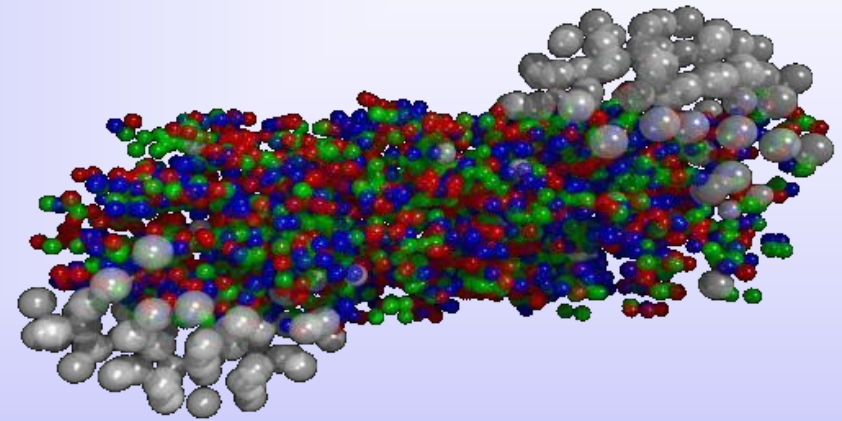


Are di-leptons sensitive messengers from the hot and dense stage?



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Germany

Outline



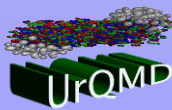
- Introduction
- Baryon densities: methods, results
- Densities at rho decay
- Model features
- Di-leptons
- Summary

Tools: Transport approaches

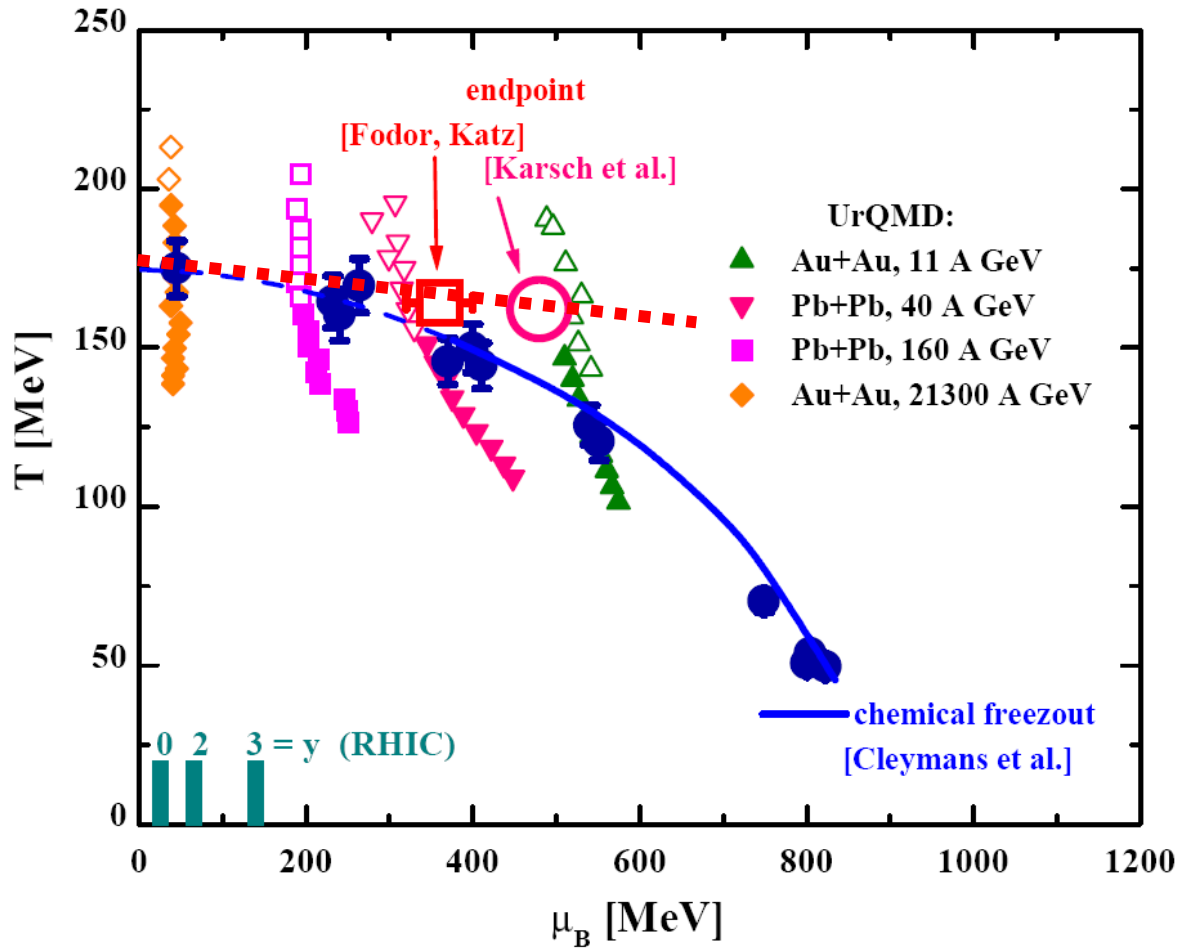


UrQMD, IQMD, HSD, RQMD,...

- out-of-equilibrium transport model, (rel. Boltzmann equation)
- Particles interact via :
 - measured and calculated cross sections
 - string excitation and fragmentation
 - formation and decay of resonances
 - Potentials and in-medium properties
- Provides full space-time dynamics of heavy-ion collisions

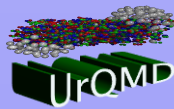


Motivation



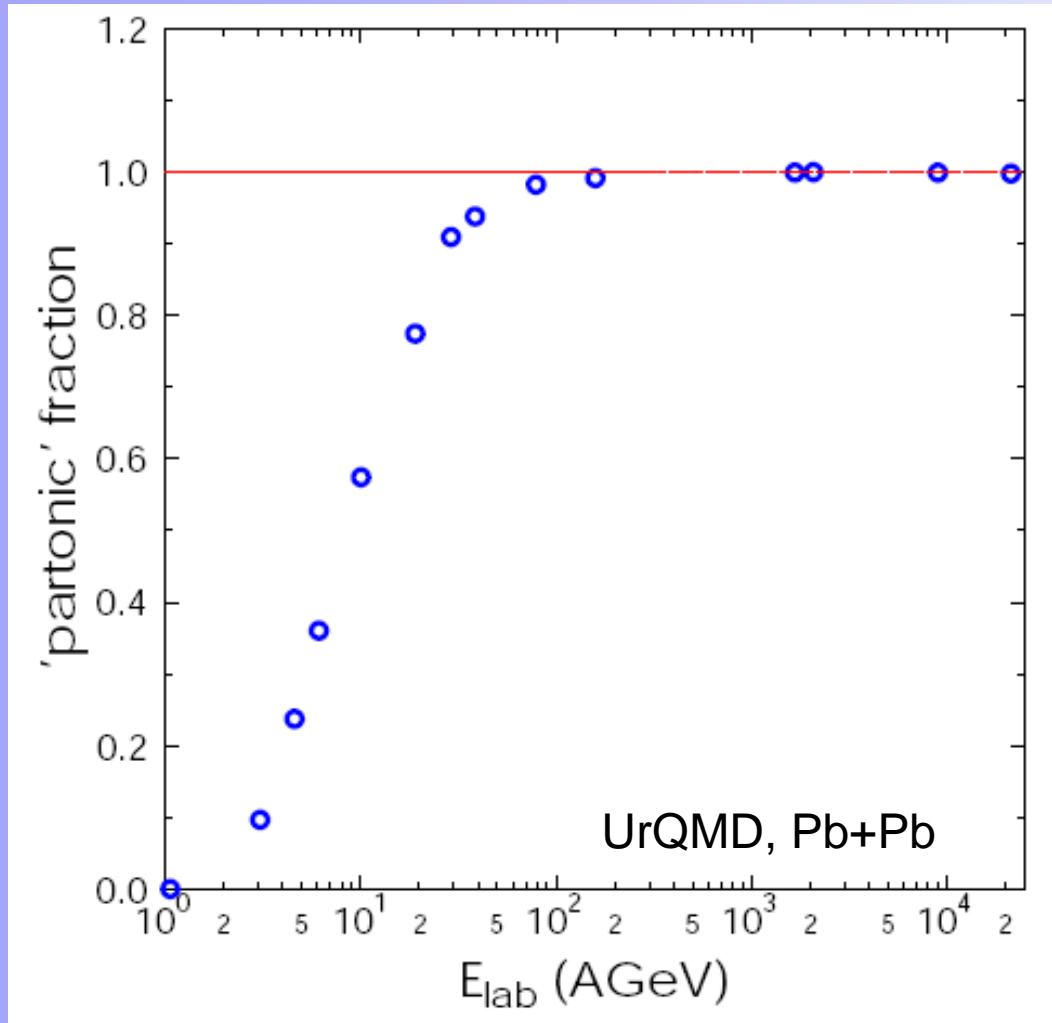
At RHIC:
look for signals of
freely moving
partons.

At FAIR/SPS:
look for the mixed
phase and the onset
of deconfinement





Do we understand the interesting stages of the reaction?

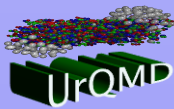


String matter dominates the early stages ($t \sim$ overlap time)

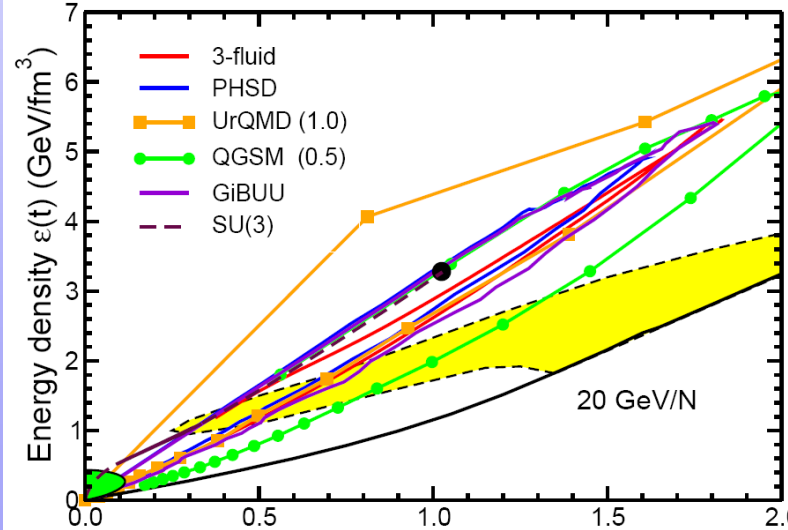
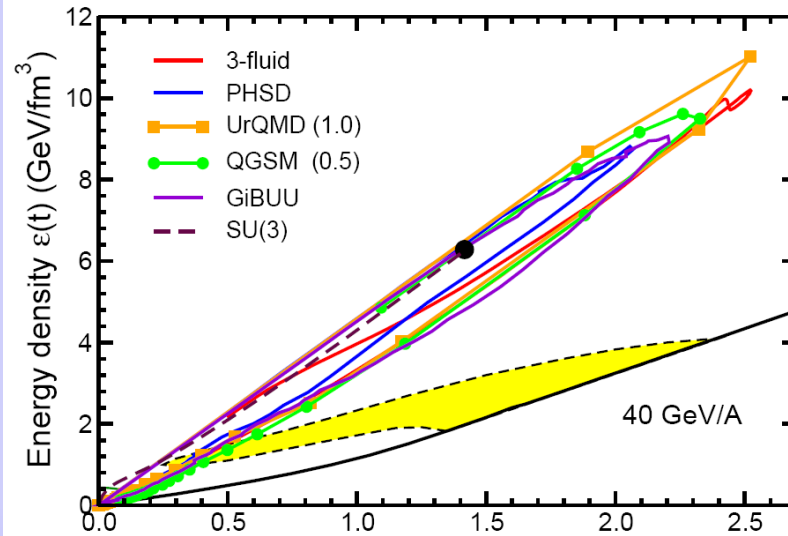
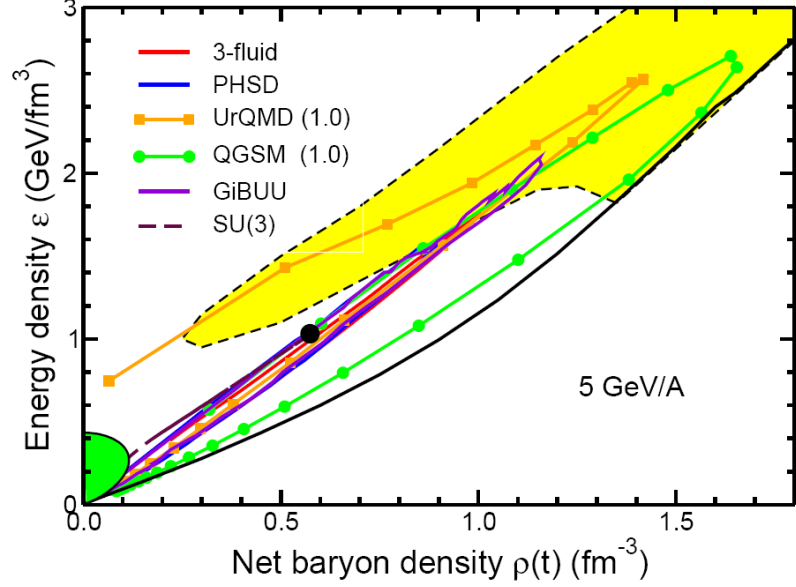
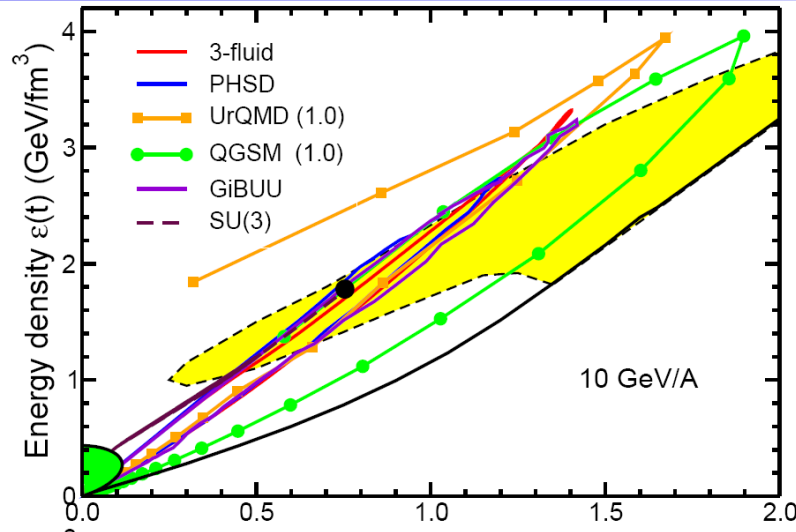
'string matter' = QGP?

However, overall dynamics does not seem to be sensitive to the underlying degrees of freedom

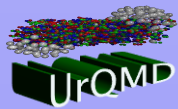
I. Arsene et al, nucl-th/0609042



Phase trajectories



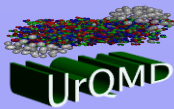
I. Arsene et al, nucl-th/0609042



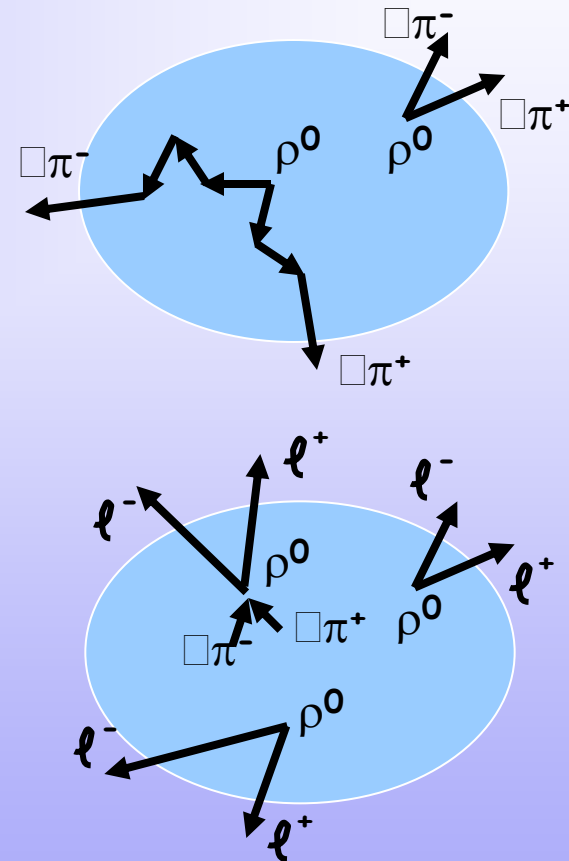
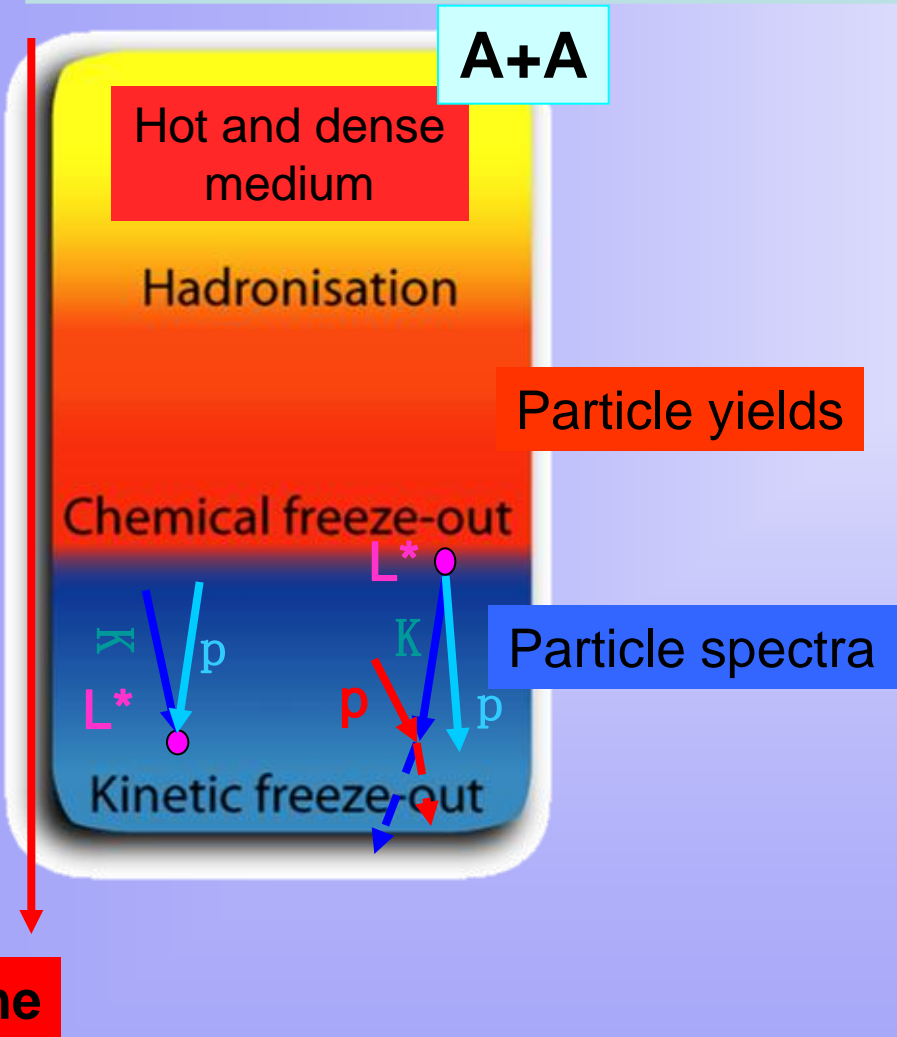
Why resonances are interesting?



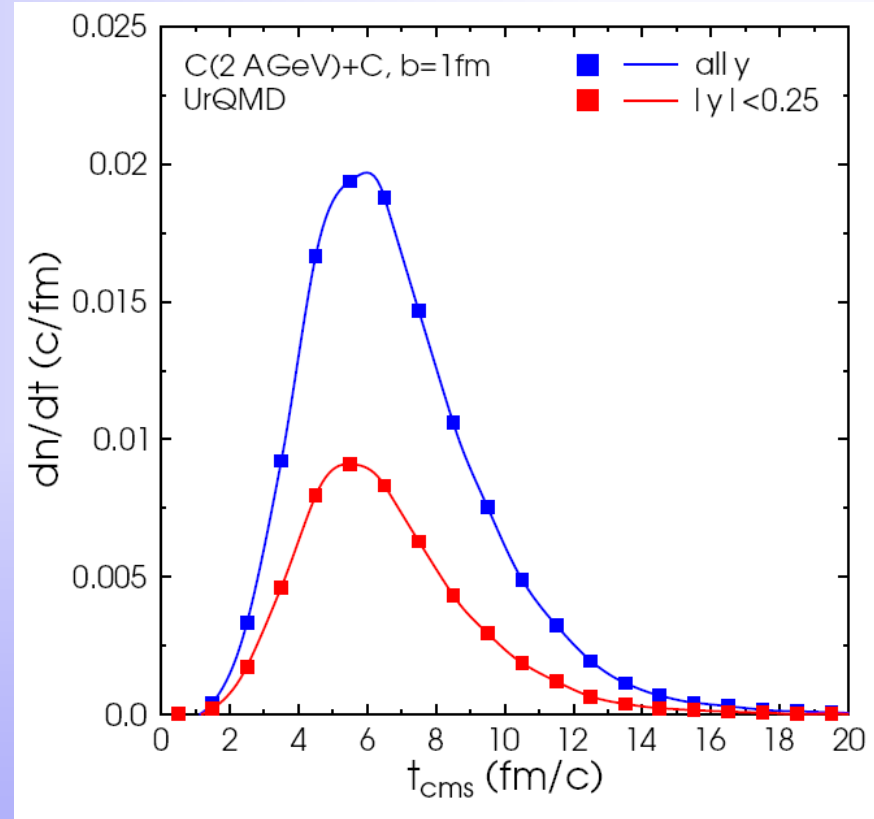
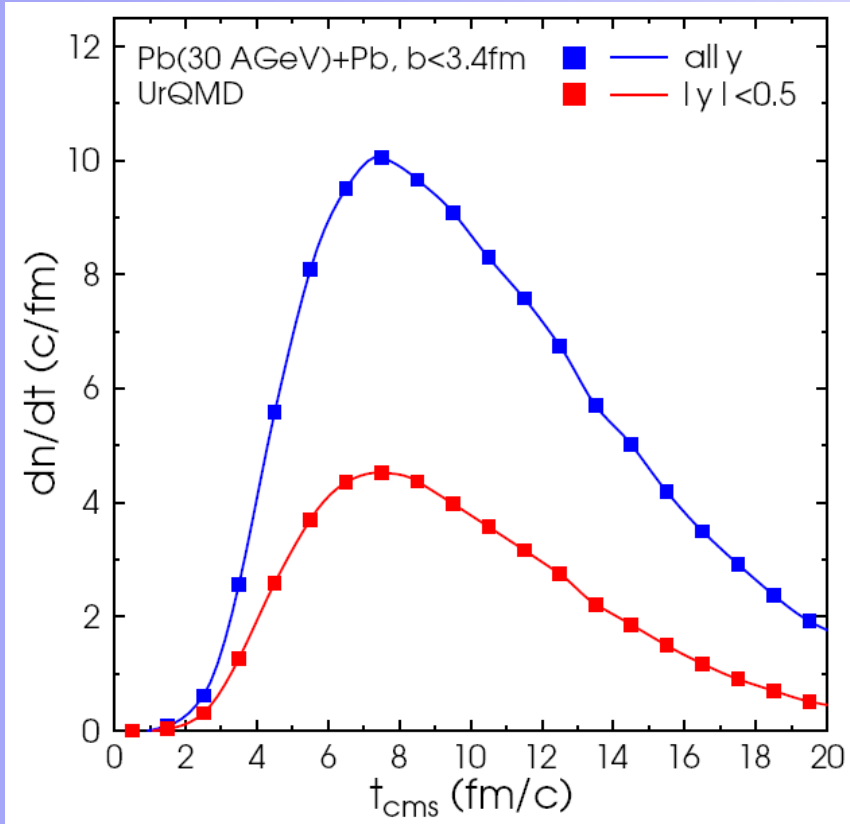
- There is a (long living) hadronic rescattering stage at FAIR and SPS energies
- Lifetime and properties of the hadronic stage are defined and probed by resonance production/absorption/re-feeding/decay
- Use different resonances to explore this stage:
e.g. mesons: K^* (892), ρ , f_0 , ϕ
baryons: Δ (1232), Λ (1520), Σ (1385)
- Are resonances dissolved/broadened/shifted in matter?



The rho has additional potential: Hadronic vs leptonic channel

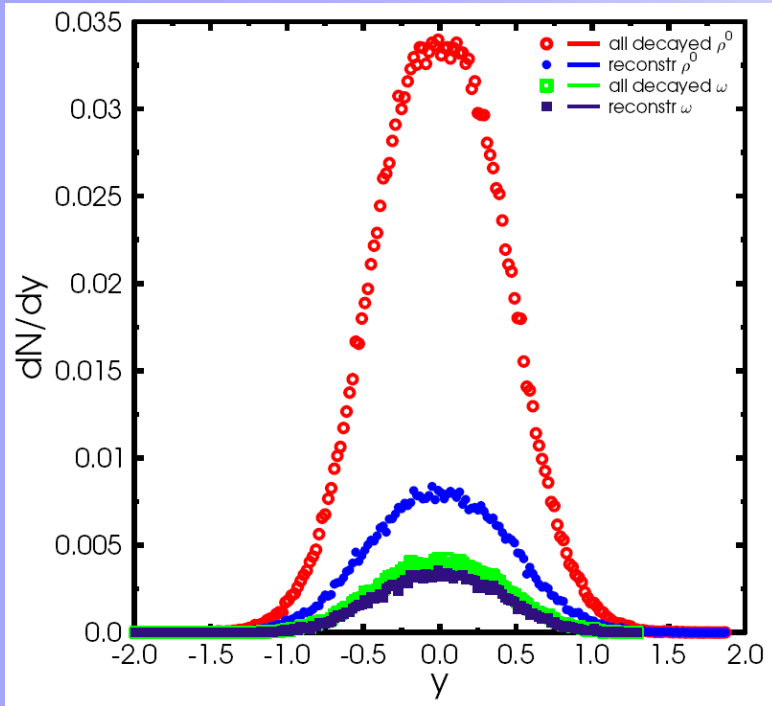


Decay time distribution of ρ mesons

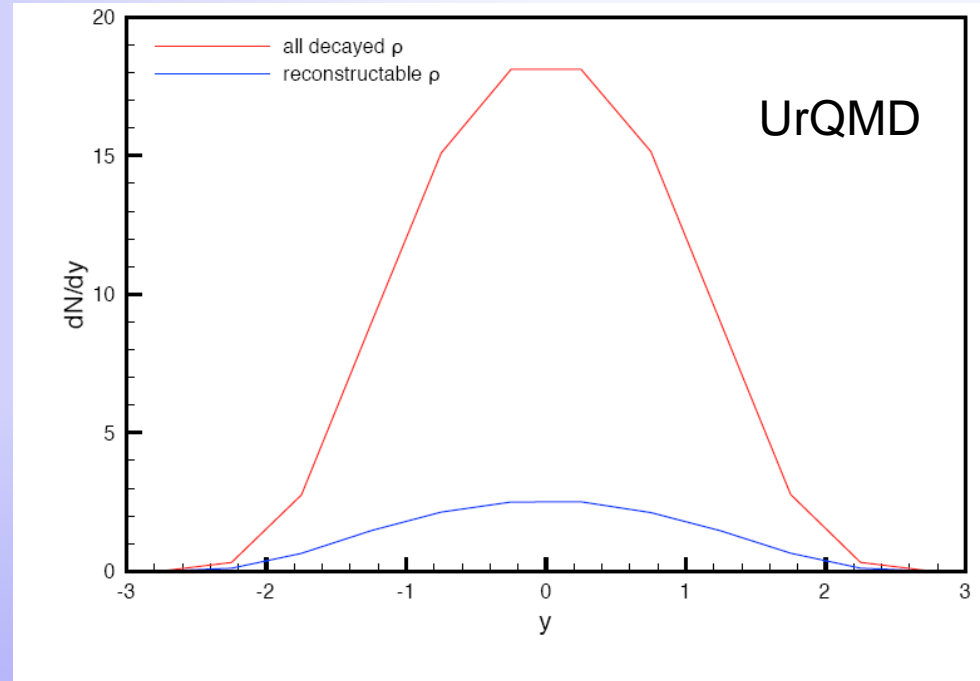


Resonance formation needs time (most ρ from baryon resonances)
→ even short lived resonances are dominantly from later stages

Expected multiplicities

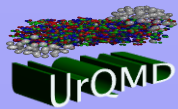


C+C@2AGeV



Pb+Pb@30AGeV

Pion reconstruction is free from $\rho \rightarrow e^+e^-$ model



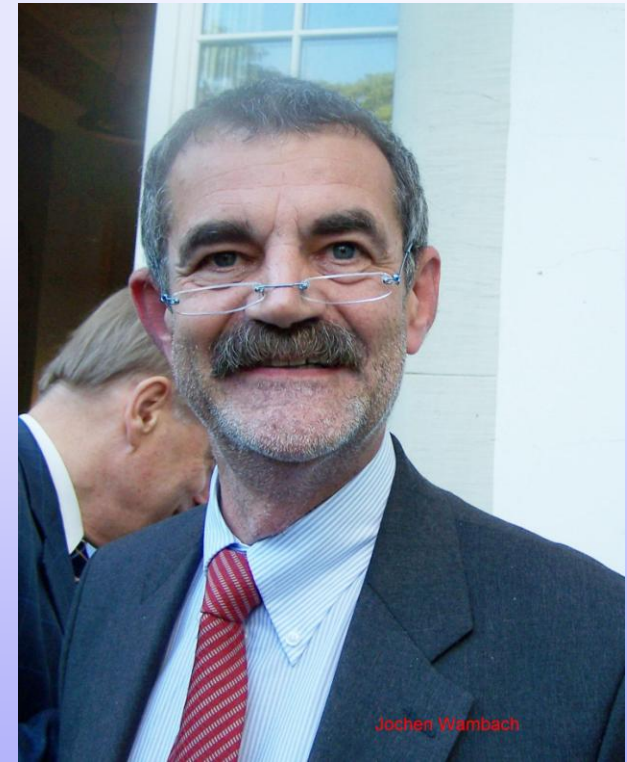
Dileptons and the rho



Gerry Brown



Ralf Rapp



Jochen Wambach

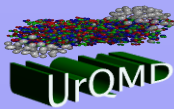
Dileptons – spectral function



$$\frac{dN_{ll}}{d^4x d^4q} = - \frac{\alpha^2}{3\pi^3} \frac{L(M^2)}{M^2} \text{Im} \Pi_{\text{em},\mu}^\mu(M, q; \mu_B, T) \times f^B(q_0; T),$$

$$\Pi_{\text{em}}^{\mu\nu}(q) = i \int d^4x e^{iq_\sigma x^\sigma} \Theta(x^0) \langle [\mathbf{J}_{\text{em}}^\mu(x), \mathbf{J}_{\text{em}}^\nu(0)] \rangle$$

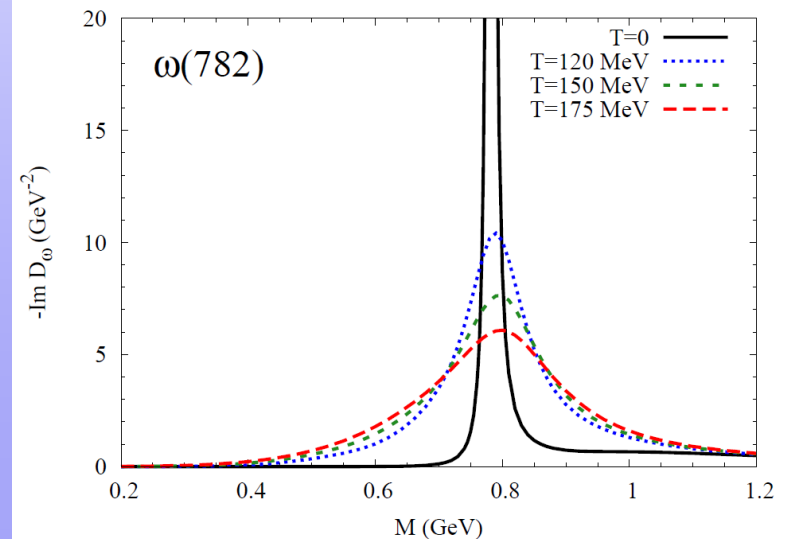
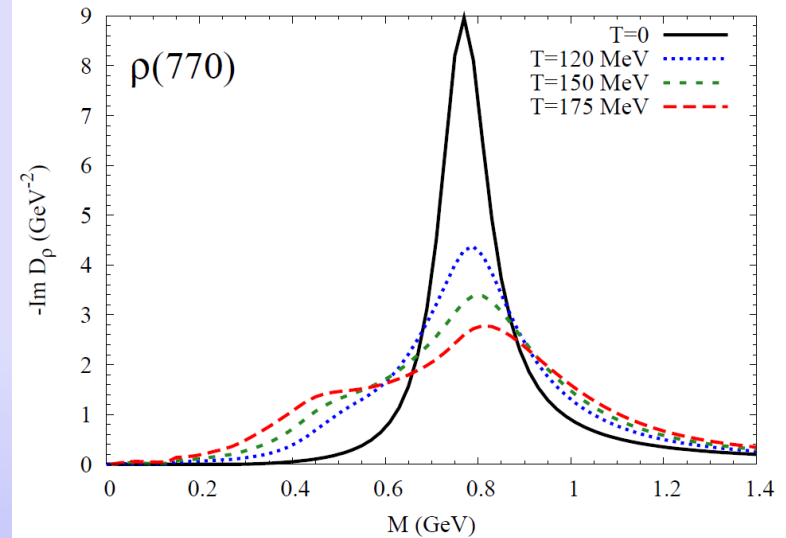
$$L(M) = \left(1 + \frac{2m_l^2}{M^2} \right) \sqrt{1 - \frac{4m_l^2}{M^2}}$$



Spectral function



$$\text{Im } \Pi_{\text{em}} = \begin{cases} \sum_{V=\rho,\omega,\phi} \left(\frac{m_V^2}{g_V}\right)^2 \text{Im } D_V, & M \lesssim M_{\text{dual}} \\ -\frac{N_c M^2}{12\pi} \left(1 + \frac{\alpha_s}{\pi} + \dots\right) \sum_i (e_i)^2, & M \gtrsim M_{\text{dual}} \end{cases} \quad (4)$$



Evolution of the medium



- Fix $S/A \sim 27$

$$V_{\text{FB}}(t) = \pi \left(r_{\perp,0} + \frac{1}{2} a_{\perp} t^2 \right)^2 \left(z_0 + v_{z,0} t + \frac{1}{2} a_z t^2 \right)$$

$$S = s(t) \cdot V(t)$$

Use hadron gas EoS to obtain $T(t)$ and $\mu_B(t)$ from $s(t)$

van Hees, Rapp, 2008

What do we want to see?

→ in-medium spectral functions



- Mass shift of the ρ meson
roughly from 770 MeV \rightarrow 600 MeV
 - Modified width of the ρ meson
roughly from 150 MeV \rightarrow 300 MeV
 - Possibly modifications of ϕ and ω
- Do we know the densities to the required precision?

Problems



- How are energy density and baryon density defined? (N/V doesn't work!)
 - What frame? Landau? Eckardt?
 - Lorentz contraction? Nucleus? Nucleon?
- Is the system thermalized?
 - Viscous contributions in hydro?
- What are the degrees of freedom?

Baryon density



- Define baryon density at point r in the Eckardt frame (vanishing baryon flow)
→ I.e. $\rho_B(r) = j^0_B(r)$ in the frame with $j^\mu = (\rho_B, 0)$
- Lorentz contraction for the nucleons along the beam axis is taken into account

$$\rho_B(\vec{r}) \sim \sum_i \gamma_{i,z} \exp\left(\frac{(z - z_i)^2}{2\sigma^2 / \gamma_{i,z}^2}\right) \exp\left(\frac{(r_T - r_{i,T})^2}{2\sigma^2}\right)$$

Further problem: thermalization



- Sound definition of the baryon current/density is possible

However, free streaming effects are not excluded (the defined baryon density is not necessarily thermal)

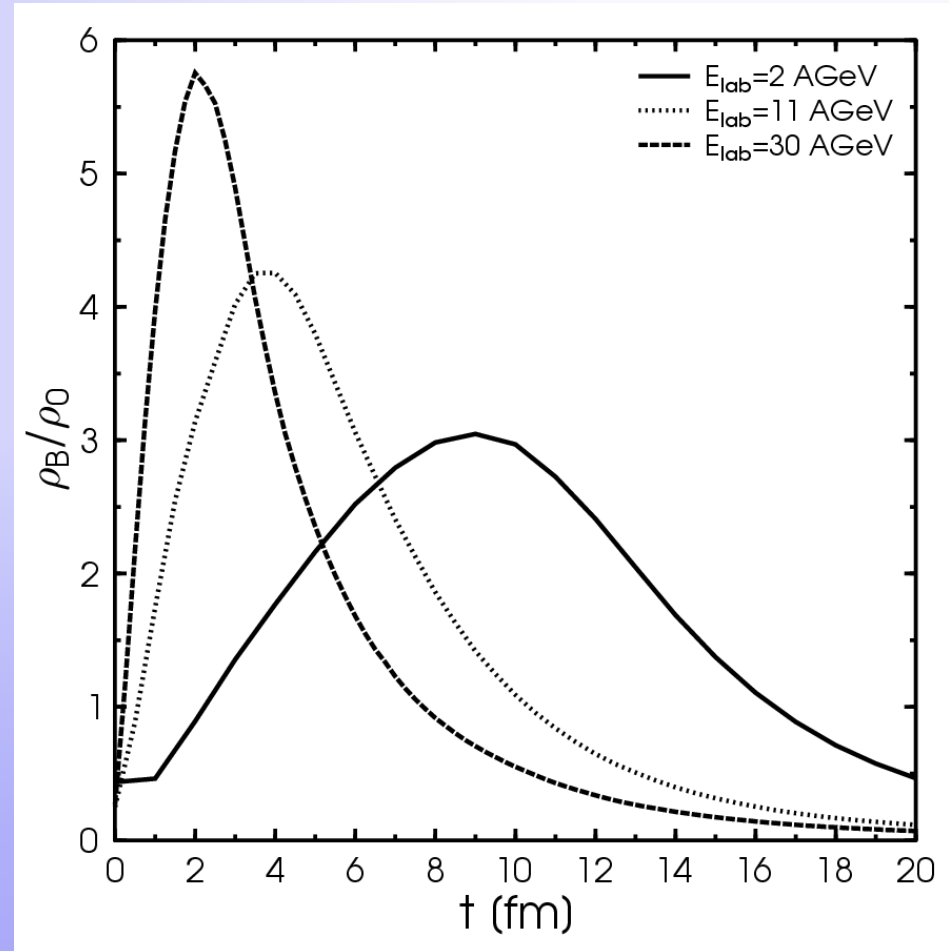
→ consider only particles that have a velocity around to the thermal velocity (similar to three-fluid approach, Brachmann et al)
not practical for transport...

Local baryon densities

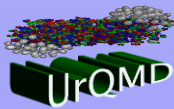
(Averaged over the positions of all hadrons)



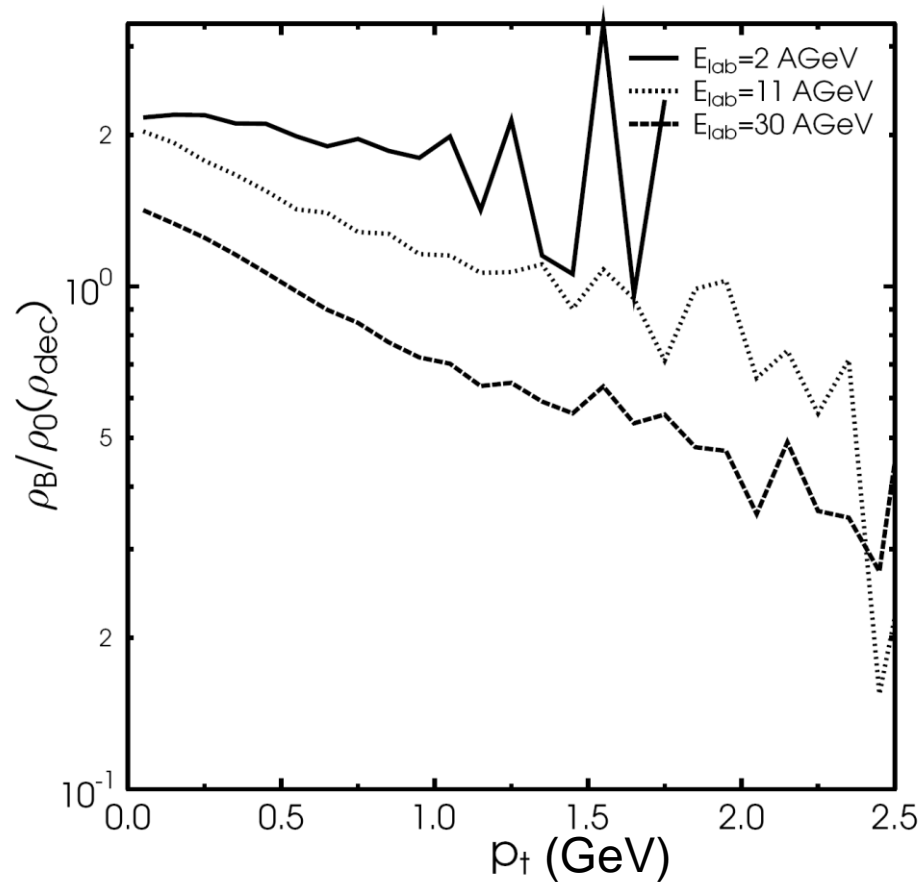
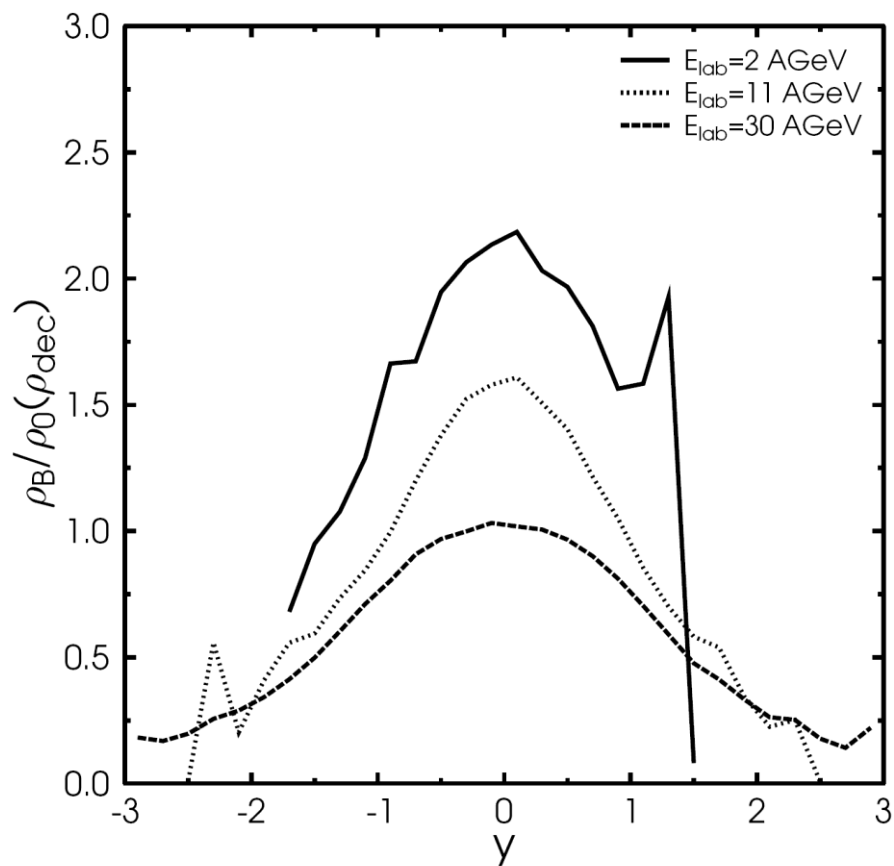
- Are we able to observe unambiguous signals from the most compressed region of the system?



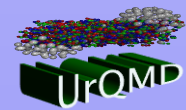
Central Au+Au/Pb+Pb collisions



Baryon densities in momentum space at the point of the rho decay

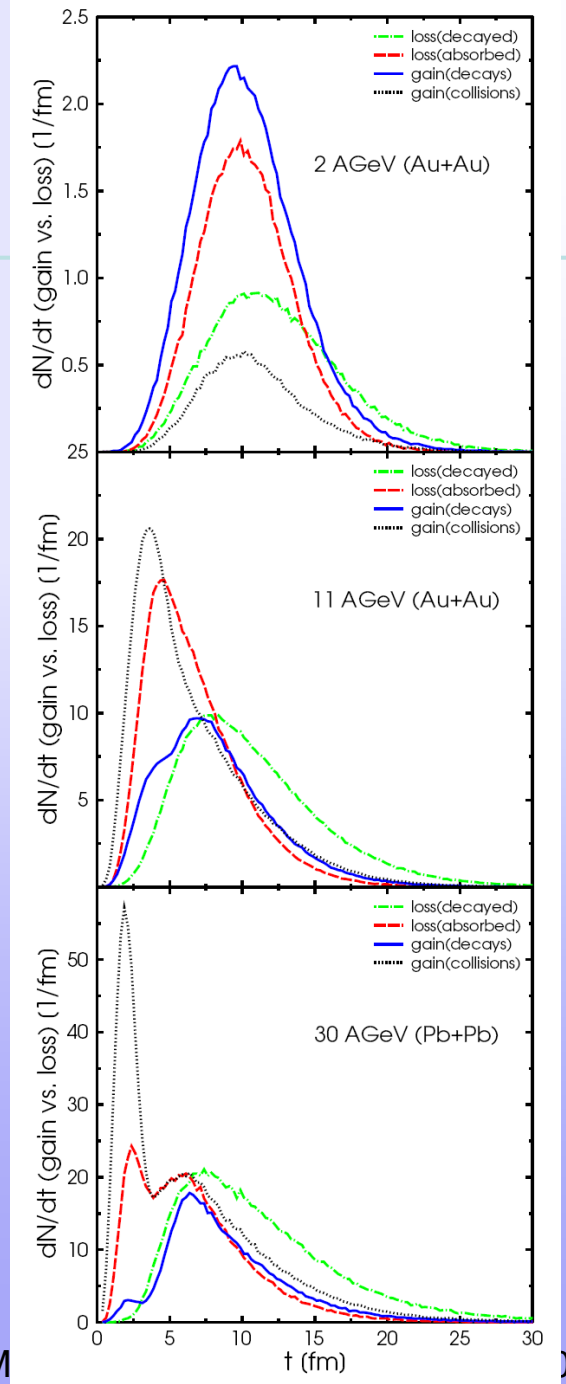


Central Au+Au/Pb+Pb reactions

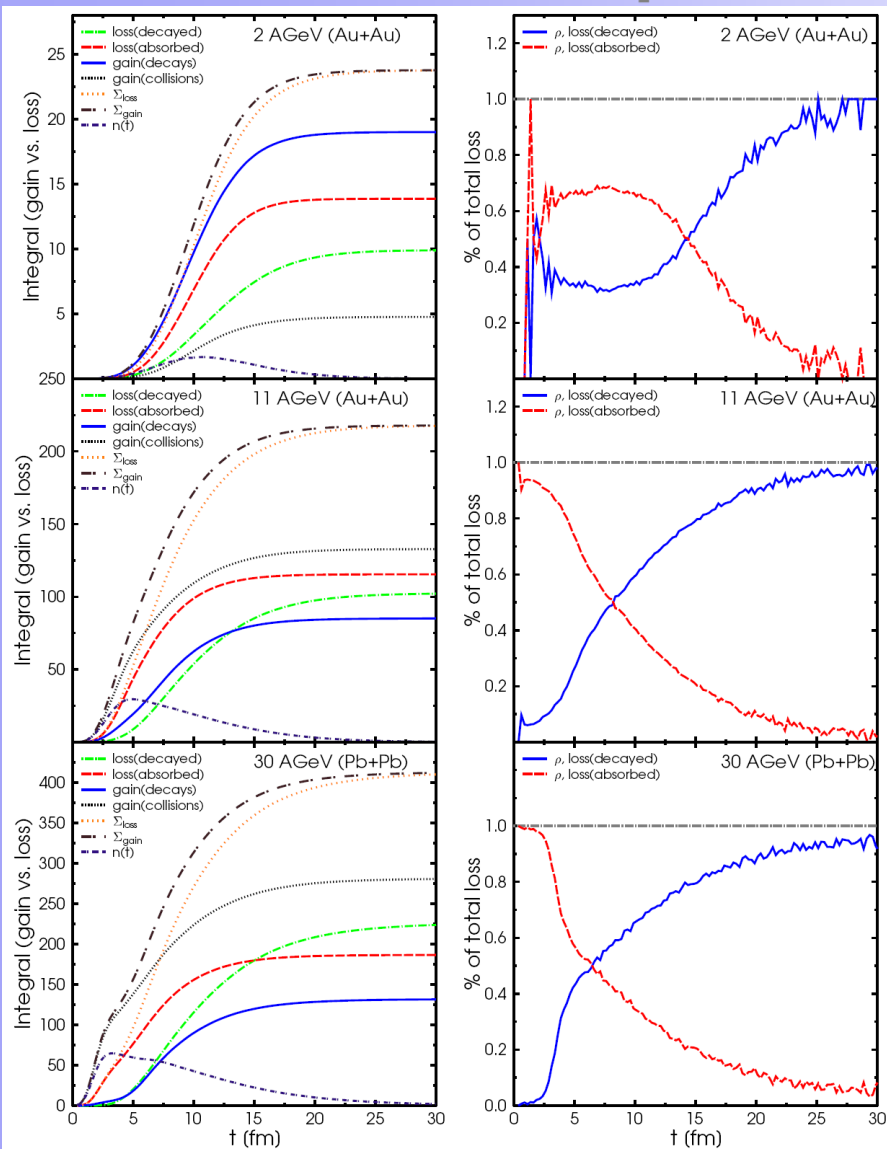


Gain and loss rates of rho mesons

- Maximal densities reached at $t=10, 4, 2$ fm
- rho production at HADES energies driven by baryon resonance decays
- at higher energies: major early stage production, but still sizeable tail from decays in the late stage



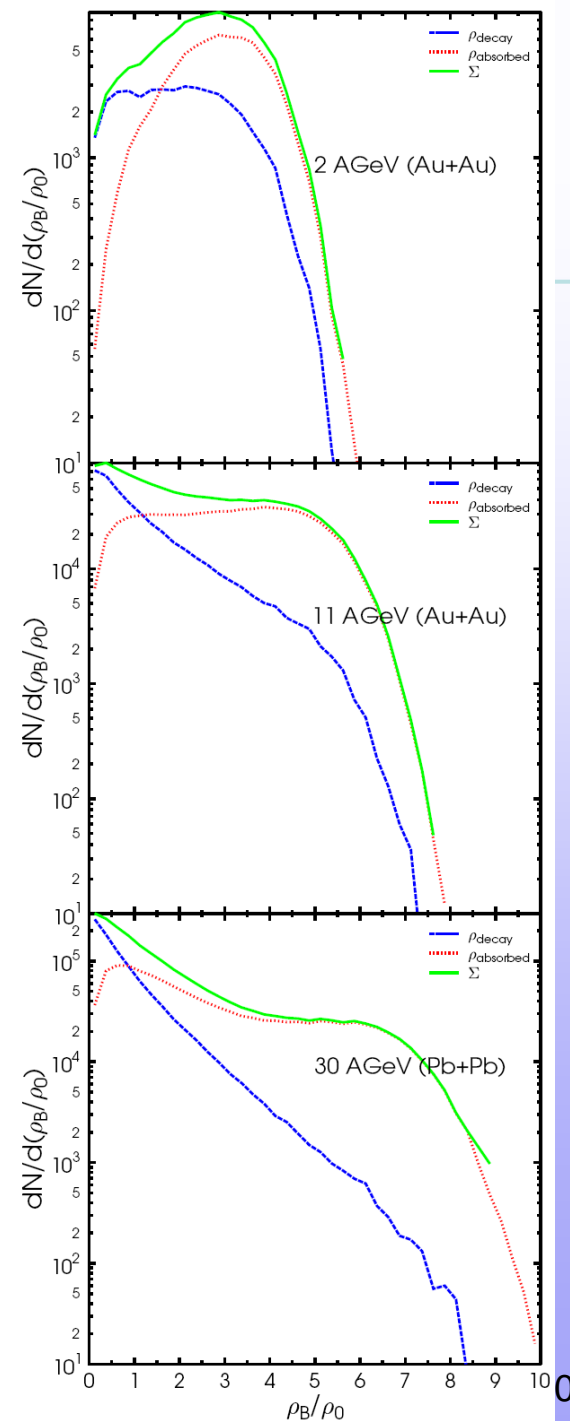
Absorption vs decay



- How are the dileptons calculated?
- Shining vs decay
- Strong absorption in the early stages

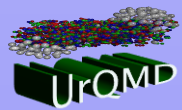
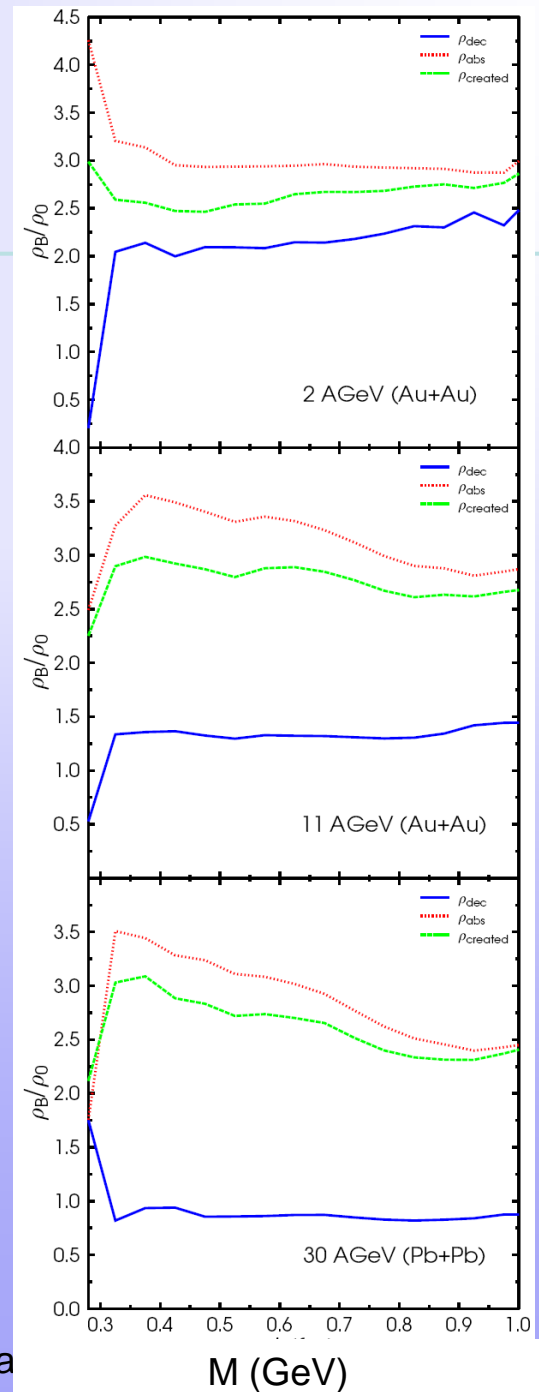
Density distributions

- Distribution baryon density at the point of rho decay or absorption
- Significantly higher reach in density if absorbed rhos are included.
(However, here the integrated rho life times are shorter)



Density vs rho mass

- Absorption has the highest reach in density → shining method necessary?
- Moderate mass dependence
- Final feeding from decays around 1-2 ground state density





- Dalitz decay of the pseudoscalar mesons π^0 , η and η' ($m_B = 0$):

$$\frac{dN_{A \rightarrow \gamma e^+ e^-}}{dM} = \frac{4\alpha}{3\pi M} \sqrt{1 - \frac{4m_e^2}{M^2}} \left(1 + \frac{2m_e^2}{M^2}\right) \left(1 - \frac{M^2}{m_A^2}\right)^3 \\ \times |F_{AB}(M^2)|^2 \frac{\Gamma_{A \rightarrow 2\gamma}}{\Gamma_{tot}} \langle N_A \rangle.$$

$$\frac{dN_{A \rightarrow B e^+ e^-}}{dM} = \frac{2\alpha}{3\pi M} \sqrt{1 - \frac{4m_e^2}{M^2}} \left(1 + \frac{2m_e^2}{M^2}\right) |F_{AB}(M^2)|^2 \frac{\Gamma_{A \rightarrow 2\gamma}}{\Gamma_{tot}} \langle N_A \rangle \\ \times \left(\left(1 + \frac{M^2}{m_A^2 - m_B^2}\right)^2 - \left(\frac{2m_A M}{m_A^2 - m_B^2}\right)^2 \right)^{3/2}. \quad (3)$$

$$\Gamma_{V \rightarrow e^+ e^-}(M) = \frac{\Gamma_{V \rightarrow e^+ e^-}(m_V)}{m_V} \frac{m_V^4}{M^3} \sqrt{1 - \frac{4m_e^2}{M^2}} \left(1 + 2\frac{m_e^2}{M^2}\right)$$

L. G. Landsberg, Phys. Rept. **128**, 301 (1985)

P. Koch, Z. Phys. C **57**, 283 (1993)

G. Wolf, G. Batko, W. Cassing, U. Mosel, K. Niita and M. Schaefer, Nucl. Phys. A **517**, 615 (1990)

C. M. Ko, G. Q. Li, G. E. Brown and H. Sorge, Nucl. Phys. A **610**, 342C (1996)

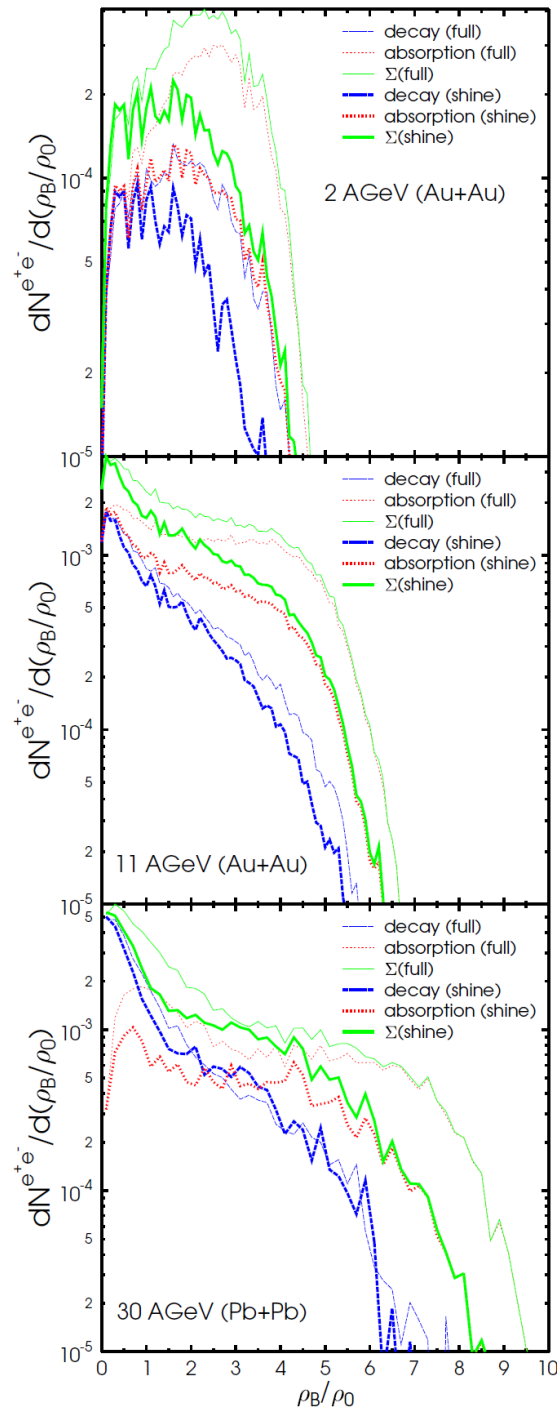
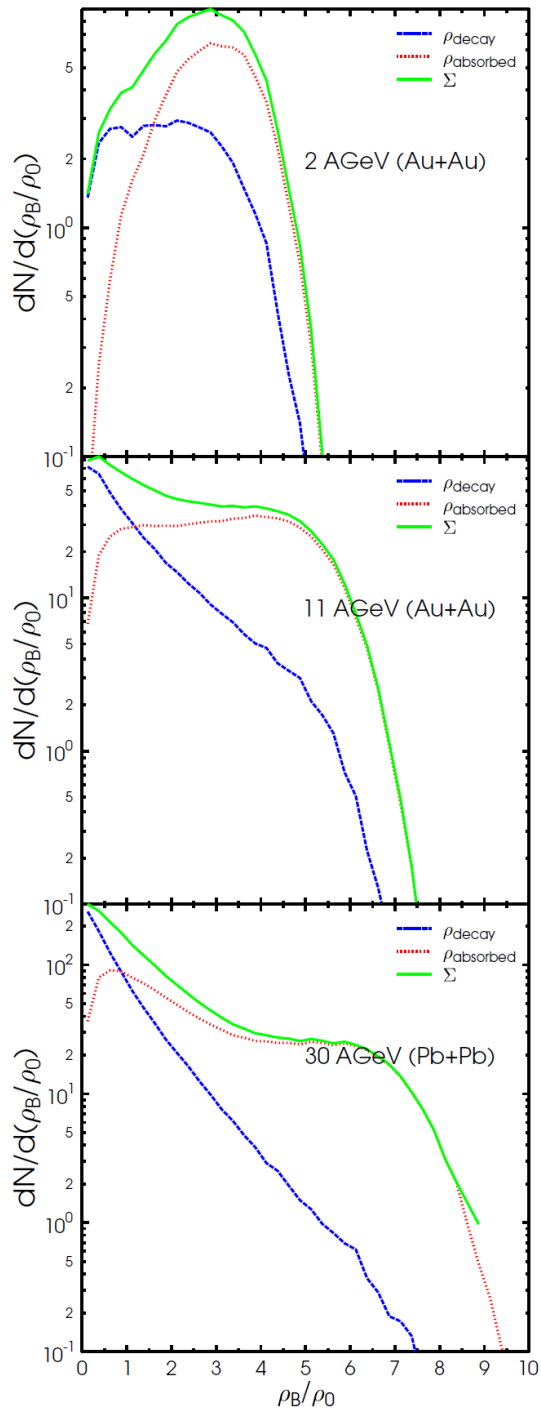


Shining method

- Continuous emission of dileptons

$$\frac{dN_{e^+e^-}}{dM} = \frac{\Delta N_{e^+e^-}}{\Delta M} = \sum_{j=1}^{N_{\Delta M}} \int_{t_i^j}^{t_f^j} \frac{dt}{\gamma} \frac{\Gamma_{e^+e^-}(M)}{\Delta M}$$

- vs. branching ratio at decay point
 $\Gamma(\rho \rightarrow e^+e^-) / \Gamma_{\text{tot}}$



Difference between shining and other approaches

Thin lines: 'no absorption'

Blue lines: only final decays

Green lines: 'shining'

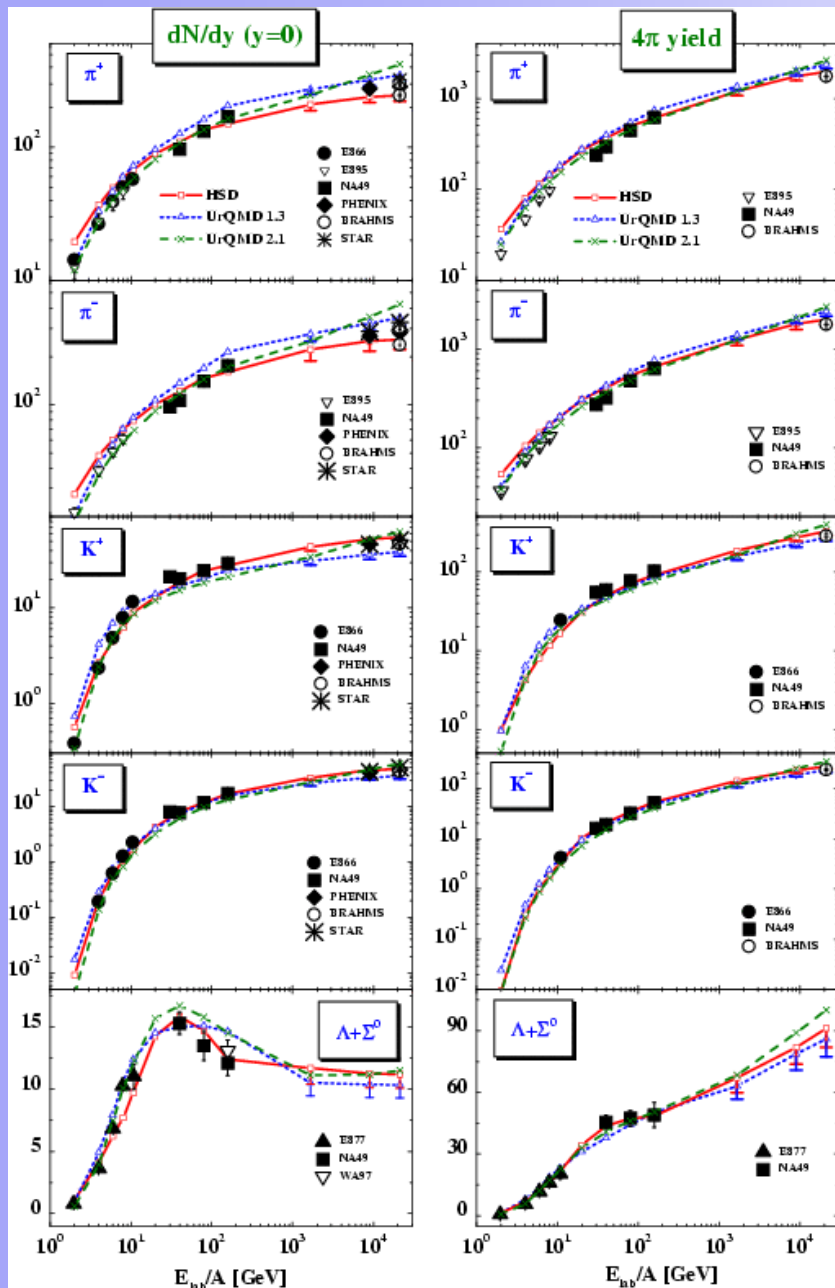
Are the dynamical models good enough?



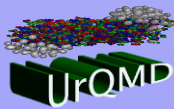
- Check space-time evolution
 - HBT correlations
- Check particle production
 - Pion production ($\pi\pi \rightarrow \rho$!)
 - Baryon resonances (ρ from decays !)
 - Final state ρ from $\pi\pi$ correlations



Excitation functions



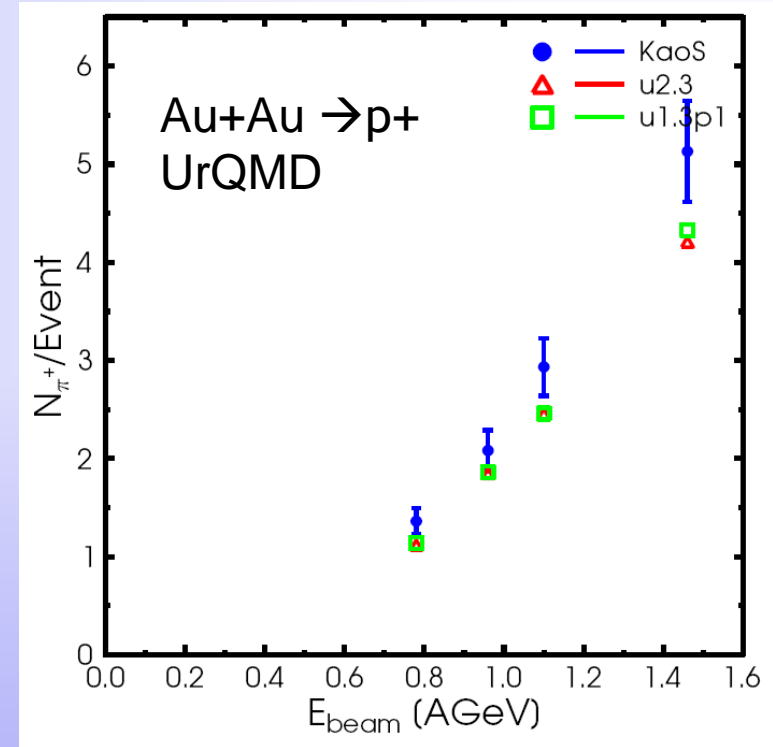
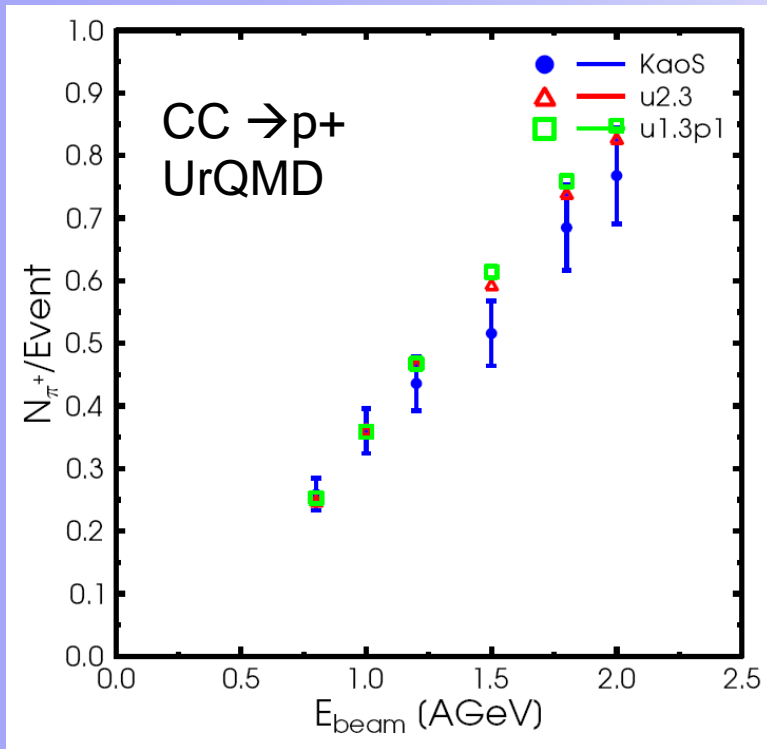
- Good agreement between different transport models (HSD/UrQMD)
- 4 pi and midrapidity abundancies are described on a 10-20% level (systematic error)
- Energy dependence: OK
- Hadron-string models work well



Detailed view at low energies



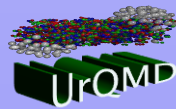
D. Schumacher, H. Petersen



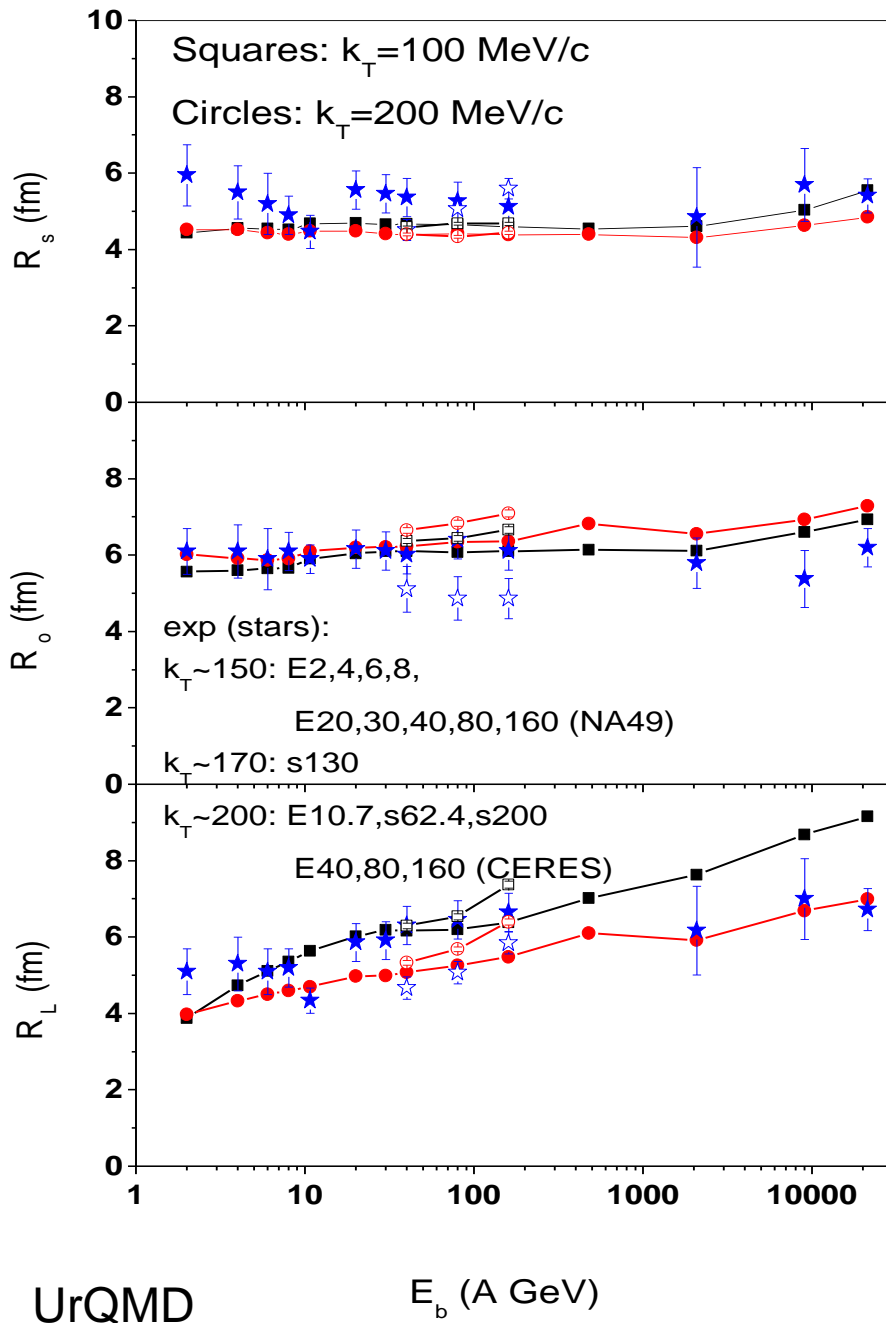
- Comparison to KAOS data
- Reasonable agreement

D. Schumacher, s. Vogel, M.B, Acta Phys.Hung.A27:451-458,2006

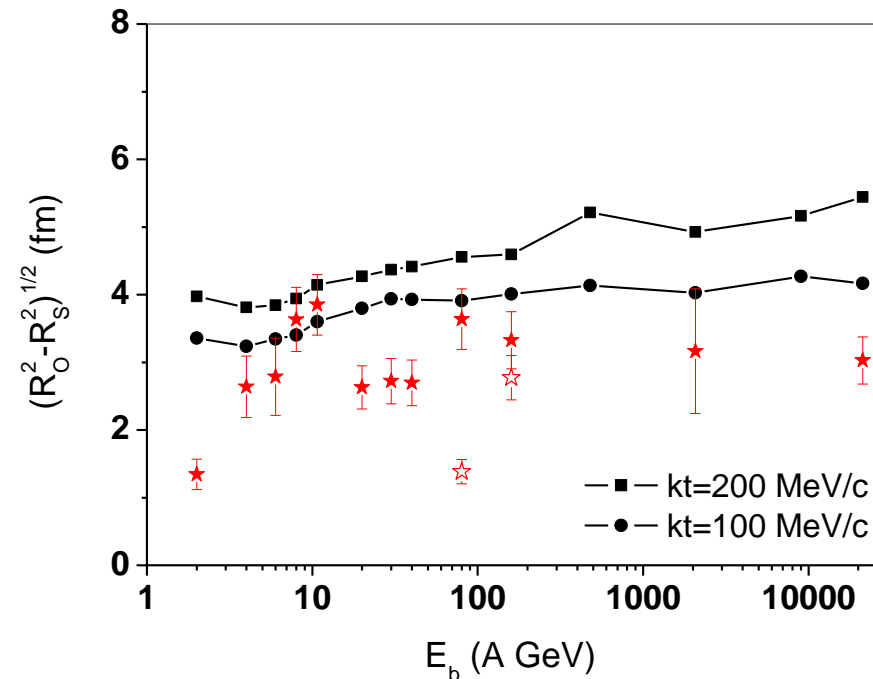
Marcus Bleicher, NICA School 2010



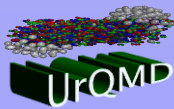
HBT-Energy dependence



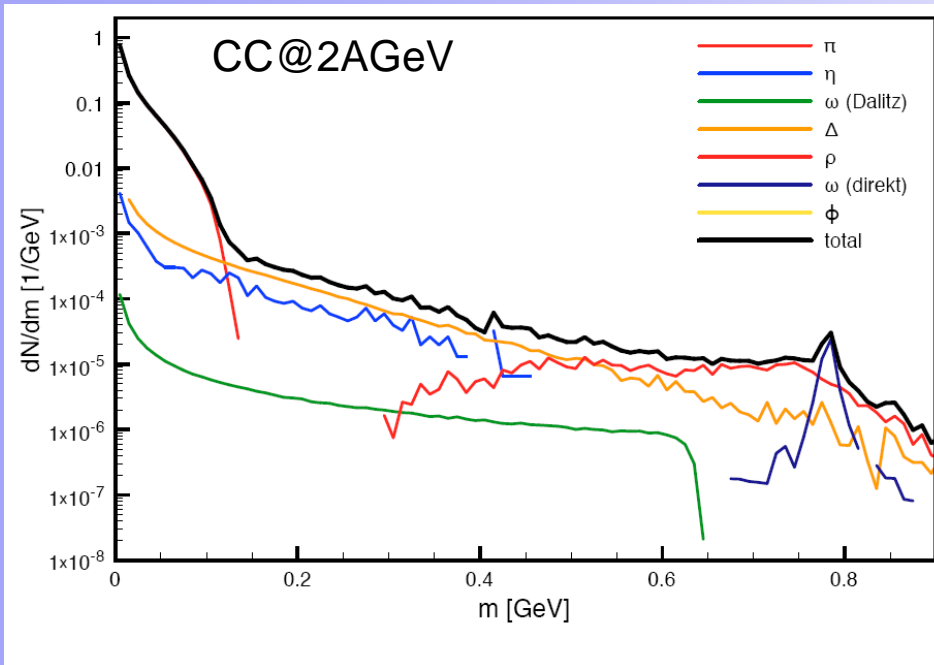
- Data shows no dramatic features
- Expansion and decoupling dynamics ok
- Fireball life time ok



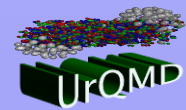
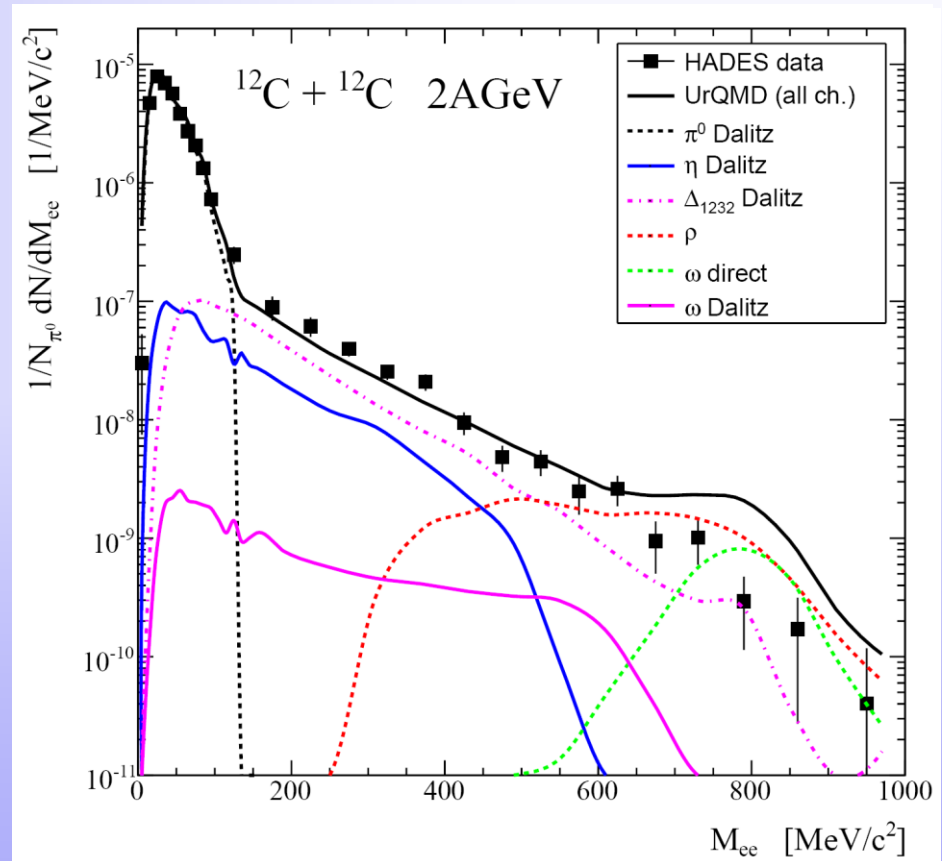
Results SIS energies



HADES energies: UrQMD



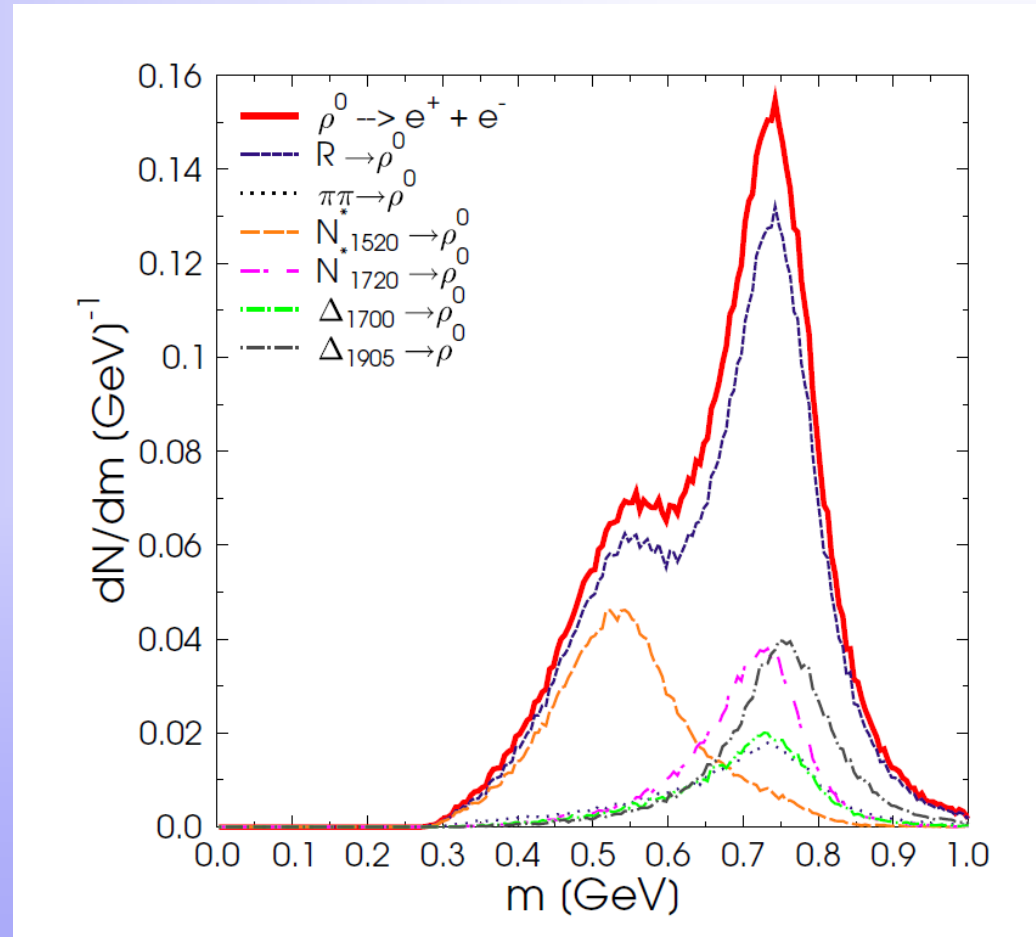
- Note the broad ρ mass distribution



Trivial rho broadening

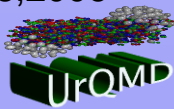


- Coupling to baryon resonances broadens the rho meson mass distribution even without 'explicit' medium contribution

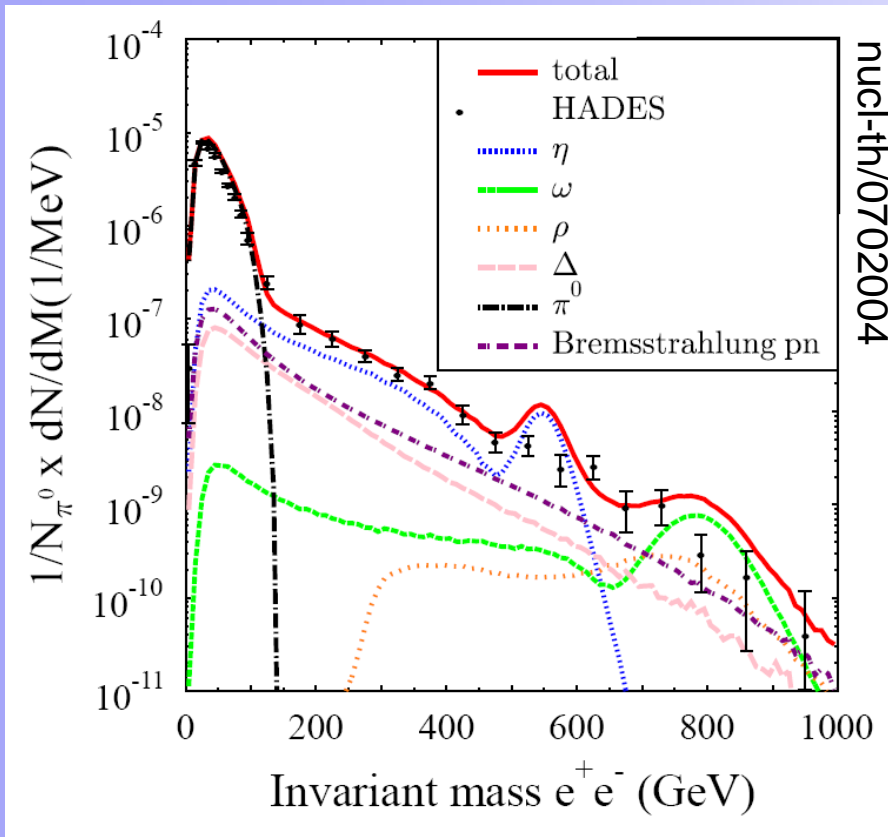


Schumacher, Vogel, Bleicher, Acta Phys.Hung.A27:451-458,2006

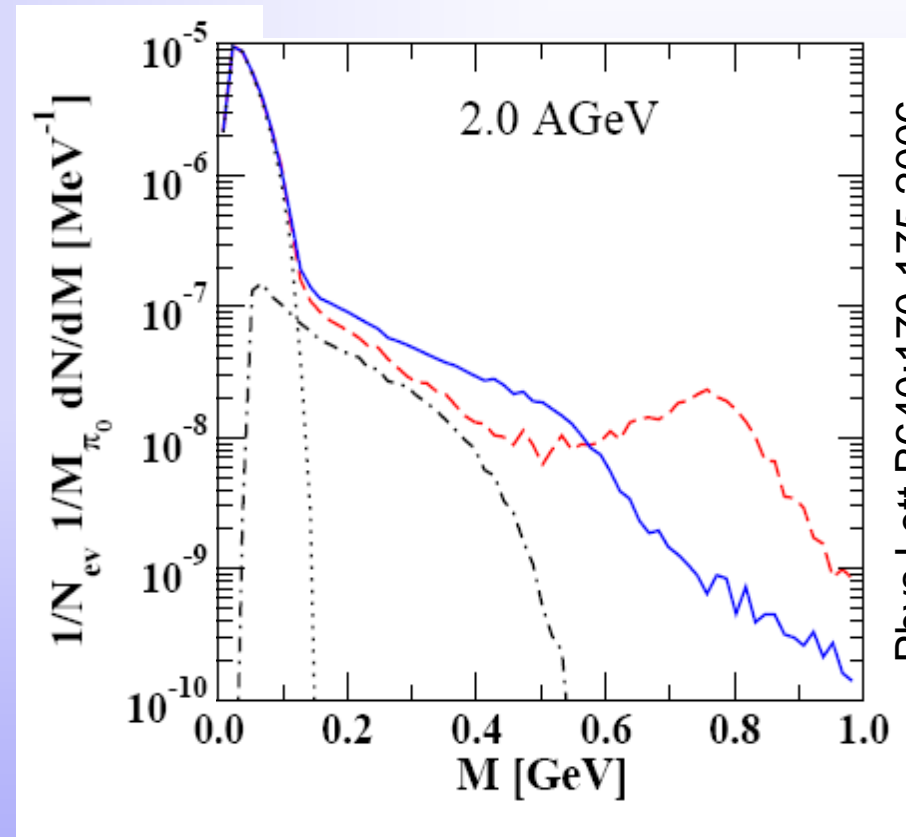
Marcus Bleicher, NICA School 2010



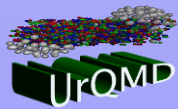
HADES energies: IQMD/RQMD



IQMD, CC@2AGeV
(instant di-leptons: no baryon-
and ρ resonance propagation)

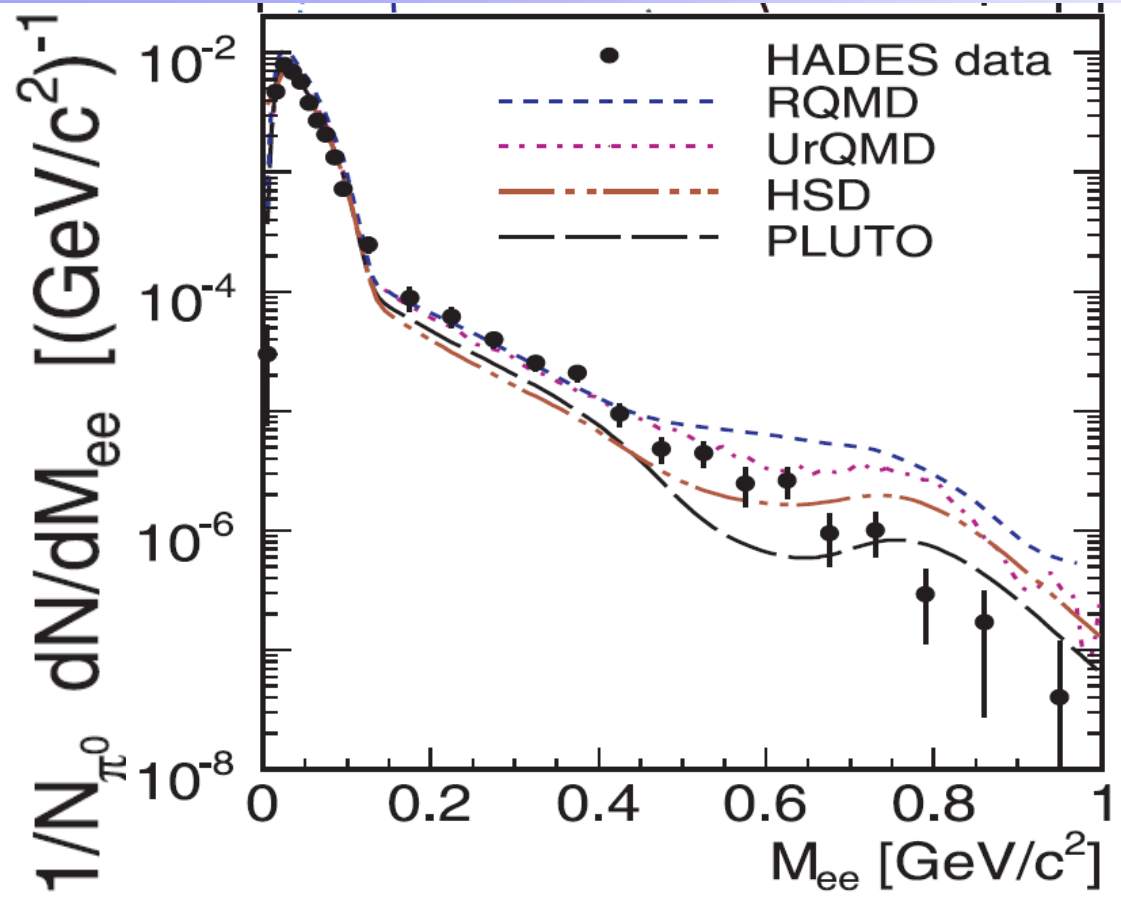


RQMD, CC@2AGeV
(effective ρ , no ρ and
 π propagation)

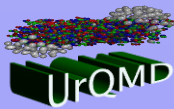




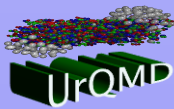
Di-lepton summary

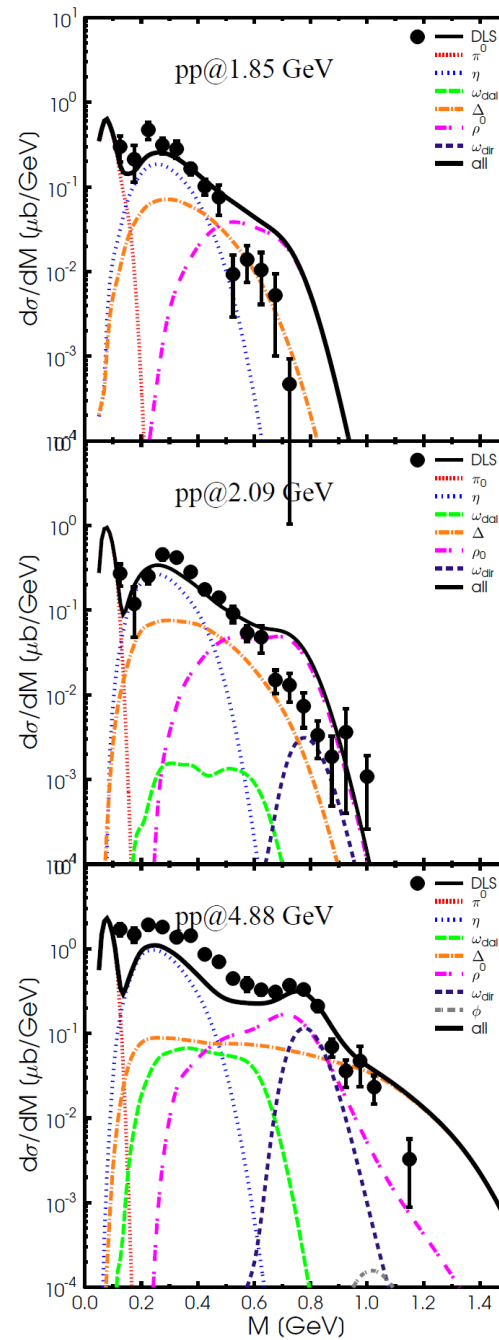
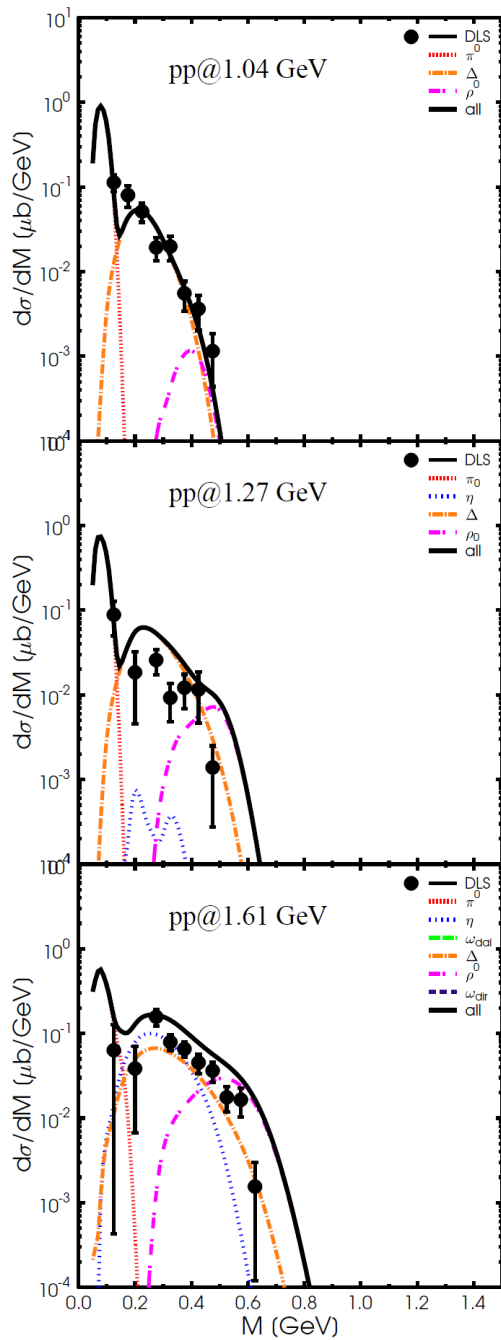


- Model differences due to different di-lepton ‘after burner’!
- Clear hint of non-equilibrium contributions

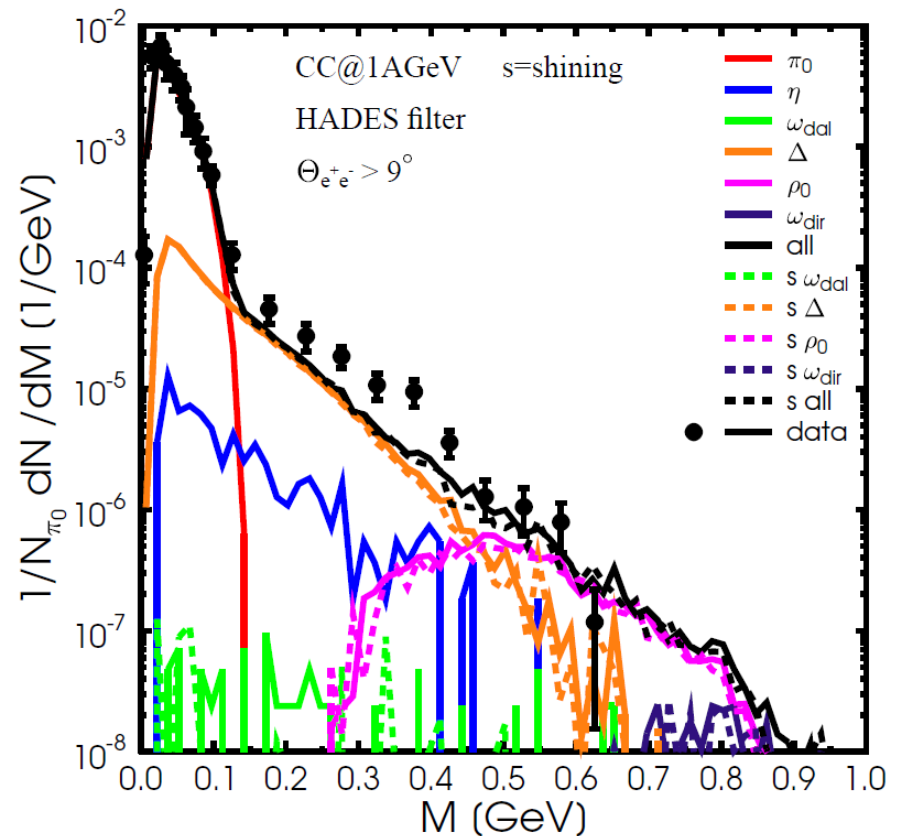
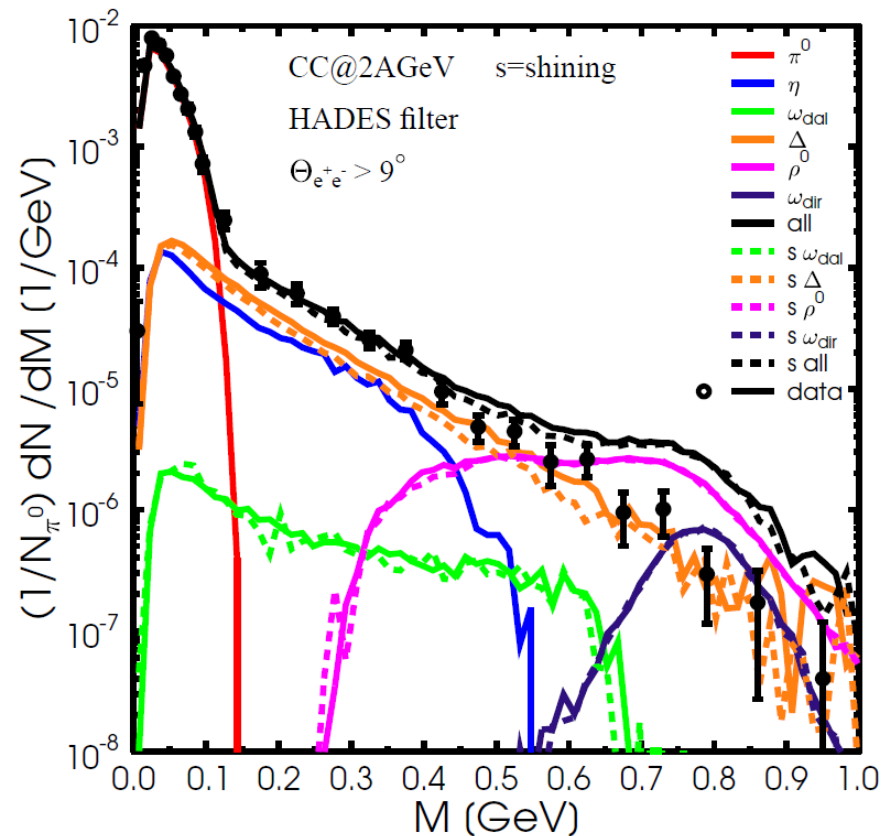


Discussion: SIS

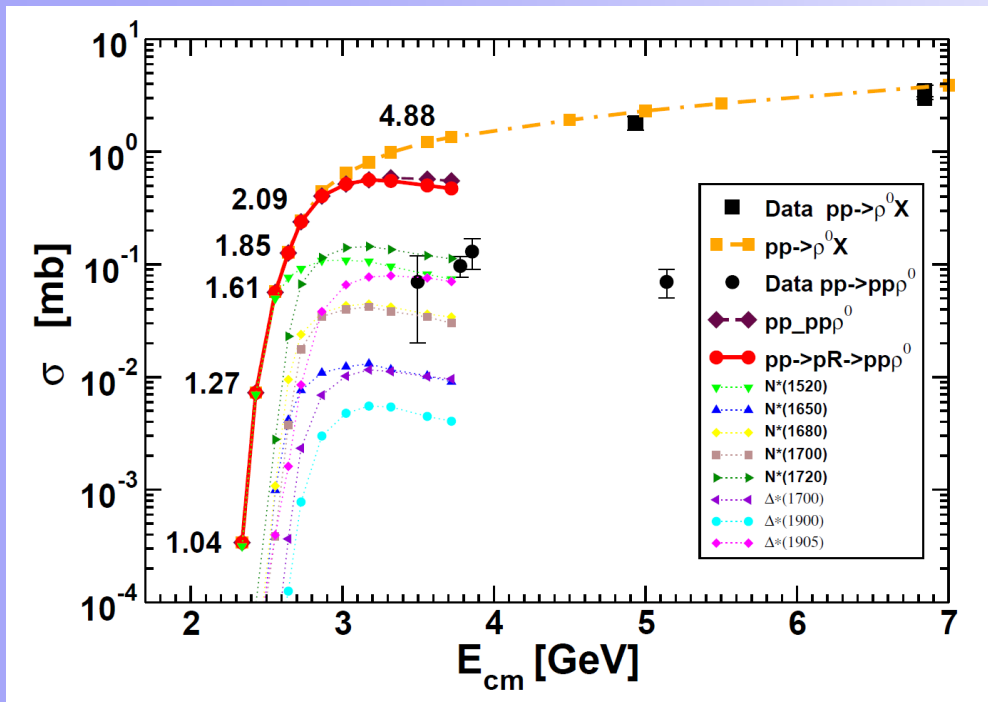




Overestimation at 2 GeV

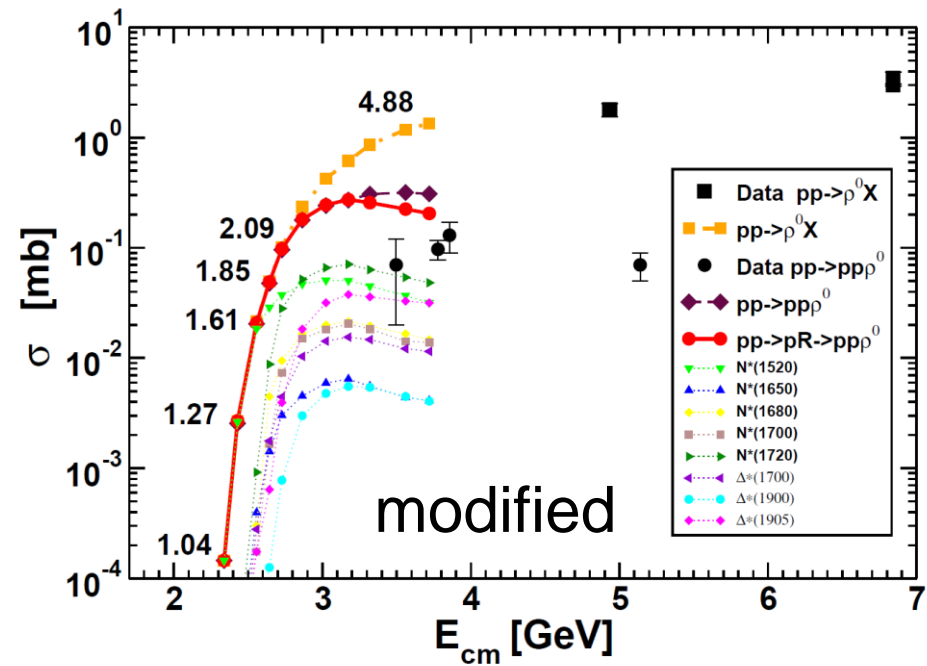
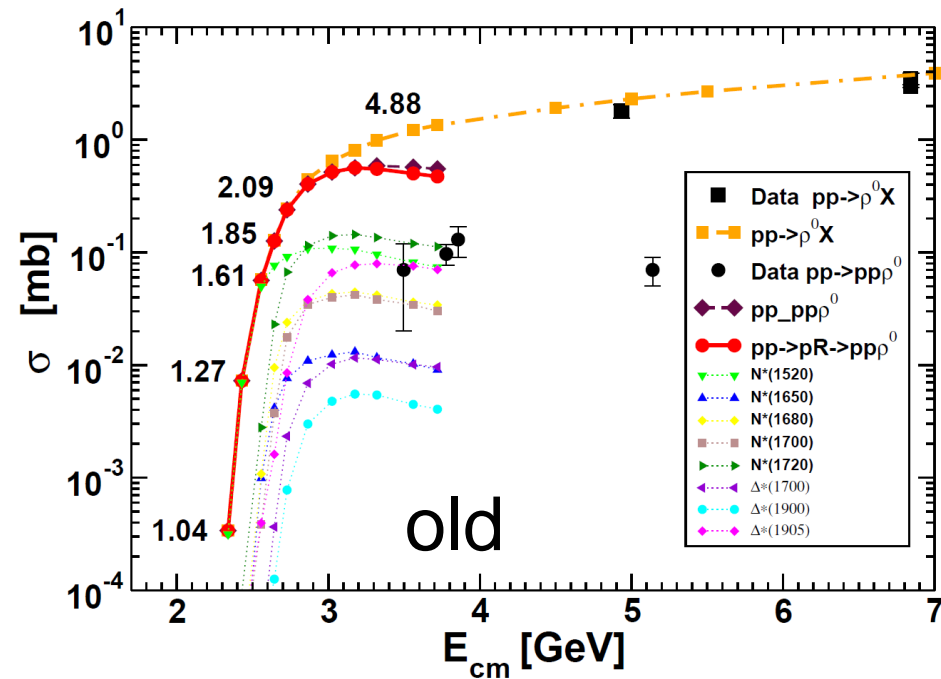


Where do the rhos come from?



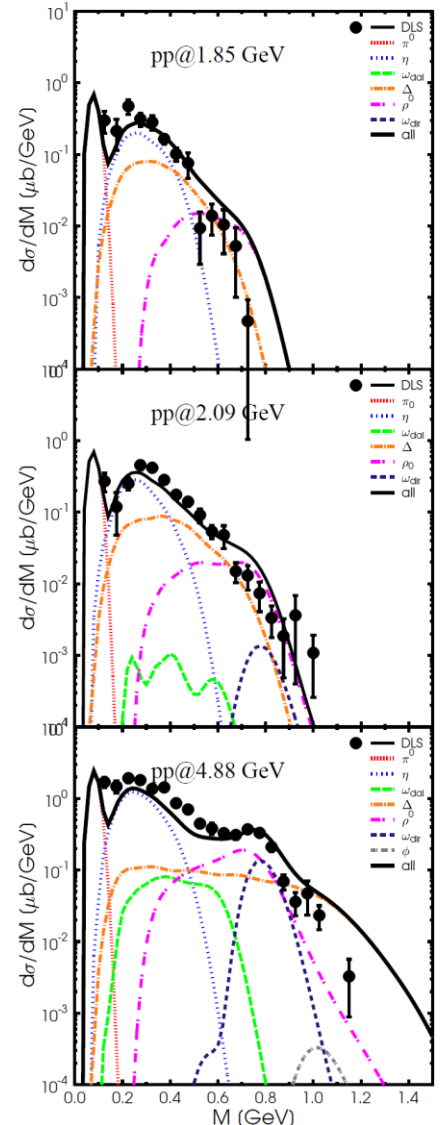
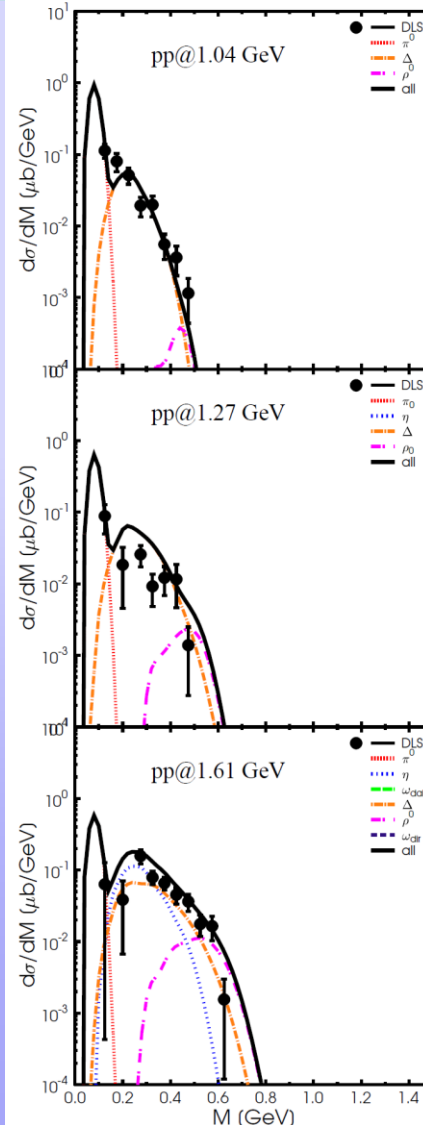
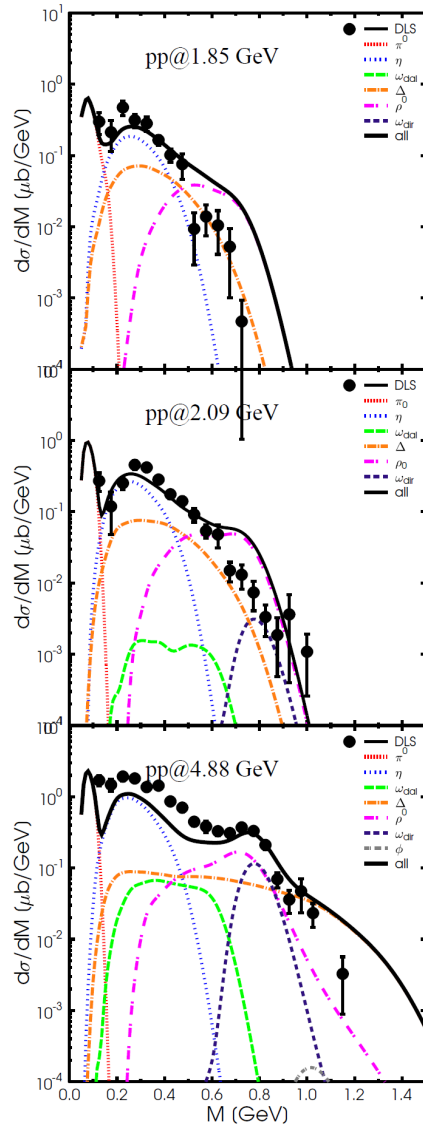
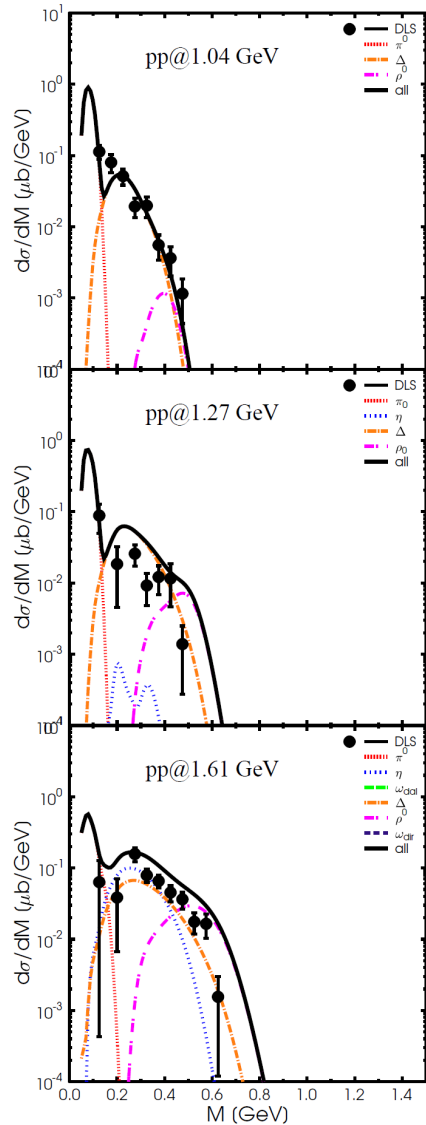
Resonance	Br($N\rho$)	Resonance	Br($N\rho$)
$N^*(1520)$.15	$\Delta^*(1620)$.05
$N^*(1650)$.06	$\Delta^*(1700)$.25
$N^*(1680)$.10	$\Delta^*(1900)$.25
$N^*(1700)$.20	$\Delta^*(1905)$.80
$N^*(1710)$.05	$\Delta^*(1910)$.10
$N^*(1720)$.73	$\Delta^*(1930)$.22
$N^*(1900)$.15	$\Delta^*(1950)$.08
$N^*(1990)$.43		
$N^*(2080)$.12		
$N^*(2190)$.24		
$N^*(2220)$.22		
$N^*(2250)$.25		

Re-adjustment of the branching ratios

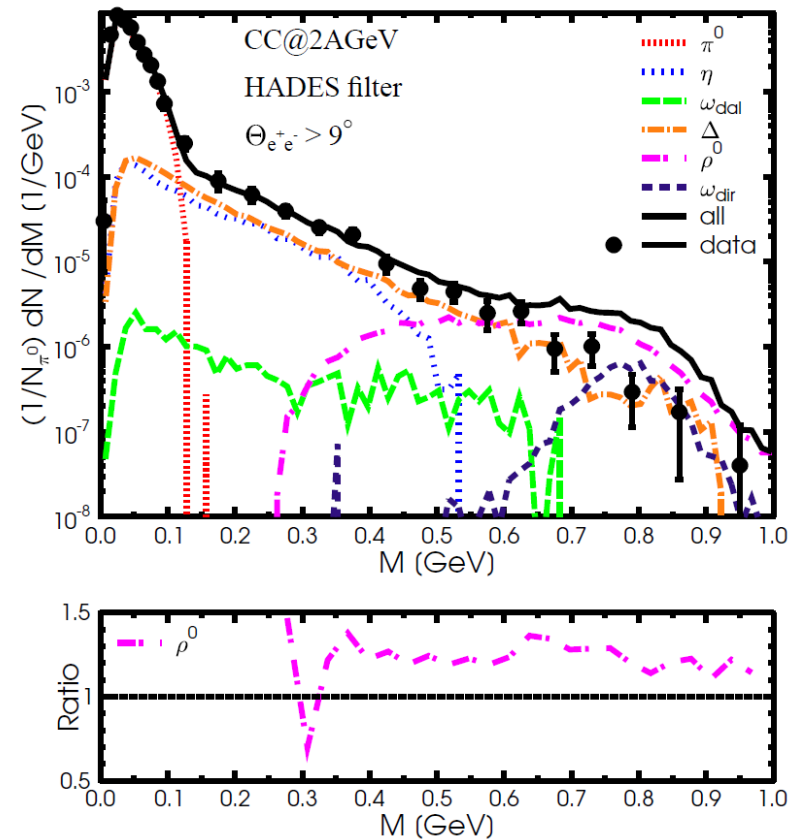
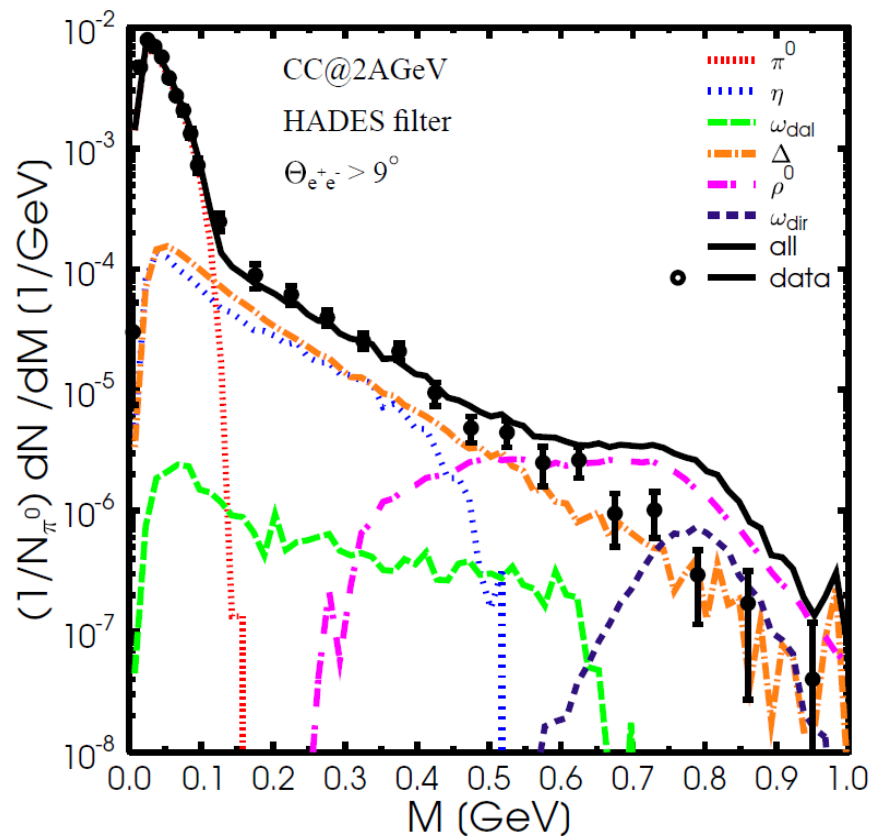


Reduce rho production in pp bei factor 2

Standard vs. modified

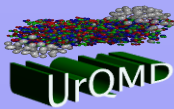


Standard vs modified

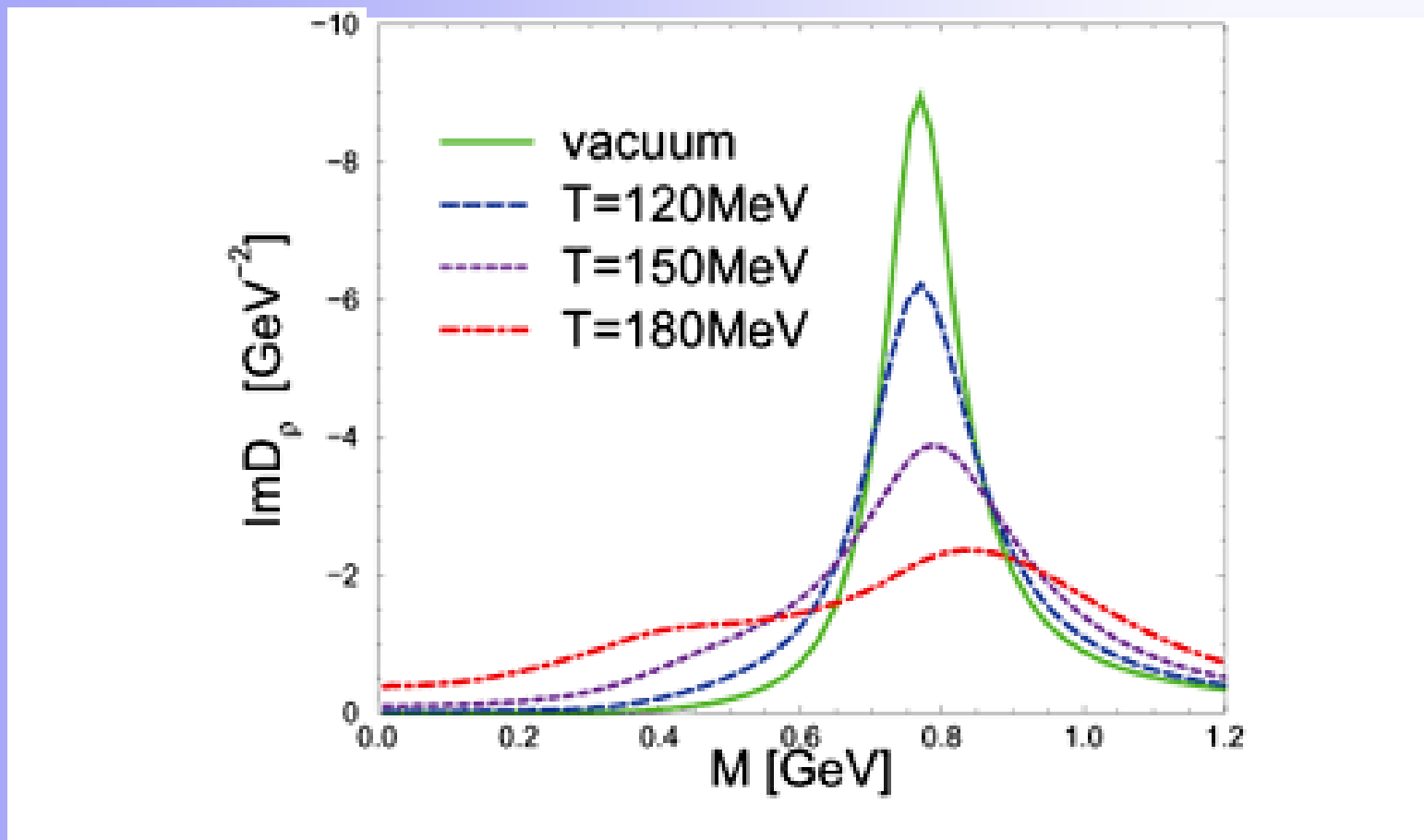


modified pp!

High energies

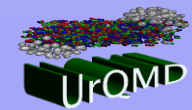


Rho meson spectral function

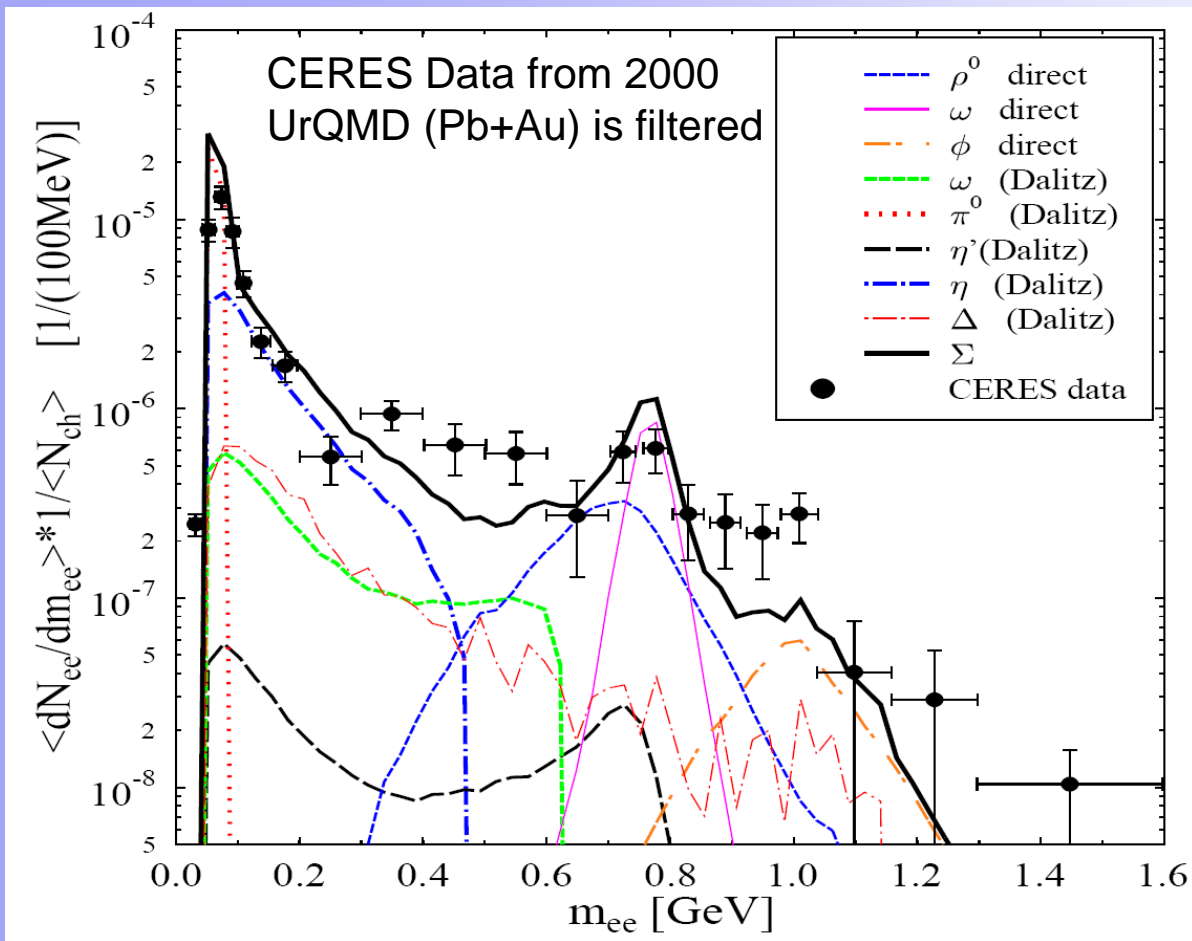


From Rapp, Wambach

Marcus Bleicher, NICA School 2010

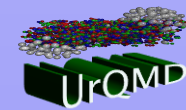


Comparison to CERES @ 160 AGeV



- Well known dip around 500 MeV
- Dip is from low momentum di-lepton pairs

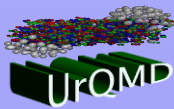
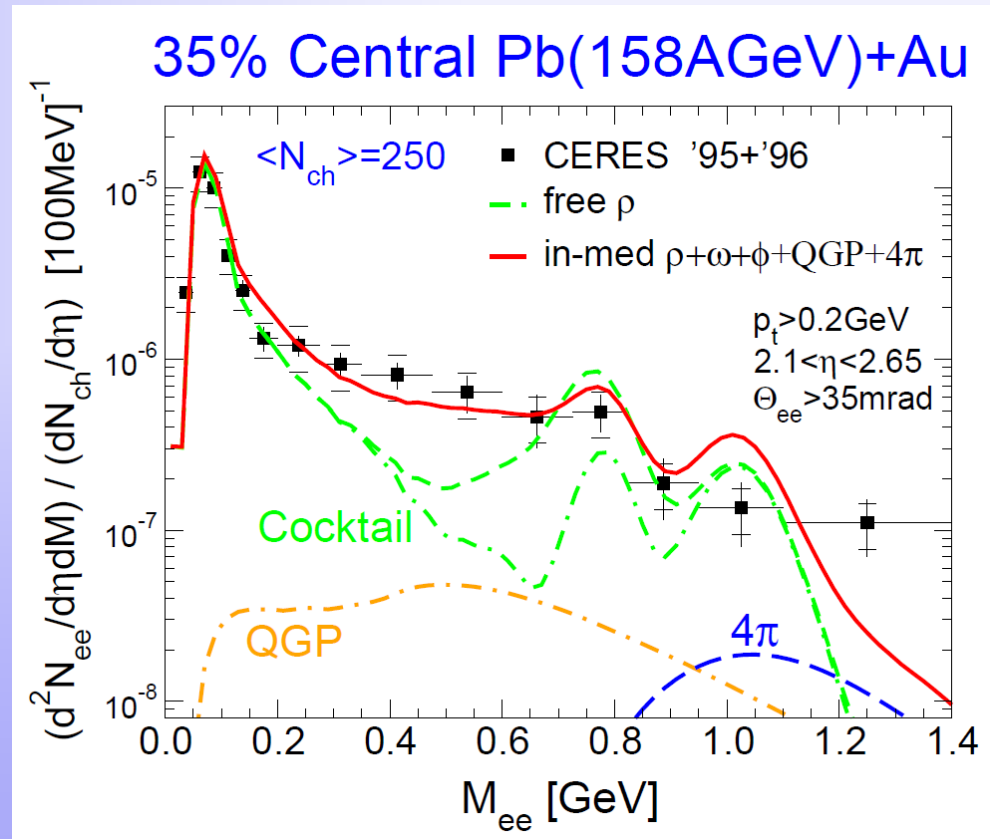
D. Schumacher, M.B.



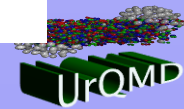
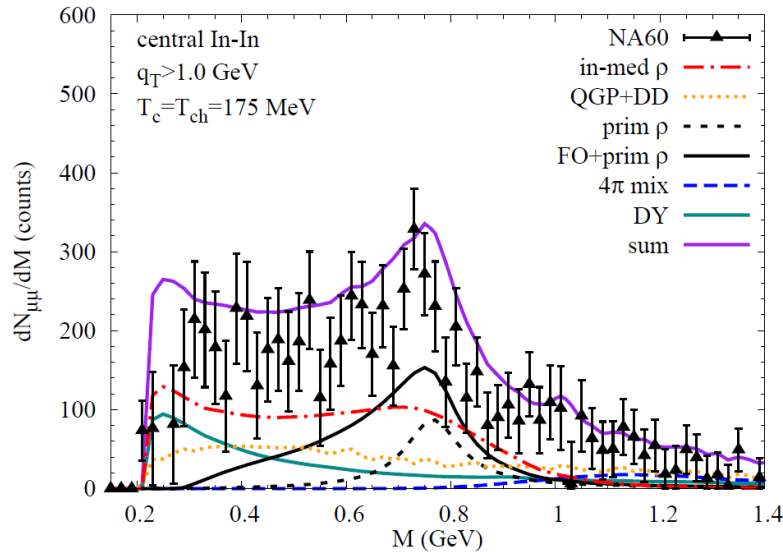
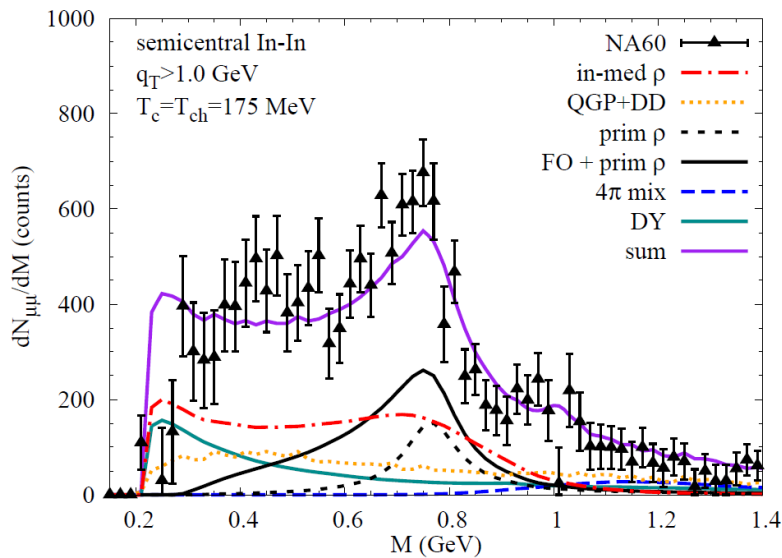
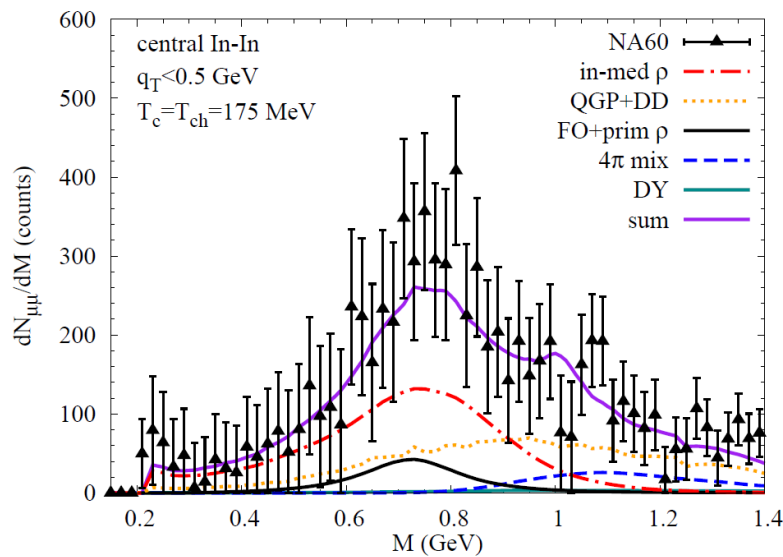
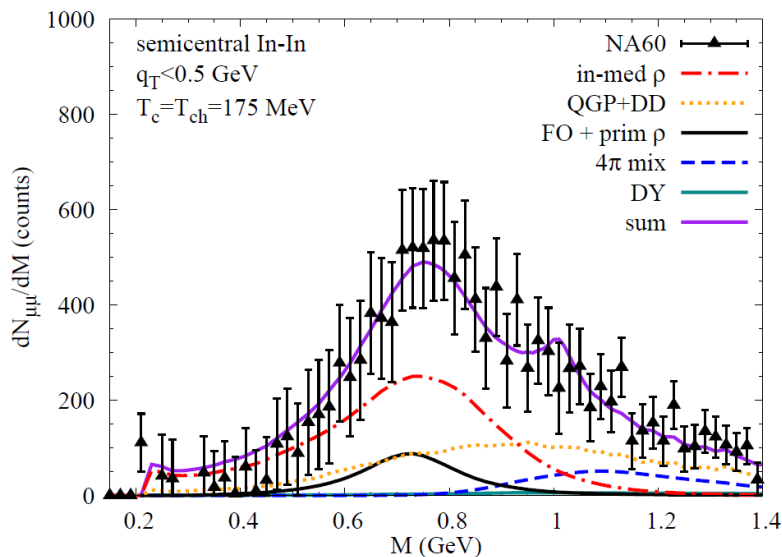
With spectral function



- Broad spectral function allows for a nice description of the data



Results NA60



Summary



- Theory has to get space-time structure and particle densities right (di-leptons are integrated over fireball lifetime and sensitive to baryon res. and pp collisions)
- Fundamentals, e.g. definition of densities (frames, methods, thermal fraction) have to be fixed
- Bremsstrahlung might be important for 1-2 AGeV reactions, however double counting needs to be avoided
- The underlying transport models are mostly consistent with each other, however di-lepton after burners are not
 - ➔ Real r vs. effective r vs. instant leptons
 - ➔ **Standard' model for hadron to di-lepton conversion needed**

