feb 20-22,
2009

100m EFFELSBERG
(Bonn) Germany



NH_3 & HC_3N

Apr 8-10,
2009

45m NOBEYAMA
(NRAO) Japan



NH_3 & N_2H^+

Collaboration with

Alexander Lapinov

Christian Henkel

Takeshi Sakai

Paolo Molaro

Dieter Reimers

**41 cold and compact
molecular cores in
the Taurus giant
molecular complex**

**55 molecular
pairs in total**

Observations:

32-m Medicina Telescope: two digital spectrometers **ARCOS (ARcetri CORrelation Spectrometer)** and **MSpec0 (high resolution digital spectrometer)**

Spectral res. = 62 m/s (NH_3), 80 m/s (HC_3N) **ARCOS**

Spectral res. = 25 m/s (NH_3), 32 m/s (HC_3N) **MSpec0**

beam size at 23 GHz, FWHM = 1.6 arcmin
position switching mode

100-m Effelsberg Telescope: K-band **HEMT (High Electron Mobility Transistor)** receiver, backend **FFTS (Fast Fourier Transform Spectrometer)**

Spectral res. = 30 m/s (NH_3), 40 m/s (HC_3N)

beam size at 23 GHz, FWHM = 40 arcsec
frequency switching mode

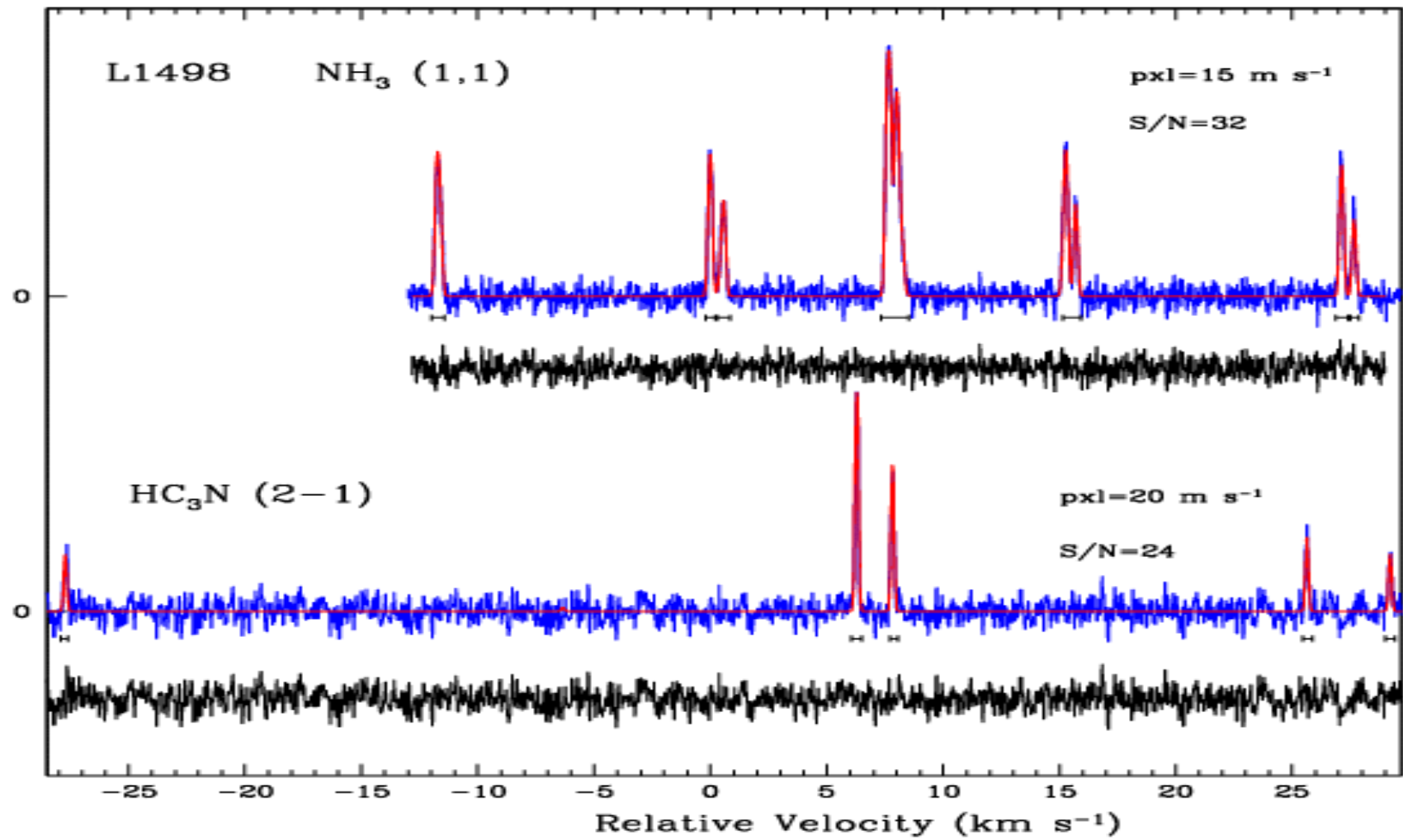
45-m Nobeyama Telescope: **HEMT** receiver (NH_3), and **SIS (Superconductor-Insulator-Superconductor)** receiver (N_2H^+)

Spectral res. = 49 m/s (NH_3), 25 m/s (N_2H^+)

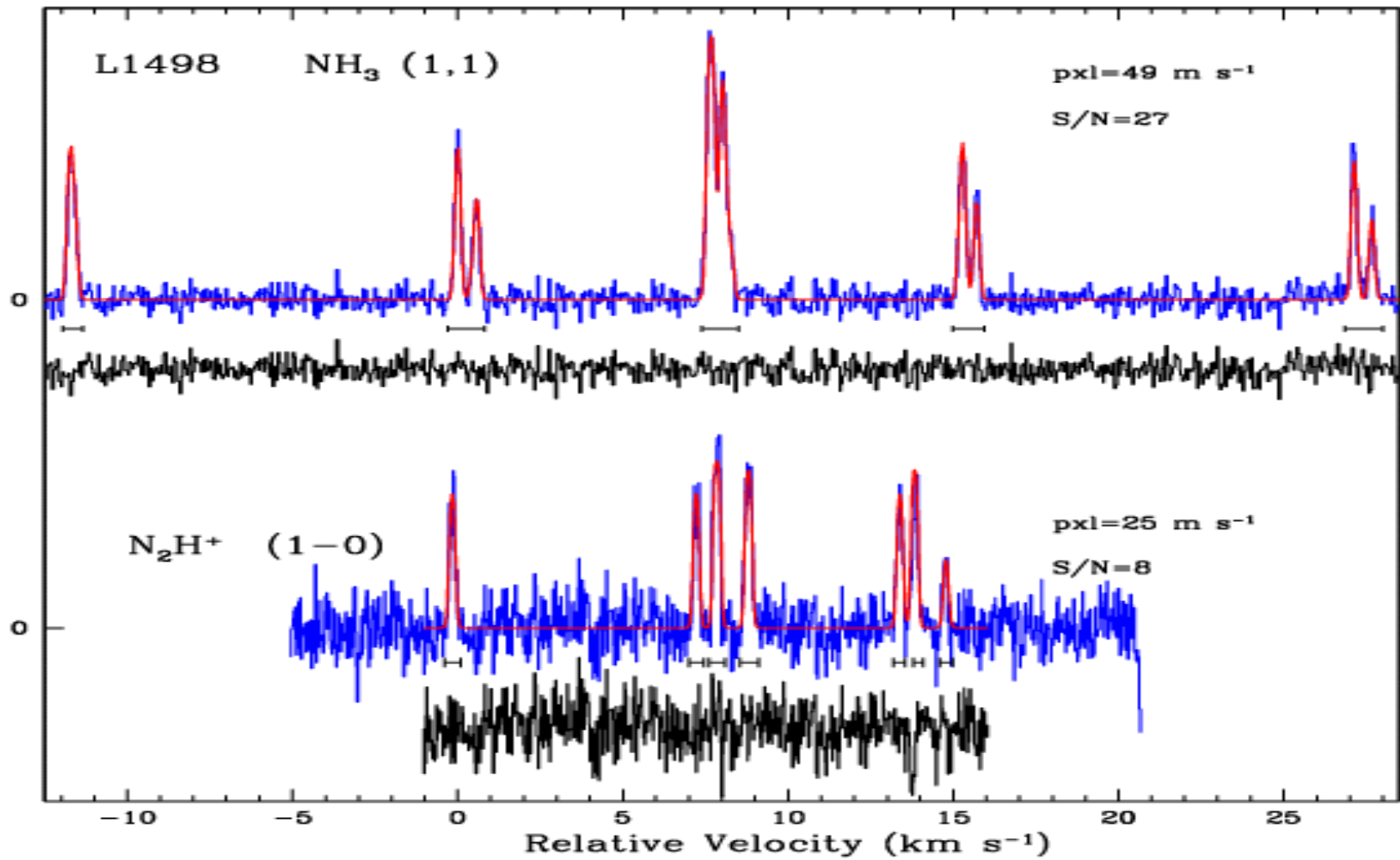
beam size at 23 GHz, FWHM = 73 arcsec
position switching mode

Independent Doppler tracking of the observed molecular lines

Effelsberg 100-m

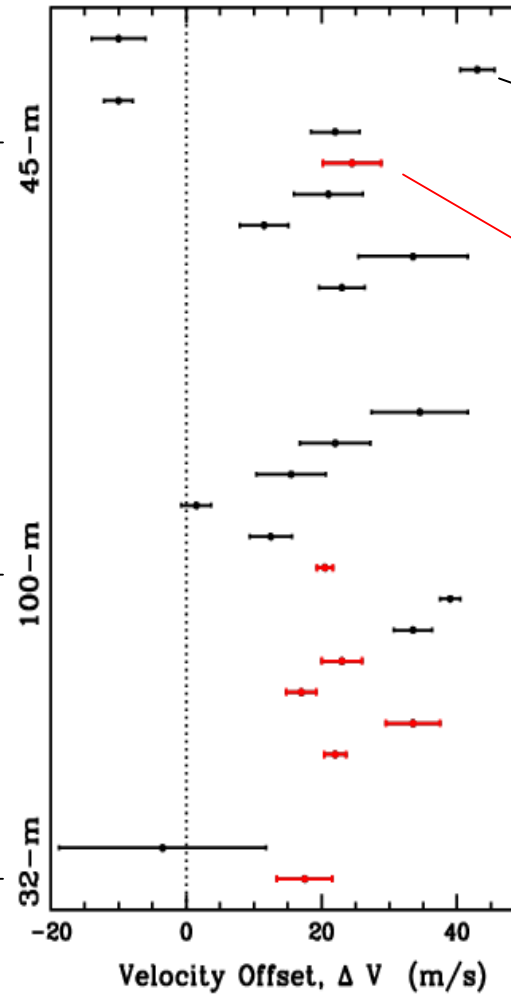
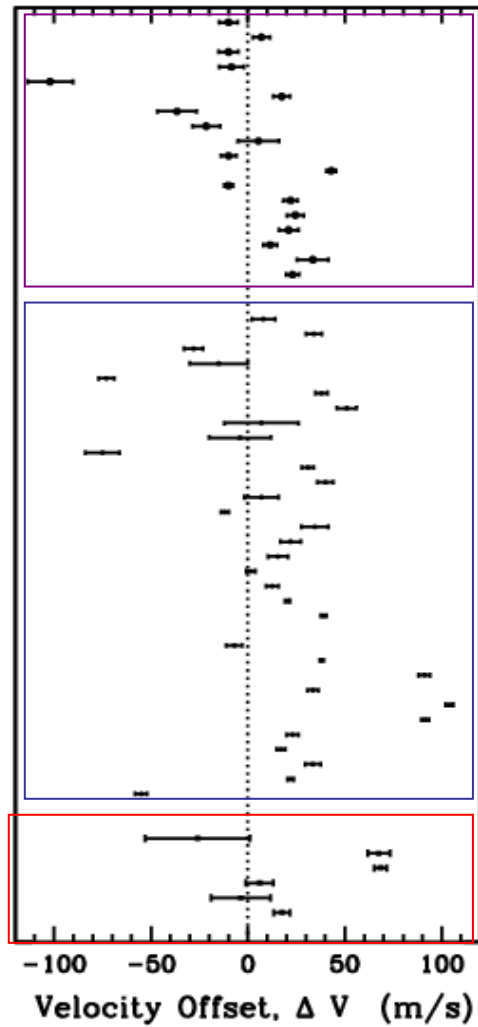


Nobeyama 45-m



total n=55

co-spatially distributed



Black:
 $1 \leq \beta < 1.2$

Red:
 $1.2 \leq \beta < 1.7$

$$\beta = \frac{b(\text{NH}_3)}{b(\text{HC}_3\text{N})}$$

$\beta = 1.7$ for
pure thermal
broadening

Results

total sample, n=55

**mean $\Delta V = 14.1 \pm 4.0$ m/s
scale = 29.6 m/s (standard deviation)
median $\Delta V = 17$ m/s**

**co-spatially distributed,
n=23 (red & black points)**

**mean $\Delta V = 21.5 \pm 2.8$ m/s
scale = 13.4 m/s
median $\Delta V = 22$ m/s**

**thermally dominated,
n=7 (red points)**

**mean $\Delta V = 21.2 \pm 1.8$ m/s
scale = 3.4 m/s
median $\Delta V = 22$ m/s**

**effelsberg, n=12
NH₃ & HC₃N**

**mean $\Delta V = 23.2 \pm 3.8$ m/s
scale = 13.3 m/s
median $\Delta V = 22$ m/s**

**nobeyama, n=9
NH₃ & N₂H⁺**

**mean $\Delta V = 22.9 \pm 4.2$ m/s
scale = 12.7 m/s
median $\Delta V = 22$ m/s**

Poor accuracy in lab frequencies - main source of uncertainties

$$\text{NH}_3 \longrightarrow \epsilon_{\text{sys}} = 0.6 \text{ m/s}$$

$$\text{HC}_3\text{N} \longrightarrow \epsilon_{\text{sys}} = 2.8 \text{ m/s}$$

$$\text{N}_2\text{H}^+ \longrightarrow \epsilon_{\text{sys}} = 14 \text{ m/s}$$

Effelsberg:

$$\Delta V = 23.2 \pm 3.8_{\text{stat}} \pm 2.8_{\text{sys}} \text{ m/s}$$
$$\Delta\mu/\mu = (2.2 \pm 0.4_{\text{stat}} \pm 0.3_{\text{sys}}) \times 10^{-8}$$

GBT vs Effelsberg

CCS & NH₃

HC₃N & NH₃

$$\Delta V \approx 52 \pm 7 \text{ m/s}$$

$$\Delta V \approx 23.2 \pm 3.8 \text{ m/s}$$

22344.033(1) MHz Yamamoto et al.'90 – radioastronomical estimate

22344.029(4) MHz Lovas et al.'92 - laboratory

22344.0308(10) MHz CDMS'05 - catalogue

$$\Delta V \approx 22 \pm 7 \text{ m/s}$$

$$\Delta V \approx 6 \pm 7 \text{ m/s}$$

$$1 \text{ kHz at } 22.3 \text{ GHz} \longrightarrow \epsilon_v \approx 13.4 \text{ m/s}$$

new precise lab frequencies badly needed !

$$\epsilon_{\text{lab}} \approx 1 \text{ m/s}$$

Constraint on α -variation

fine-structure transition of carbon [CI] 609 μm

low-lying rotational lines of ^{13}CO J=1-0 (2.7 mm), J=2-1 (1.4 mm)

$$F = \alpha^2/\mu$$

$$\Delta F/F = 2\Delta\alpha/\alpha - \Delta\mu/\mu = \Delta v/c$$

$$\Delta v = v_{\text{rot}} - v_{\text{fs}}$$

**observations of cold
molecular clouds**

TMC-1 Schilke et al.'95

L 183 Stark et al.'96

Ori A,B Ikeda et al.'02

FWHM = 200-400 m/s

FWHM = 100 m/s

sample size n=13

mean $\Delta v = 0 \pm 60$ m/s

scale = 215 m/s (standard deviation)

median $\Delta v = 0$ m/s

$$|\Delta F/F| < 0.3 \text{ ppm}$$

$$|\Delta\alpha/\alpha| < 0.15 \text{ ppm}$$

Conclusions (Part II)

- **velocity offset $\Delta V = 23 \pm 4_{\text{stat}} \pm 3_{\text{sys}}$ m/s** → **reproduced at different facilities**
- **no known systematic at the level of 20 m/s**
↓
 $\Delta\mu/\mu = (2.2 \pm 0.4_{\text{stat}} \pm 0.3_{\text{sys}}) \times 10^{-8}$ ← **verification – other molecules new targets**
- **conservative upper limits at $z=0$:**
 $|\Delta\mu/\mu| \leq 3 \times 10^{-8}$ & $|\Delta\alpha/\alpha| < 1.5 \times 10^{-7}$
- **at high- z , $\rho_{\text{ISM}}(z=0) \approx \rho_{\text{ISM}}(z>0)$** → **expected $\Delta\mu/\mu \sim 10^{-8}$ if no temporal dependence of $\mu(t)$ is present**